

12/Mar/2021

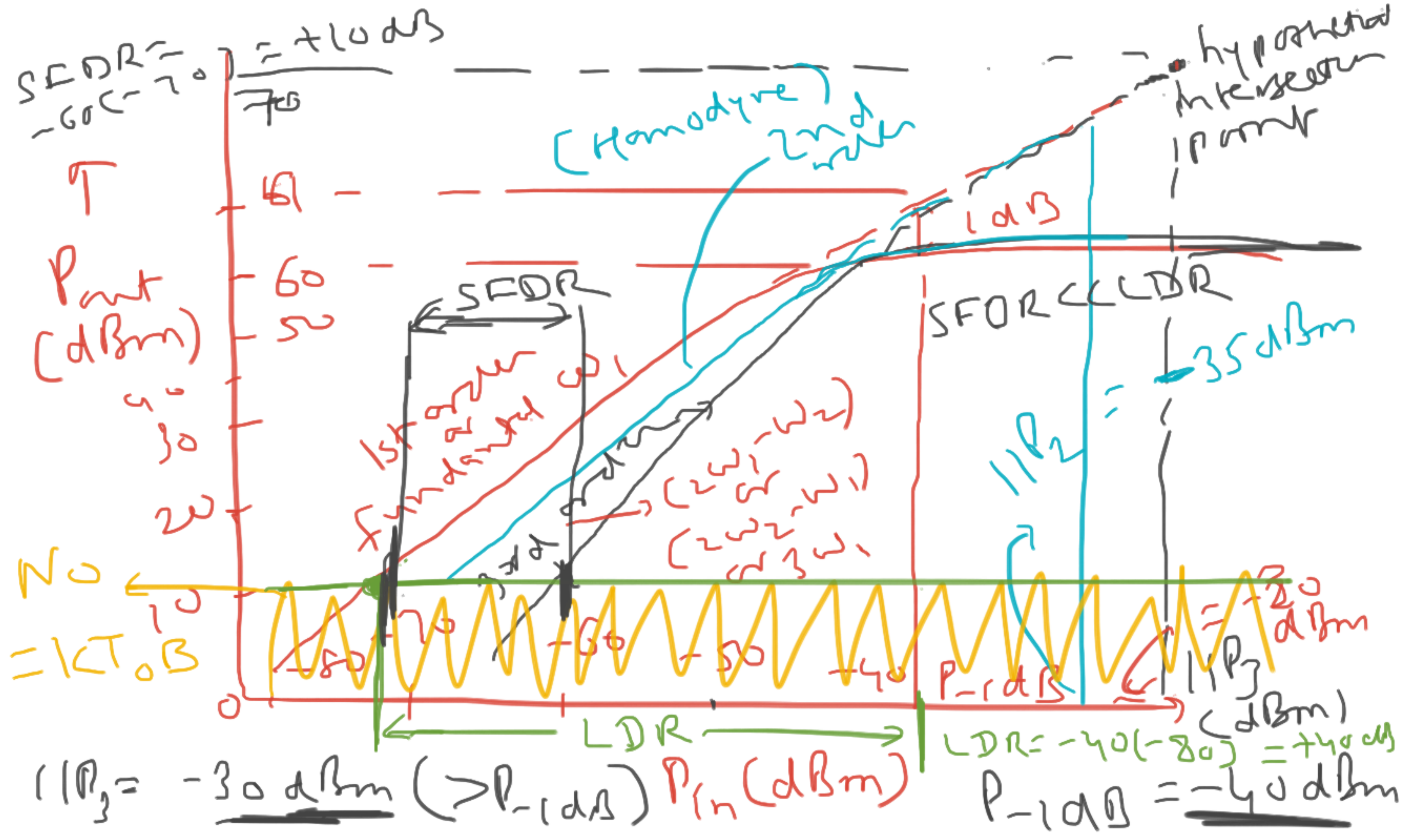
Graphical representation
of $II P_3$ (IP_3 or P_3)

$IP_3 \rightarrow$ 3rd order Intercept P_3 .

$II P_3 \rightarrow$

\hookrightarrow Input power





$1/P_3$ is defined as the input power corresponding to the hypothetical intersection point of first order (or fundamental freq. gain curve)

& 3rd order harmonic gain curve.

$1/P_3$ also defined as input power at which first order & 3rd order

o/p powers are equal

$1/P_2$ → more serious in homodyne systems

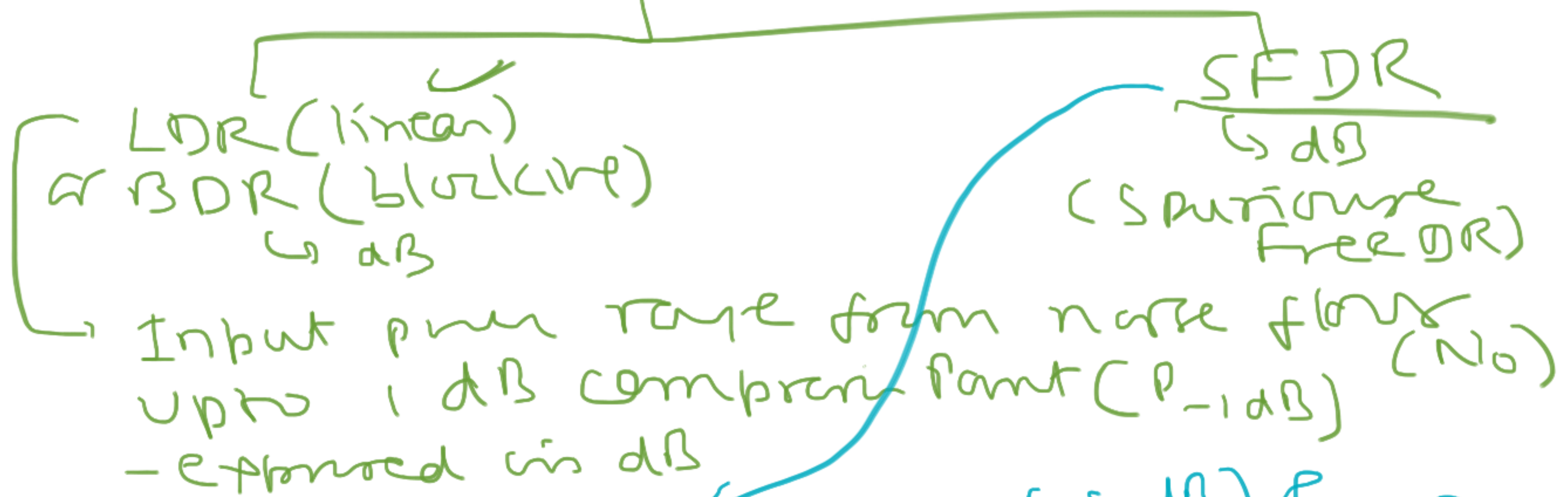
$$\underline{\text{Dynamic range (dB)}} = \frac{\text{max sig}}{\text{min sig}}$$

↳ if power range

$$\left. \begin{array}{l} \text{MDS} = -30 \text{ dBm} = 1 \text{ mW} \\ \text{max signal} = 0 \text{ dBm} = 1 \text{ mW} \end{array} \right\} \text{DR} = 0 - (-30) = +30 \text{ dB}$$

$$\left. \begin{array}{l} \text{MDS} = -60 \text{ dBm} = 1 \text{ nW} \\ \text{max sig} = 0 \text{ dBm} \end{array} \right\} \text{DR} = 0 - (-60) = +60 \text{ dB}$$

Dynamic range (DR) \rightarrow dB



SFDR \rightarrow Input power range (in dB) from noise floor (NO) upto where input power that creates 3rd order IMD products

$SFDR << LDR$

Larger SFDR

↳ larger value of $11P_3 \rightarrow$ Significant
SFDR will increase

⇓
less likely that multiple RX be
affected by 3rd order IMD products

⇓
related to SAR (Specific Absorption
Rate)

↳ $1.6 \log 1 \text{ cm}$

Goal * # 07 # \rightarrow SAR

Recall

$$MDS = -174 \text{ dBm} + 10 \log B + NF + SNR$$

(dBm) $\underbrace{\hspace{10em}}$ (dB) (dB) (dB)

$N_0 = kT_0$ $\rightarrow 17^\circ\text{C}$ $\rightarrow 290\text{K}$

\hat{y} given

$$LDR \text{ (or BDR)} = P_{-1\text{dB}} - \text{Noise Floor}$$

(dB) (dBm) \rightarrow dBm

~~SFDR~~ \approx $P_{-1\text{dB}} - N_0$

(dB) (dBm)

$$P_{-1\text{dB}} = 11\text{ dBm} - 9.64\text{ dB}$$

