

ADS-Lab - B-Tree .

B-Tree insertion

BTreeInsertion (T, k) .

$x \leftarrow \text{root}[T]$

 if $m[x] = x - 1$

$s \leftarrow \text{AllocateNode}()$.

$\text{root}[T] = s$

$\text{leaf}[s] = \text{false}$

$n[s] \leftarrow 0$

$c_1[s] \leftarrow x$.

 BTreeSplitChild (s, 1, x)

 BTreeInsertNonFull (s, k)

 else BTreeInsertNonFull (x, k)

 BTreeInsertNonFull (x, k)

$i \leftarrow n[x]$

 if leaf [x]

 while $i \geq 1$ and $k < \text{key}_i[x]$

$\text{key}_{i+1}[x] = \text{key}_i[x]$.

$i = i - 1$

$\text{key}_{i+1}[x] = k$.

$n[x] = n[x] + 1$

 else while $i > 1$ and $k < \text{key}_i[x]$.

$i = i - 1$

$i = i + 1$

if $m[ci[x]] == x-1$

~~Binary~~ Split child ($x, i, ci[x]$)

 if $x \neq x+1$; $key_i[x]$

$i = i+1$

~~Binary~~

~~Binary~~ Insert Node full ($ci[x], x$)

~~Binary~~ Split child (x, i)

~~Binary~~ Split child (x, i, y)

$z = \text{AllocateNode}()$

$leaf[z] = leaf[y]$

$m[z] = x = 1$

 for $j=1$ to $x-1$

$key_j[z] = key_j + x[y]$

 if not leaf[y]

 for $j=1$ to x

$c_j[z] = c_j + x[y]$

~~$m[y] = x-1$~~

 for $j = m[x] + 1$ to $x+1$

$c_{j+1}[x] = c_j[x]$

$ci+1[x] = z$

 for $j = m[x]$ to i

~~$key_i[x] = key_i[y]$~~ $key_{j+1}[x] = key_j[x]$

$key_i[x] = key_i[y]$

$m[x] = m[x] + 1$

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