

试卷

1. 全电流包括_____、_____、_____。
2. 真空中点电荷 Q 位于 $(0, 0, 1)$ ，点电荷 $-Q$ 位于 $(1, 0, 0)$ ，则坐标原点 $(0, 0, 0)$ 处的电场强度为_____，该点处的电位为_____。
3. 国际单位制中，电场强度的单位是_____，磁场强度的单位是_____。
4. 下列平面电磁波的极化形式分别为：
 - $\vec{E} = \vec{a}_x \sin(\omega t + kz) + \vec{a}_y \cos(\omega t + kz)$ _____
 - $\vec{E} = \vec{a}_x \hat{E}_0 e^{-jkz} + \vec{a}_y j 2 \hat{E}_0 e^{-jkz}$ _____
 - $\vec{E} = \vec{a}_x 2 \sin(\omega t - ky) - \vec{a}_y 2 \sin(\omega t - ky)$ _____

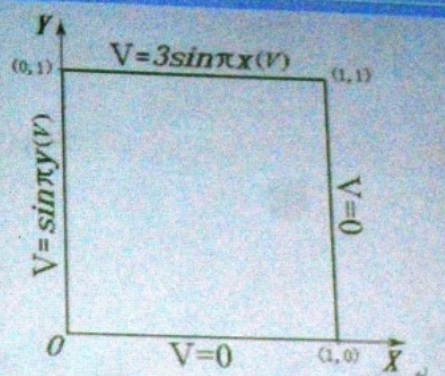
5. 写出 Maxwell 方程的微分形式及其各自对应的物理定律：
 - _____
 - _____
 - _____
 - _____
6. 时变电磁场中，电场强度、磁感应强度与标量电位、矢量磁位之间的关系为_____、_____，洛伦兹规范为_____。
7. 理想介质的波阻抗为 Z ，在其中传播的正弦平面电磁波的电场强度为 $\vec{E} = \vec{a}_y E e^{-jkz}$ ，其磁场强度为_____，其坡印亭

8. 平板电容器两极间距离变大则电容变____，两极间介质的介电常数____则电容越小。

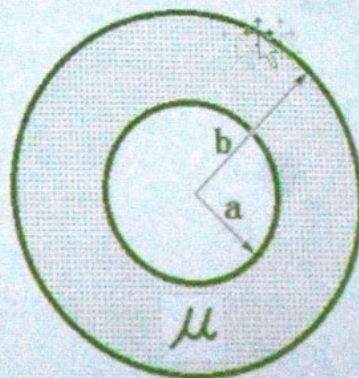
二. 简述题 (任选 4 题, 不得多选; 每题 5 分, 共 20 分)

1. 无限大自由空间中有两个分别带 $+Q$ 、 $-Q$ 的导体。当两导体之间的距离变大, 电场能量如何变化? 为什么?
2. 为什么说“电磁能量是通过导线周围的空间由电源向负载传播的”?
3. 什么是透入深度? 它有什么工程意义? 可举例说明。
4. 复数坡印亭矢量的定义是什么? 它与坡印亭矢量的关系如何?
5. 静电场边值问题解的唯一性定理的内容是什么? 为什么说它是镜像法的基础?
6. 通过本课程的学习, 你认为“场”和“路”的分析方法有何异同? 可举例说明。

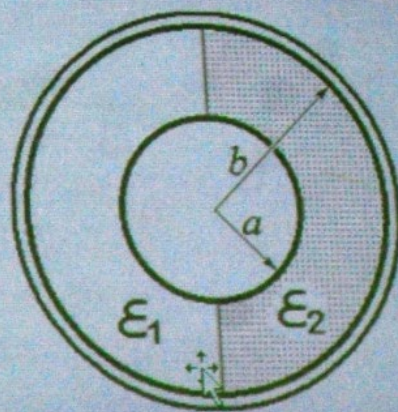
1. The electric potential mapping on the walls of a long, straight vessel with square cross section is shown in the figure. Find the electric potential at $(0.5, 0.5)$. (本题 6 分)



2. A long straight hollow cylindrical conductor with inner radius a and outer radius b , as shown in the figure. Determine its inner inductance per length. (本题 10 分)



3. A spherical capacitor, with inner conductor of radius a and outer conductor of inner radius b , is filled with two different dielectrics of permittivity ϵ_1 and ϵ_2 , respectively, in a half of the in-between space and another, as shown in the figure. Determine the capacitance. (本题 10 分) *



4. A point charge of 10^{-9}C is at a distance 60cm from the center of a grounded spherical conducting shell of inner radius 1m . Determine the electric potential V at center of the shell. (本题 10 分) *

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5. The seawater ($\mu_r=1$, $\epsilon_r=81$, $\sigma=4\text{ S/m}$) is in $z > 0$ area and the air is in $z < 0$ area, with their inter-surface at $z=0$. A time harmonic plane wave of electric field $\vec{E} = \vec{a}_x 1 \cos(2\pi \times 10^8 t)$ at $z=0$ impinges normally from air to seawater. Find: *

(a) Electric and magnetic field at $z = -1\text{m}$; *

(b) Magnetic field at $z = +0.2\text{m}$; *

(c) Average electromagnetic Power density at $z = 0\text{m}$ in seawater. *

(本题 14 分) *

习题

8-1 A uniform time-harmonic plane wave of frequency $f=1\text{GHz}$ is traveling in pure water ($\mu_r=81$, $\epsilon_r=1$), in $(+x)$ -direction.

Assume the electric field intensity is in $(+y)$ -direction with amplitude of 1V/m .

Find (a) time and complex expressions of the wave, (b) average power density.

8-2 Determine polarization form of the following plane waves:

1. $\vec{E}(t) = \vec{a}_y 0.3 \cos(\omega t - kx) + \vec{a}_z 3 \sin(\omega t - kx)$
2. $\vec{E}(t) = \vec{a}_x 5 \cos(\omega t + kz) - \vec{a}_y 0.3 \cos(\omega t + kz)$
3. $\vec{E} = \vec{a}_x 0.1 e^{-jk_y} - \vec{a}_z j 0.1 e^{-jk_y}$

8-3 The seawater ($\mu_r=1$, $\epsilon_r=81$, $\sigma=4\text{S/m}$) is in $z > 0$ area with its surface is at $z = 0$. A uniform time-harmonic plane wave of frequency $f=100\text{MHz}$ impinges normally from air to sea water. Assume the electric field intensity of incident wave is $+x$ -polarized with amplitude of 1V/m . Find (a) the distance at which the amplitude of \vec{E} is 10% of its value at $z=0$ in seawater. (b) electric and magnetic field at $z = +0.5\text{m}$; (c) electric and magnetic field at $z = -0.5\text{m}$.