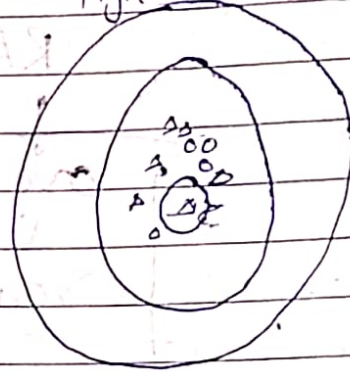
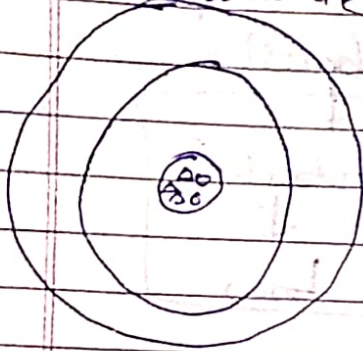


Bias Variance - Trade off

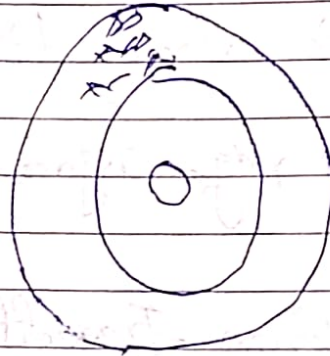
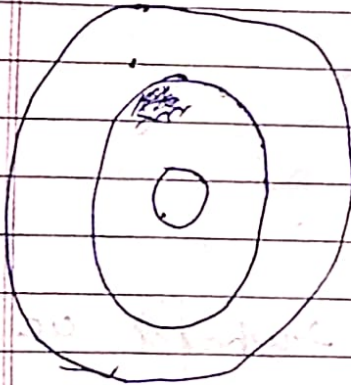
* Bull's eye diagram
Low Variance

High Variance

Low Bias



High Bias



why?

* (D)

Why Bias & Variance Tradeoff

- To avoid overfitting and underfitting conditions
- To have consistency in predictions.

Errors in ML Learning Model

Errors due to Bias

Errors due to Variance

Errors due to Bias

Expectations of error in predictions of a model

Error due to assumptions in the model.

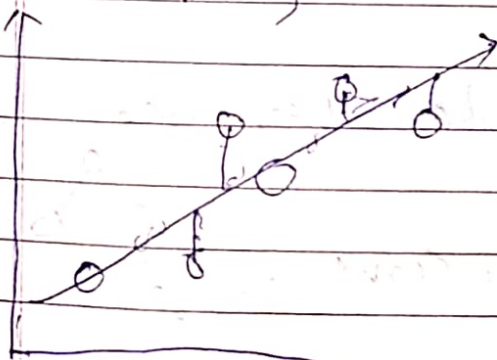
Underfitting

If a Error rate of a Model is high in Training & Test data set then it's underfitting model.

Overfitting

If a Error rate is low in Training Data Set & high in Test Data Set then it's called as overfitting model.

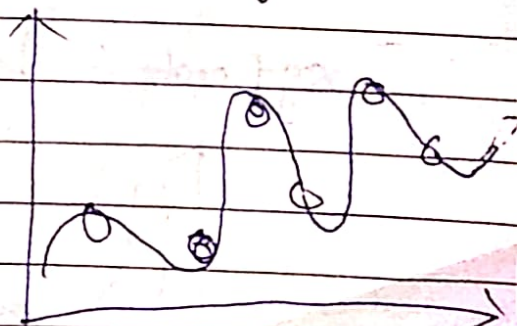
Underfitting



High Bias model \rightarrow In Training data set

High Variance \rightarrow In Test data set

overfitting



Low Bias \rightarrow In Training

High Variance \rightarrow In Test

High Bias

When model Not Learn Training Data Properly \rightarrow

Low Bias

When model learn Training Data So properly.

Now let's understand

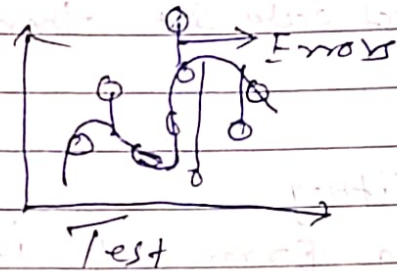
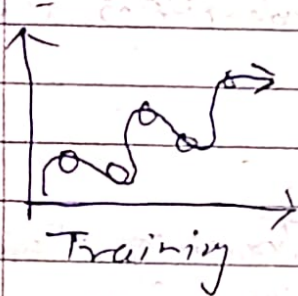
~~✓~~ ~~✗~~

Our Model Should have Low Bias & Low Variance to do a perfect predictions.

Low Bias, High Variance

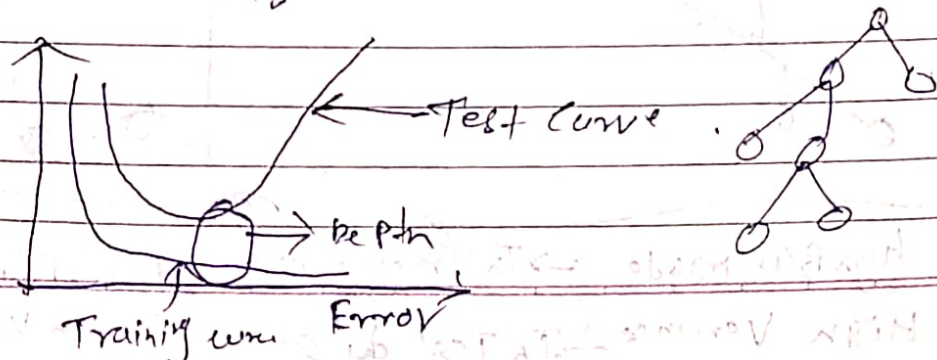
Model is so perfect in Training Data set & have so much of error in Test data set

Exg: -



~~Deep~~ Decision Tree! - ~~Low~~ Low Bias & High Variance

XgBoost \rightarrow High Bias & Low Variance



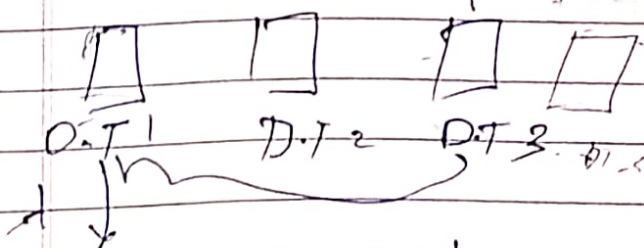
gradient method / Ensemble Technique

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Xg Boost \rightarrow High Bias & Low Variance

It's consist of multiple Decision Tree, & Depth of each Decision Tree is restricted

So does high Bias will become Low Bias

\rightarrow Each DT have High Bias & Low Variance so High Bias will become Low Variance

 weak Learner & combine for all weak Learner become Strong Learner.

Actual \ Predicted	Precision		Recall	
	Yes	No	Yes	No
Yes	TP 100	FN 5	\rightarrow Type-1 Error	
No	FP 10	TN 50		
Total Sample	105	55	100	55

Type-2 Error

$$\text{Accuracy} = \frac{TP + TN}{\text{Total}} = \frac{100 + 50}{155} = 0.91$$

$$\text{Error rate} = 1 - \text{accuracy} = 0.09 \quad \frac{FP + FN}{\text{Total}} = 0.09$$

$$\text{Precision} = \frac{TP [100]}{\text{Predicted yes} [110]} ; \text{Recall} = \frac{TP [100]}{\text{Actual yes} [105]}$$