



### Bagian 1

1) Hitunglah sumbu, pada  $\sum_{n=1}^{\infty} \frac{3^{n+1}}{4^n \cdot 7^{n-2}}$  Jwb: 17,64

2)  $\sum_{n=1}^{\infty} \frac{3^{n+2}}{7^n \cdot 8^{n-1}}$  Jwb: 4,0753

3)  $\sum_{n=1}^{\infty} \frac{2^{n+3}}{3^{n-1} \cdot 5^n}$  Jwb: 3,6923

4)  $\sum_{n=1}^{\infty} \frac{2^{n+1}}{3^{n-2} \cdot 7^n}$  Jwb: 1,89

5)  $\sum_{n=1}^{\infty} \frac{5^{n+2}}{7^{n-1} \cdot 9^n}$  Jwb: 15,08

6)  $\sum_{n=1}^{\infty} \frac{5^{n+2}}{3^{n-1} \cdot 8^n}$  Jwb: 19,74

7)  $\sum_{n=1}^{\infty} \frac{7^{n+1}}{4^{n-2} \cdot 9^n}$  Jwb: 27,034

8)  $\sum_{n=1}^{\infty} \frac{5^{n+1}}{3^{n-3} \cdot 8^n}$  Jwb: 35,526

9)  $\sum_{n=1}^{\infty} \frac{11^{n+1}}{2^{n-2} \cdot 9^n}$  Jwb: 69,1

10)  $\sum_{n=1}^{\infty} \frac{2^{n+2}}{3^{n-3} \cdot 5^n}$  Jwb: 16,61

11)  $\sum_{n=1}^{\infty} \frac{2^{n+3}}{3^{n-1} \cdot 5^n}$  Jwb: 3,6923

12)  $\sum_{n=1}^{\infty} \frac{5^{n+2}}{4^{n-1} \cdot 7^n}$  Jwb: 21,739



Намеченные 2 задания

a) Найти сумму ряда  $\sum_{n=-1}^5 \frac{10}{(5n+2)(5n+7)}$  Оmb: -0,666

б)  $\sum_{n=-1}^{\infty} \frac{16}{(3-2n)(1-2n)}$  Оmb: -1,6

в)  $\sum_{n=0}^{\infty} \frac{12}{(8-3n)(5-3n)}$  Оmb: 0,4

г)  $\sum_{n=-1}^5 \frac{10}{(5-4n)(1-4n)}$  Оmb: -0,28

д)  $\sum_{n=4}^8 \frac{9}{(3n-4)(3n-1)}$  Оmb: 0,375

е)  $\sum_{n=-3}^8 \frac{10}{(5n+9)(5n+14)}$  Оmb: -0,3333 <sup>average</sup>

ж)  $\sum_{n=2}^8 \frac{36}{(9-2n)(7-2n)}$  Оmb: -3,6

з)  $\sum_{n=2}^8 \frac{15}{(3n+1)(3n+4)}$  Оmb: 0,7142857143

и)  $\sum_{n=5}^8 \frac{20}{(5-2n)(3-2n)}$  Оmb: 2,6

у)  $\sum_{n=4}^8 \frac{24}{(5-3n)(2-3n)}$  Оmb: 1,14

к)  $\sum_{n=-2}^8 \frac{8}{(4n-1)(4n+3)}$  Оmb: -0,2222

л)  $\sum_{n=-2}^8 \frac{21}{(6n+5)(6n+11)}$  Оmb: -0,5



$$M) \sum_{n=-4}^8 \frac{33}{(3n+8)(3n+11)} \quad \text{Ans: } -2,75$$

$$H) \sum_{n=2}^8 \frac{35}{(5n-6)(5n+1)} \quad \text{Ans: } 1,75$$

$$O) \sum_{n=1}^8 \frac{32}{(4n-5)(4n-1)} \quad \text{Ans: } -0,888$$

$$N) \sum_{n=3}^8 \frac{20}{(4n+9)(4n+13)} \quad \text{Ans: } -1,6666$$

$$P) \sum_{n=2}^8 \frac{18}{(4n+1)(4n+5)} \quad \text{Ans: } 0,5$$

$$C) \sum_{n=2}^8 \frac{15}{(7-6n)(1-6n)} \quad \text{Ans: } 0,5$$

$$T) \sum_{n=1}^8 \frac{10}{(6n-1)(6n+5)} \quad \text{Ans: } -0,238$$

$$Y) \sum_{n=-4}^8 \frac{6}{(3n+2)(3n+5)} \quad \text{Ans: } -0,2$$

$$\Phi) \sum_{n=2}^8 \frac{27}{(3n-1)(3n+2)} \quad \text{Ans: } 1,8$$

$$X) \sum_{n=3}^8 \frac{18}{(4n-7)(4n-3)} \quad \text{Ans: } 0,9$$

3ae zagona

a) Da li je  $\sum_{n=1}^{\infty} u_n$  konvergentna ili divergentna?  $\lim_{n \rightarrow \infty} \frac{u_n}{v_n} = C, 0 < C < \infty$   
 e ako  $u_n = \frac{\sqrt{n} + \sqrt[3]{4n^2+5}}{n^3 \sqrt{n+5} + 1}, v_n = \frac{1}{n^4}, n \in \mathbb{N}$

Omk: 6,8333

b)  $u_n = \frac{\sqrt{n} + \sqrt[3]{n^2+2}}{n^2 \sqrt{n+7} + 3}$  Omk: 6,1666

c)  $u_n = \frac{3 + \sqrt[3]{4+n^3}}{n^2 \sqrt{n} + \sqrt{n+5}}$  Omk: 5,75

d)  $\sum_{n=8}^{\infty} u_n, u_n = \frac{\sqrt{n} + \sqrt[3]{n^2+5}}{n^5 \sqrt{n+7} + 6}$  Omk: 4,17

e)  $\sum_{n=9}^{\infty} u_n, u_n = \frac{3\sqrt{n} + \sqrt[3]{n^2+5}}{(n+4)^2 \sqrt{n} + 1}$  Omk: 3,16

f)  $\sum_{n=9}^{\infty} u_n, u_n = \frac{3\sqrt{n} + \sqrt[3]{n^2+5}}{(n+6)^3 \sqrt{n} + 1}$  Omk: 2,78

g)  $\sum_{n=8}^{\infty} u_n, u_n = \frac{\sqrt[3]{6 + (n+1)^2}}{(n+5)^3 \sqrt{2+n}}$  Omk: 1,5

h)  $\sum_{n=7}^{\infty} u_n, u_n = \frac{\sqrt[3]{2+3n^2} + 6}{\sqrt{n} + n^5 \sqrt{n+9}}$  Omk: 3,92857

i)  $\sum_{n=6}^{\infty} u_n, u_n = \frac{1 + \sqrt[3]{2+n^3}}{n^3 \sqrt{n} + \sqrt{n+9}}$  Omk: 7,7

j)  $\sum_{n=8}^{\infty} u_n, u_n = \frac{\sqrt[3]{5+2n^{10}} + 6}{\sqrt{n} + n^5 \sqrt{n+8}}$  Omk: 1,83

k)  $\sum_{n=5}^{\infty} u_n, u_n = \frac{\sqrt[3]{2 + (n+1)^2}}{(n+8)^4 \sqrt{6+n}}$  Omk: 2,1

$$l) \sum_{n=6}^{\infty} u_n; u_n = \frac{\sqrt[3]{3+n^2}+2}{\sqrt{n}+n^2\sqrt{n+6}}; \text{Omb: } 7,61$$

$$m) \sum_{n=4}^{\infty} u_n; u_n = \frac{\sqrt[8]{4+(n+3)^{11}}}{(n+4)^2\sqrt{1+n}}; \text{Omb: } 1,125$$

$$n) \sum_{n=8}^{\infty} u_n; u_n = \frac{\sqrt{n} + \sqrt[3]{n^5+5}}{(n+8)^4\sqrt{n+6}}; \text{Omb: } 3,785714$$

$$o) \sum_{n=7}^{\infty} u_n; u_n = \frac{\sqrt{n} + \sqrt[3]{3n^2+2}}{n^2\sqrt{n+4}+5}; \text{Omb: } 0,8333$$

$$p) \sum_{n=9}^{\infty} u_n; u_n = \frac{\sqrt{n} + \sqrt[3]{3n^{11}+5}}{n+\sqrt{n+4}+1}; \text{Omb: } 7,125$$

$$q) \sum_{n=9}^{\infty} u_n; u_n = \frac{3 + \sqrt[6]{5+n^2}}{n^2\sqrt{n}+\sqrt{n+5}}; \text{Omb: } 6,16$$

$$c) \sum_{n=20}^{\infty} u_n; u_n = \frac{\sqrt[3]{5+n^{11}}+6}{\sqrt{n}+n^2\sqrt{n+7}}; \text{Omb: } 8,125$$

$$r) \sum_{n=2}^{\infty} u_n; u_n = \frac{\sqrt[3]{5+6n^3}+2}{\sqrt{n}+n^2\sqrt{n+9}}; \text{Omb: } 5,666$$

$$y) \sum_{n=2}^{\infty} u_n; u_n = \frac{3\sqrt{n} + \sqrt[3]{n^{12}+4}}{(n+3)^2\sqrt{n}+6}; \text{Omb: } 5,5$$

$$q) \sum_{n=3}^{\infty} u_n; u_n = \frac{\sqrt[4]{5+(n+1)^{11}}}{(n+5)^5\sqrt{3+n}}; \text{Omb: } 2,75$$

$$x) \sum_{n=7}^{\infty} u_n; u_n = \frac{\sqrt[3]{5+2n^{12}}+3}{\sqrt{n}+n^4\sqrt{n+6}}; \text{Omb: } 0,5$$



43agara.

a)  $\sum_{n=2}^{\infty} u_n$ , zge  $u_n = \left( \frac{9n-4}{9n+5} \right)^{n^2}$ . Hauru en  $\left( \lim_{n \rightarrow \infty} \sqrt[n]{u_n} \right)$

Omb: -1

5)  $\sum_{n=1}^{\infty} u_n$ , zge  $u_n = \left( \frac{5n-4}{5n+7} \right)^{n^2}$ . Omb: -2.2

6)  $\sum_{n=2}^{\infty} u_n$ ,  $u_n = \left( \frac{7n-3}{7n+6} \right)^{n^2}$ . Omb: -1,285

2)  $\sum_{n=1}^{\infty} u_n$ ,  $u_n = \left( \frac{7n-9}{7n+8} \right)^{n^2}$ . Omb: -2,428

g)  $\sum_{n=-1}^{\infty} u_n$ ,  $u_n = \left( \frac{2n-5}{2n+7} \right)^{n^2}$ . Omb: -6

e)  $\sum_{n=1}^{\infty} u_n$ ,  $u_n = \left( \frac{3n-4}{3n+5} \right)^{n^2}$ . Omb: -3

x)  $\sum_{n=1}^{\infty} u_n$ ,  $u_n = \left( \frac{3n-7}{3n+5} \right)^{n^2}$ . Omb: -4

3)  $\sum_{n=1}^{\infty} u_n$ ,  $u_n = \left( \frac{2n-9}{2n+3} \right)^{n^2}$ . Omb: -6

u)  $\sum_{n=2}^{\infty} u_n$ ,  $u_n = \left( \frac{7n-1}{7n+6} \right)^{n^2}$ . Omb: -1

k)  $\sum_{n=2}^{\infty} u_n$ ,  $u_n = \left( \frac{5n-1}{5n+4} \right)^{n^2}$ . Omb: -1

1)  $\sum_{n=2}^{\infty} u_n$ ,  $u_n = \left( \frac{6n-7}{6n+5} \right)^{n^2}$ . Omb: -2

u)  $\sum_{n=2}^{\infty} u_n$ ,  $u_n = \left( \frac{7n-8}{7n+2} \right)^{n^2}$ . Omb: -1,428

$$H) \sum_{n=2}^{\infty} u_n, u_n = \left( \frac{5n-6}{5n-1} \right)^{n^2} \cdot \underline{\text{Omb: } -1}$$

$$O) \sum_{n=1}^{\infty} u_n, u_n = \left( \frac{7n-4}{7n+9} \right)^{n^2} \cdot \underline{\text{Omb: } -1,857}$$

$$P) \sum_{n=1}^{\infty} u_n, u_n = \left( \frac{5n-3}{5n+6} \right)^{n^2} \cdot \underline{\text{Omb: } -1,8}$$

$$P) \sum_{n=0}^{\infty} u_n, u_n = \left( \frac{3n-2}{3n+8} \right)^{n^2} \cdot \underline{\text{Omb: } -3,3333}$$

$$C) \sum_{n=1}^{\infty} u_n, u_n = \left( \frac{3n+1}{3n+5} \right)^{n^2} \cdot \underline{\text{Omb: } -1,3333}$$

$$T) \sum_{n=2}^{\infty} u_n, u_n = \left( \frac{7n-9}{7n-1} \right)^{n^2} \cdot \underline{\text{Omb: } -1,142}$$

$$Y) \sum_{n=1}^{\infty} u_n, u_n = \left( \frac{5n+3}{5n+9} \right)^{n^2} \cdot \underline{\text{Omb: } -1,2}$$

$$Q) \sum_{n=1}^{\infty} u_n, u_n = \left( \frac{5n-9}{5n+7} \right)^{n^2} \cdot \underline{\text{Omb: } -3,2}$$

$$X) \sum_{n=2}^{\infty} u_n, u_n = \left( \frac{7n-6}{7n+5} \right)^{n^2} \cdot \underline{\text{Omb: } -1,571}$$

$$U) \sum_{n=1}^{\infty} u_n, u_n = \left( \frac{4n-3}{4n+5} \right)^{n^2} \cdot \underline{\text{Omb: } -2}$$

3. Jaga

$$a) \sum_{n=8}^{\infty} \frac{(n-6)! \cdot n^3 \cdot 2^{2n-3}}{(n-3)! \cdot 3^{3n+6}} \quad \text{Kaitiaki} \quad \lim_{n \rightarrow \infty} \frac{u_{n+1}}{u_n}$$

Amb: 0,1481

$$b) \sum_{n=5}^{\infty} \frac{(n+2)! \cdot 2^{5n-1}}{(n+3)! \cdot n^5 \cdot 5^{3n+4}} \quad \text{Amb: } \underline{0,256}$$

$$c) \sum_{n=8}^{\infty} \frac{(n-6)! \cdot n^3 \cdot 2^{4n-3}}{(n-3)! \cdot 5^{3n+6}} \quad \text{Amb: } \underline{0,128}$$

$$d) \sum_{n=1}^{\infty} \frac{(n+4)! \cdot 3^{2n}}{(n+1)! \cdot n^3 \cdot 4^{3n}} \quad \text{Amb: } \underline{0,1406}$$

$$e) \sum_{n=4}^{\infty} \frac{(n+4)! \cdot n^3 \cdot 2^{4n+2}}{(n+7)! \cdot 5^{3n-4}} \quad \text{Amb: } \underline{0,128}$$

$$f) \sum_{n=4}^{\infty} \frac{(n+4)! \cdot n^3 \cdot 4^{2n+2}}{(n+7)! \cdot 5^{3n-4}} \quad \text{Amb: } \underline{0,128}$$

$$g) \sum_{n=3}^{\infty} \frac{(n+2)! \cdot 2^{4n}}{(n-1)! \cdot n^3 \cdot 5^{3n}} \quad \text{Amb: } \underline{0,128}$$

$$h) \sum_{n=6}^{\infty} \frac{(n-4)! \cdot n^2 \cdot 3^{4n-2}}{(n-2)! \cdot 5^{3n+3}} \quad \text{Amb: } \underline{0,648}$$

$$i) \sum_{n=5}^{\infty} \frac{(n+2)! \cdot 2^{5n-1}}{(n-3)! \cdot n^5 \cdot 5^{3n+4}} \quad \text{Amb: } \underline{0,256}$$

$$j) \sum_{n=1}^{\infty} \frac{(n+6)! \cdot 3^{4n}}{(n+1)! \cdot n^5 \cdot 5^{3n+2}} \quad \text{Amb: } \underline{0,648}$$

$$k) \sum_{n=7}^{\infty} \frac{(n-5)! \cdot n^6 \cdot 5^{2n-2}}{(n+1)! \cdot 2^{5n+7}} \quad \text{Amb: } \underline{0,78125}$$