

Bonding in coordination compounds

- Alfred Werner
- VBT
- Crystal Field Theory (CFT)
- Modified CFT, known as Ligand Field Theory
- MOT

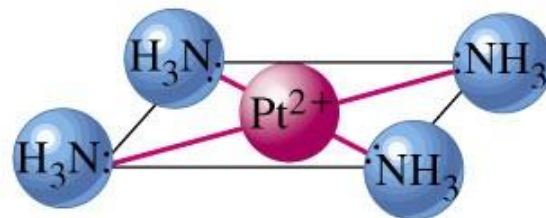
Nobel prize 1913



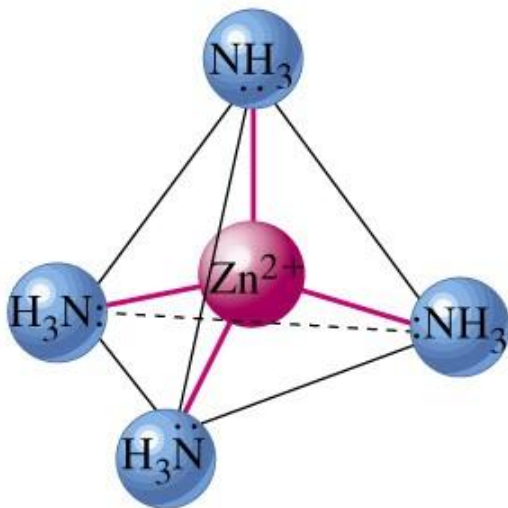
How & Why?



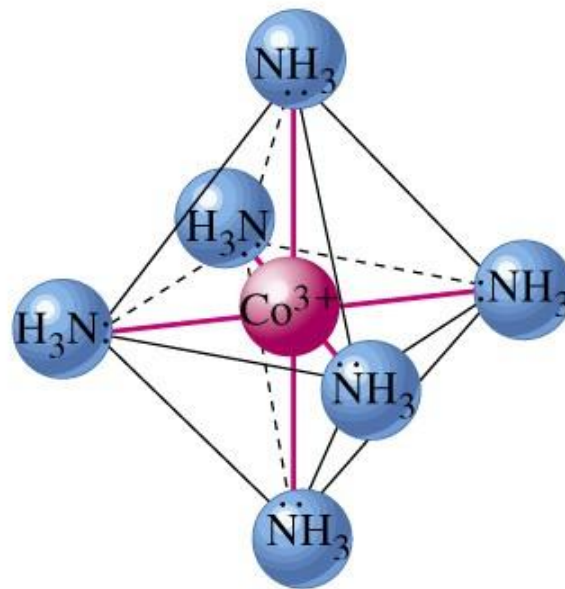
Linear



Square planar



Tetrahedral



Octahedral

Valence Bond Model

Ligand = Lewis base

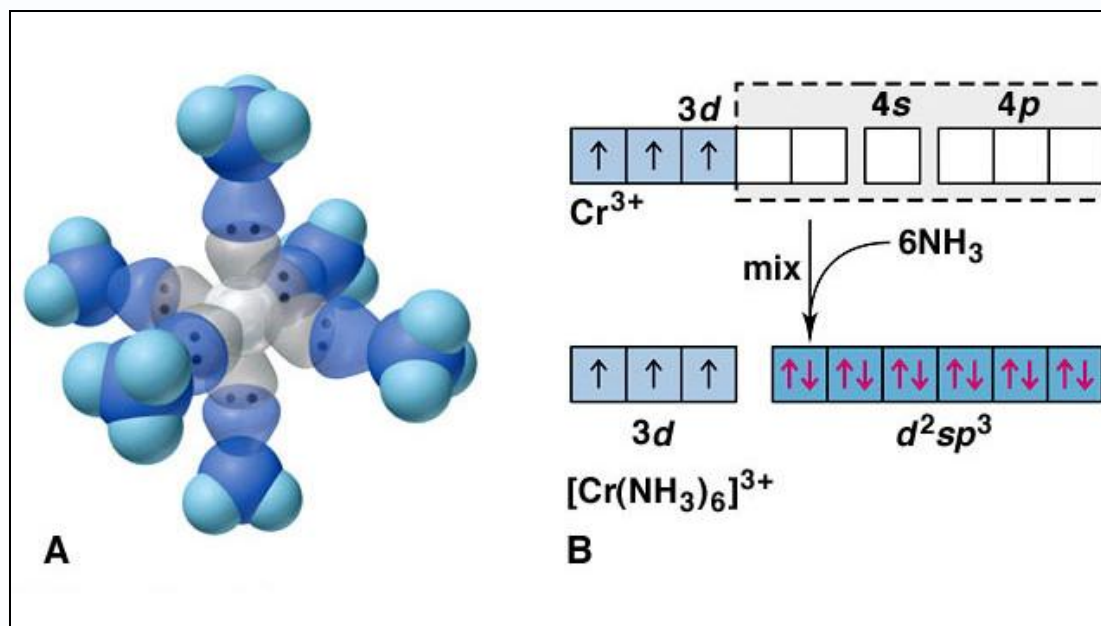
Metal = Lewis acid

s, p and d orbitals give hybrid orbitals with specific geometries

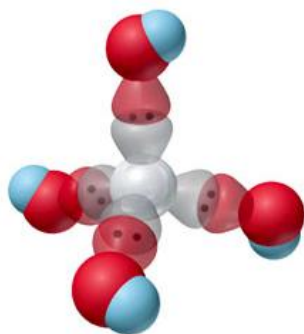
Number and type of M-L hybrid orbitals determines geometry of the complex

Octahedral Complex

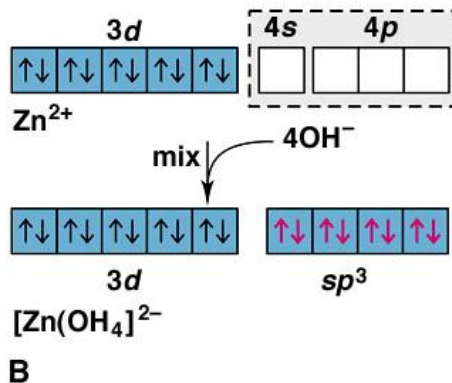
e.g. $[\text{Cr}(\text{NH}_3)_6]^{3+}$



Tetrahedral e.g. $[\text{Zn}(\text{OH})_4]^{2-}$



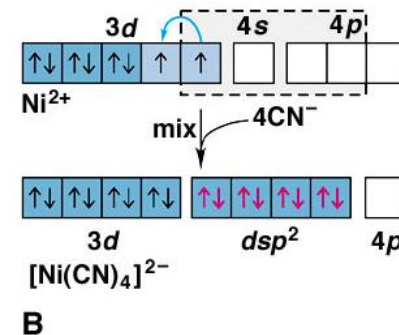
A



Square Planar e.g. $[\text{Ni}(\text{CN})_4]^{2-}$



A



Limitations of VB theory

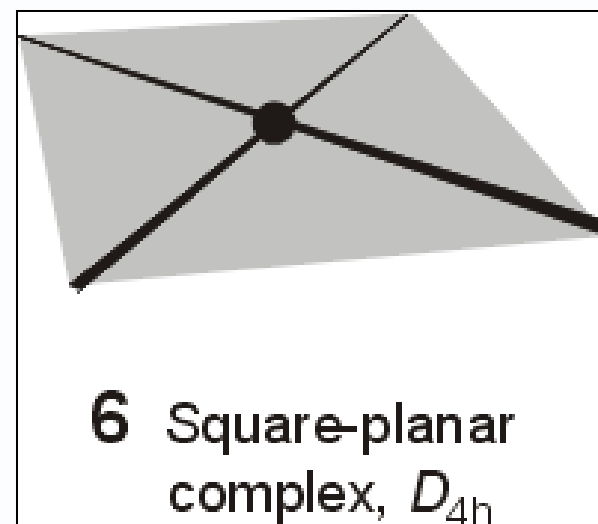
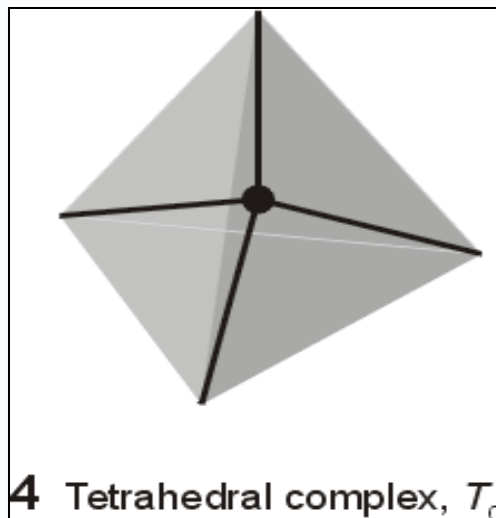
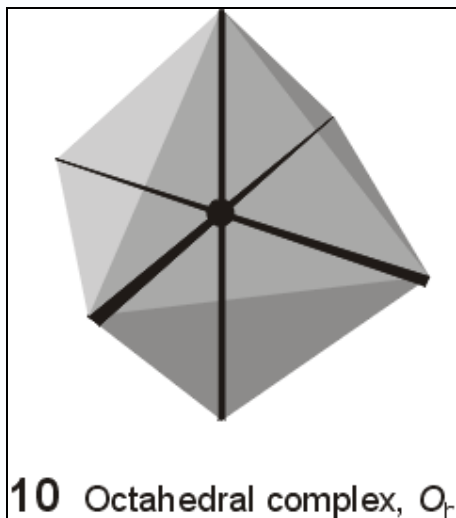
Can not account for colour of complexes

May predict magnetism wrongly

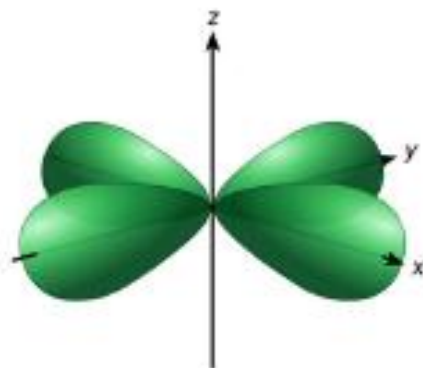
Can not account for spectrochemical series

Crystal Field Model

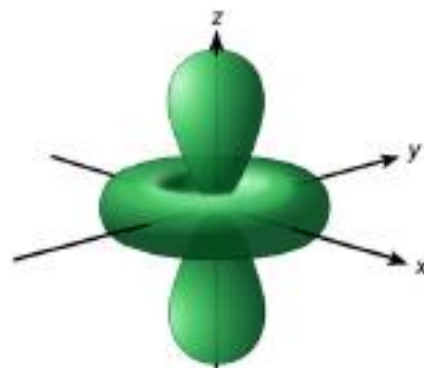
- A purely *ionic* model for transition metal complexes.
- Ligands are considered as point charge.
- Predicts the pattern of splitting of d-orbitals.
- Used to rationalize spectroscopic and magnetic properties.



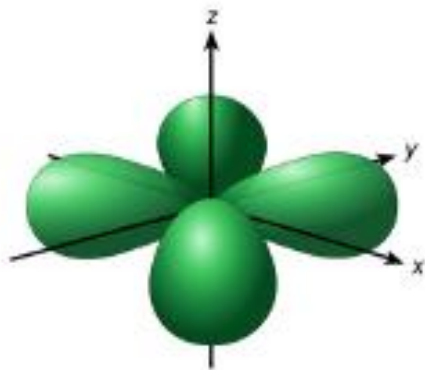
d-orbitals: look attentively along the axis



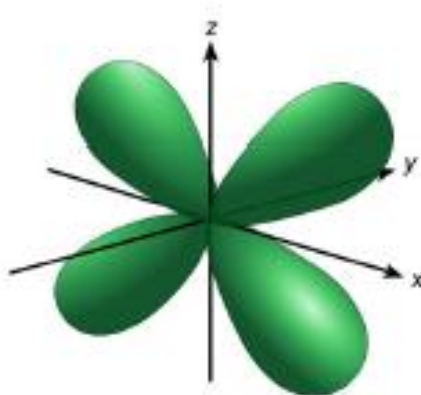
$d_{x^2-y^2}$



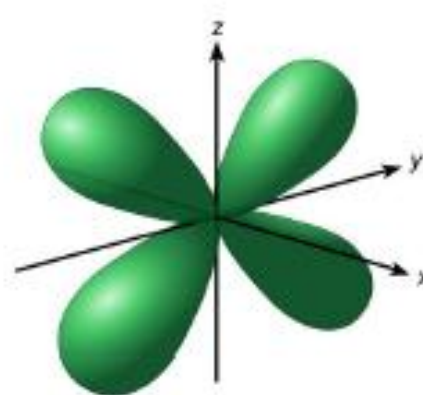
d_{z^2}



d_{xy}

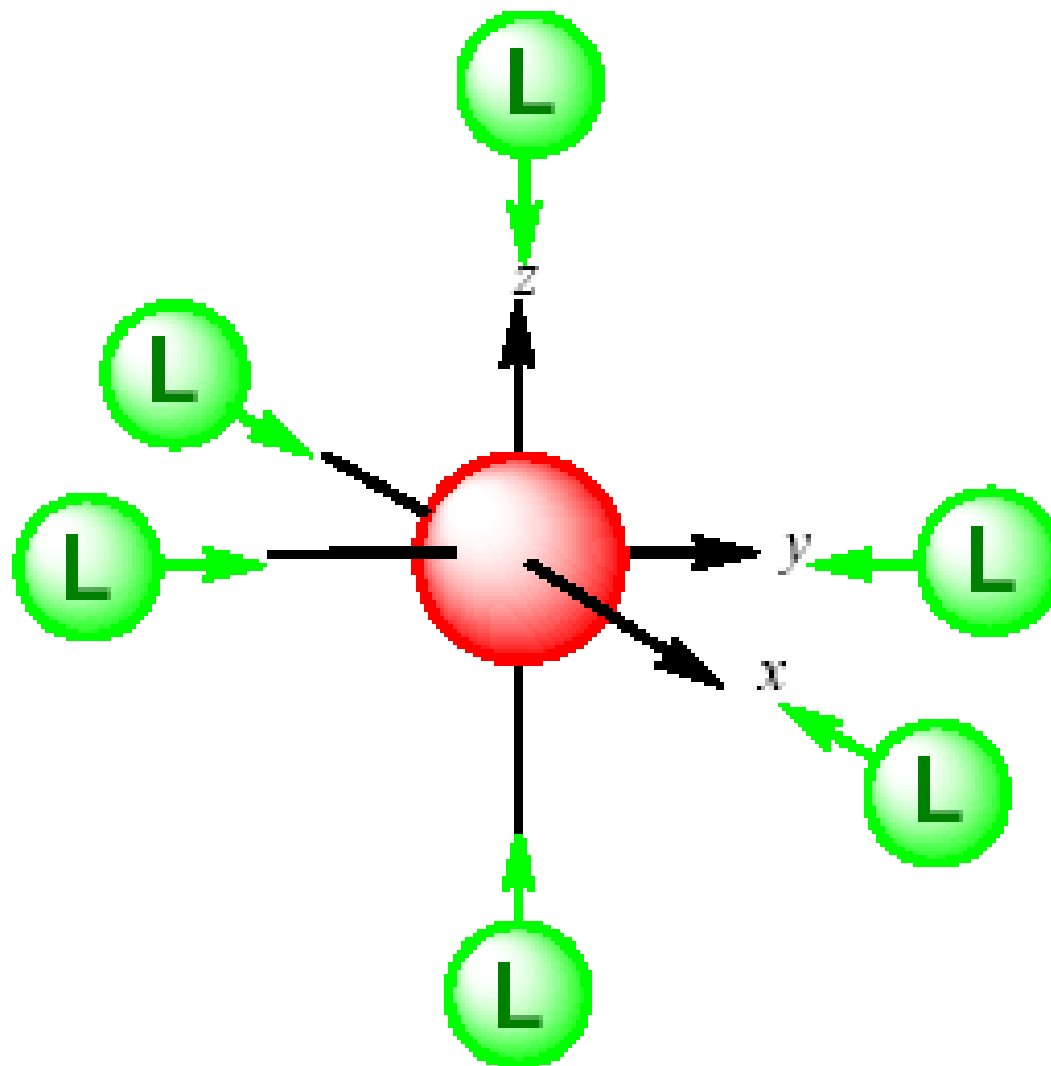


d_{xz}

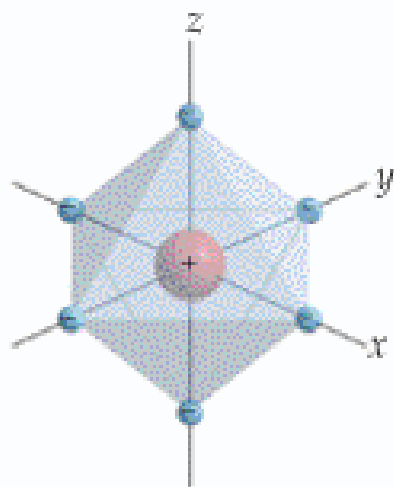


d_{yz}

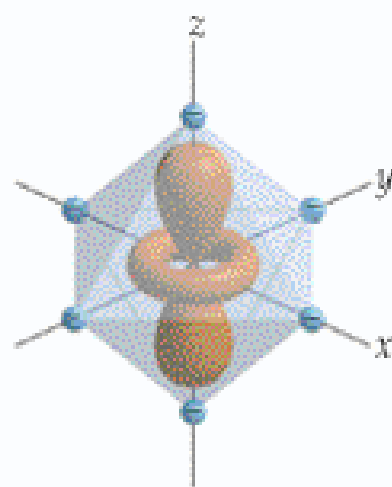
Octahedral Field



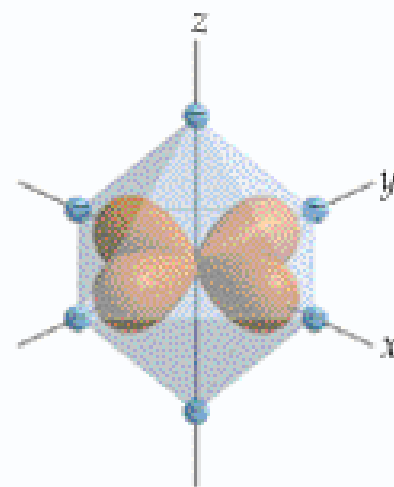
- We assume an octahedral array of negative charges placed around the metal ion (which is positive).
- The ligand and orbitals lie on the same axes as negative charges.
 - Therefore, there is a large, unfavorable interaction between ligand (-) and these orbitals.
 - These orbitals form the degenerate high energy pair of energy levels.
- The d_{xy} , d_{yz} , and d_{xz} orbitals bisect the negative charges.
 - Therefore, there is a smaller repulsion between ligand and metal for these orbitals.
 - These orbitals form the degenerate low energy set of energy levels.



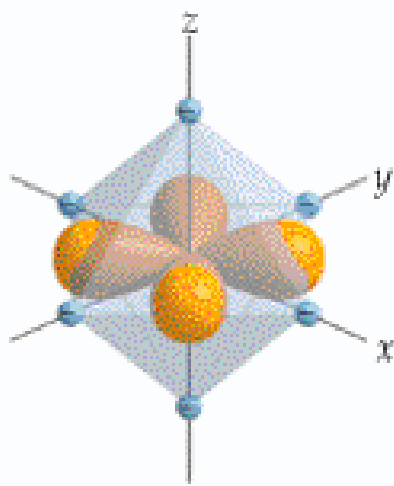
(a)



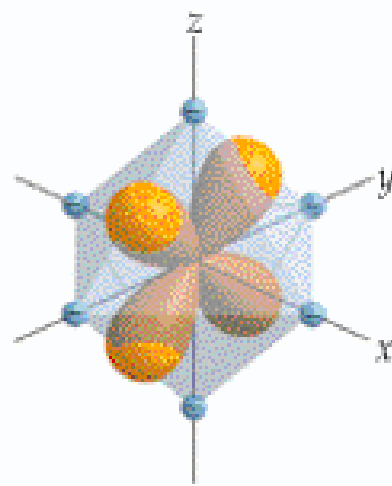
d_{z^2}
(b)



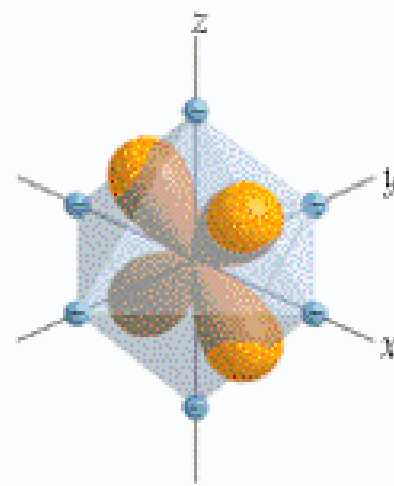
$d_{x^2-y^2}$
(c)



d_{xy}
(d)

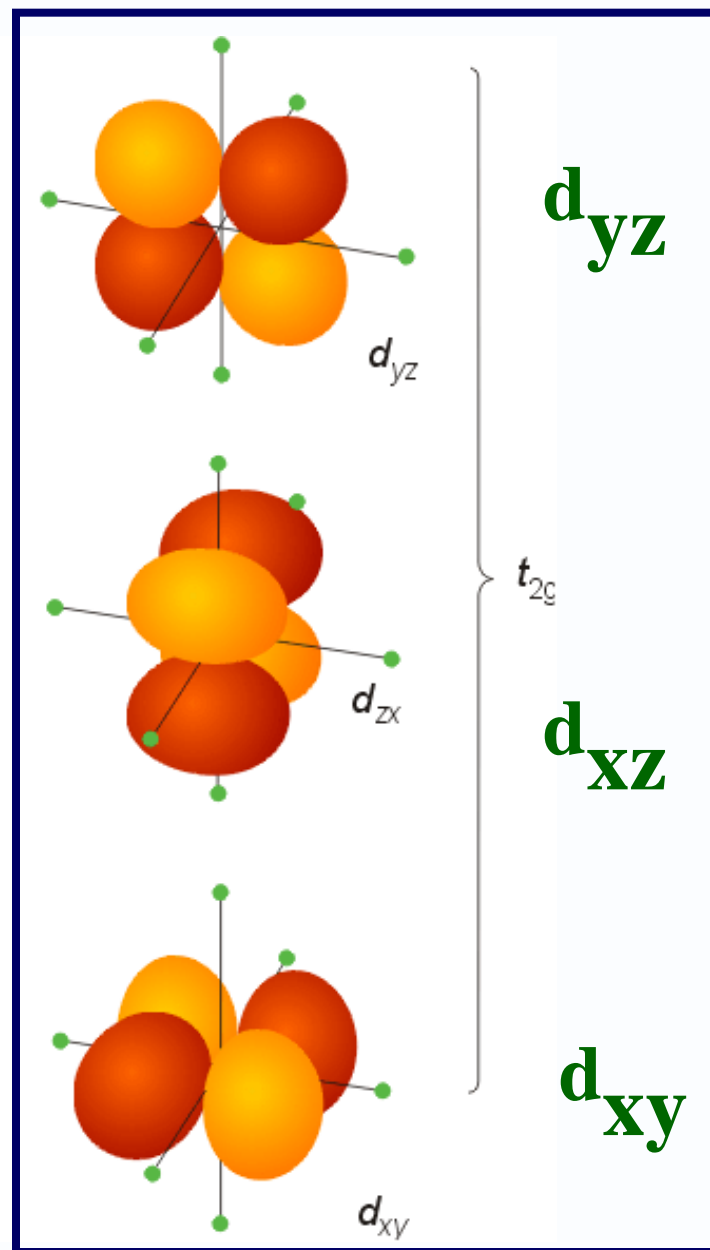
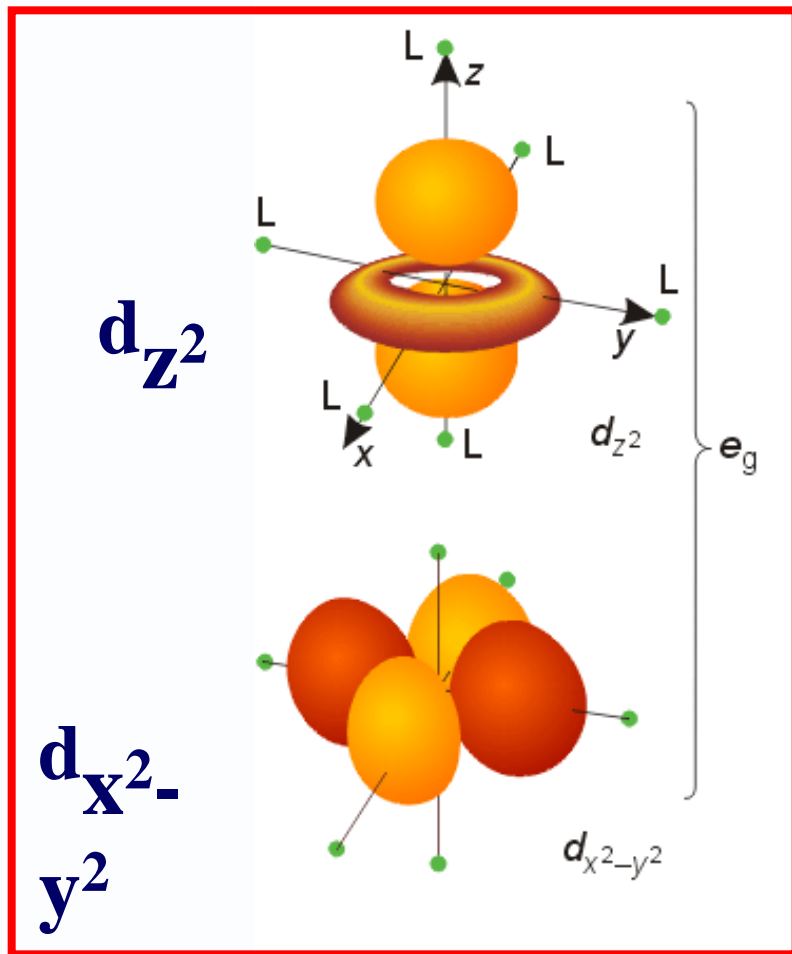


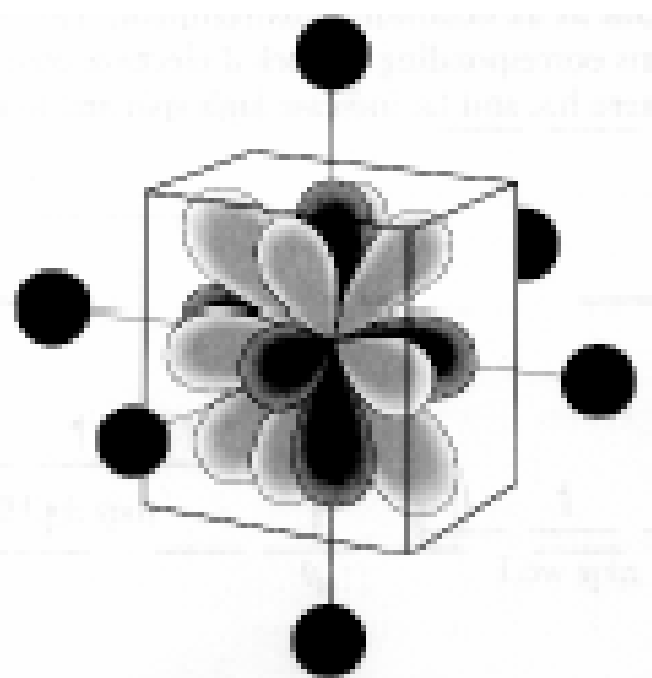
d_{yz}
(e)



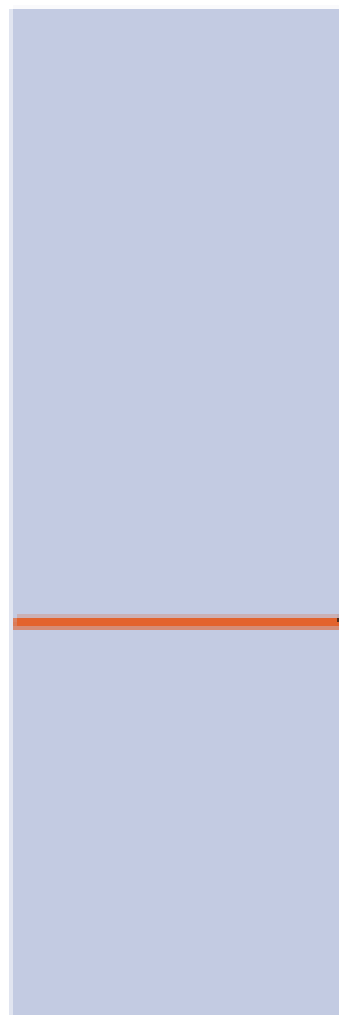
d_{xz}
(f)

In Octahedral Field

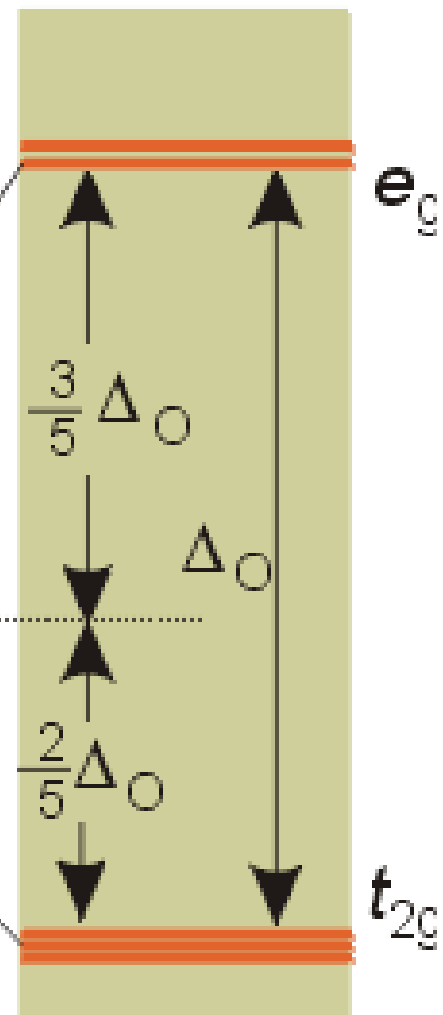


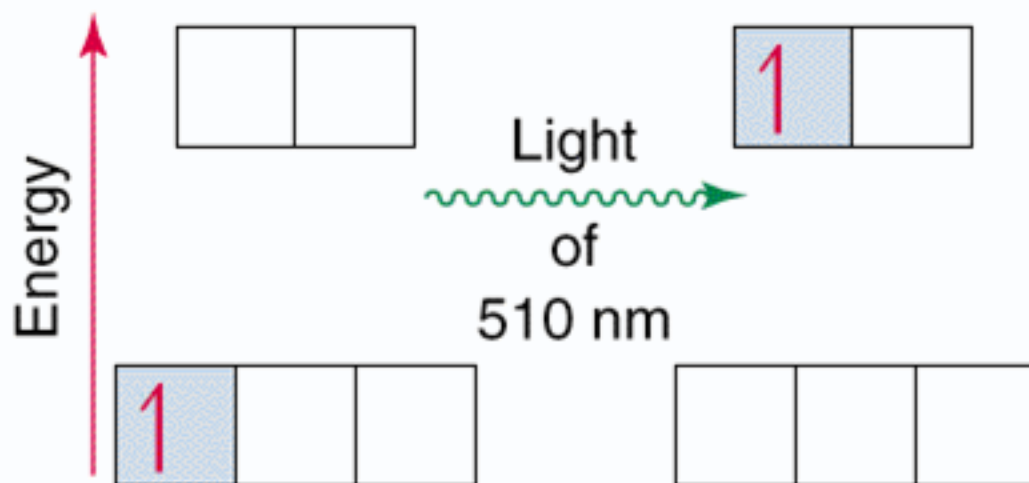
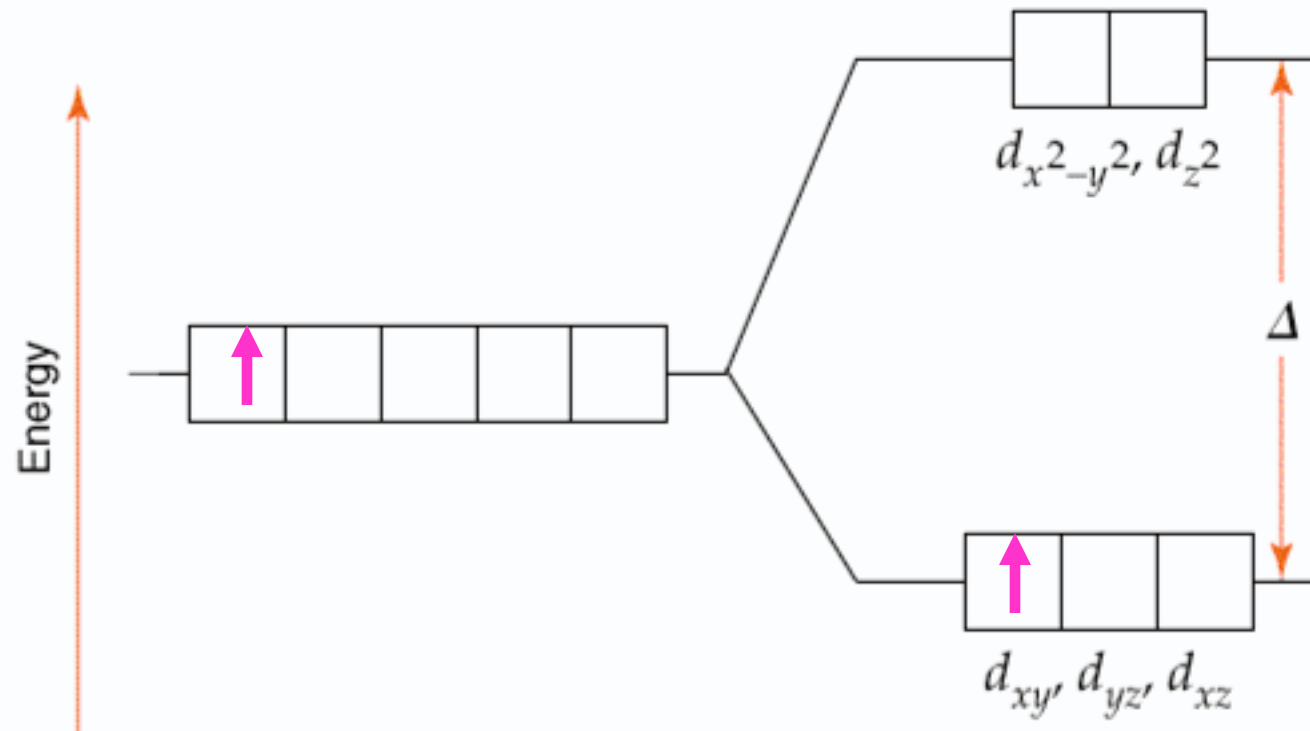


Spherical
environment

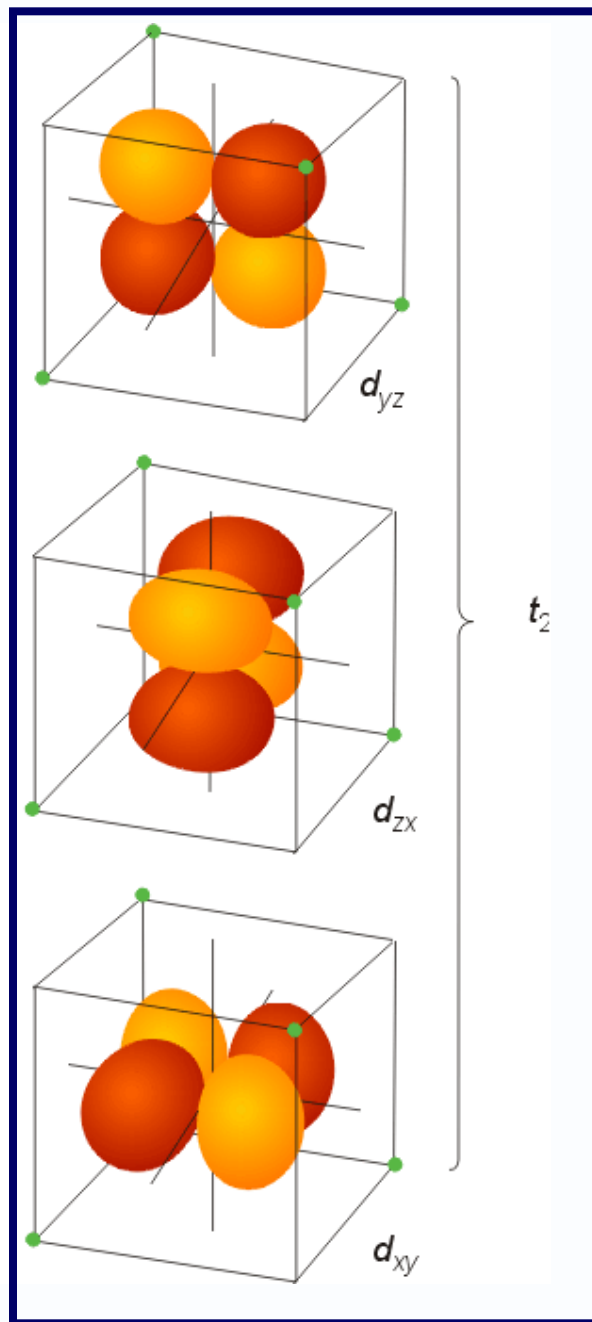
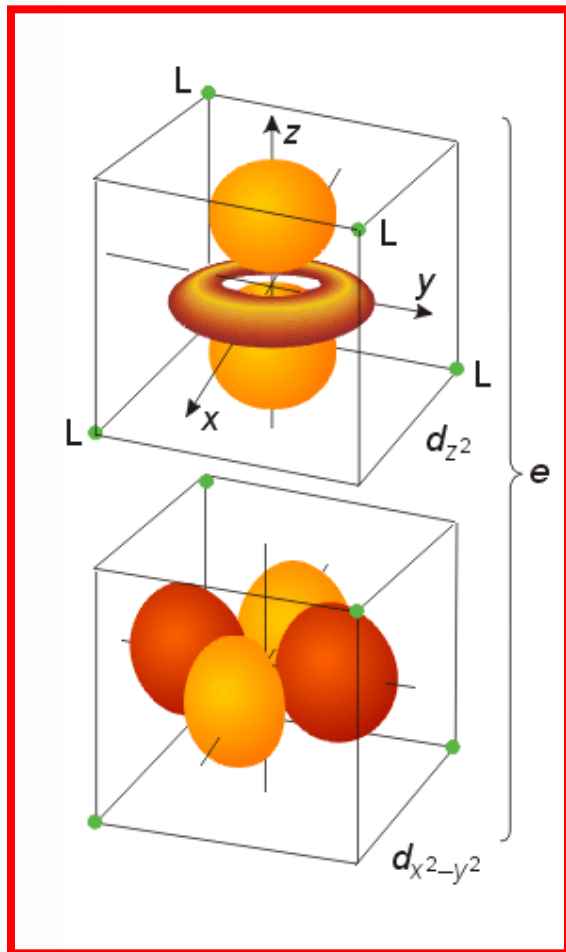


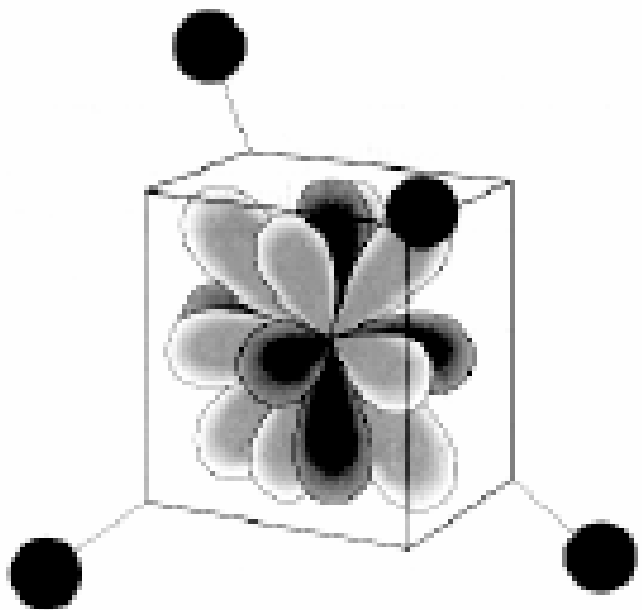
In octahedral
crystal field



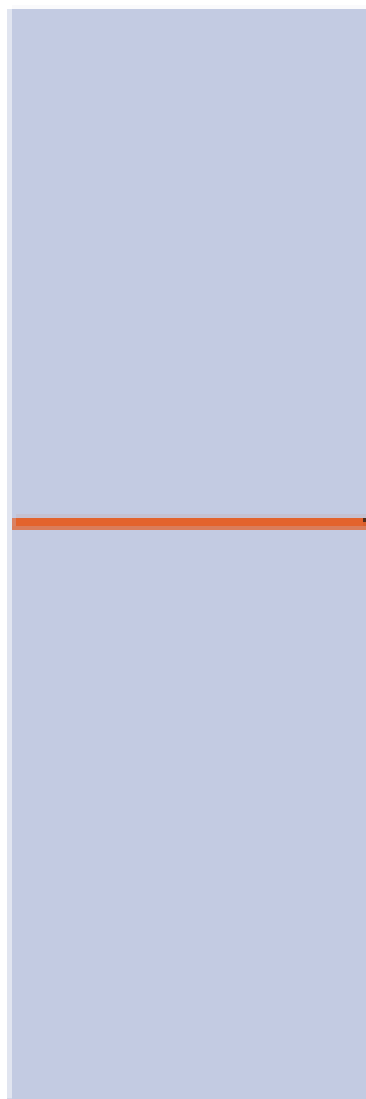


In Tetrahedral Field

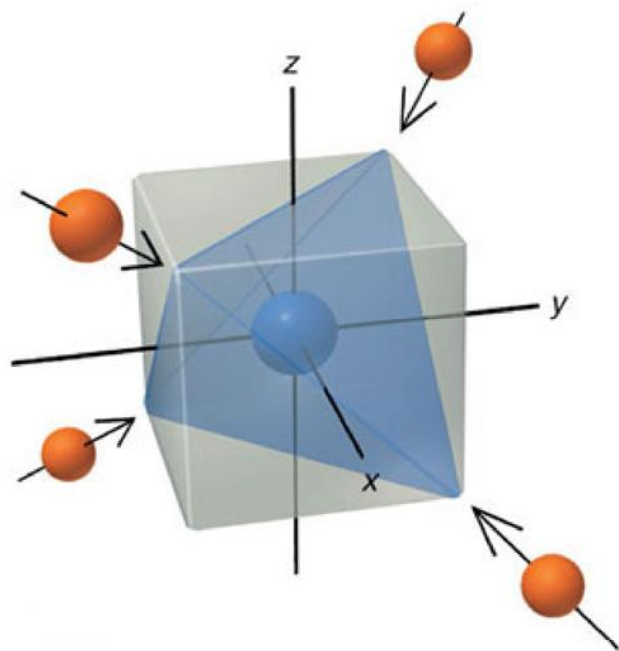
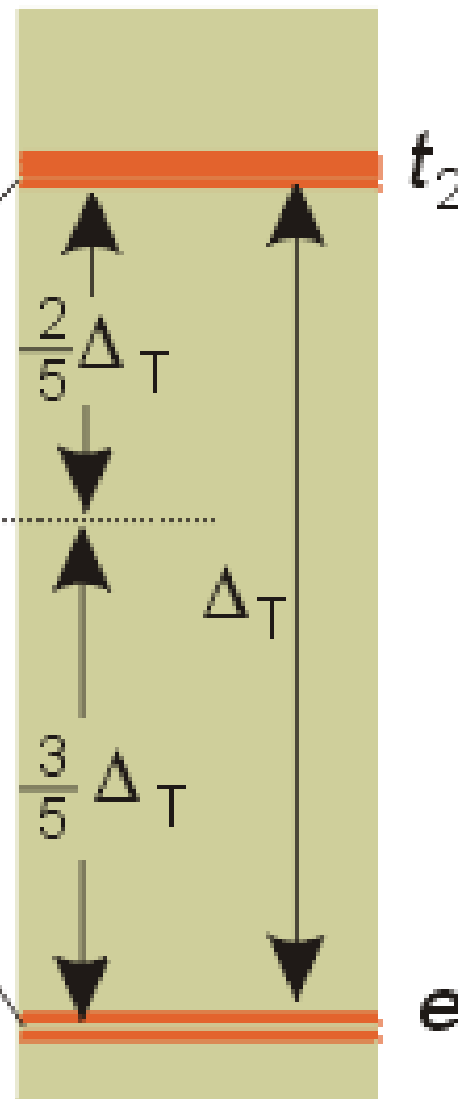




Spherical
environment



In tetrahedral
crystal field



Crystal Field Splitting Energy (CFSE)

- In Octahedral field, configuration is: $t_{2g}^x e_g^y$
- Net energy of the configuration relative to the average energy of the orbitals is:

$$= (-0.4x + 0.6y)\Delta_o$$

BEYOND d^3

- In weak field: $\Delta_o < P, \Rightarrow t_{2g}^3 e_g^1$
- In strong field $\Delta_o > P, \Rightarrow t_{2g}^4$
- P - pairing energy

Magnitude of Δ

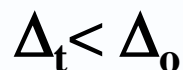
Oxidation state of the metal ion



Nature of the metal ion



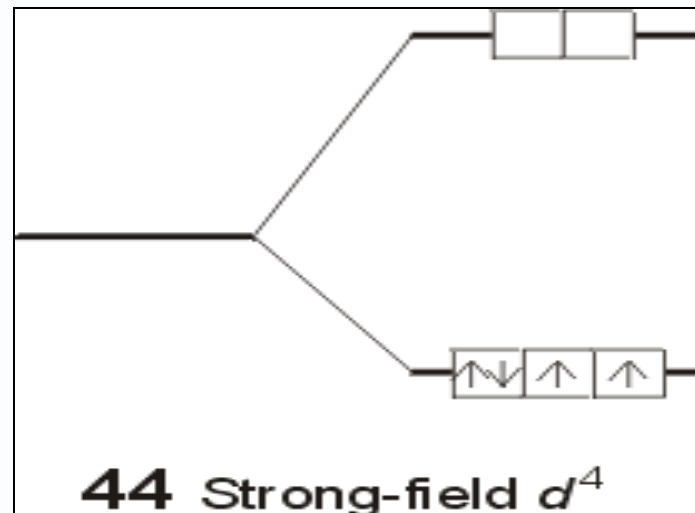
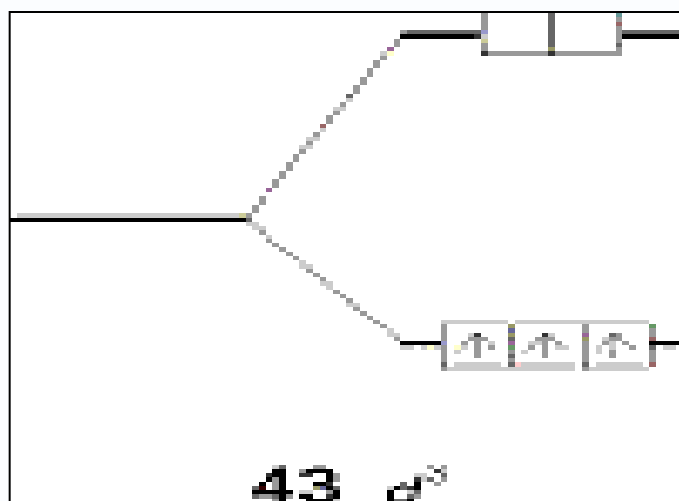
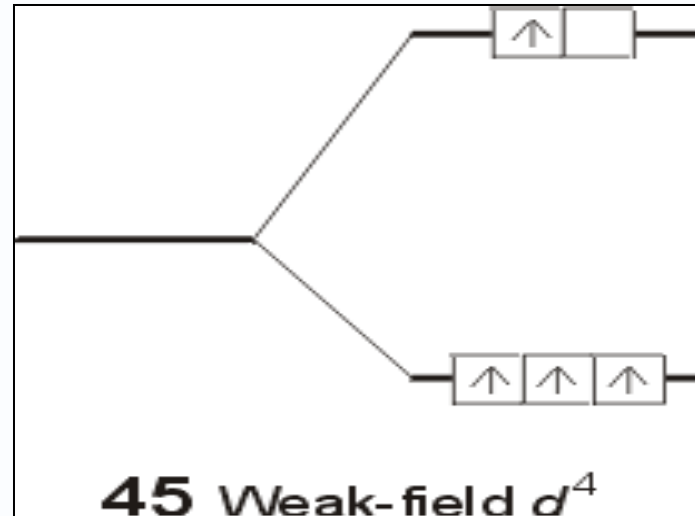
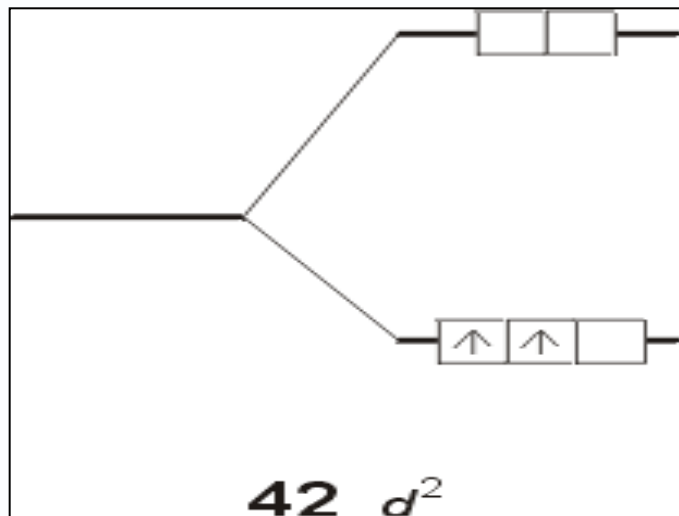
Number and geometry of the ligand



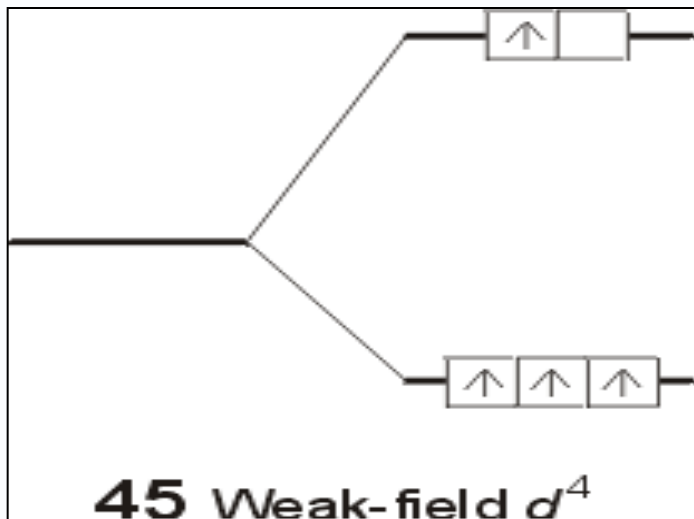
Nature of the ligand



Ground-state Electronic Configuration, Magnetic Properties and Colour



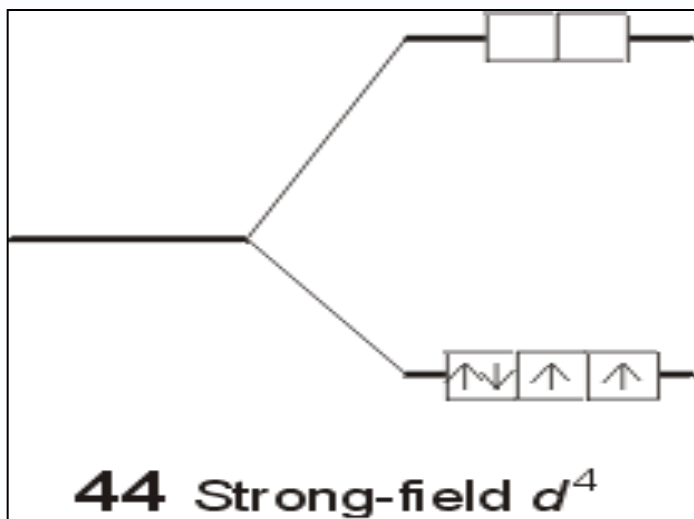
Ground-state Electronic Configuration, Magnetic Properties and Colour



Weak Field Complex

the total spin is $4 \times \frac{1}{2} = 2$

High Spin Complex



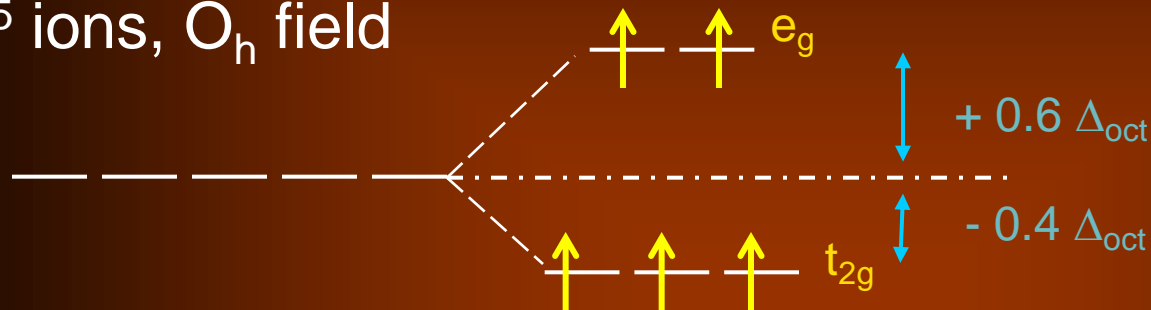
Strong field Complex

total spin is $2 \times \frac{1}{2} = 1$

Low Spin Complex

Ground-state Electronic Configuration, Magnetic Properties and Colour

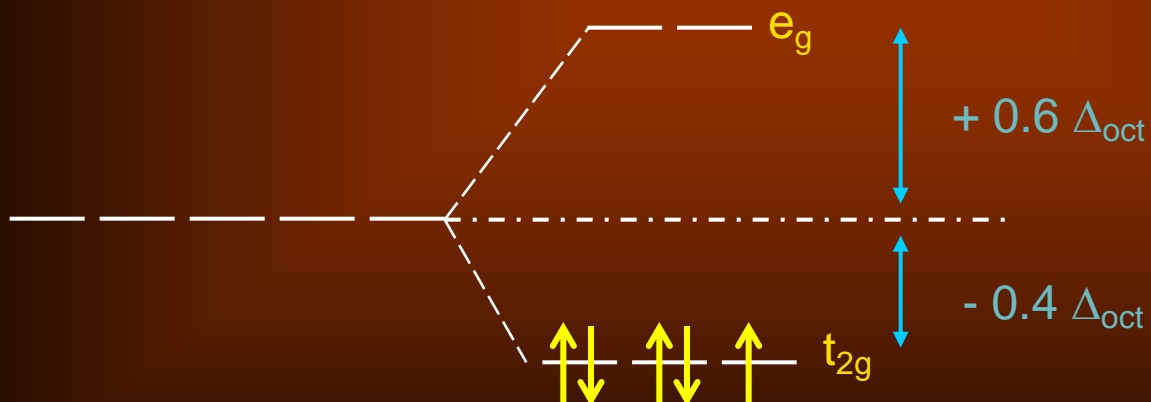
d^5 ions, O_h field



High Spin

CFSE = 0

5 u.p.e⁻



Low Spin

CFSE =

$$5 \times -0.4 \Delta_{oct} + 2P$$

$$= -2.0 \Delta_{oct} + 2P$$

1 u.p.e⁻

What is the CFSE of $[\text{Fe}(\text{CN})_6]^{3-}$?

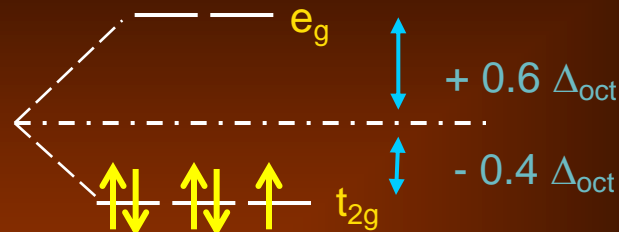
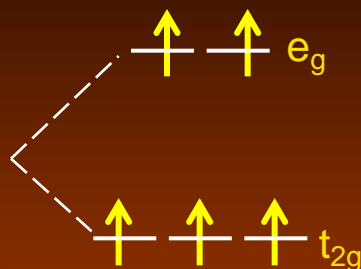
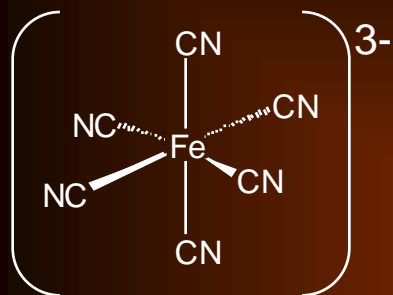
C.N. = 6 \therefore O_h

Fe(III) \therefore d^5

h.s.

l.s.

\swarrow $\text{CN}^- = \text{s.f.l.}$



$$\text{CFSE} = 5 \times -0.4 \Delta_{\text{oct}} + 2P = -2.0 \Delta_{\text{oct}} + 2P$$

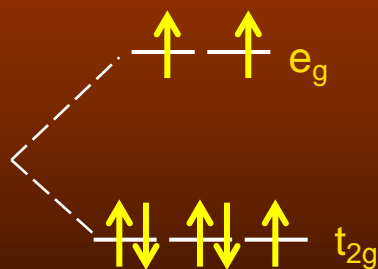
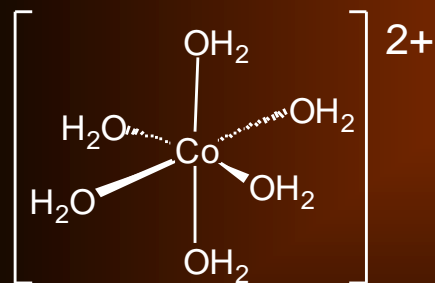
If the CFSE of $[\text{Co}(\text{H}_2\text{O})_6]^{2+}$ is $-0.8 \Delta_{\text{oct}}$, what spin state is it in?

C.N. = 6 \therefore O_h

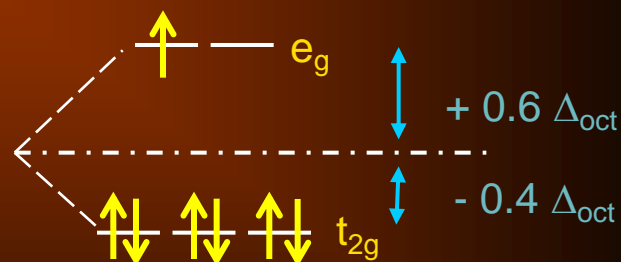
Co(II) \therefore d^7

h.s.

l.s.



$$\begin{aligned} \text{CFSE} &= (5 \times -0.4 \Delta_{\text{oct}}) \\ &+ (2 \times 0.6 \Delta_{\text{oct}}) = -0.8 \Delta_{\text{oct}} \end{aligned}$$



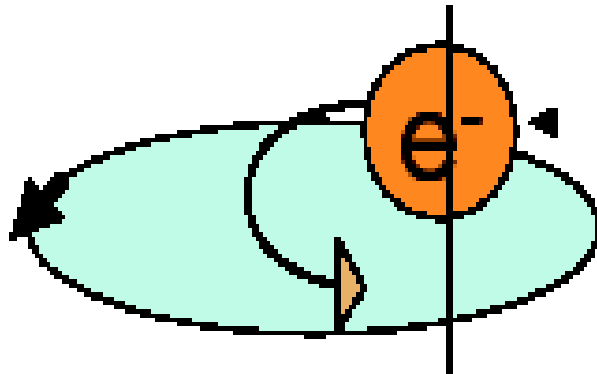
$$\begin{aligned} \text{CFSE} &= (6 \times -0.4 \Delta_{\text{oct}}) \\ &+ (0.6 \Delta_{\text{oct}}) + P = -1.8 \Delta_{\text{oct}} + P \end{aligned}$$

Magnetism

Each electron has a magnetic moment owing to its:

spin angular momentum

orbital angular momentum



Orbital motion of e generates current and magnetic field

Spin motion of e about its own Axis also generates a magnetic field

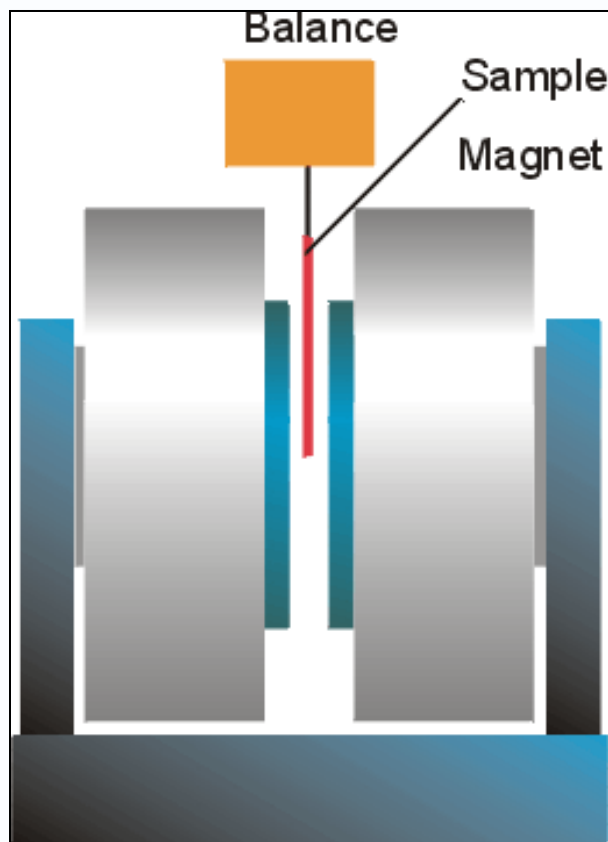
- The magnetic moment μ of a complex with total spin quantum number S is:
- $\mu = 2\{S(S+1)\}^{1/2} \mu_B$ (μ_B is the Bohr magneton)
- $\mu_B = eh/4\pi m_e = 9.274 \times 10^{-24} \text{ J T}^{-1}$
- Since each unpaired electron has a spin $1/2$,
- $S = (1/2)n$, where n = no. of unpaired electrons
- $\mu = \{n(n+2)\}^{1/2} \mu_B$
- In d^4 , d^5 , d^6 , and d^7 octahedral complexes, magnetic measurements can very easily predict weak versus strong field.
- Tetrahedral complexes - only high spin complexes result, for $\Delta_t \ll \Delta_o$.

n = no. of unpaired electrons

$$\mu = \{n(n+2)\}^{1/2} \mu_B$$

Ion	n	S	μ/μ_B Calculate d	Experimental
Ti³⁺	1	1/2	1.73	1.7 – 1.8
V³⁺	2	1	2.83	2.7 – 2.9
Cr³⁺	3	3/2	3.87	3.8
Mn³⁺	4	2	4.90	4.8 – 4.9
Fe³⁺	5	5/2	5.92	5.3

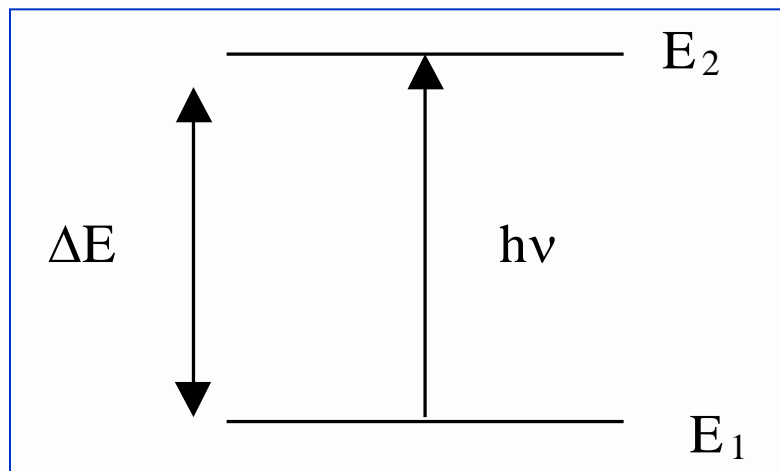
**Similar Calculation can be done
for Low-spin Complex**



**Gouy balance to
measure the magnetic
susceptibilities**

- We can measure the magnetic properties of a sample by hanging a vial of material from a balance so that it sits partly in a magnetic field
 - The sample will be pulled down into the magnet if it contains unpaired electrons (said to be paramagnetic)
 - It will tend to be pushed out of the field if it contains no unpaired electrons (diamagnetic)
- The amount of material in the vial along with the extent to which the sample is pulled into the magnet allows us to calculate the magnetic susceptibility of the sample
 - Sample with a high magnetic susceptibility is strongly pulled into the magnetic field

The origin of the color of the transition metal compounds

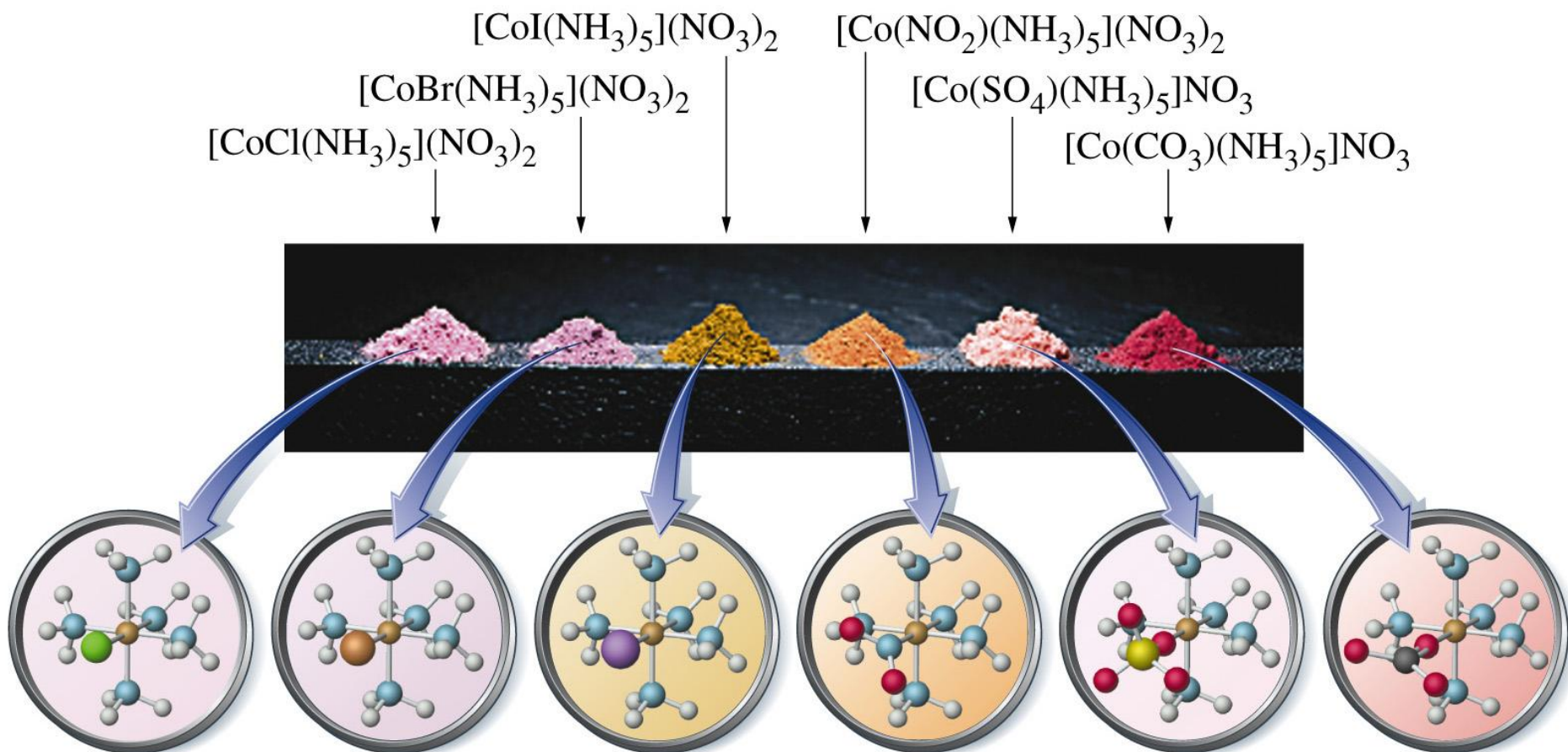


$$\Delta E = E_2 - E_1 = h\nu$$

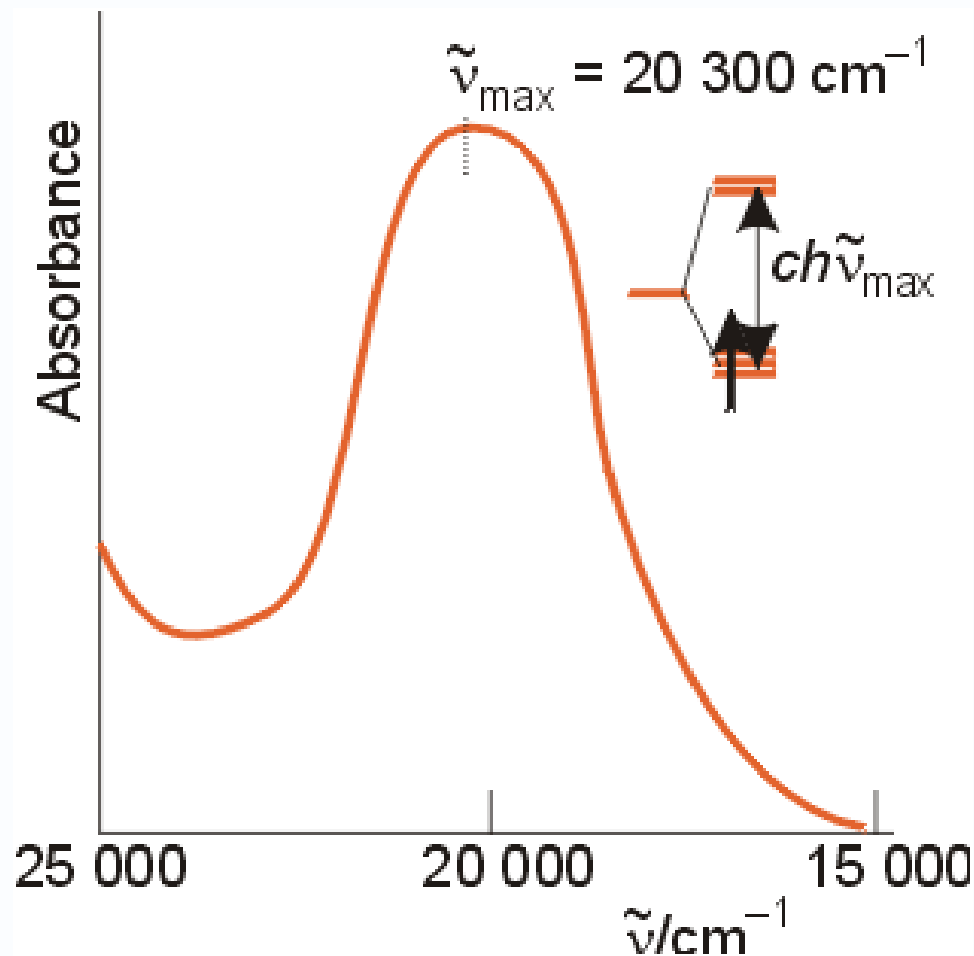
Ligands influence Δ_o , therefore the colour

The colour can change depending on a number of factors
e.g.

1. Metal charge
2. Ligand strength



The optical absorption spectrum of $[\text{Ti}(\text{H}_2\text{O})_6]^{3+}$



Assigned transition:

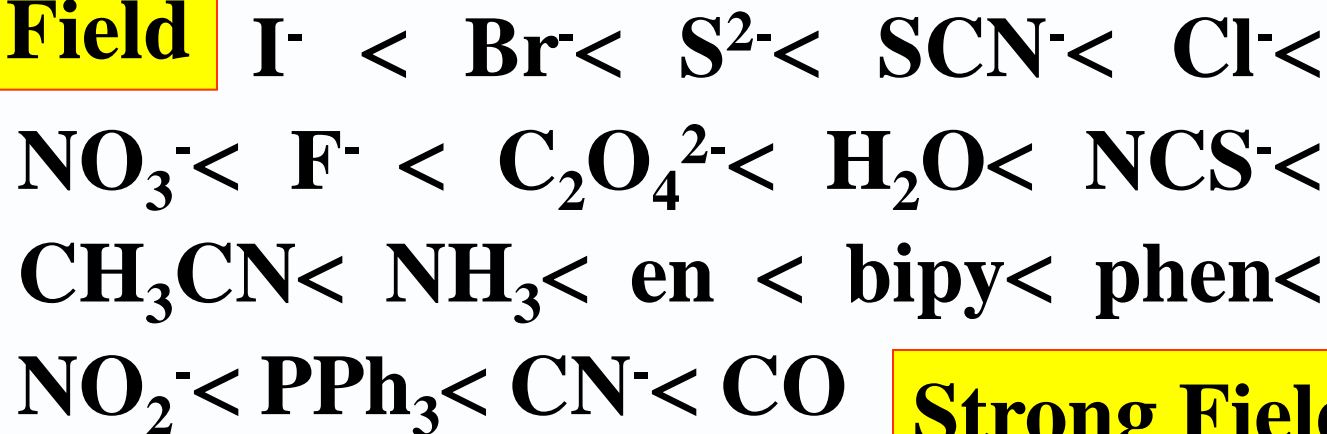


**This corresponds to
the energy gap**

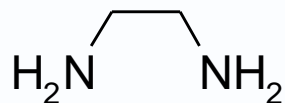
$$\Delta_o = 243\text{ kJ mol}^{-1}$$

- **Spectrochemical Series: An order of ligand field strength based on experiment:**

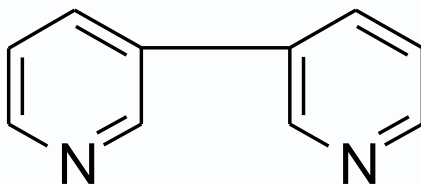
Weak Field



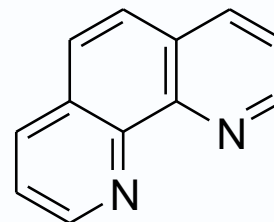
Strong Field



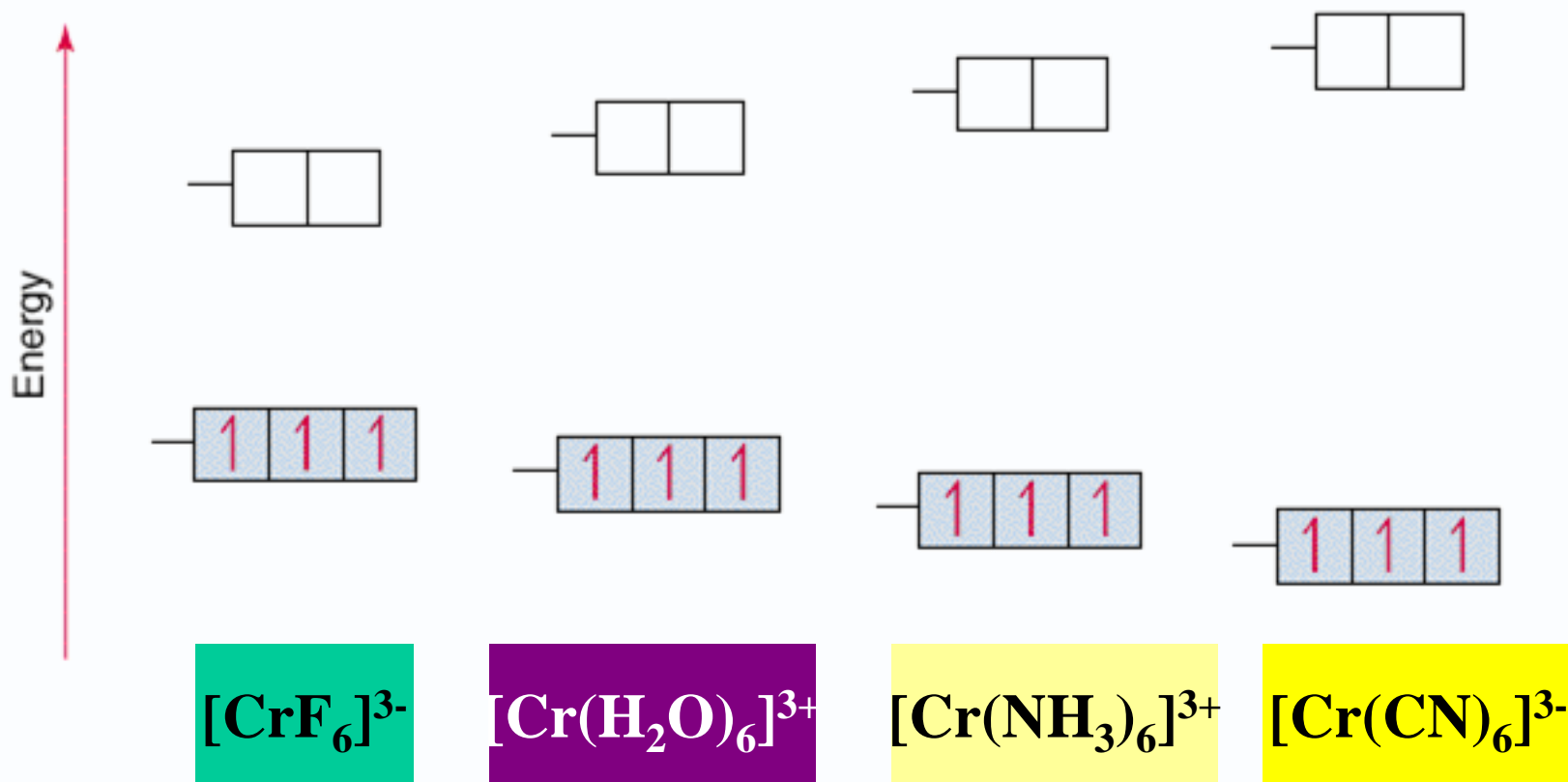
Ethylenediamine (en)



2,2'-bipyridine (bipy)



1,10-phenanthroline (phen)



As Cr^{3+} goes from being attached to a weak field ligand to a strong field ligand, Δ increases and the color of the complex changes from green to yellow.

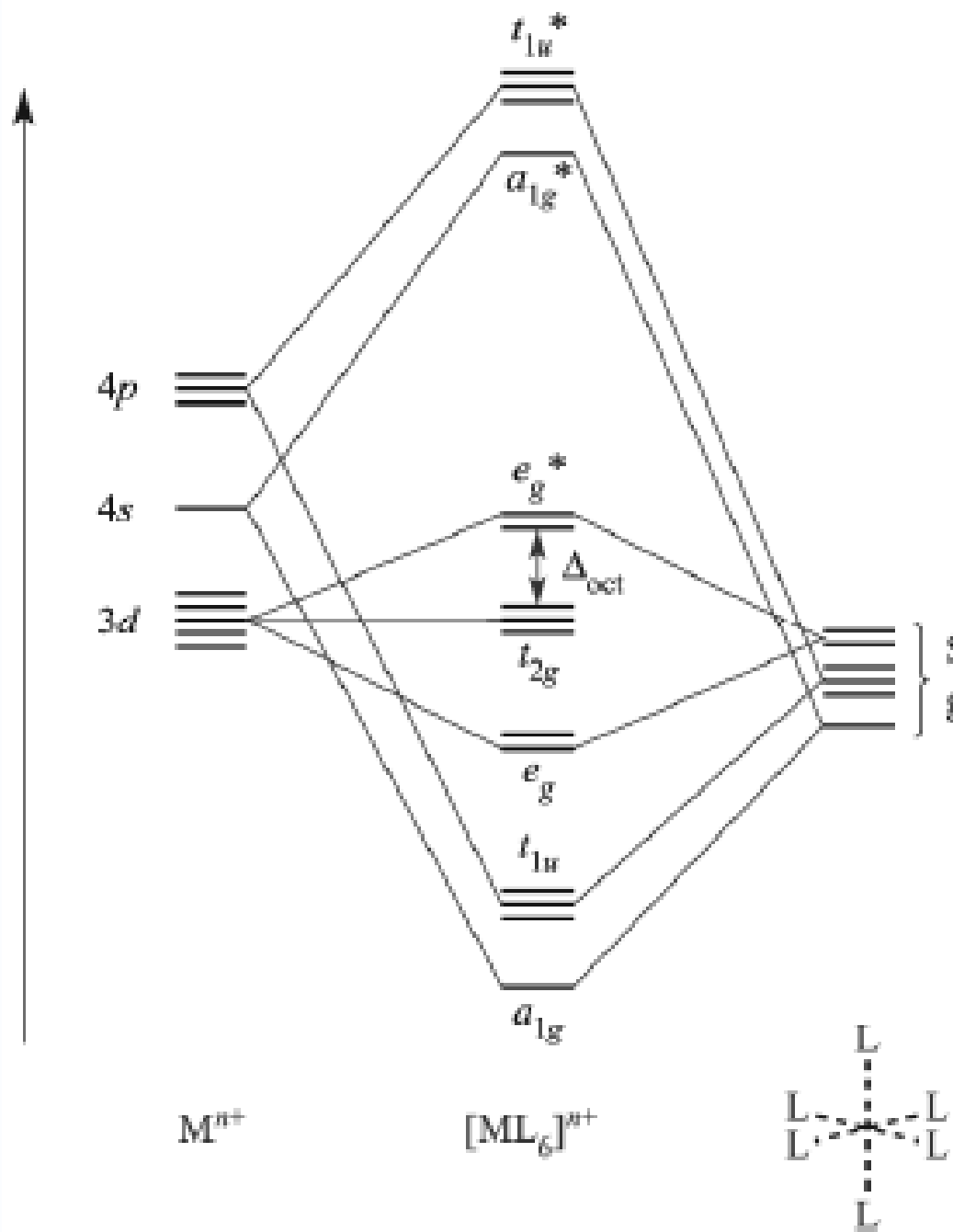
Limitations of CFT

Considers Ligand as Point charge/dipole only

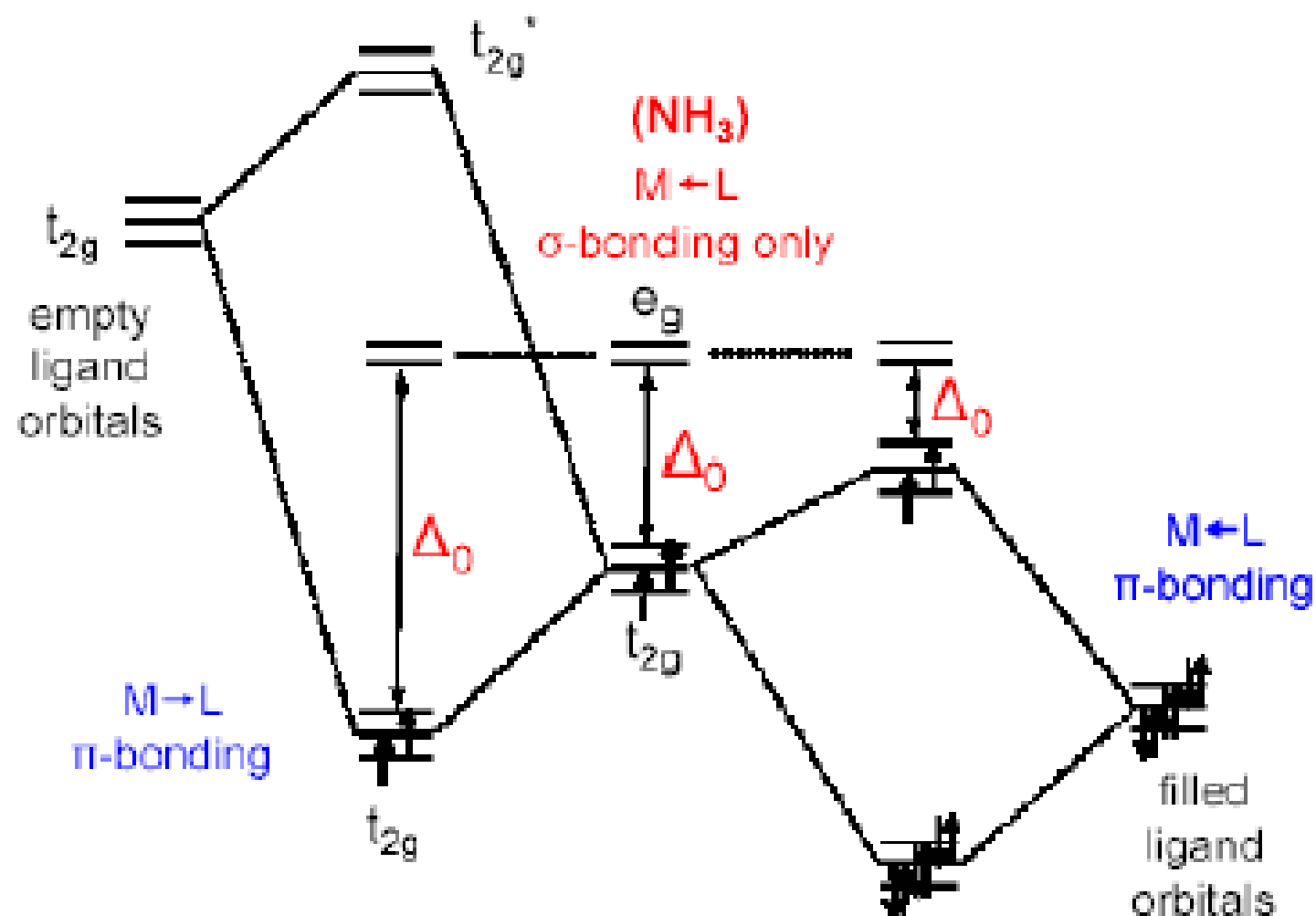
Does not take into account overlap between ligand and metal orbitals

Consequence

e.g. Fails to explain why CO is stronger ligand than CN^- in complexes having metal in low oxidation state



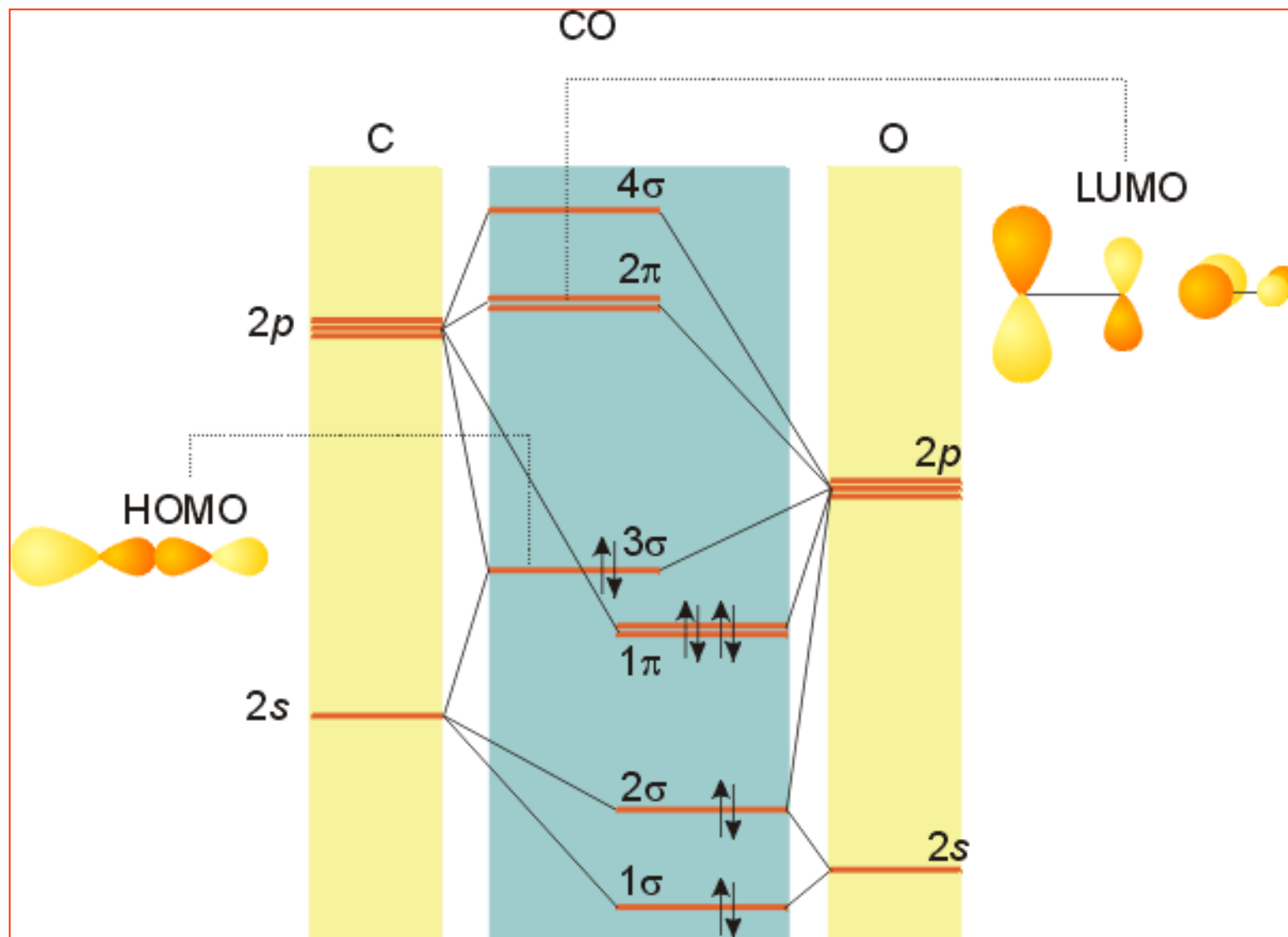
Summary of ligand effects on Δ_o



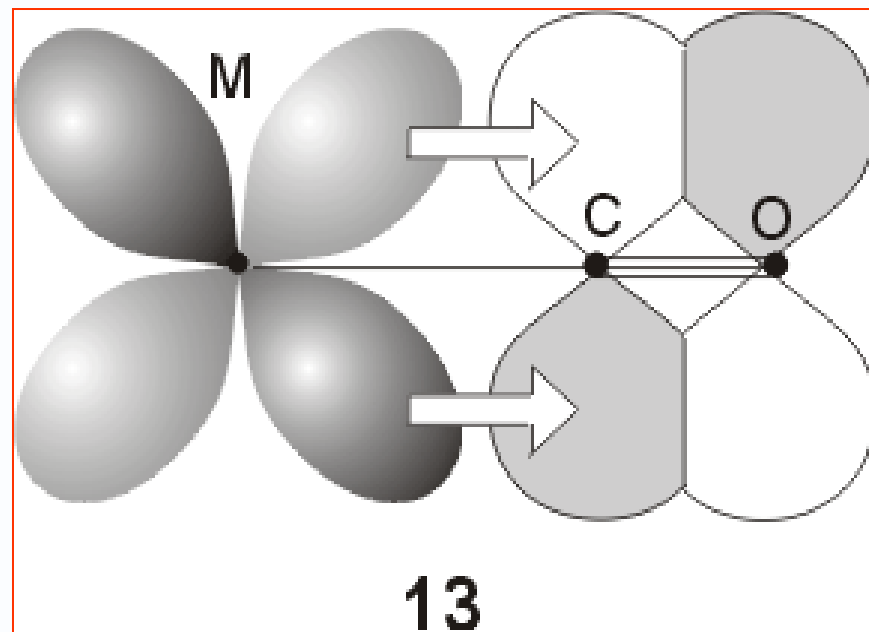
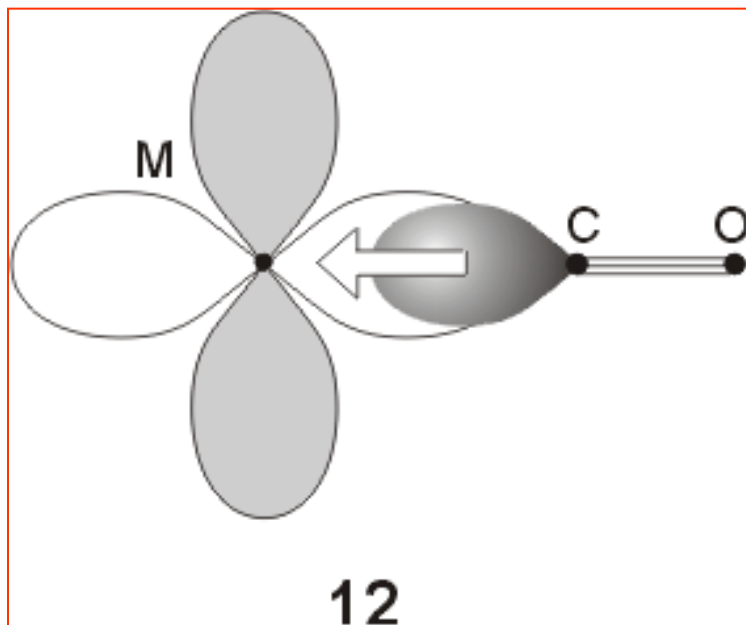
Metals in Low Oxidation States

- In low oxidation states, the electron density on the metal ion is very high.
- To stabilize low oxidation states, we require ligands, which can simultaneously bind the metal center and also withdraw electron density from it.

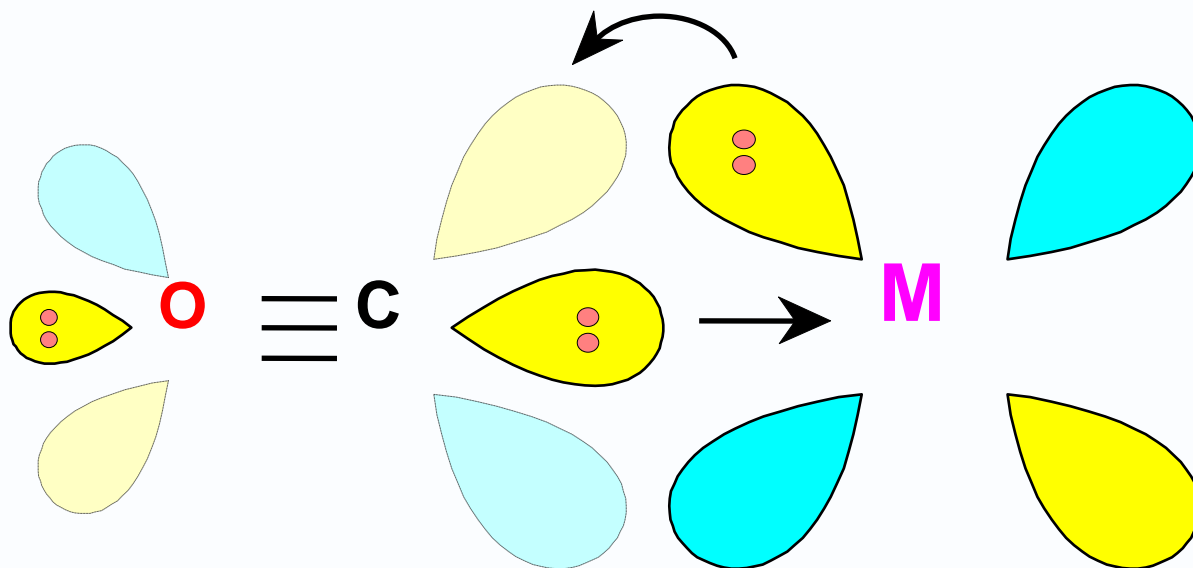
Stabilizing Low Oxidation State: CO Can Do the Job



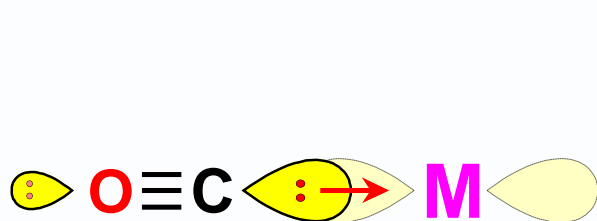
Stabilizing Low Oxidation State: CO Can Do the Job



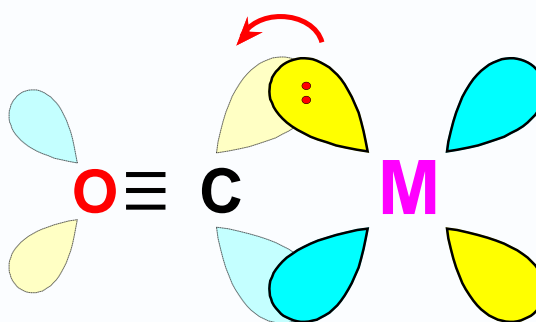
**$\text{Ni}(\text{CO})_4$, $[\text{Fe}(\text{CO})_5]$, $[\text{Cr}(\text{CO})_6]$, $[\text{Mn}_2(\text{CO})_{10}]$,
 $[\text{Co}_2(\text{CO})_8]$, $\text{Na}_2[\text{Fe}(\text{CO})_4]$, $\text{Na}[\text{Mn}(\text{CO})_5]$**



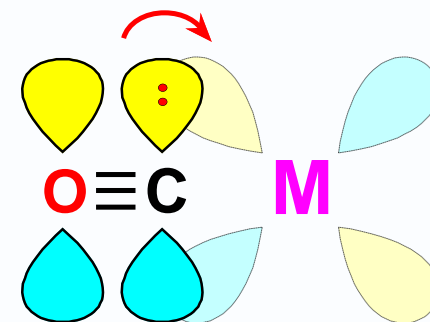
σ orbital serves as a very weak donor to a metal atom



CO-M sigma bond



M to CO pi backbonding

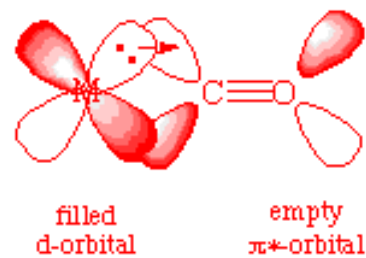


CO to M pi bonding
(rare)

σ bond:



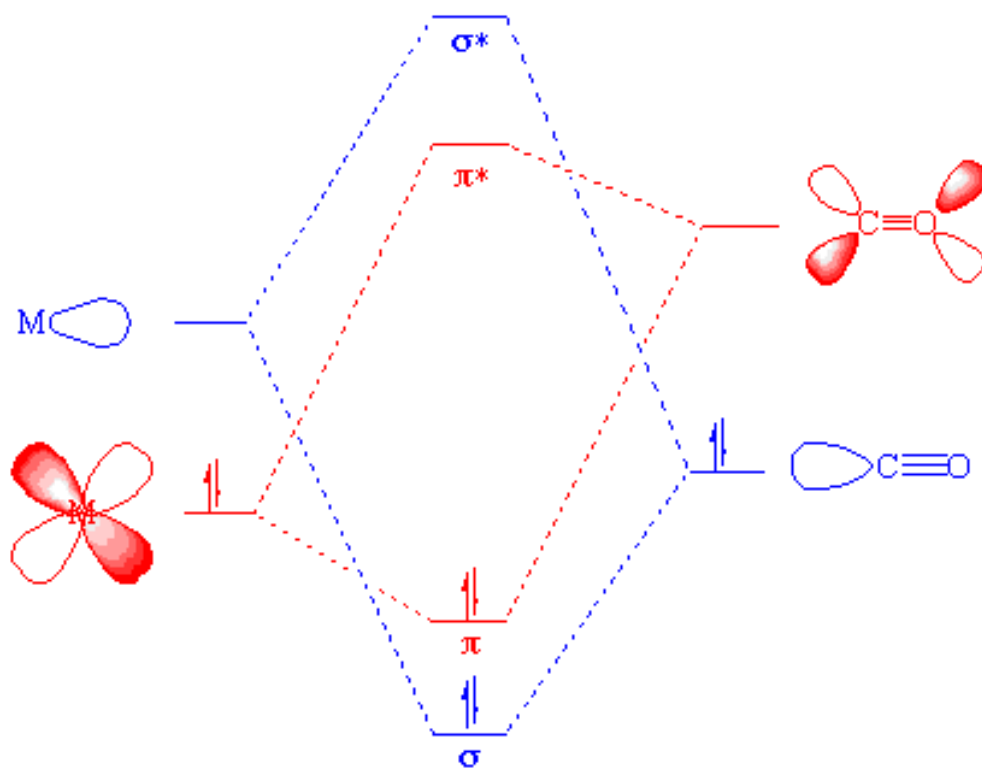
π backbond:



L_nM

$L_nM(CO)$

CO



You the guy who just made a seven-coordinate compound of chromium III...?

Well we've got a MESSAGE for ya....

Chromium III doesn't LIKE being seven-coordinate...



LATE THAT NIGHT, PROFESSOR ROBINSON'S LABORATORY WAS OVERRUN BY HOSTILE ELEMENTS.