## Project Reflection

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Revisiting my earlier projects with fresh eyes has been an enriching and reflective experience, providing an opportunity to evaluate my progress and improve upon past work. Throughout this process, I've taken the time to carefully review feedback from Alice, identify areas for enhancement, and apply new methods and skills I've developed during the course. This reflection focuses on two projects where I made targeted improvements to strengthen the analysis, refine visualizations, and address gaps in methodology. I will detail the changes I made, explain the reasons behind them, and share the valuable lessons I've learned through this iterative process. This journey has not only allowed me to refine my technical skills but also taught me the importance of adaptability and the value of revisiting work with the benefit of hindsight.

For Project 1, I revised the modeling approach to investigate the most impactful weather parameters affecting marathon performance. Initially, I applied a mixed-effects model with random intercept by age to quantify the significance of weather effects. This choice was informed by exploratory data analysis, which revealed a general decline in marathon performance with increasing age across both genders. The mixed-effects model effectively accounted for variability across age groups but made it more challenging to directly evaluate the joint effects of weather parameters, age, and sex.

To address these limitations, I transitioned to using linear regression, incorporating interaction terms between age, sex, and weather parameters, and performing a backward model selection procedure to identify the best model with results shown in the following table. Additionally, I included a polynomial term for age to capture the non-linear relationship between age and performance observed during the EDA process. This change simplified the model structure while preserving the ability to explore how these factors jointly influence marathon performance. By explicitly modeling interactions, the linear regression framework enabled clearer interpretation of the effects of weather parameters across different age and sex groups. Through this revision, I learned the importance of integrating insights from the EDA process into the modeling approach, as I ignored the non-linear relationship between people's age and marathon performance which might lead to biases. In addition, it is important to maintain the balance between flexibility and interpretability of our model as linear regression, while simpler, was sufficient to achieve our study goals.

Table 1: Coefficient Estimation of Best Model

Variable	Estimate	Standard Error	T Statistics	P Value
(Intercept)	114.2737167	3.6309472	31.472150	0.0000000
sexMale	-9.5066837	0.3770221	-25.215187	0.0000000
WBGT	0.2127369	0.1102679	1.929273	0.0537225
$^{\mathrm{rh}}$	0.0622261	0.0358442	1.736015	0.0825891
Wind	0.1548375	0.1355968	1.141897	0.2535217
SRWm2 age I(age^2)	0.0044593 -5.5900725 0.0798899	0.0033216 0.0917711 0.0006069	1.342501 -60.913185 131.636557	0.1794613 0.0000000 0.0000000
WBGT:age	0.0078914	0.0022456	3.514112	0.0004430
rh:age	-0.0026038	0.0007202	-3.615237	0.0003014
Wind:age SRWm2:age	-0.0045421 -0.0001933	$\begin{array}{c} 0.0026929 \\ 0.0000677 \end{array}$	-1.686679 -2.855631	$\begin{array}{c} 0.0916933 \\ 0.0043031 \end{array}$

For Project 2, I originally employed cross-validated Lasso regression to identify potential predictors and moderators of behavioral treatment on End of Treatment (EOT) smoking cessation. During exploratory analysis, I observed that several continuous variables were highly skewed, which led me to apply appropriate

transformations to these variables to approximate normality before performing Lasso regression on each imputed dataset. However, transformations can reduce the interpretability of the results.

I supplemented the analysis with a Lasso regression on the non-transformed data, allowing for a direct comparison of the coefficient estimates, AUC, and calibration plots between the transformed and non-transformed datasets. This additional step provided insights into whether transformations meaningfully impacted model performance and reliability, helping to evaluate the trade-offs between interpretability and predictive accuracy. From the results, we found some of key skewed variables show significant in the transformed model while they are dropped in the non-transformed model. In addition, applying transformation, the AUC for our train set increases from 0.79 to 0.81 and that for our test set increases from 0.74 to 0.75. Although the improvement in AUC was modest, we chose to retain the transformations as they better captured the underlying relationships between the predictors and the outcome, enhancing the reliability of the model.

Although we decided to retain the transformations, we learned the importance of systematically testing their impact. Comparing the results with and without transformations gave us a clearer understanding of how they influenced the model's performance and reliability. This revision process highlighted a practice that we should consistently apply in future analyses to ensure more thoughtful and effective modeling decisions.

Table 2.	Dootstrop	Lagge	Model	Coefficient	Patimata
Table ∠:	Bootstrap	Lasso	Model	Coemcient	Estimate

Variable	Pooled.Estimate	Lower.CI	Upper.CI	Siginificant.Proportion
(Intercept)	-0.4622382	-2.3170828	2.3347997	1.000
ftcd_score	-0.2238994	-0.5670841	0.0000000	0.938
mde_curr1	-0.1396745	-0.7928705	0.0000000	0.418
NMR	0.2286429	0.0000000	0.8491399	0.647
raceNon-Hispanic White	0.3644262	0.0000000	1.4701028	0.648
BA1:ftcd_score	-0.0356967	-0.2615361	0.0000000	0.362
BA1:incMore than \$75,000	0.2751041	0.0000000	1.7869354	0.380
BA1:Only.Menthol1	-0.2309910	-1.1583771	0.0000000	0.445
age_ps:Var1	0.0093747	0.0000000	0.0308070	0.757
antidepmed1:Var1	0.1497947	0.0000000	0.9060176	0.382
crv_total_pq1:Var1	0.0284297	0.0000000	0.1480517	0.471
eduHigh school graduate or GED:Var1	0.3050588	0.0000000	1.3186101	0.561
ftcd.5.mins1:Var1	0.4474196	0.0000000	1.7131313	0.598
raceHispanic:Var1	-0.2201501	-1.8094060	0.2680946	0.351
raceMixed Race:Var1	0.4918142	0.0000000	2.9191000	0.520

In addition, to further evaluate the stability and reliability of the model, I incorporated a bootstrap procedure with 200 iterations across the multiple imputed datasets to summarize the pooled coefficient estimate, 95% confidence interval, and significant proportion shown in the attached table. This allowed us to assess the consistency of coefficient estimates and the robustness of variable selection. The bootstrap results mainly supported the findings from the transformed data, reinforcing the significance of key predictors and moderators. Moreover, the validation process through the following AUC and calibration plot demonstrated strong discriminative performance and excellent calibration, further confirming the model's ability to accurately differentiate between outcomes and reliably predict probabilities.

In revising these projects, I gained valuable insights into the importance of aligning modeling approaches with exploratory findings, balancing complexity with interpretability, and ensuring the robustness of results through systematic evaluation. For Project 1, transitioning from a mixed-effects model to a linear regression framework with interaction terms allowed for clearer interpretation of weather impacts while maintaining analytical rigor. For Project 2, testing transformations and incorporating a bootstrap procedure highlighted the necessity of validating modeling choices. These revisions underscored the importance of iterative refinement, thoughtful application of statistical methods, and the integration of data-driven insights to achieve reliable and interpretable results. Over the course of the semester, I have also seen significant growth in my ability to apply advanced methodologies, engage in critical thinking, and produce professional, comprehensive analysis reports, enabling me to communicate findings and methodologies with greater clarity and effectiveness.

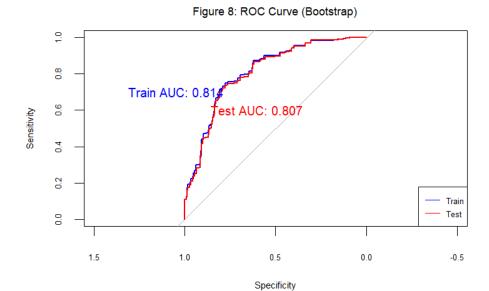


Figure 9: Calibration Plot (Bootstrap) Train Set Test Set 1.00 1.00 0.75 0.75 Observed Proportion Observed Proportion 0.50 0.50 0.25 0.25 0.2 0.4 Expected Proportion 0.0 0.4 0.6 0.0 0.6 **Expected Proportion** Legend — LM Smooth - Loess Smooth

I would also like to express my sincere gratitude to Alice for her invaluable guidance throughout this process. Her comprehensive feedback and support were instrumental in shaping my approach and helping me navigate the challenges of refining these projects. Thank you, Alice!