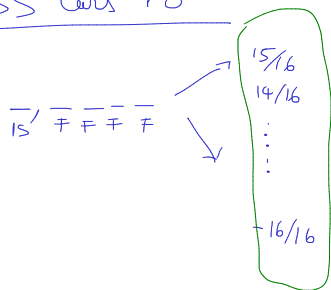


PSS Cars 10

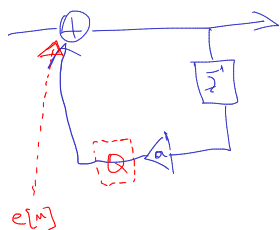
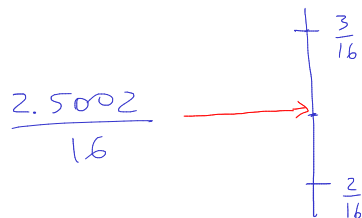


0,1111 = 5/6

$$\frac{7}{16} \cdot \frac{5}{16} = \frac{35}{256}$$

$$= \frac{2.1875}{16} \approx \frac{2}{16}$$

$$\frac{8}{16} \cdot \frac{8}{16} = \frac{64}{256} = \frac{4}{16}$$

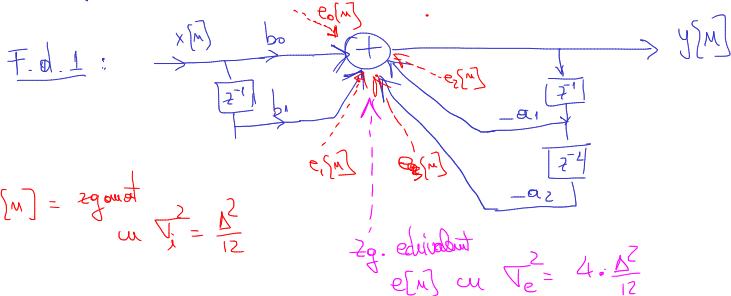


$$y[n] = a \cdot y[n-1] + x[n]$$

$$H(z) = \frac{1}{1-az^{-1}}$$

polul $p=a$

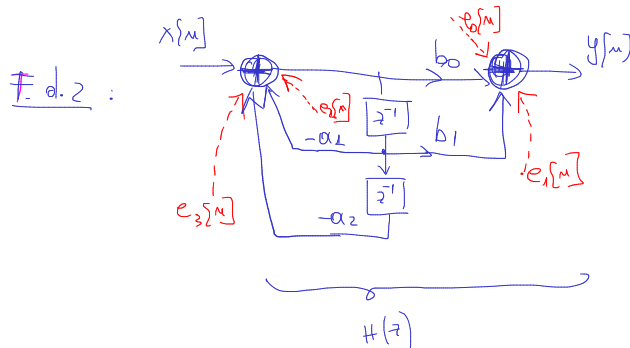
$$y[n] = -a_1 y[n-1] - a_2 y[n-2] + b_0 x[n] + b_1 x[n-1]$$



$$e_1[n] = z_{\text{quant}} \text{ cu } \nabla_x^2 = \frac{\Delta^2}{12}$$

$$z_{\text{g. echivant}} e[n] \text{ cu } \nabla_e^2 = 4 \cdot \frac{\Delta^2}{12}$$

$\Delta \equiv \text{MTC}$

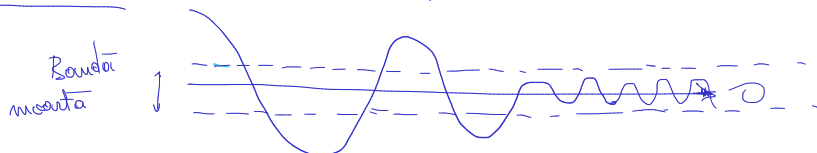


$$\nabla_z^2 = 2 \cdot \frac{\Delta^2}{12} + 2 \cdot \frac{\Delta^2}{12} \cdot \sum_{n=0}^{\infty} h^2[n]$$

$$= \frac{1}{2\pi} \int_{-\pi}^{\pi} |H(\omega)|^2 d\omega$$

$$= \sum_{\text{pozi din cercul unitate}} |H(z)| \cdot H(z^{-1}) \cdot z^{-1}$$

Banda mascată = ^{maxim}interv. de valori pe care le poate lua ^{un}ciclul finit = amplit. maximă a unui ^{cicl}cicl finit



Scalars :

