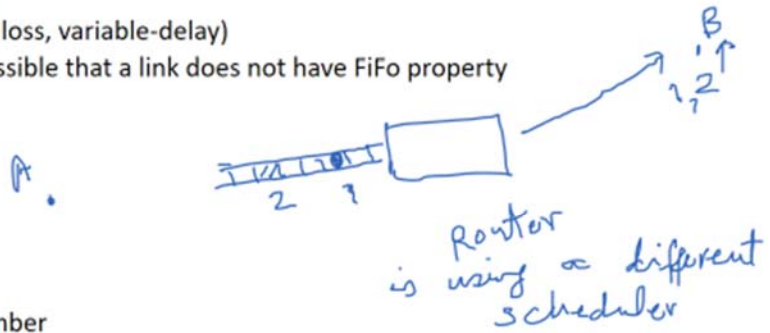
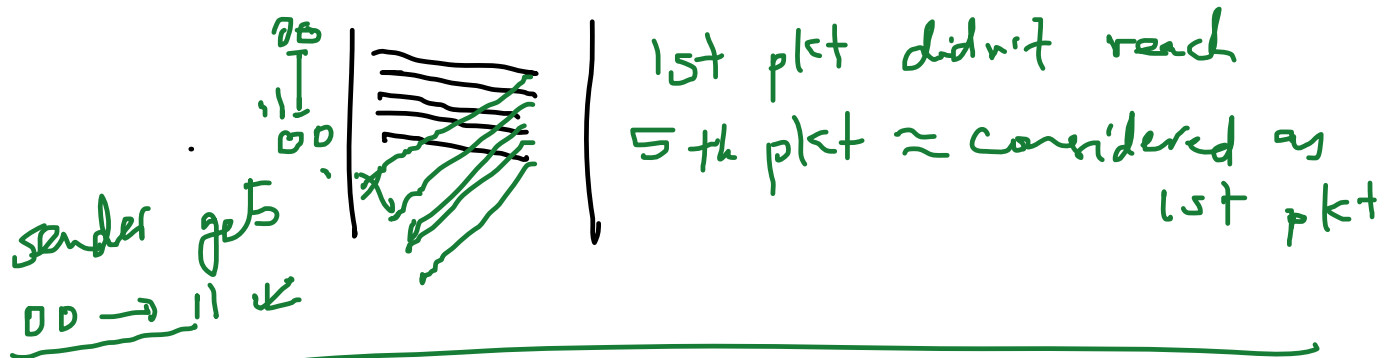


- ACK, TimeOut, Seq

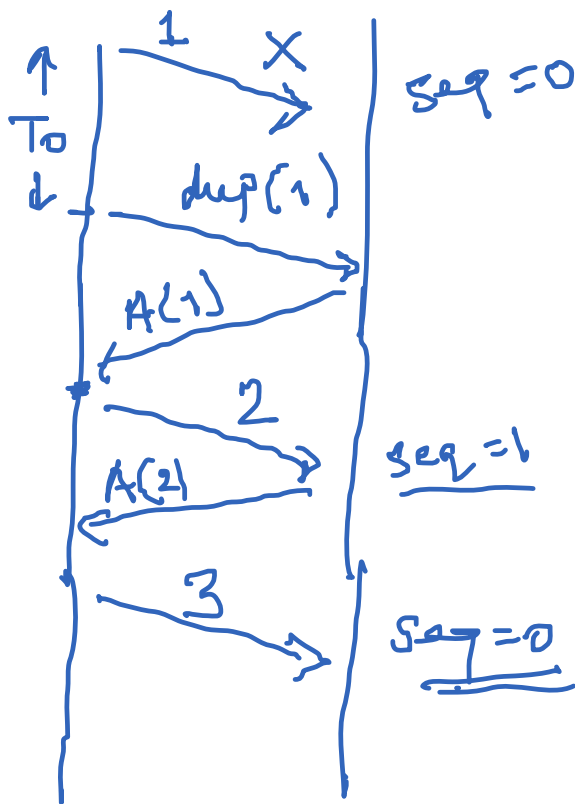
- (corruption of pkt, loss, variable-delay)
- In internet, it is possible that a link does not have FiFo property



- Size of the seq number
- If several pkts are sent together, there may be a confusion about the pkt seq.



Limit # of pkts sent at a time = 1



seq # size = 1 bit

What should be the seq # size
if let's say, we send 4 pkts at
a time?

→ 2 bit will work?
→ 1 bit will work? X

2 pkt at a time.

Notion of Efficiency of a protocol

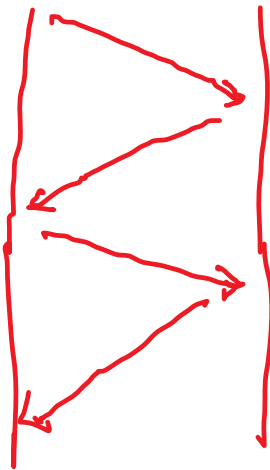


Fig-1

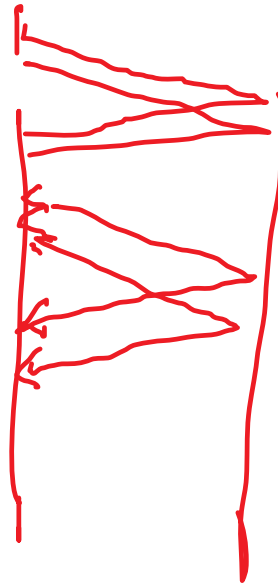


Fig-2

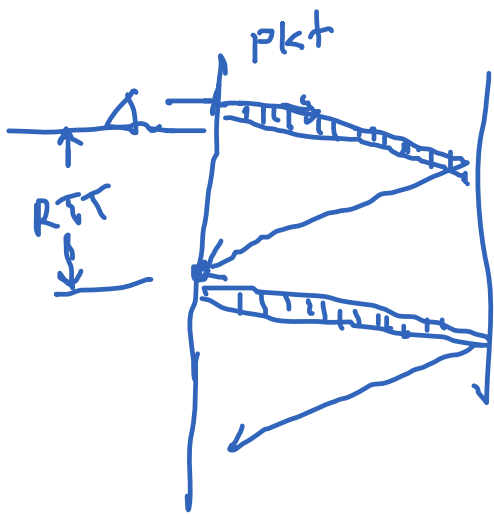
Networks : Bandwidth usage (bottleneck)

Good NP protocol will use less b/w
to do same amount of work.

$$\eta \text{ Efficiency of a protocol } Q = \frac{\text{b/w req. by an ideal protocol}}{\text{b/w req. by prot } Q} \leq 1$$

another defn:

$$\eta = \frac{\text{time taken to get the job done [ideal]}}{\text{time taken by the } Q \text{ protocol}}$$



$$\Delta = \text{pkt transmission time} \\ = \frac{\text{pkt size}}{\text{trans. rate}}$$

$\Delta_{\text{Ack}} = \text{negligible (Ack size } \approx 0)$

RTT = Round Trip Time

How much time Used by prot to send 1 pkt
 $= (\Delta + \text{RTT})$

Ideal protocol: [pkts never gets lost
 no ack needed]

Time to send one pkt = Δ

$$\eta = \frac{\Delta}{\Delta + \text{RTT}} = \frac{1}{\left(1 + \frac{\text{RTT}}{\Delta}\right)}$$

$$\text{RTT} = \text{prop. delay} + \text{queuing delay} + \text{Recv. delay}$$

$\text{RTT} \gg \Delta$; η of single-bit seq. protocol
 is not good:

[STOP and WAIT]

- LAN: $\text{RTT} \approx 2 \text{ ms}$
 very large pkt, low b/w : $\Delta \approx 5 \text{ ms}$
 $\eta = \frac{\Delta}{\Delta + \text{RTT}} = \frac{5}{7} = 0.7$

Think of protocols as being represented by an FSM (finite state machine)

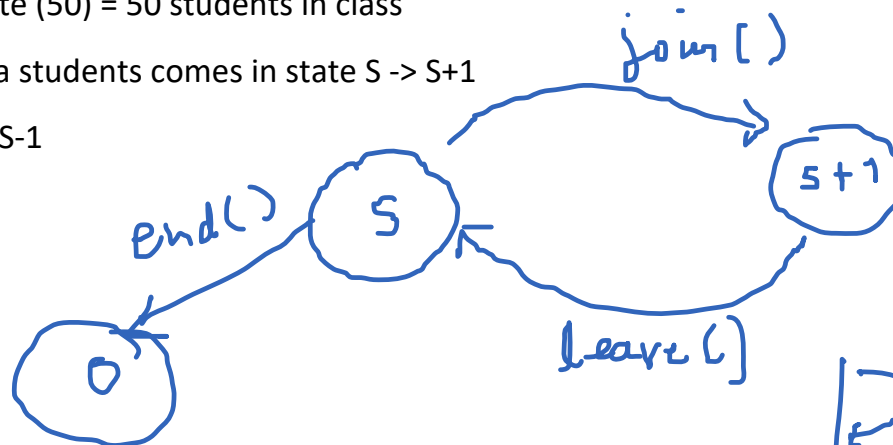
System that can be represented by a few (finite) number of parameters.

Classroom – (occupancy#)

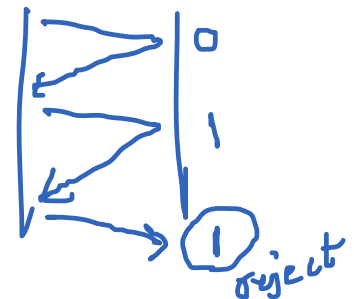
Class1 = state (50) = 50 students in class

Every time a student comes in state $S \rightarrow S+1$

Leaves $S \rightarrow S-1$

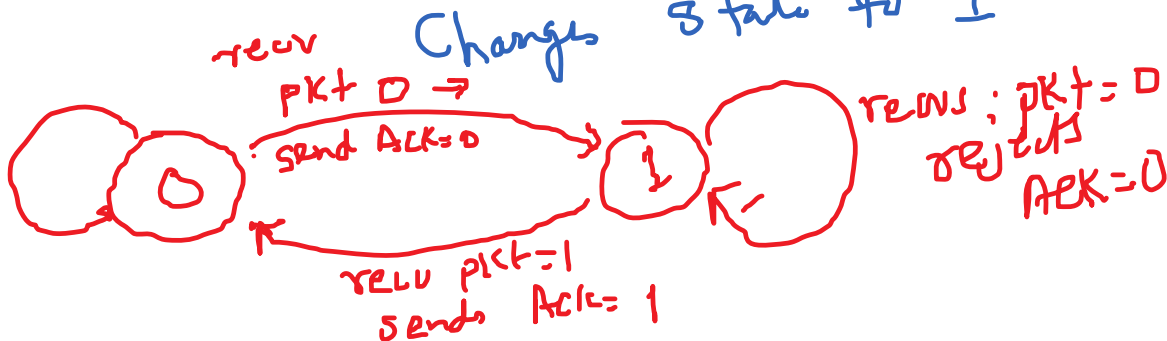


STOP & WAIT



Receiver:

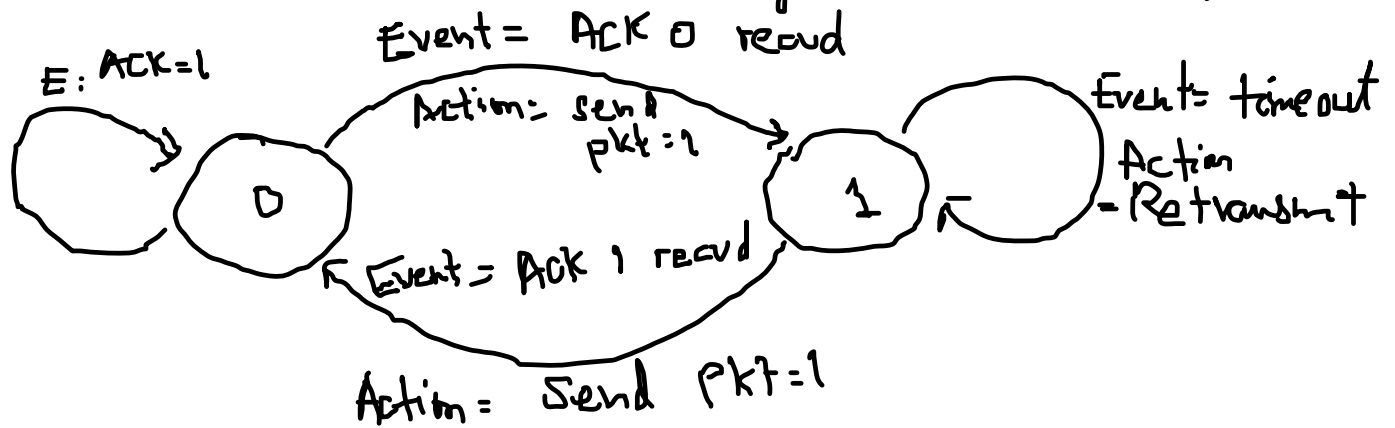
State 0 : waiting for $pkt(seq\#0)$
if $pkt=0$ arrives, send ACK,
start waiting for seq#1
Changes State to 1



* Draw the sender FSM.

Sender FSM

- State 0 : waiting for ACK=0
- State 1 : waiting for ACK 1



Create Combined FSM: $S(i, j)$

i : sender param.
 j : recv. param.

□ Important:

Go through the textbook section on Stop & Wait and FSM representation.