

Property 2: If K_1 & K_2 are valid kernels,
then $K_1 + K_2$ is also a valid kernel
(proved in class).

Property 3: If K_1 is a valid kernel,
then $(K_1)^d$ is a valid kernel
 $\forall d \in \mathbb{N}$.

(Proved in part 1).

Using property 1, 3 we can say that for
~~any $i \in \mathbb{N}$~~ any $i \in \{0, 1, \dots, n-1\}$.

$a_i K(x, x')^i$ is a valid kernel.

Hence, summation over all $i \in \mathbb{N}$, $i < n$

$\sum_{i=0}^{i=n} a_i K(x, x')^i$ is also a
valid kernel

Hence proved, $q(K(x, x'))$ is also a valid
kernel

[Q. 2.2]

My kernel = $K(x, y) = (1 + x^T y)^4$

This gives an error < 7000 which is
desired. [Plot attached on the next page]