

Final Project

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## **Introduction**

PTAs (Preferential Trade Agreements) are international trading arrangements that outline permitted policy changes by states. Signing a PTA commits the government to a set of policies, thus establishing transparency and reducing policy uncertainty. Hollyer & Rosendorff (2012) tested a hypothesis that governments that sign Preferential trade agreements (PTAs) survive longer in office than similar governments that do not sign them. In “Leadership Survival, Regime Type, Policy Uncertainty, and PTA Accession,” they account for the self-selection bias arising from observable or non-observable covariates. For example, if a government already has much support, it is more likely to sign a PTA, making their position even stronger. To mitigate the self-selection bias and balance out the covariates, the authors employ the nearest-neighbor algorithm for propensity score matching (PSM). However, in their nearest-neighbor matching, they set parameter `replace` to `True`, which introduces potential bias. Therefore, in this paper, we aim to replicate the matching process used in the paper and improve upon the procedure by employing the genetic matching algorithm.

## **Replication & Extension**

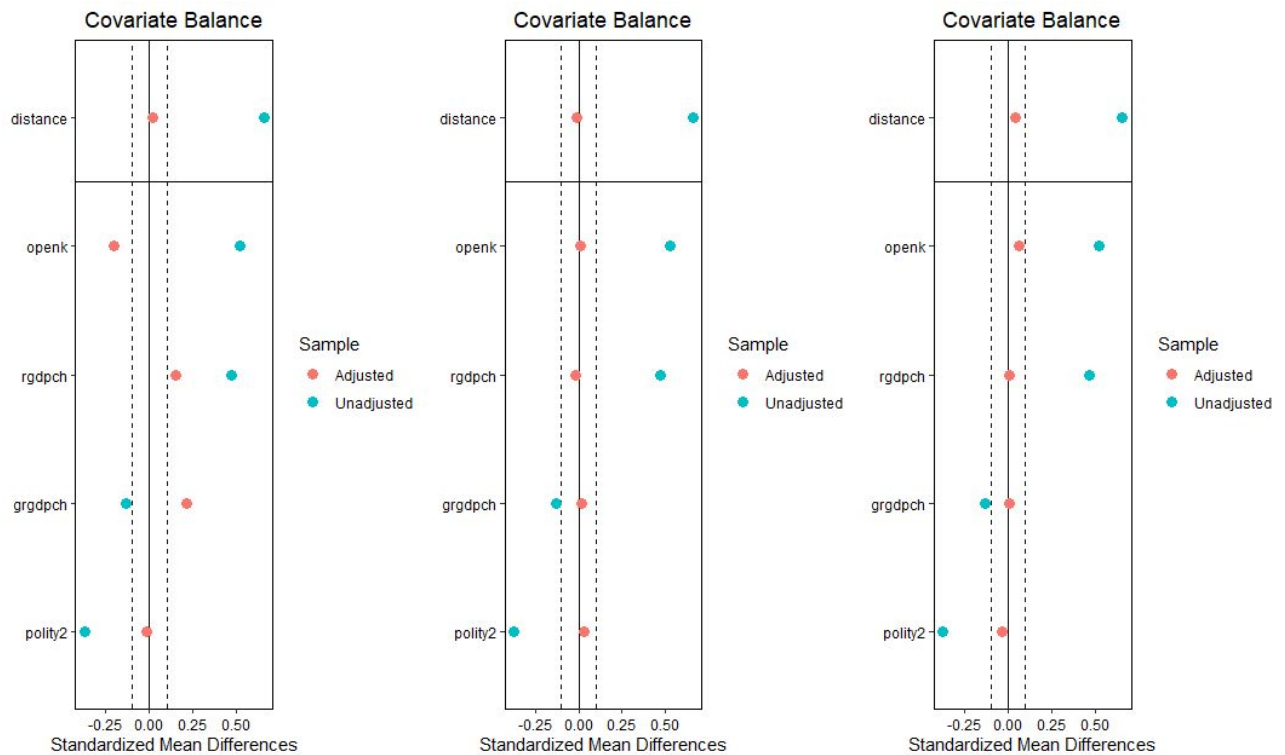
We successfully replicated the matching process in the paper and accompanying diagnostics using the Nearest-neighbor algorithm with propensity scores (Appendix A). We improved the process by using Genetic matching instead of propensity scores and changing the `replace` parameter to `true`.

The PSM is an outdated matching model that attempts to squeeze all the covariates into one single variable, and then match on this variable. This introduces bias, imbalance, inefficiency, and model dependence. Towards the end when propensity scores are very similar, the model is essentially pruning at random which increases bias and imbalance. The model cannot distinguish between good matches and excellent matches, leading to inefficiency. Unnecessary imbalance and bias increase model dependence due to suboptimal matching (King & Nielsen, 2018).

Fully blocked randomized experiments, which are approximated by other matching methods, dominate over completely randomized experiments, which are approximated by PSM (King & Nielsen, 2018). Genetic matching is a multivariate matching method that finds optimal balance by giving a weight to each covariate, choosing the weights that give the best balance, using these selected weights to produce another generation, and repeating the process. Since it is not blind to covariates, it can distinguish between good matches and excellent matches. Additionally, it doesn't prune at random because it isn't blind to the covariate distance between the units, unlike PSM. Lastly, it has been proven to perform better than commonly used models such as Mahalanobis distance matching and PSM in simulations (Tsai & Peace, 2012).

The paper, without specifying any reason, matched without replacement, which introduces bias because the order of matches matters: the first treated unit will be matched first, followed by the second unit, and so on. Matching with replacement decreases bias because a control that resembles multiple treated units will be matched to all of them and the order of the units doesn't matter.

Genetic matching produced a 42% better average balance on the covariates than nearest-neighbor matching using propensity scores when replacement was allowed (Appendix B and C, respectively) and 1.66% better on average than PSM without replacement (Figure 1), but while PSM dropped 3 treated units. Genetic matching dropped only 1 (Appendix A and B, respectively).



**Fig. 1.** Covariate balance plot comparison between PSM with replacement on the left, genetic matching in the center, and PSM without replacement on the right. The X-axis is the standardized mean differences between the treatment and control group and Y-axis describes the different covariates. Genetic matching gives the best results because it's adjusted standardized mean differences are closest to zero.

## Conclusion

In this paper, we

1. identified several concerns about the application of propensity score matching in the Hollyer & Rosendorff paper,
2. explained the issues with PSM, justifying them with researches from leading experts in matching and causal inference, and
3. extended the matching technique by implementing a genetic matching with replacement.

Our extension significantly improves the covariate balance between treatment and control units, thus making causal inferences about PTA's effect on governmental stability more accurate and less biased. We encourage other scientists and researchers to move away from the propensity score matching and adopt efficient methods such as genetic matching. One can find a link to the R code replication file and the description of our contributions in Appendix D.

## References

- Hollyer, J., & Rosendorff, B. (2012). Leadership Survival, Regime Type, Policy Uncertainty and PTA Accession. *International Studies Quarterly*, 56(4), 748-764. Retrieved November 14, 2020, from <http://www.jstor.org/stable/41804829>
- Hollyer, James R.; Rosendorff, B. Peter, 2018, "Leadership Survival, Regime Type, Policy Uncertainty and PTA Accession", <https://doi.org/10.7910/DVN/O1PMGO>, Harvard Dataverse, V1, UNF:6:0wsSEb3aAxcBOfZtGV0Khg== [fileUNF]
- King, G., & Nielsen, R. (2019). Why Propensity Scores Should Not Be Used for Matching. *Political Analysis*, 27(4), 435-454. doi:10.1017/pan.2019.11. Retrieved December 17, 2020, from <https://gking.harvard.edu/files/gking/files/psnot.pdf>
- Tsai, Kao-Tai & Peace, Karl. (2012). Genetic Matching: An Efficient Algorithm to Adjust Covariate Imbalance for Data Analysis and Modeling. Retrieved December 17, 2020, from [https://www.researchgate.net/publication/267786620\\_Genetic\\_Matching\\_An\\_Efficient\\_Algorithm\\_to\\_Adjust\\_Covariate\\_Imbalance\\_for\\_Data\\_Analysis\\_and\\_Modeling](https://www.researchgate.net/publication/267786620_Genetic_Matching_An_Efficient_Algorithm_to_Adjust_Covariate_Imbalance_for_Data_Analysis_and_Modeling)

## Appendices

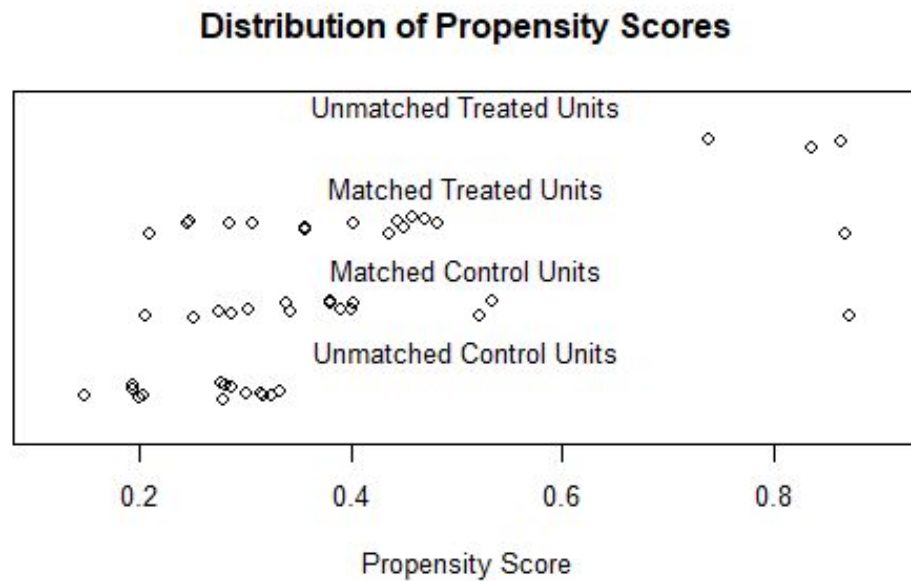
### Appendix A (Replication)

Propensity score Nearest-neighbor matching results from the paper (without replacement)

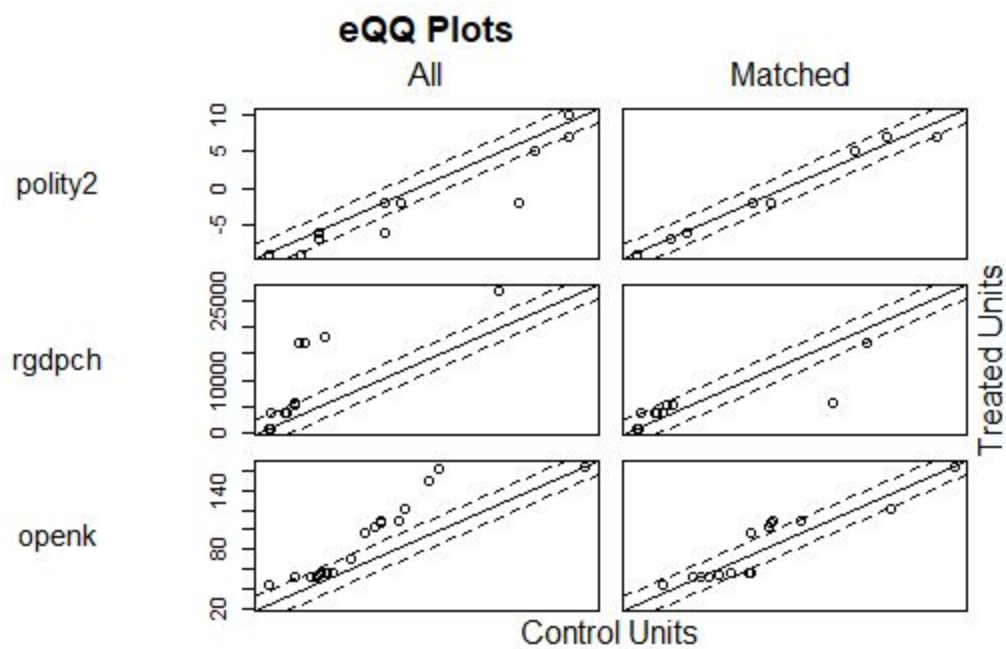
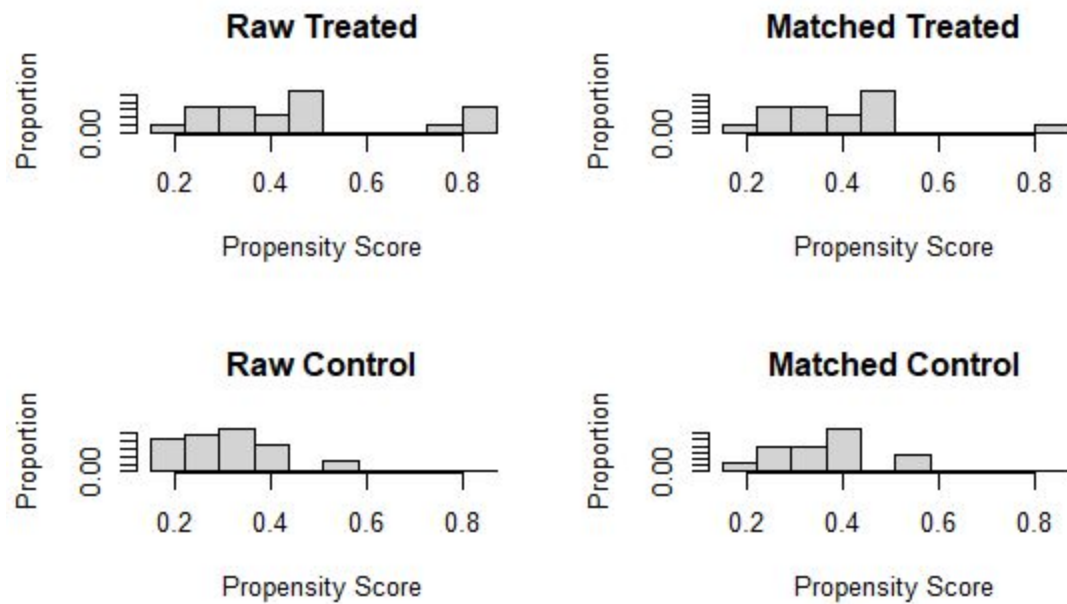
Summary of Balance for Matched Data:						
	Means Treated	Means Control	Std. Mean Diff.	Var. Ratio	eCDF Mean	
distance	0.4016	0.3924	0.0427	0.9696	0.0582	
polity2	-1.3333	-1.1333	-0.0323	0.8977	0.0303	
rgdpch	4019.8366	3956.6506	0.0084	0.4567	0.1745	
openk	81.8127	79.1040	0.0666	1.1381	0.1035	
grgdpch	0.5033	0.4580	0.0101	0.9280	0.0986	
	eCDF Max	Std. Pair Dist.				
distance	0.3333	0.1319				
polity2	0.1333	0.8717				
rgdpch	0.4667	0.3813				
openk	0.3333	0.5874				
grgdpch	0.2667	1.1813				
Percent Balance Improvement:						
	Std. Mean Diff.	Var. Ratio	eCDF Mean	eCDF Max		
distance	93.5	96.5	74.7	34.3		
polity2	91.4	-134.0	72.8	35.0		
rgdpch	98.2	29.3	18.3	15.1		
openk	87.3	77.6	38.2	15.9		
grgdpch	92.3	-46.3	-60.8	-65.7		
Sample Sizes:						
	Control	Treated				
All	29	18				
Matched	15	15				
Unmatched	14	3				
Discarded	0	0				

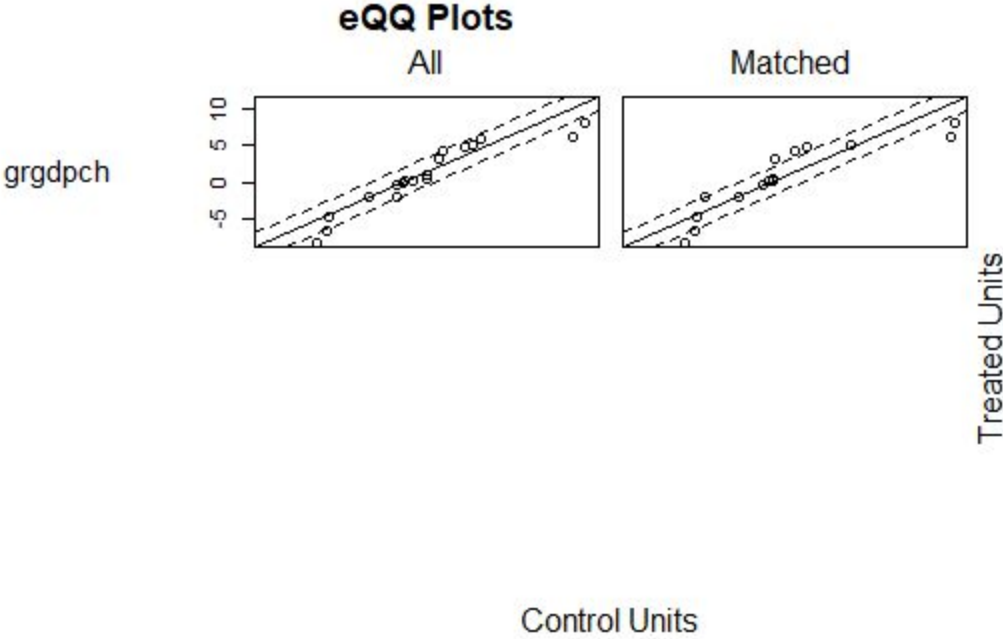
Accompanying plots distinguishing matched units on propensity score and covariate scales

(Code replication from the paper):









## Appendix B (Genetic matching)

Results from using Genetic matching with replacement

Summary of Balance for Matched Data:						
	Means Treated	Means Control	Std. Mean Diff.	Var. Ratio	eCDF Mean	
distance	0.4544	0.4566	-0.0101	0.8583	0.0688	
polity2	-2.2353	-2.4118	0.0285	0.8836	0.0267	
rgdpch	5612.0470	5726.1371	-0.0151	0.6627	0.1164	
openk	90.5076	90.0335	0.0117	0.8171	0.0926	
grgdpch	0.8476	0.7624	0.0190	1.2821	0.0818	
	eCDF Max	Std. Pair Dist.				
distance	0.2353	0.1678				
polity2	0.1176	0.4843				
rgdpch	0.2353	0.3190				
openk	0.2353	0.4881				
grgdpch	0.2353	0.3443				
Percent Balance Improvement:						
	Std. Mean Diff.	Var. Ratio	eCDF Mean	eCDF Max		
distance	98.5	82.6	70.0	53.7		
polity2	92.4	-168.5	76.0	42.6		
rgdpch	96.8	62.9	45.5	57.2		
openk	97.8	65.1	44.7	40.7		
grgdpch	85.5	-387.0	-33.5	-46.2		
Sample Sizes:						
	Control	Treated				
All	29.	18				
Matched (ESS)	8.26	17				
Matched	10.	17				
Unmatched	19.	1				
Discarded	0.	0				

## Appendix C (PSM Nearest Neighbor matching with replacement)

Results from Nearest neighbor matching using propensity scores with replacement

Summary of Balance for Matched Data:						
	Means Treated	Means Control	Std. Mean Diff.	Var. Ratio	eCDF Mean	
distance	0.4544	0.4504	0.0186	0.8118	0.0413	
polity2	-2.2353	-2.1176	-0.0190	1.1224	0.0588	
rgdpch	5612.0470	4476.6188	0.1502	0.8397	0.1927	
openk	90.5076	98.7100	-0.2017	0.9995	0.1489	
grgdpch	0.8476	-0.1194	0.2157	0.8036	0.1598	
	eCDF Max	Std. Pair Dist.				
distance	0.2941	0.1030				
polity2	0.1176	0.6647				
rgdpch	0.4118	0.2296				
openk	0.4118	0.5278				
grgdpch	0.3529	0.9872				
Percent Balance Improvement:						
	Std. Mean Diff.	Var. Ratio	eCDF Mean	eCDF Max		
distance	97.2	76.3	82.0	42.1		
polity2	94.9	-150.5	47.1	42.6		
rgdpch	68.1	84.2	9.7	25.1		
openk	61.6	99.9	11.1	-3.8		
grgdpch	-64.3	-328.6	-160.7	-119.3		
Sample Sizes:						
	Control	Treated				
All	29.	18				
Matched (ESS)	5.9	17				
Matched	8.	17				
Unmatched	21.	1				
Discarded	0.	0				

## **Appendix D (Description of contributions and GitHub link to R replication & extension code)**

Aniket Das and Nikita Kotsehub worked collaboratively on identifying issues with the Hollyer & Rosendorff paper and brainstorming on extension methods that would improve the application of matching techniques. Nikita Kotsehub wrote the Introduction, Conclusion, and produced the plots and figures in the paper. Aniket Das coded the extension by doing the genetic matching with replacement and described the previous issues and the improvements in the Extension & Replication section, providing evidence in the Appendices. One can find our Replication & Extension R Code file on GitHub by following the link:

<https://github.com/anik8das/Matching-replication-and-improvement/tree/main>