

(3) -> integrate(1/(x * (a+b*x)^(1/3)),x)

$$\frac{-\log(\sqrt[3]{a}\sqrt[3]{bx+a}^2 + \sqrt[3]{a}^2\sqrt[3]{bx+a} + a) + 2\log(\sqrt[3]{a}^2\sqrt[3]{bx+a} - a) + 2\sqrt{3}\operatorname{atan}\left(\frac{2\sqrt[3]{a}^2\sqrt[3]{bx+a} + a}{a\sqrt{3}}\right)}{2\sqrt[3]{a}}$$

Type: Union(Expression(Integer),...)

(4) -> series(log(cot(x)),x = %pi/2)

$$\log\left(\frac{-2x+\pi}{2}\right) + \frac{1}{3}\left(x-\frac{\pi}{2}\right)^2 + \frac{7}{90}\left(x-\frac{\pi}{2}\right)^4 + \frac{62}{2835}\left(x-\frac{\pi}{2}\right)^6 + \frac{127}{18900}\left(x-\frac{\pi}{2}\right)^8 + \frac{146}{66825}\left(x-\frac{\pi}{2}\right)^{10} + O\left(\left(x-\frac{\pi}{2}\right)^{11}\right)$$

Type: GeneralUnivariatePowerSeries(Expression(Integer),x,%pi/2)

(5) -> M:=matrix [[x + %i,0], [1,-2]]

$$\begin{pmatrix} x+i & 0 \\ 1 & -2 \end{pmatrix}$$

Type: Matrix(Polynomial(Complex(Integer)))

(6) -> inverse(M)

$$\begin{pmatrix} \frac{1}{x+i} & 0 \\ \frac{1}{2x+2i} & -\frac{1}{2} \end{pmatrix}$$

Type: Union(Matrix(Fraction(Polynomial(Complex(Integer))))),...)

(7) -> S := [3*x^3 + y + 1 = 0, y^2 = 4]

$$[y + 3x^3 + 1 = 0, y^2 = 4]$$

Type: List(Equation(Polynomial(Integer)))

(8) -> radicalSolve(S)

$$[[y = 2, x = -1], [y = 2, x = \frac{-\sqrt{-3}+1}{2}], [y = 2, x = \frac{\sqrt{-3}+1}{2}], [y = -2, x = \frac{1}{\sqrt[3]{3}}], [y = -2, x = \frac{\sqrt{-1}\sqrt{3}-1}{2\sqrt[3]{3}}], [y = -2, x = \frac{-\sqrt{-1}\sqrt{3}-1}{2\sqrt[3]{3}}]]$$

Type: List(List(Equation(Expression(Integer))))

(9) -> continuedFraction(6543/210)

$$31 + \frac{1}{6 + \frac{1}{2 + \frac{1}{1 + \frac{1}{3}}}}$$

Type: ContinuedFraction(Integer)

(11) -> (3*a^4 + 27*a - 36)::Polynomial PrimeField 7

$$3a^4 + 6a + 6$$

Type: Polynomial(PrimeField(7))

```
(12) -> [i^2 for i in 1..10]
```

[1, 4, 9, 16, 25, 36, 49, 64, 81, 100]

Type: List(PositiveInteger)

```
(13) -> [i for i in 1..10 | even?(i)]
```

[2, 4, 6, 8, 10]

Type: List(PositiveInteger)

```
(14) -> [1..3, 5, 6, 8..10]
```

[1..3, 5..5, 6..6, 8..10]

Type: List(Segment(PositiveInteger))

```
(15) -> factor 643238070748569023720594412551704344145570763243
```

$11^{13} 13^{11} 17^7 19^5 23^3 29^2$

Type: Factored(Integer)

```
(16) -> roman(1992)
```

MCMXCII

Type: RomanNumeral

```
(17) -> (2/3 + %i)^3
```

$$-\frac{46}{27} + \frac{1}{3}i$$

Type: Complex(Fraction(Integer))

```
(18) -> q:=quatern(1,2,3,4)*quatern(5,6,7,8) - quatern(5,6,7,8)*quatern(1,2,3,4)
```

$$-8i + 16j - 8k$$

Type: Quaternion(Integer)

```
(19) -> matrix([ [1/(i + j - x) for i in 1..4] for j in 1..4])
```

$$\begin{pmatrix} -\frac{1}{x-2} & -\frac{1}{x-3} & -\frac{1}{x-4} & -\frac{1}{x-5} \\ -\frac{1}{x-3} & -\frac{1}{x-4} & -\frac{1}{x-5} & -\frac{1}{x-6} \\ -\frac{1}{x-4} & -\frac{1}{x-5} & -\frac{1}{x-6} & -\frac{1}{x-7} \\ -\frac{1}{x-5} & -\frac{1}{x-6} & -\frac{1}{x-7} & -\frac{1}{x-8} \end{pmatrix}$$

Type: Matrix(Fraction(Polynomial(Integer)))

```
(20) -> p: UP(x,INT) := (3*x-1)^2 * (2*x + 8)
```

$$18x^3 + 60x^2 - 46x + 8$$

Type: UnivariatePolynomial(x,Integer)

(21) -> g := csc(a*x) / csch(b*x)

$$\frac{\csc(ax)}{\operatorname{csch}(bx)}$$

Type: Expression(Integer)

(22) -> limit(g,x=0)

$$\frac{b}{a}$$

Type: Union(OrderedCompletion(Expression(Integer)),...)

(23) -> h := (1 + k/x)^x

$$\frac{x + k^x}{x}$$

Type: Expression(Integer)

(24) -> limit(h,x=%plusInfinity)

$$e^k$$

Type: Union(OrderedCompletion(Expression(Integer)),...)

(25) -> series(sin(a*x),x = 0)

$$ax - \frac{a^3}{6}x^3 + \frac{a^5}{120}x^5 - \frac{a^7}{5040}x^7 + \frac{a^9}{362880}x^9 - \frac{a^{11}}{39916800}x^{11} + O(x^{12})$$

Type: UnivariatePuisseuxSeries(Expression(Integer),x,0)

(26) -> series(sin(a*x),x = %pi/4)

$$\sin\left(\frac{a\pi}{4}\right) + a\cos\left(\frac{a\pi}{4}\right)\left(x - \frac{\pi}{4}\right) - \frac{a^2\sin\left(\frac{a\pi}{4}\right)}{2}\left(x - \frac{\pi}{4}\right)^2 - \frac{a^3\cos\left(\frac{a\pi}{4}\right)}{6}\left(x - \frac{\pi}{4}\right)^3 + \frac{a^4\sin\left(\frac{a\pi}{4}\right)}{24}\left(x - \frac{\pi}{4}\right)^4 + \frac{a^5\cos\left(\frac{a\pi}{4}\right)}{120}\left(x - \frac{\pi}{4}\right)^5 - \frac{a^6\sin\left(\frac{a\pi}{4}\right)}{720}\left(x - \frac{\pi}{4}\right)^6 - \frac{a^7\cos\left(\frac{a\pi}{4}\right)}{5040}\left(x - \frac{\pi}{4}\right)^7 + \frac{a^8\sin\left(\frac{a\pi}{4}\right)}{40320}\left(x - \frac{\pi}{4}\right)^8 + \frac{a^9\cos\left(\frac{a\pi}{4}\right)}{362880}\left(x - \frac{\pi}{4}\right)^9 - \frac{a^{10}\sin\left(\frac{a\pi}{4}\right)}{3628800}\left(x - \frac{\pi}{4}\right)^{10} + O\left(\left(x - \frac{\pi}{4}\right)^{11}\right)$$

Type: UnivariatePuisseuxSeries(Expression(Integer),x,%pi/4)

(27) -> series(n +-> (-1)^((3*n - 4)/6)/factorial(n - 1/3),x=0,4/3..,2)

$$x^{\frac{4}{3}} - \frac{1}{6}x^{\frac{10}{3}} + O(x^5)$$

Type: UnivariatePuisseuxSeries(Expression(Integer),x,0)

(28) -> f := taylor(exp(x))

$$1 + x + \frac{1}{2}x^2 + \frac{1}{6}x^3 + \frac{1}{24}x^4 + \frac{1}{120}x^5 + \frac{1}{720}x^6 + \frac{1}{5040}x^7 + \frac{1}{40320}x^8 + \frac{1}{362880}x^9 + \frac{1}{3628800}x^{10} + O(x^{11})$$

Type: UnivariateTaylorSeries(Expression(Integer),x,0)

(29) -> F := operator 'F; x := operator 'x; y := operator 'y

y

Type: BasicOperator

```
(30) -> a := F(x z, y z, z^2) + x y(z+1)
```

$$x(y(z+1)) + F(x(z), y(z), z^2)$$

Type: Expression(Integer)

```
(31) -> dadz := D(a, z)
```

$$2 z F_{,3}(x(z), y(z), z^2) + y'(z) F_{,2}(x(z), y(z), z^2) + x'(z) F_{,1}(x(z), y(z), z^2) + x'(y(z+1)) y'(z+1)$$

Type: Expression(Integer)

```
(32) -> eval(eval(dadz, 'x, z +-> exp z), 'y, z +-> log(z+1))
```

$$\frac{(2 z^2 + 2 z) F_{,3}(e^z, \log(z+1), z^2) + F_{,2}(e^z, \log(z+1), z^2) + (z+1) e^z F_{,1}(e^z, \log(z+1), z^2) + z + 1}{z + 1}$$

Type: Expression(Integer)

```
(33) -> eval(eval(a, 'x, z +-> exp z), 'y, z +-> log(z+1))
```

$$F(e^z, \log(z+1), z^2) + z + 2$$

Type: Expression(Integer)

```
(34) -> D(%, z)
```

$$\frac{(2 z^2 + 2 z) F_{,3}(e^z, \log(z+1), z^2) + F_{,2}(e^z, \log(z+1), z^2) + (z+1) e^z F_{,1}(e^z, \log(z+1), z^2) + z + 1}{z + 1}$$

Type: Expression(Integer)

```
(35) -> integrate(1/(u^2 + a), u)
```

$$\left[\frac{\log\left(\frac{-x(y(z+1)) - F(x(z), y(z), z^2) + u^2}{x(y(z+1)) + F(x(z), y(z), z^2) + u^2}\right)}{2 \sqrt{-x(y(z+1)) - F(x(z), y(z), z^2)}}, \frac{\operatorname{atan}\left(\frac{u \sqrt{x(y(z+1)) + F(x(z), y(z), z^2)}}{x(y(z+1)) + F(x(z), y(z), z^2)}\right)}{\sqrt{x(y(z+1)) + F(x(z), y(z), z^2)}} \right]$$

Type: Union(List(Expression(Integer)),...)

```
(36) -> integrate(log(1 + sqrt(a*u + b)) / u, u)
```

$$\int^u \frac{\log(\sqrt{\%A x(y(z+1)) + \%A F(x(z), y(z), z^2) + b} + 1)}{\%A} d\%A$$

Type: Union(Expression(Integer),...)

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(37) -> )quit
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Busy...

```
(37) ->
```