

Information Retrieval

Topic-Tolerant Retrieval

(Hashes, Trees)

Lecture-9

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Content

- Dictionaries
- Data structure for dictionaries
 - Hash
 - Tree

Dictionaries

- Dictionary: the data structure for storing the
- term vocabulary Term vocabulary: the data
- For each term, we need to store a couple of items:
 - document frequency
 - pointer to postings list
- How do we look up a query term q_i in the dictionary at query time?

Data structures for looking up terms

- Two different types of implementations: hashes and search trees.
- Some IR systems use hashes, some use search trees.
- Criteria for when to use hashes vs. search trees:
 - How many terms are we likely to have?
 - Is the number likely to remain fixed, or will it keep growing?
 - What are the relative frequencies with which various terms will be accessed?

Hashes

- Hash table: an array with a hash function
 - Input key; output integer: index in array.
 - Hash function: determine where to store / search key.
 - Hash function that minimizes chance of collisions
 - Use all info provided by key (among others).
- Each vocabulary term (key) is hashed into an integer.
- At query time: hash each query term, locate entry in array

Pros and Cons of Hashes

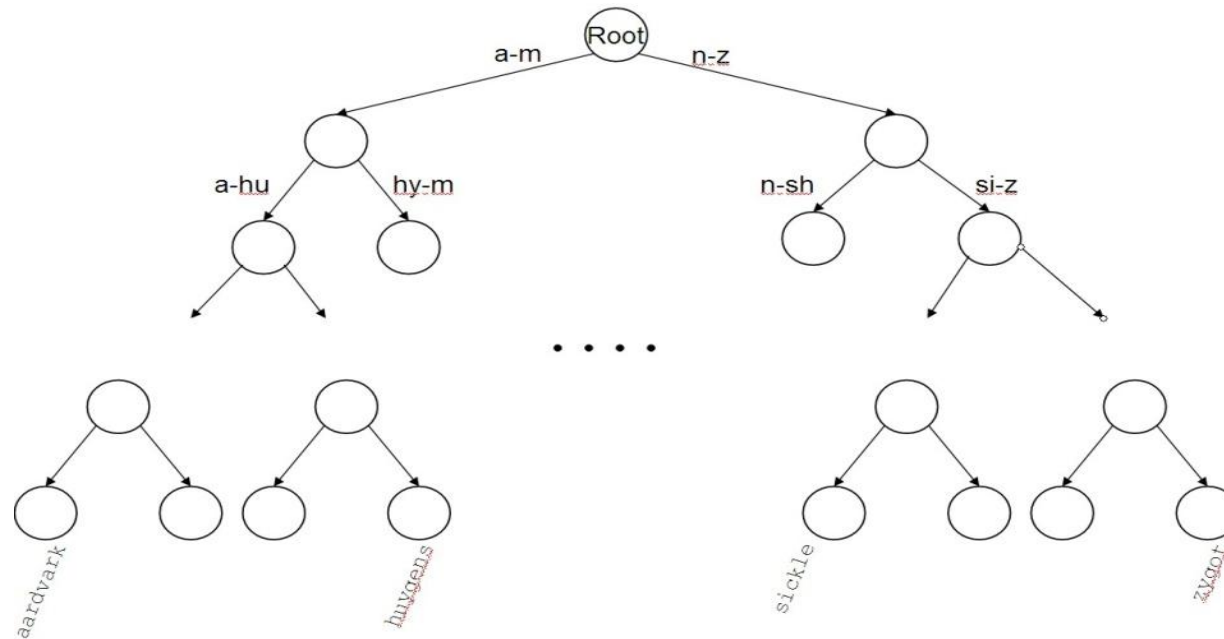
Pros:

- Lookup in a hash is faster than lookup in a tree.
(Lookup time is constant.)

Cons:

- No easy way to find minor variants
(resume vs. r'esum'e)
- No prefix search (all terms starting with automat)
- Need to rehash everything periodically if vocabulary keeps growing
- Hash function designed for current needs may not suffice in a few years' time

Search trees



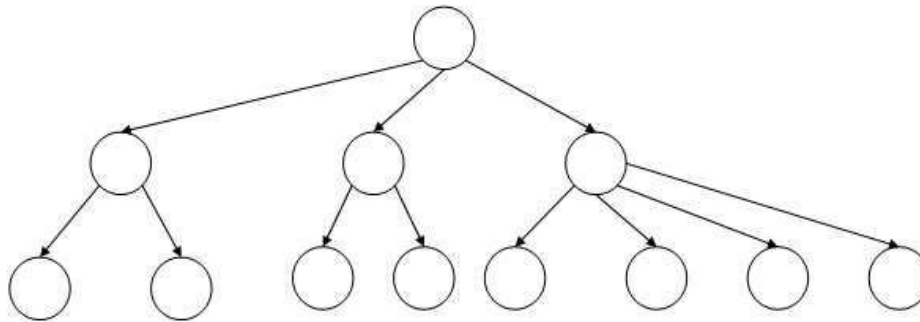
- Partition vocabulary terms into two subtrees, those whose first letter is between a and m, and the rest (actual terms stored in the leafs).
- Anything that is on the left subtree is smaller than what's on the right.
- Trees solve the prefix problem (find all terms starting with automat).

Binary search tree

- Cost of operations depends on height of tree.
- Keep height minimum / keep binary tree balanced: for each node, heights of subtrees differ by no more than 1.
- $O(\log M)$ search for balanced trees, where M is the size of the vocabulary.
- Search is slightly slower than in hashes But: re-balancing binary trees is expensive (insertion and deletion of terms).

B-tree

- Need to mitigate re-balancing problem – allow the number of sub-trees under an internal node to vary in a fixed interval.
- B-tree definition: every internal node has a number of children in the interval $[a, b]$ where a, b are appropriate positive integers, e.g., $[2, 4]$.



Thank You