Generative Adversarial Networks(GANs)

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Why Generative Models?

In discriminative models

- Given an image X, predict a label Y
- Estimates P(Y|X)

Discriminative models have several key limitations

- Can't model P(X), i.e. the probability of seeing a certain image
- \circ Thus, can't sample from P(X), i.e. can't generate new images

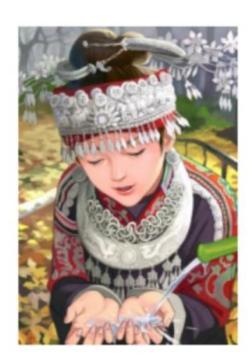
• Generative models (in general) cope with all of above

- Can model P(X)
- Can generate new images

Magic of GAN

Which one is Computer generated?





Adversarial training

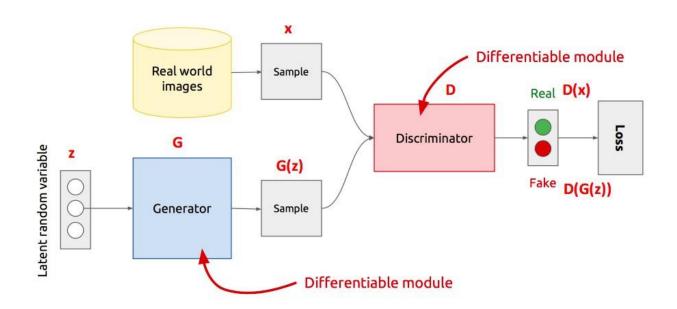
In discriminative models

- We can generate adversarial samples to fool a discriminative model
- We can use those adversarial samples to make models robust
- We then require more effort to generate adversarial samples
- Repeat this and we get better discriminative model

GANs extend that idea to generative models

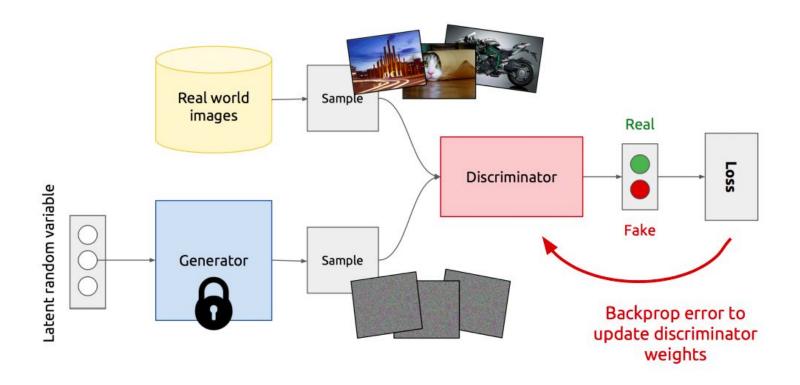
- Generator: generate fake samples, tries to fool the Discriminator
- Discriminator: tries to distinguish between real and fake samples
- Train them against each other
- Repeat this and we get better Generator and Discriminator

GAN's Architecture

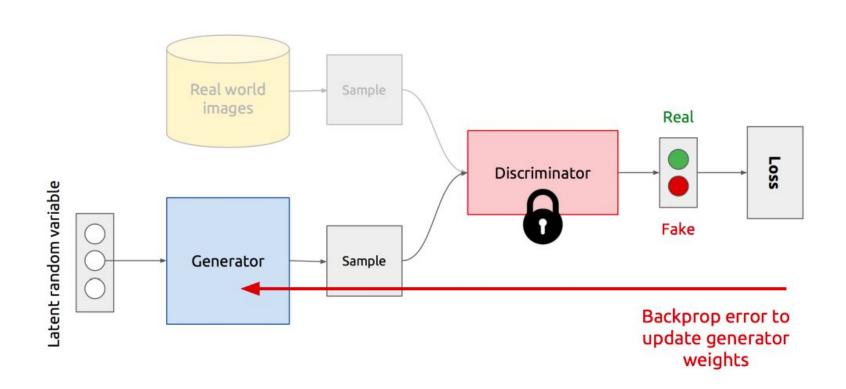


- Z is some random noise (Gaussian/Uniform).
- Z can be thought as the latent representation of the image.

Training Discriminator



Training Generator



GAN's formulation

$$\min_{G} \max_{D} V(D,G)$$

- It is formulated as a minimax game, where:
 - The Discriminator is trying to maximize its reward V(D, G)
 - The Generator is trying to minimize Discriminator's reward (or maximize its loss)

$$V(D,G) = \mathbb{E}_{x \sim p(x)}[\log D(x)] + \mathbb{E}_{z \sim q(z)}[\log(1 - D(G(z)))]$$

- The Nash equilibrium of this particular game is achieved at:
 - $P_{data}(x) = P_{gen}(x) \ \forall x$ $D(x) = \frac{1}{2} \ \forall x$

GAN's Algorithm

Algorithm 1 Minibatch stochastic gradient descent training of generative adversarial nets. The number of steps to apply to the discriminator, k, is a hyperparameter. We used k = 1, the least expensive option, in our experiments.

for number of training iterations do

for k steps do

- Sample minibatch of m noise samples $\{z^{(1)}, \ldots, z^{(m)}\}$ from noise prior $p_g(z)$.
- Sample minibatch of m examples $\{x^{(1)}, \dots, x^{(m)}\}$ from data generating distribution $p_{\text{data}}(x)$.
- Update the discriminator by ascending its stochastic gradient:

$$\nabla_{\theta_d} \frac{1}{m} \sum_{i=1}^m \left[\log D\left(\boldsymbol{x}^{(i)}\right) + \log\left(1 - D\left(G\left(\boldsymbol{z}^{(i)}\right)\right)\right) \right].$$

end for

- Sample minibatch of m noise samples $\{z^{(1)}, \ldots, z^{(m)}\}$ from noise prior $p_q(z)$.
- Update the generator by descending its stochastic gradient:

$$\nabla_{\theta_g} \frac{1}{m} \sum_{i=1}^m \log \left(1 - D\left(G\left(\mathbf{z}^{(i)} \right) \right) \right).$$

Generator updates

end for

The gradient-based updates can use any standard gradient-based learning rule. We used momentum in our experiments.

Discriminator updates

Advantages of GAN

Plenty of existing work on Deep Generative Models

- Boltzmann Machine
- Deep Belief Nets
- Variational Auto Encoders (VAE)

• Why GANs?

- Sampling (or generation) is straightforward
- Training doesn't involve Maximum Likelihood estimation
- Robust to Overfitting since Generator never sees the training data
- Empirically, GANs are good at capturing the modes of the distribution

Problems with GAN

Probability Distribution is Implicit

- Not straightforward to compute P(X)
- Thus Vanilla GANs are only good for Sampling/Generation.

Training is Hard

- Non-Convergence
- Mode-Collapse

Result of GAN



Thank you

