

# Common Pulses Used in Communications

## Lab 9, DSP

### Objective

The students shall know show of the pulses used in communications and be capable of analyzing their spectrum.

### Theoretical aspects

Square pulses are rarely used in communication due to their high frequency content. The Fourier series coefficients of a discrete periodical signal can be computed from one period of the signal with:

### Exercises

1. Generate a 100 samples long **rectangular** signal  $x$  defined as  $x[n] = \underbrace{[1, 1, \dots, 1]}_{50}, \underbrace{[0, 0, \dots, 0]}_{50}$ .

- a. Plot the signal in the top half of a figure (use `subplot()`).
- b. Compute the Fourier series coefficients with `fft()` and plot their magnitude in the lower half of the figure. Use the code from the last laboratory to compute the spectrum:

```
% Given a signal x with length N
```

```
% Compute the Fourier series coefficients and find their magnitudes and phases  
c = fft(x);  
m = abs(c);
```

```

phase = angle(c);

% Find the amplitudes of sinusoidal components
m = m(1:(N/2+1));
m(2:N) = 2*m(2:N);

% Frequencies' values = multiples of fundamental 1/N
f = (0:(N/2))*1/N;

```

2. Reconstruct and plot the signal  $\mathbf{x}$  by summing all the sinusoidal components back again.
  - Each component is a cosine with amplitude  $\mathbf{m}(i)$ , frequency  $\mathbf{f}(i)$  and phase  $\mathbf{phase}(i)$ .
  - The DC component of the signal is just like a sinusoidal component with frequency 0 (i.e. constant signal)
  - Full formula is:

$$x[n] = \sum_i m(i) \cos(2\pi f(i) + \text{phase}(i))$$

3. Reconstruct and plot the signal  $\mathbf{x}$  as in previous exercise, but keeping only some of the sinusoidal components. Display a figure composed of 5 subfigures, where the signal contains only:
  - a. The first 2 components (DC + fundamental)
  - b. The first 5 components
  - c. The first 10 components
  - d. The first 20 components
  - e. All the components
4. Repeat exercises 1 and 3 using a 100-long Gaussian pulse (*Hint*: check Matlab function `gausswin()`). How is the spectrum of the Gaussian pulse compared to a rectangular pulse? Why?
5. Open Matlab's Window Designer tool (`windowDesigner`). Visualize the time-domain and frequency-domain aspect of the following window types:
  - rectangular
  - raised cosine
  - gaussian
  - Kaiser
  - Hann

## Final questions

1. TBD