

Computer Networks Lab Report – Assignment 4

TITLE

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Class – BCSE 3rd year

Group – A2

Assignment Number – 4

Problem Statement – Implement CDMA with Walsh code.

In this assignment you have to implement CDMA for multiple access of a common channel by n stations. Each sender uses a unique code word, given by the Walsh set, to encode its data, send it across the channel, and then perfectly reconstruct the data at n stations.

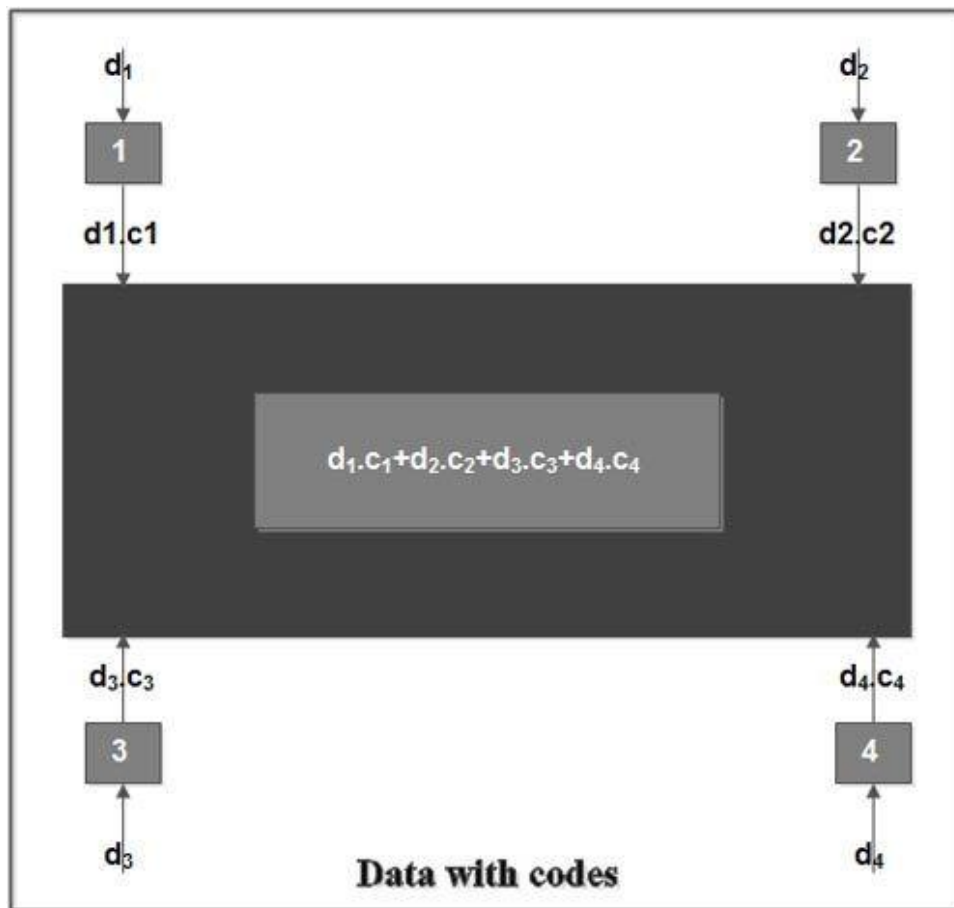
DESIGN

I have implemented the assignment in total of 3 main files.

- **channel.java** (Program for channel)
- **sender.java** (Program for sender)
- **receiver.java** (Program for receiver)
- **CDMA.java** (for CDMA related functions)

The individual files fulfils different assignment purposes, following which have been explained in details :

1. **channel.java** – It doesn't do much work other than transferring data from one place to other.
2. **Sender.java** -
3. **Receiver.java** -
4. **CDMA.java**– The following are the tasks performed in this program :
 - a. Sends the stream of data bits to the channel process.
 - b. Let's say the maximum length of data bits sent by a station is X. If a station sends a stream having length less than X, then the rest of the bits are assumed to be silent.
 - c. Receives a data bit from channel.



IMPLEMENTATION

RESULTS & ANALYSIS

- Unlike TDMA, in CDMA all stations can transmit data simultaneously, there is no timesharing.
- CDMA allows each station to transmit over the entire frequency spectrum all the time.
- Multiple simultaneous transmissions are separated using coding theory.
- In CDMA each user is given a unique code sequence.
- The basic idea of CDMA is explained below:
 1. Let us assume that we have four stations 1, 2, 3 and 4 that are connected to same channel. The data from station 1 are d_1 , from station 2 are d_2 and so on.
 2. The code assigned to first station is C_1 , to the second is C_2 and so on.
 3. These assigned codes have two properties:
 - (a) If we multiply each code by another, we get 0.
 - (b) If we multiply each code by itself, we get 4. (No. of stations).
 4. When these four stations are sending data on the same channel, station 1 multiplies its data by its code *i.e.* $d_1 \cdot C_1$, station 2 multiplies its data by its code *i.e.* $d_2 \cdot C_2$ and so on.
 5. The data that go on channel are the sum of all these terms as shown in Fig.
 6. Any station that wants to receive data from one of the other three stations multiplies the data on channel by the code of the sender. For example, suppose station 1 and 2 are talking to each other. Station 2 wants to hear what station 1 is saying. It multiplies the data on the channel by C_1 (the code of station 1).

7. Because $(C_1 \cdot C_1)$ is 4, but $(C_2 \cdot C_1)$, $(C_3 \cdot C_1)$, and $(C_4 \cdot C_1)$ are all zeroes, station 2 divides the result by 4 to get the data from station 1.

$$\begin{aligned} \text{data} &= (d_1 \cdot C_1 + d_2 \cdot C_2 + d_3 \cdot C_3 + d_4 \cdot C_4) \cdot C_1 \\ &= d_1 \cdot C_1 \cdot C_1 + d_2 \cdot C_2 \cdot C_1 + d_3 \cdot C_3 \cdot C_1 + d_4 \cdot C_4 \cdot C_1 = 4 \times d_1 \end{aligned}$$

- The code assigned to each station is a sequence of numbers called chips. These chips are called orthogonal sequences. This sequence has following properties:

1. Each sequence is made of N elements, where N is the number of stations as shown in fig.



2. If we multiple a sequence by a number, every element in the sequence is multiplied by that element. This is called multiplication of a sequence by a scalar.

For example:

$$[+1 +1 -1 -1] = [+2 +2 -2 -2]$$

3. If we multiply two equal sequences, element by element and add the results, we get N, where N is the number of elements in each sequence. This is called inner product of two equal sequences. For example:

$$[+1 +1 -1 -1] \cdot [+1 +1 -1 -1] = 1 + 1 + 1 + 1 = 4$$

4. If we multiply two different sequences, element by element and add the results, we get 0. This is called inner product of two different sequences. For example:

$$[+1 +1 -1 -1] \cdot [+1 +1 +1 +1] = 1 + 1 - 1 - 1 = 0$$

5. Adding two sequences means adding the corresponding elements. The result is another sequence. For example:

$$[+1 +1 -1 -1] + [+1 +1 +1 +1] = [+2 +2 0 0]$$

- The data representation and encoding is done by different stations in following manner:

1. If a station needs to send a 0 bit, it encodes it as -1.

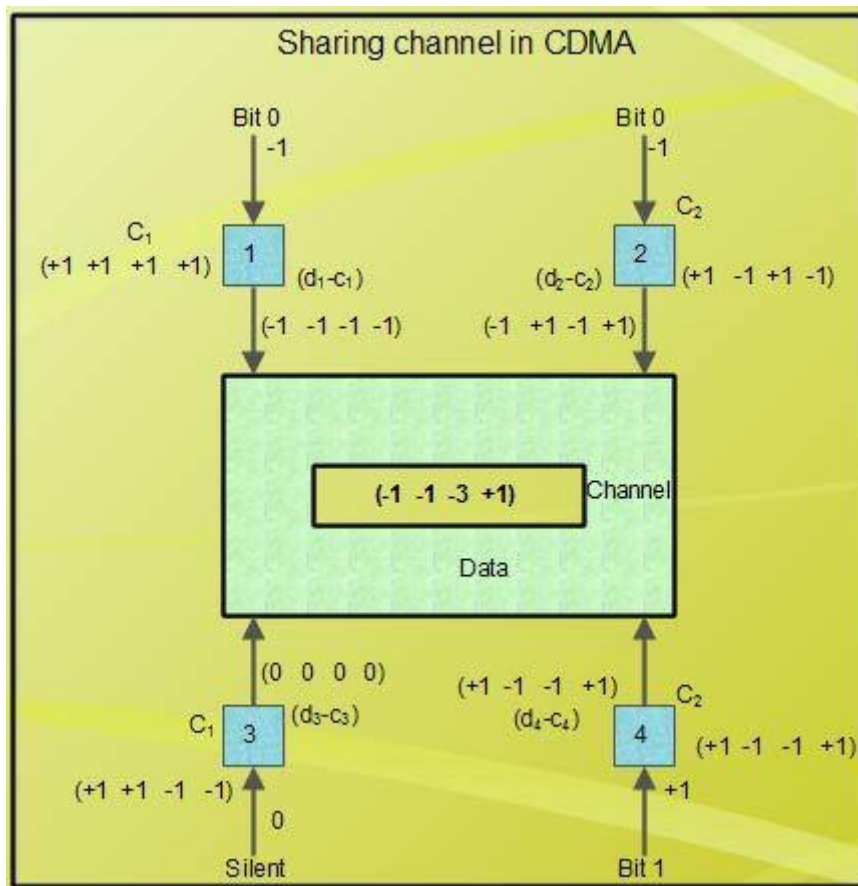
2. If it needs to send a 1 bit, it encodes it as + 1.

3. When station is idle, it sends no signal, which is interpreted as a 0.

- For example, If station 1 and station 2 are sending a 0 bit, station 3 is silent and station 4 is sending a 1 bit; the data at sender site are represented as -1, - 1, 0 and +1 respectively.

- Each station multiplies the corresponding number by its chip, which is unique for each station.

- Each station send this sequence to the channel ; The sequence of channel is the sum of all four sequence as shown in fig.



If station 3, which was silent, is listening to station 2. Station 3 multiplies the total data on the channel by the code for station 2, which is $[+1 -1 +1 -1]$, to get

$$[-1 -1 -3 +1] \cdot [+1 -1 +1 -1] = -4/4 = -1 \rightarrow \text{bit 0}$$

COMMENTS

This assignment has helped me to understand the how Walsh Table is built for a given number of stations, and how CDMA channelization protocol encodes and decodes the data bits sent by all stations simultaneously.