

# Summary of Last Lecture

- Decomposition
- Functional Dependency
- Functional dependency closure ( $F^+$ )  
Direct and Indirect (logically implied)
- Attribute Set Closure ( $X^+$ )

# Dependencies

## Full Functional Dependency

Given a relation schema R and an FD  $x \rightarrow y$ ,

y is fully functionally dependent on x

if there is **no z**,

where **z is proper subset of x**

such that  **$z \rightarrow y$**

**Eg** –  $F = \{ ab \rightarrow c, b \rightarrow c \}$  where ab is CK

As c is depend on subset b

So c is not fully functionally dependent on ab

# Dependencies

## Partial Dependency

Given an relation R with the functional dependencies F defines on the attributes of R and

**K as a candidate key,**

if **X is a proper subset of K** and if  $F \models X \rightarrow A$ ,  
then A is said to be partially dependent on K.

Eg –  $F = \{ ab \rightarrow c, b \rightarrow c \}$

If ab is candidate key

Then as c is depend on subset b

So c is partially dependent on b

# Dependencies

## Transitive Dependency

Given a relation schema R with Fds F  
defines on the attributes X, Y, and A.

If the set of Fds contains  $X \rightarrow Y$  and  $Y \rightarrow A$

then we can say that  $X \rightarrow Y \rightarrow A$

so attribute A is transitively dependent on X.



# Example

$R = \{ \text{name, course, grade, ph\_no, major, course\_dept} \}$

$F = \{$   
     $\text{course} \rightarrow \text{course\_dept}$   
     $\text{name} \rightarrow \text{ph\_no},$   
     $\text{name} \rightarrow \text{major},$   
     $\text{name, course} \rightarrow \text{grade} \}$

Candidate Key – name, course

Find Full functional dependency and partial functional dependency?

# **First Normal Form (1NF)**

A relation is in First Normal Form if and only if the domain of each attribute contains only atomic (indivisible) values, and the value of each attribute contains only a single value from that domain.

OR

- An attribute (column) of a table cannot hold multiple values.
- It should hold only atomic values.

# First Normal Form (1NF)

**Example:** Suppose a company wants to store the names and contact details of its employees.

emp_id	emp_name	emp_address	emp_mobile
101	Herschel	New Delhi	8912312390
102	Jon	Kanpur	8812121212 9900012222
103	Ron	Chennai	7778881212
104	Lester	Bangalore	9990000123 8123450987

This table is **not in 1NF** as the rule says “each attribute of a table must have atomic (single) values”, the emp\_mobile values for employees Jon & Lester violates that rule.

# First Normal Form (1NF)

emp_id	emp_name	emp_address	emp_mobile
101	Herschel	New Delhi	8912312390
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**Note:** Using the **First Normal Form**, **data redundancy increases**, as there will be many columns with same data in multiple rows but each row as a whole will be unique.



# Second Normal Form (2NF)

- A table is said to be in 2NF if the following conditions hold:
  - Table is in 1NF (First normal form)
  - No Partial Dependency
  - Every non-prime attribute should be functionally dependent on prime attribute.
- An attribute that is not part of any candidate key is known as non-prime attribute.

## Second Normal Form (2NF) Cont..

Consider relation

$R = \{ \text{stu\_name}, \text{course}, \text{ph\_no}, \text{dept}, \text{grade} \}$

$F = \{ \text{stu\_name}, \text{course} \rightarrow \text{grade},$   
 $\text{stu\_name} \rightarrow \text{ph\_no},$   
 $\text{stu\_name} \rightarrow \text{dept} \}$

Primary Key – stu\_name, course

Is above relation in 2NF?

## Second Normal Form (2NF) Cont..

$R = \{ \text{stu\_name}, \text{course}, \text{ph\_no}, \text{dept}, \text{grade} \}$

Decompose using functional dependencies  
such that all functional dependencies preserve.

$R1 = \{ \text{stu\_name}, \text{ph\_no}, \text{dept} \}$

$R2 = \{ \text{stu\_name}, \text{course}, \text{grade} \}$

## Second Normal Form (2NF) Cont..

$R = \{\text{manufacturer, model, model\_name, manu\_country}\}$

$F = \{\text{manufacturer, model} \rightarrow \text{model\_name},$   
 $\text{manufacturer} \rightarrow \text{manu\_country} \}$

Key = {manufacturer, model}

Is in 2NF?

Decompose -

$R1 = \{\text{manufacturer, model, model\_name}\}$

$R2 = \{\text{manufacturer, manu\_country}\}$