

CS & IT ENGINEERING

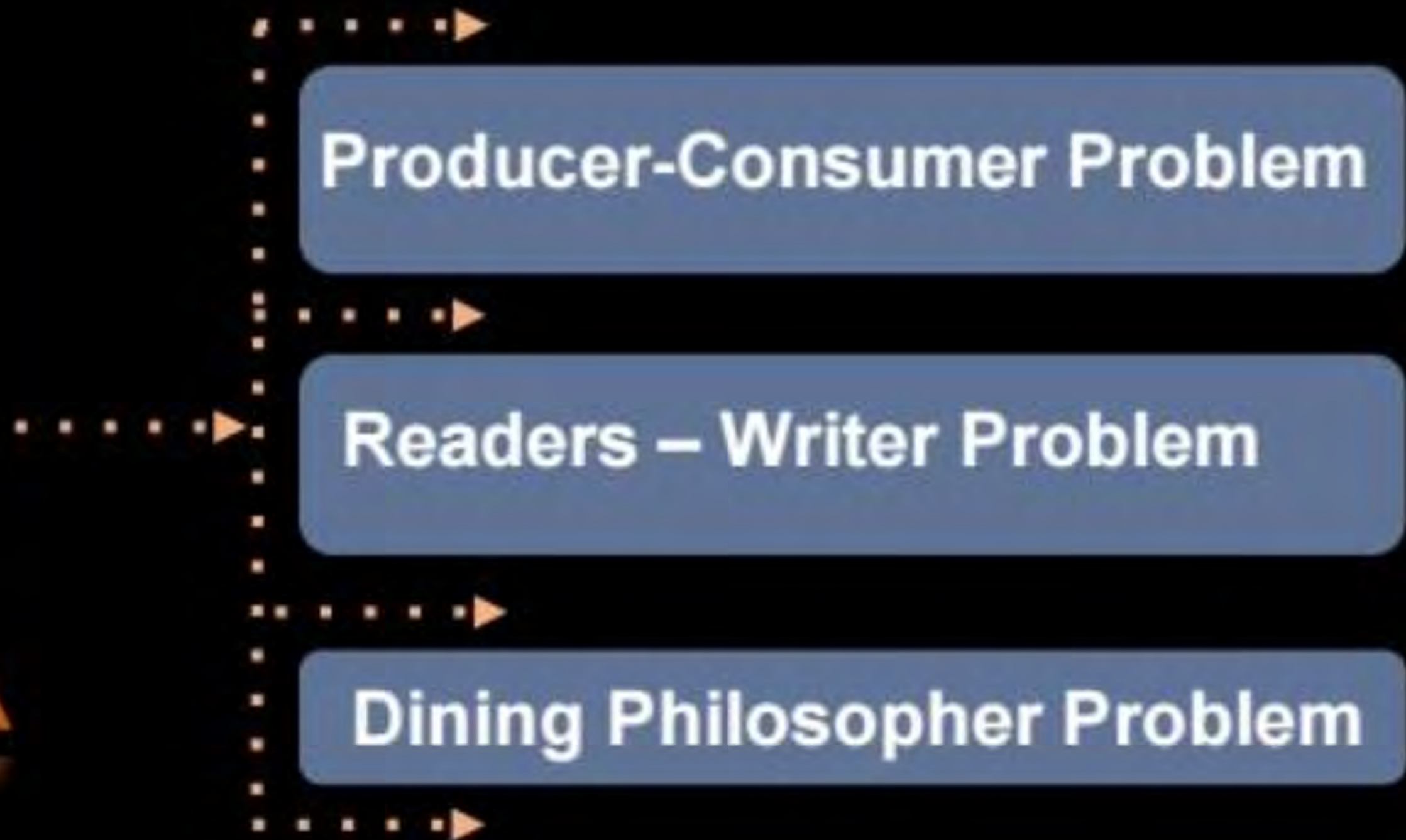
Operating System

Process Synchronization/Coordination
Classical IPC Problems

Lecture No. 7



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Producer



Buffer



Consumer



Do you understand
This analogy of
Producer-consumer?



Producer needs to **WAIT**
If buffer is **FULL**
Consumer needs to **WAIT**
If buffer is **EMPTY**


```
#define N 100
int Buffer[N];
CSEM Empty = N;
<No. of Empty Slots in Buffer>
```

```
CSEM full = 0;
<No. of full slots (data items) in Buffer>
```

```
BSEM mutex = 1;
<used by P & C to access Buffer as "CS">
```

```
void Producer(void)
{
    int itemp, in = 0;
    while(1)
    {
        a) itemp = Produce-item();
        b) DOWN(Empty);
        c) DOWN(mutex);
        d) Buffer[in] = itemp;
        e) in = (in + 1) % N;
        f) UP(mutex);
        g) UP(full);
    }
}
```

```
void Consumer(void)
{
    int itemc, out = 0;
    while(1)
    {
        a) DOWN(full);
        b) DOWN(mutex);
        c) itemc = Buffer[out];
        d) out = (out + 1) % N;
        e) UP(mutex);
        f) UP(Empty);
        g) Process-item(itemc);
    }
}
```


Q P4Q



Consider the following solution to the producer-consumer synchronization problem. The shared buffer size is N . Three semaphores empty, full and mutex are defined with respective initial values of 0, N and 1. Semaphore empty denotes the number of available slots in the buffer; for the consumer to read from. Semaphore full denotes the number of available slots in the buffer, for the producer to write to. The placeholder variables, denoted by P, Q, R and S, in the code below can be assigned either empty or full. The valid semaphore operations are: wait() and signal().

Producer:	Consumer:
<pre>do{ wait(P); P(full); wait(mutex); // Add item to buffer Signal(mutex); Signal(Q); } V(empty); } while (1);</pre>	<pre>do{ wait(R); P(empty); wait(mutex); // Consume item from buffer signal(mutex); signal(S); V(full); } while (1);</pre>

$Empty = 0$; [No. of data items]
 $full = N$;
 $mutex = 1$;

Which one of: the following assignments to P, Q, R and S will yield the correct solution?

- (A) P: full, Q: full, R: empty, S: empty
- (B) P: empty, Q: empty, R: full, S: full
- ✓ (C) P: full, Q: empty, R: empty, S: full
- (D) P: empty, Q: full, R: full, S: empty

Q) P4Q



Consider the procedure below for the Producer-Consumer problem which uses semaphores:

semaphore $n = 0$; *<No. of data items>*

semaphore $s = 1$;

void producer()

```
{
    while(true)
    {
        produce ();
        semWait(s); ✓
        addToBuffer();
        semSignal(s);
        semSignal(n);
    }
}
```

Unbounded Buffer



void consumer()

```
{
    while(true)
    {
        semWait(s);
        semWait(n);
        removeFromBuffer()
        semSignal(s);
        consume();
    }
}
```

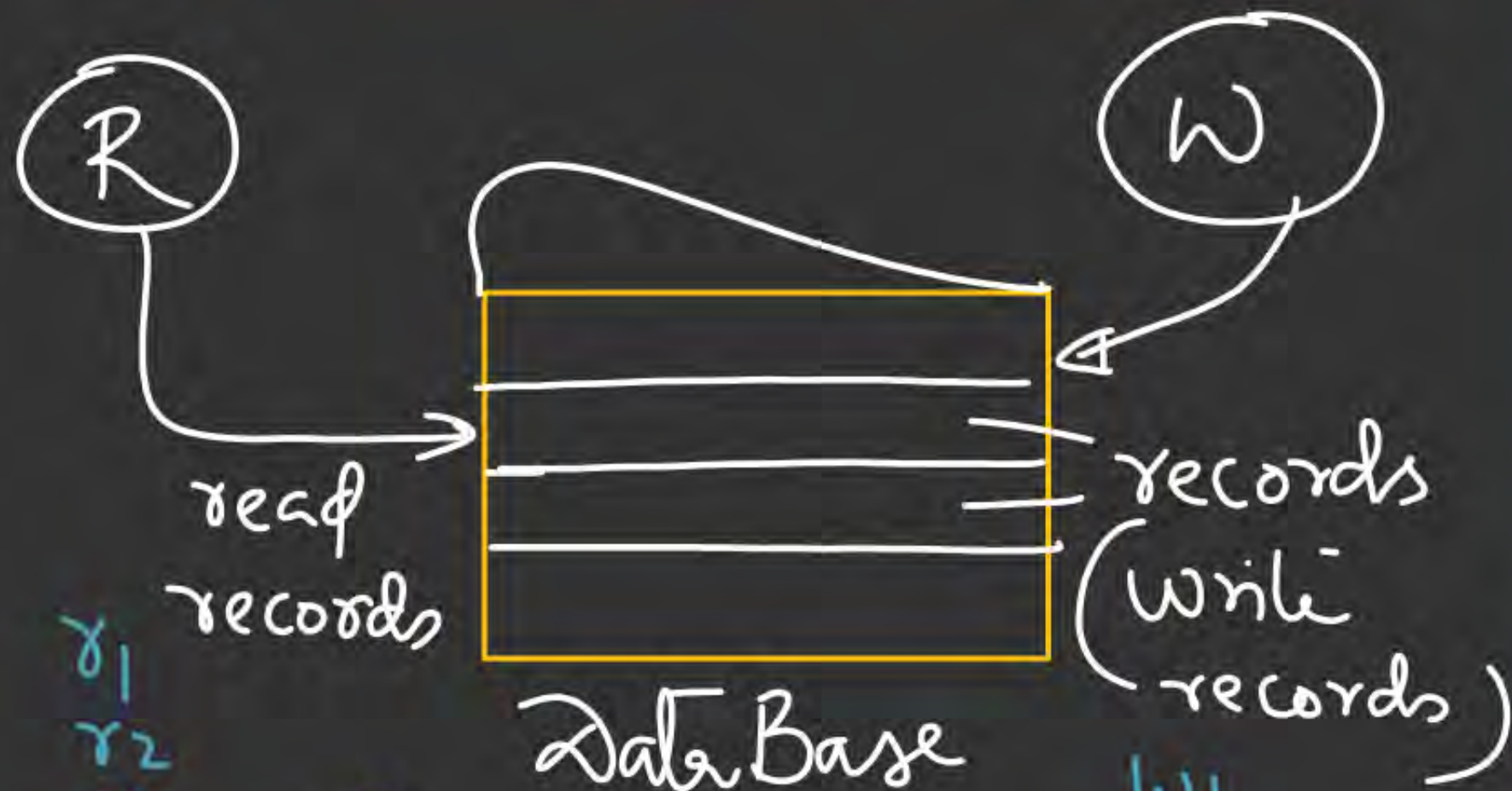
*$s = 1$
 $n = 0$*

Deadlock.

Which one of the following is TRUE?

- (A) The producer will be able to add an item to the buffer, but the consumer can never consume it.
- (B) The consumer will remove no more than one item from the buffer.
- ✓ (C) Deadlock occurs if the consumer succeeds in acquiring semaphore s when the buffer is empty.
- (D) The starting value for the semaphore n must be 1 and not 0 for deadlock-free operation.

2) Reader-Writer Problem:



r_1
 r_2
 r_3
 \vdots
 r_n

(Reader & writer must access "DB" mutually exclusion)

w_1
 w_2
 w_3
 \vdots
 w_m

$t_1: \overset{\checkmark}{r_1}$ (or) $\overset{\checkmark}{w_1} : \checkmark$

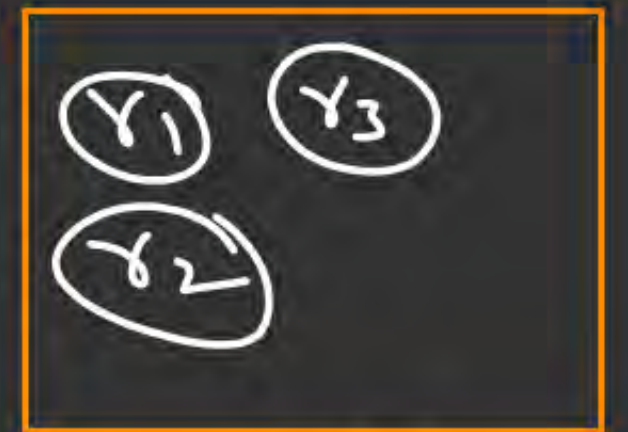
$t_1: \overset{\checkmark}{r_1}$ and $\overset{\checkmark}{w_1} : \checkmark$ Anyone is allowed.

$t_2: \overset{\checkmark}{r_1} : \checkmark$: w_1 has to wait

$t_3: \overset{\checkmark}{r_2} : \checkmark$

$t_4: \overset{\checkmark}{r_3} : \checkmark$

$t_5: \overset{\times}{w_2} : \times$



DB

<First R-W Problem>

Implementation of First R-W using Semaphores;

BSEM $db = 1$;

< used by \textcircled{R} & \textcircled{W} to access DB as CS >

int $rc = 0$;

< No. of \textcircled{R} 's Present in DB >

BSEM $mutex = 1$;

< used by \textcircled{R} 's to update "rc" in mutually exclusive control >

void writer(void)

{
while(1)

{
a) DOWN(db);

b) <DB-WRITE>

c) up(db);
}

}

void Reader(void)

{
while(1)

a) DOWN(mutex);

b) $rc = rc + 1$;

c) if ($rc == 1$) DOWN(db);

d) UP(mutex);

e) <DB-READ>

f) DOWN(mutex);

g) $rc = rc - 1$;

h) if ($rc == 0$) up(db);

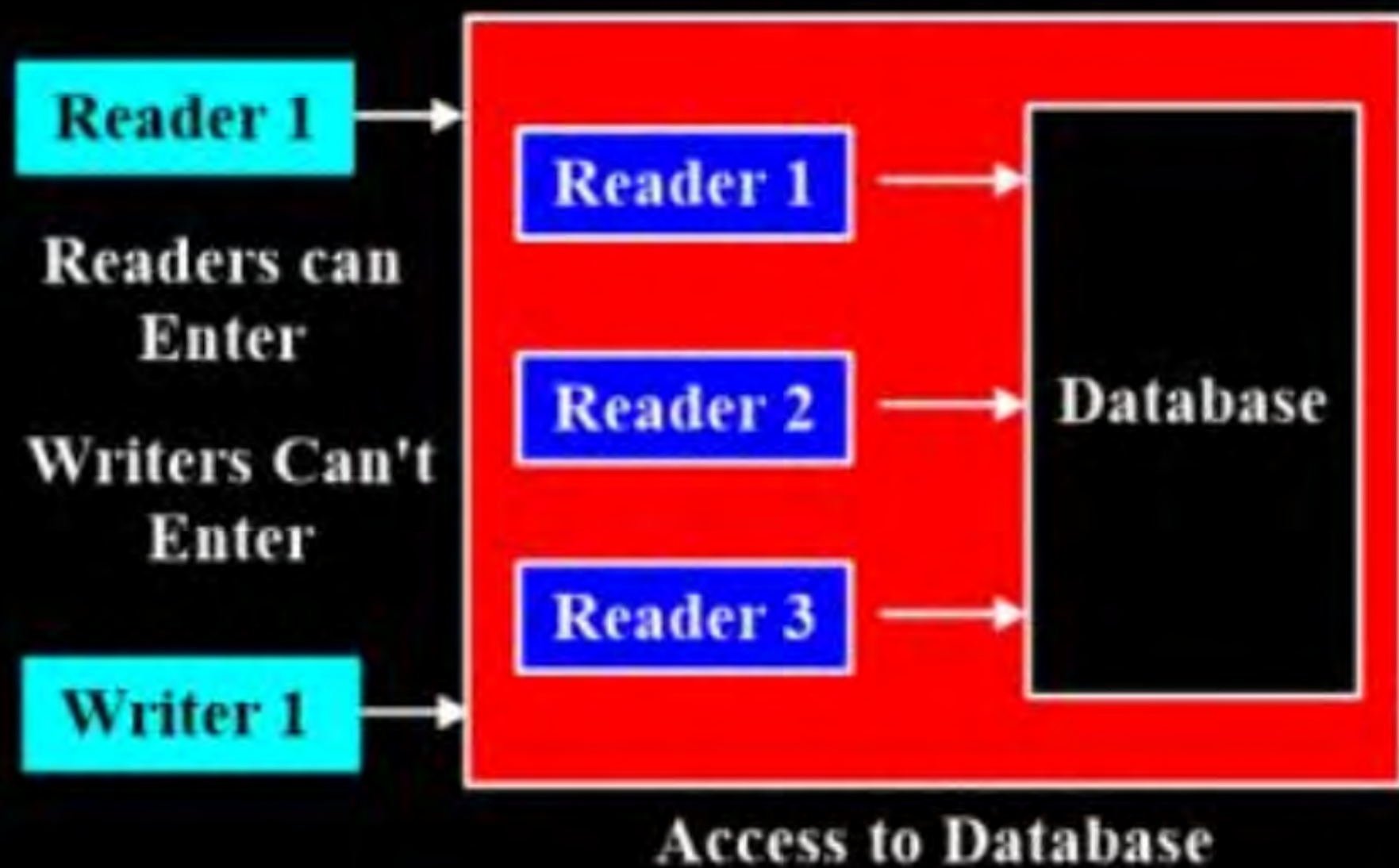
i) up(mutex);
}

}



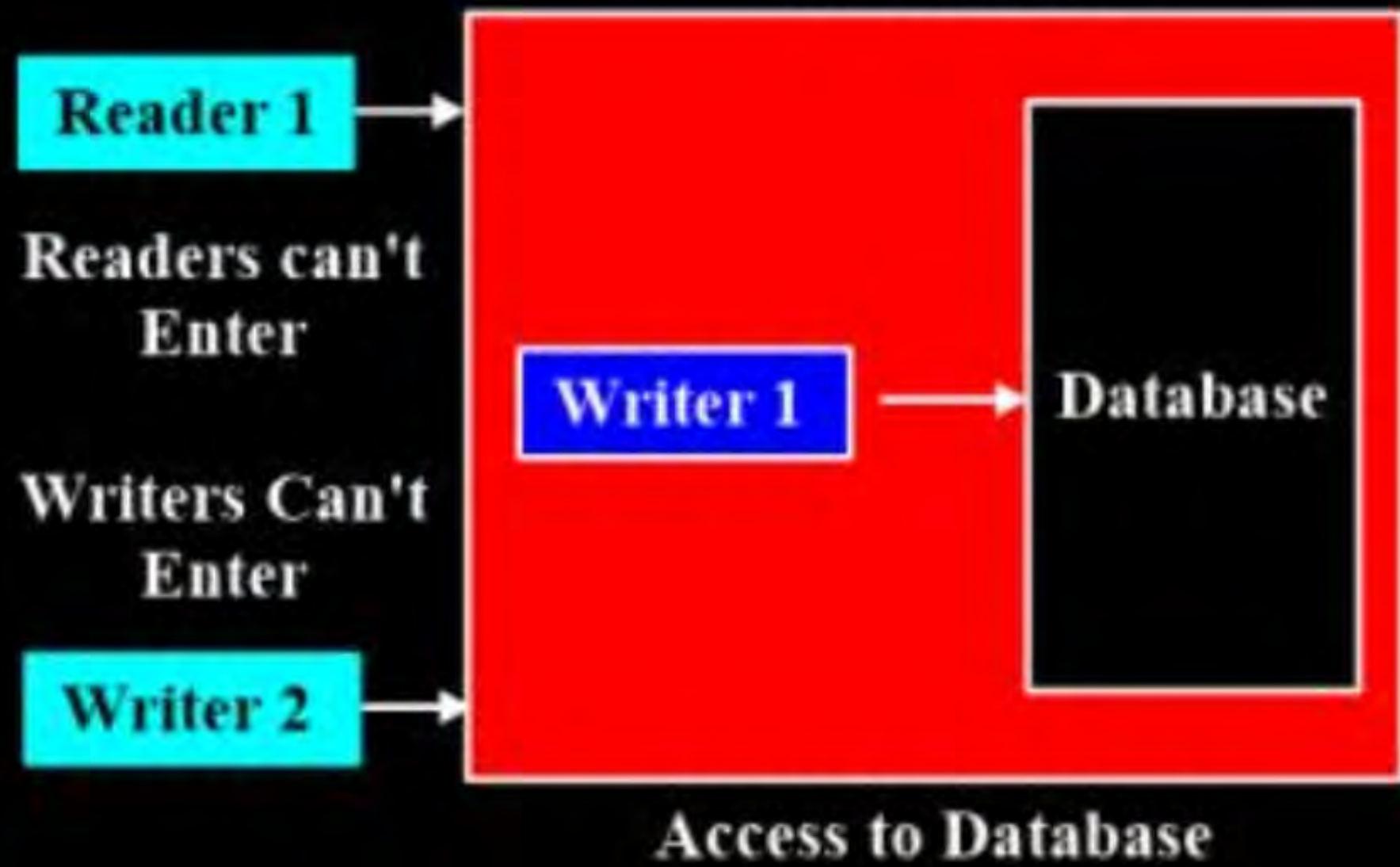
Readers Writers Operating System

When Readers are Accessing
the Database



Readers Writers Operating System

When writer is writing in
the Database





Q) Synchronization in the classical readers and writers problem can be achieved through use of semaphores. In the following incomplete code for readers-writers problem, two binary semaphores mutex and wrt are used to obtain synchronization

P₄₀ `wait (wrt)`
`writing is performed`
`signal (wrt)`

dr
writer

Reader

`wait (mutex)`
`readcount = readcount + 1`
`if readcount = 1 then S1`
`S2 V(mutex);`
`reading is performed`
`S3 P(mutex);`
`readcount = readcount - 1`
`if readcount = 0 then S4`
`signal (mutex)`

V(wrt);
P(wrt);
V(wrt);

The values of S1, S2, S3, S4, (in that order) are

(A) signal (mutex), wait (wrt), signal (wrt), wait (mutex)

(B) signal (wrt), signal (mutex), wait (mutex), wait (wrt)

☒ (C) wait (wrt), signal (mutex), wait (mutex), signal (wrt)

(D) signal (mutex), wait (mutex), signal (mutex), wait (mutex)

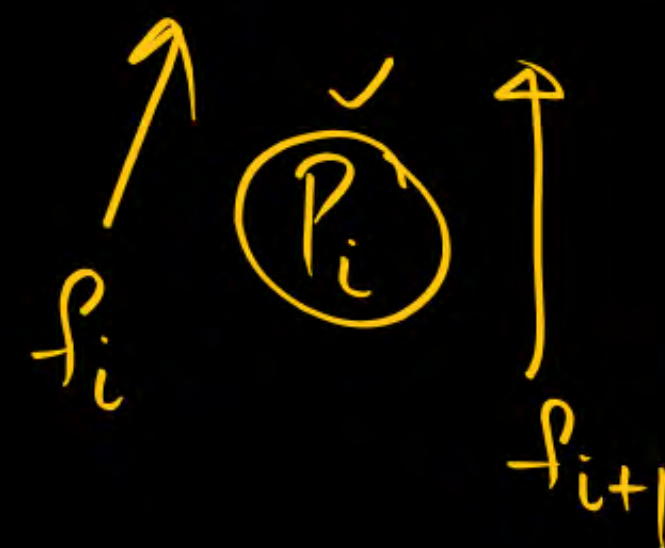
* 3) DINING PHILOSOPHERS Problem

⇒ There are N -Philosophers

↳ Research Problem

↓
Solution

fixes = N



define N 5

void Philosopher(int i)

{
while (1)
{

a) Think(i);

b) Take-fork(i); L

c) Take-fork((i+1) % N); R

d) <eat>

e) put-fork(i);

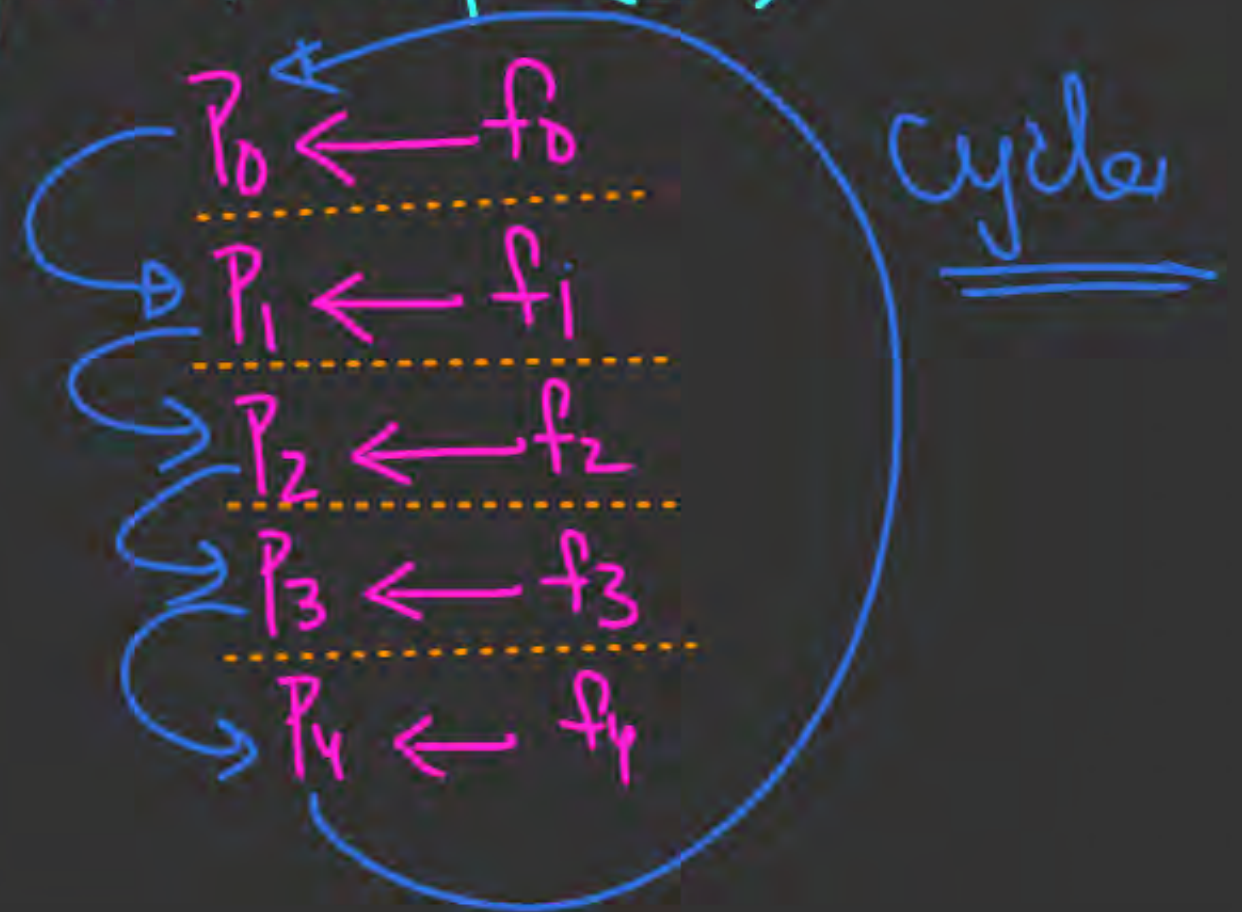
f) put-fork((i+1) % N);
}

Is this solution
Correct?

{Deadlock}

1) All P_i should become hungry

2) Each P_i must Preempt
after step (b);



How to Prevent Deadlock?

Tannenbaum
Text

H/w

"

Put the Semaphore
control on accessing
forks "

Semaphore
based
solution

Non-Semaphore based:

1) Min. # ^{additional} forks to
avoid deadlock :

$$\begin{array}{c} \text{Total} \\ \downarrow \\ 1 (N+1) \end{array}$$

Q) P4Q

A solution to the Dining Philosophers Problem which avoids deadlock is:

- (A) ensure that all philosophers pick up the left fork before the right fork ✗
- (B) ensure that all philosophers pick up the right fork before the left fork ✗
- ✓ (C) ensure that one particular philosopher picks up the left fork before the right fork, and that all other philosophers pick up the right fork before the left fork
- (D) None of the above

Q) Let $m[0], \dots, m[4]$ be mutexes (binary semaphore) and $P_0..P_4$ be processes. Suppose each process $P[i]$ executes the following:

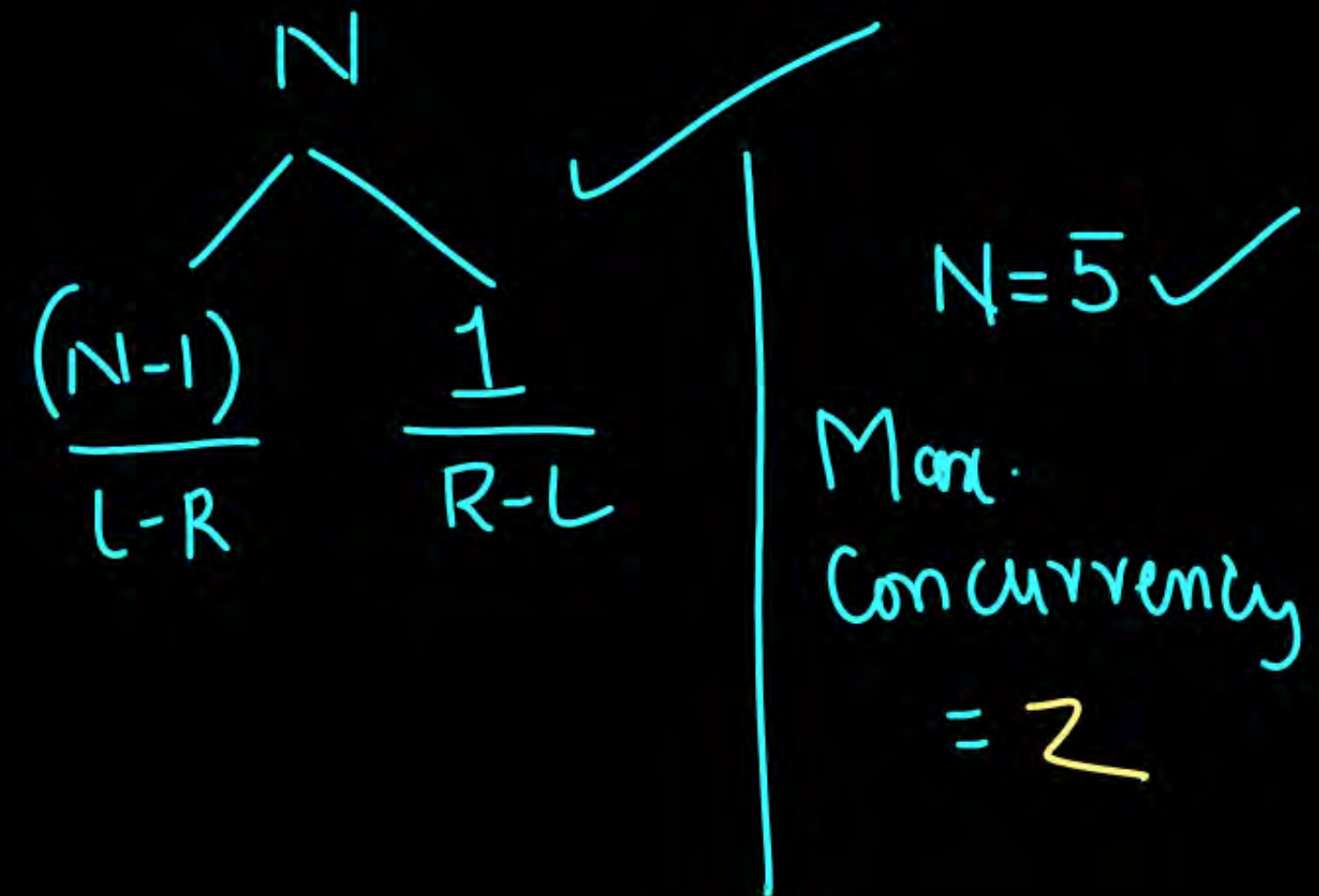
wait ($m[i]$); wait ($m[i+1] \bmod 4$)

CS

release ($m[i]$); release ($m[i+1] \bmod 4$)

Which situation could be came

- (a) Thrashing
- ✓ (b) Deadlock
- (c) Starvation but no deadlock
- (d) None



$$N=5$$

$$\checkmark P_0 \leftarrow f_0, f_1 \checkmark$$

$$P_1 \leftarrow f_1 \times$$

$$\checkmark P_2 \leftarrow f_2, f_3 \checkmark$$

$$P_3 \leftarrow f_3 \times$$

$$P_4 \leftarrow f_4, f_0 \times$$

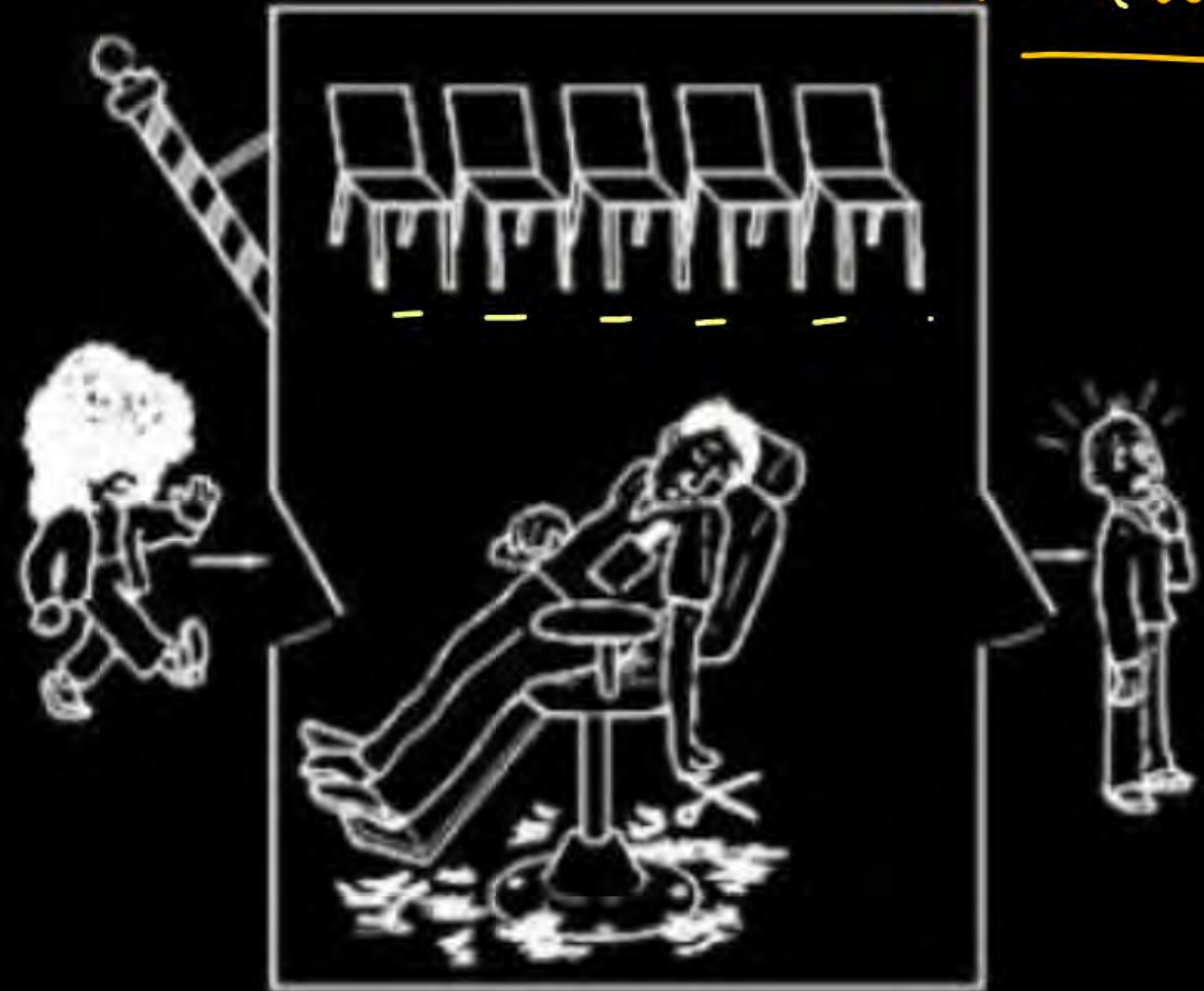
Sleeping Barber Problem

- There is one barber, and n chairs for waiting customers
- If there are no customers, then the barber sits in his chair and sleeps (as illustrated in the picture)
- When a new customer arrives and the barber is sleeping, then he will wake up the barber
- When a new customer arrives, and the barber is busy, then he will sit on the chairs if there is any available, otherwise (when all the chairs are full) he will leave.

(Tanenbaum)

Barber - Shop

Simulation





Barber Shop



Waiting Room



Barber has a chair to cut hair of customer. When barber is done with customer then he will cut hair of next customer from waiting room.



Barber Shop

Waiting Room





First Reader-Writer using Semaphore with Busy Waiting



(*)

```
int R = 0, W = 0;
Bsem mutex = 1;
Void Reader (Void)
{
  L1: P(mutex);
  if (W == 1)
  {
    V(mutex); ✓
    goto L1;
  }
  else
  {
    R = R + 1;
    V(mutex); ✓
  }
  <DB_READ>
  P(mutex);
  R = R - 1;
  V(mutex);
}
```

Void Writer (Void)

```
{
  L2: P(mutex);
  if( _____ )
  {
    V(mutex);
    goto L2;
  }
  else
  {
    W=1;
    V(mutex);
  }
  <DB_WRITE>
  P(mutex);
  W=0;
  V(mutex);
}
```

$\Rightarrow [R \geq 0 \text{ (or) } W = 1]$

