

VISVESVARAYA TECHNOLOGICAL UNIVERSITY

“JnanaSangama”, Belgaum -590014, Karnataka.



LAB REPORT

Artificial Intelligence (23CS5PCAIN)

Submitted by

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in partial fulfilment for the award of the degree of
BACHELOR OF ENGINEERING
in
COMPUTER SCIENCE AND ENGINEERING



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CERTIFICATE

This is to certify that the Lab work entitled “Artificial Intelligence (23CS5PCAIN)” carried out by **Nischal Kiran(1BM22CS182)**, who is Bonafide student of **B.M.S. College of Engineering**. It is in partial fulfilment for the award of **Bachelor of Engineering in Computer Science and Engineering** of the Visvesvaraya Technological University, Belgaum. The Lab report has been approved as it satisfies the academic requirements in respect of an Artificial Intelligence (23CS5PCAIN) work prescribed for the said degree.

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|---|--|

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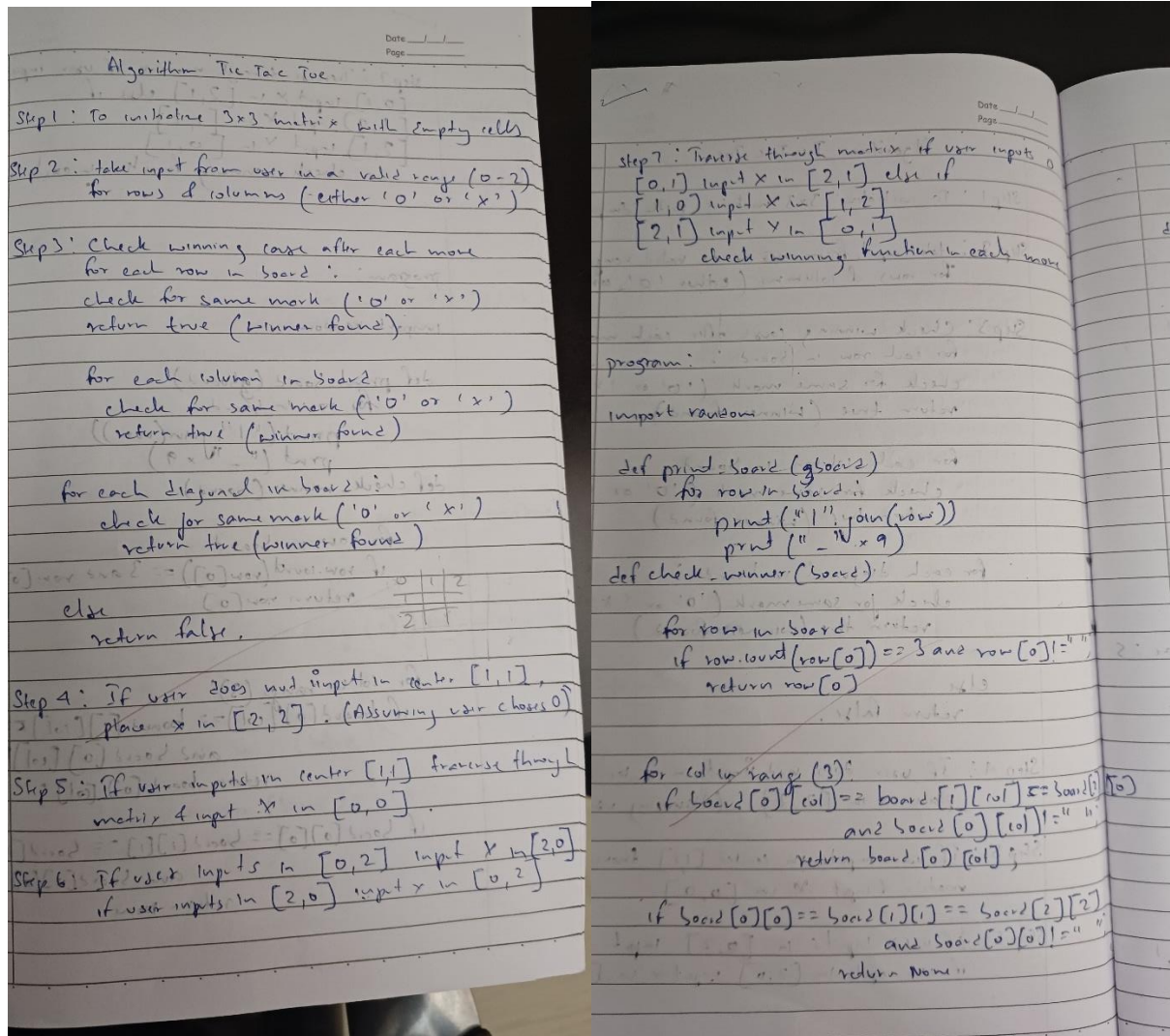
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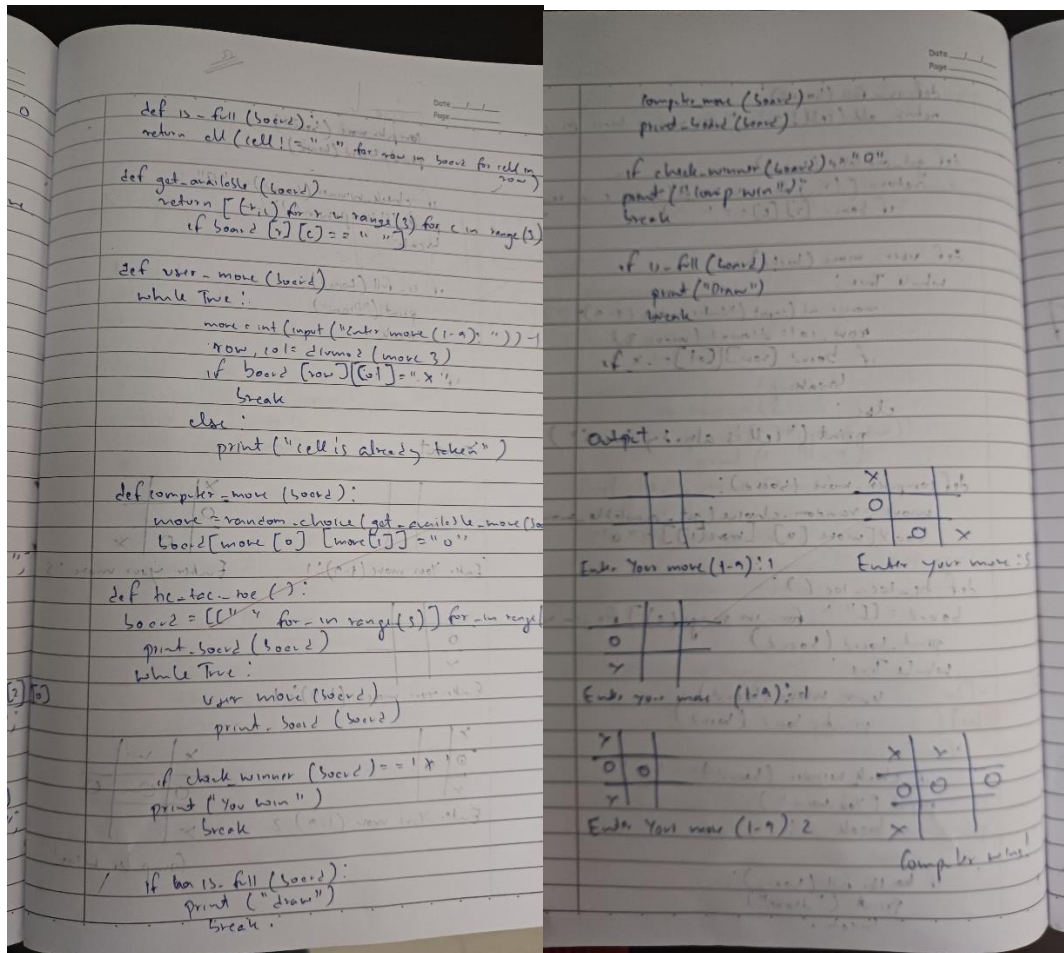
<https://github.com/nischal-kiran/AI>

Program 1

Implement Tic - Tac - Toe Game

Algorithm:





Code:

```
import random
```

```

def win(board):
    for row in board:
        if row[0] == row[1] == row[2] != "":
            return True
    for col in range(3):
        if board[0][col] == board[1][col] == board[2][col] != "":
            return True
    if board[0][0] == board[1][1] == board[2][2] != "":
        return True
    if board[0][2] == board[1][1] == board[2][0] != "":
        return True
    return False

```

```

def printBoard(board):
    print("\n".join([" | ".join(row) for row in board]))

def draw(board):
    return all(cell != "" for row in board for cell in row)

def user_move(board):
    while True:
        try:
            move = int(input("Enter your move (1-9): ")) - 1
            row, col = divmod(move, 3)
            if board[row][col] == "":
                board[row][col] = "X"
                break
            else:
                print("That space is already taken. Try again.")
        except (ValueError, IndexError):
            print("Invalid input. Please enter a number from 1 to 9.")

def computer_move(board):
    while True:
        move = random.randint(0, 8)
        row, col = divmod(move, 3)
        if board[row][col] == "":
            board[row][col] = "O"
            break

def _main():
    board = [["" for _ in range(3)] for _ in range(3)]

    while True:

```

```

        printBoard(board)
    user_move(board)    if
    win(board):
        printBoard(board)
    print("You win!")
    break    if
    draw(board):
        printBoard(board)
    print("It's a draw!")    break
    computer_move(board)
    if win(board):
        printBoard(board)
    print("Computer wins!")
    break    if draw(board):
    printBoard(board)
    print("It's a draw!")
    break

if __name__ == "__main__":
    _main()

```

Output:

```
| | |
| | |
| | |
Enter your move (1-9): 2
| X |
| | |
| O |
Enter your move (1-9): 9
| X |
O | |
| O | X
Enter your move (1-9): 1
X | X |
O | |
O | O | X
Enter your move (1-9): 5
X | X |
O | X |
O | O | X
You win!
```


Program 2

Implement vacuum cleaner agent

Algorithm:

Vacuum Cleaner Problem

Assume 2 rooms

$[R_1, R_2]$

Particulars: two states for a room being location 2
 Status: location is the room number (either 1 or 2)
 let status be either clean or dirty

clean room (room)

room status = ["Dirty", "clean"]
 room 1 = "Dirty"
 room 2 = "Dirty"

Vacuum cleaner (room)

if (room 1 = "Dirty")
 Clean the room. Set state to clean
 [Since room is clean it goes left]
 if (room 2 = "Dirty")
 Clean the room. Set status to clean
 [Since room is clean, it goes right]
 if (room 1 = "clean")
 it goes left as state remains same
 if (room 2 = "clean")
 it turns off and state remains same

Diagram illustrating the states and transitions:

Initial state: $\begin{bmatrix} 1 & 2 \\ D & D \end{bmatrix} \rightarrow \begin{bmatrix} 1 & 2 \\ C & D \end{bmatrix}$

Intermediate state: $\begin{bmatrix} 1 & 2 \\ C & D \end{bmatrix} \rightarrow \begin{bmatrix} 1 & 2 \\ C & C \end{bmatrix}$

Final state: $\begin{bmatrix} 1 & 2 \\ C & C \end{bmatrix} \rightarrow \begin{bmatrix} 1 & 2 \\ C & C \end{bmatrix}$

check: goes to room 2. it checks room 2

Final state: $\begin{bmatrix} 1 & 2 \\ C & C \end{bmatrix}$

Transitions:

$(1, \text{dirty}) \rightarrow (2, \text{dirty})$
 $(1, \text{clean}) \rightarrow (2, \text{clean}) \rightarrow (1, \text{clean})$ [stops]

```

class VacuumCleaner:
    def __init__(self, environment):
        self.environment = environment
        self.cleaned_cells = 0
        self.position = (0, 0)

    def clean(self):
        while True:
            x, y = self.position

            if self.environment[x][y] != 'D':
                self.environment[x][y] = 'D'
                self.cleaned_cells += 1
                print(f"cleaned cell at {self.position}")

            next_position = self.find_next_duty()
            if next_position:
                print(f"moving to next dirty position {next_position}")
                self.position = next_position
            else:
                print("No dirty rooms. Cleaning complete")
                break

        def find_next_duty(self):
            for i in range(len(self.environment)):
                for j in range(len(self.environment[i])):
                    if self.environment[i][j] == 'D':
                        return (i, j)
            return None

```

```

def display_environment(self):
    for row in self.environment:
        print(" ".join(row))
    print(f"Total cleaned cells: {self.cleaned_cells}")

initial_environment = [
    ['D', 'D']
]

agent = VacuumCleanerAgent(initial_environment)
print("Initial Environment")
agent.display_environment()
agent.clean()
print("Final Environment")
agent.display_environment()

Output:
Initial Environment
D D
Total cleaned rooms: 0
Cleaned position (0, 0)
Moving to next dirty position (0, 1)
Cleaned position (0, 1)
No more dirty rooms

Final Environment:
D D
Total cleaned cells: 2

```

Initial Environment

```

D D
D D

```

total cleaned cells: 0

cleaned position: (0, 0)

moving to next dirty position (0, 1)

cleaned position: (0, 1)

moving to next dirty position (1, 0)

cleaned position: (1, 0)

no more dirty rooms

Final Environment

```

C C
C C

```

Code:

```
def printArr(arr):
    for row in arr:
        print(row)
    print()
def clean(arr, x, y):
    if arr[x][y] == 1:
        arr[x][y] = 0
    def check(arr):
        for row in arr:
            if 1 in row:
                return True
        return False
    # Directions: right (0,1), down (1,0), left (0,-1), up (-1,0)
    directions = [(0, 1), (1, 0), (0, -1), (-1, 0)]
    direction_index = 0 # Start moving right
    # Get room status
    print("Enter the status of the rooms (0 for clean; 1 for dirty):")
    arr1 = []
    for i in range(2):
        row = []
        for j in range(2):
            a = int(input(f"Status of room ({i}, {j}): "))
            row.append(a)
        arr1.append(row)
    x, y = 0, 0 #Start cleaning from the first room
    while True:
        printArr(arr1)
        if not check(arr1):
            break
        clean(arr1, x, y)
        #Move to the next room in the current direction
        dx, dy = directions[direction_index]
        new_x, new_y = x + dx, y + dy
```

```

    #Check bounds    if 0 <= new_x < 2
and 0 <= new_y < 2:
    x, y = new_x, new_y
else:
    #Change direction(turn right)
direction_index = (direction_index + 1) % 4    dx,
dy = directions[direction_index]    x, y = x + dx, y
+ dy #Move in the new direction print("All rooms are
cleaned!")

```

Output:

```

Enter the status of the rooms (0 for clean; 1 for dirty):
Status of room (0, 0): 1
Status of room (0, 1): 0
Status of room (1, 0): 1
Status of room (1, 1): 0
[1, 0]
[1, 0]

[0, 0]
[1, 0]

[0, 0]
[1, 0]

[0, 0]
[1, 0]

[0, 0]
[0, 0]

All rooms are cleaned!

```


Program 3

Implement 8 puzzle problems using Depth First Search (DFS)

Algorithm:

8-puzzle

Puzzle state = $\begin{bmatrix} 0 & 1 & 2 \\ 3 & 4 & 5 \\ 6 & 7 & 8 \end{bmatrix}$

def manhattan(state, final):

1. Define the goal state in a 3x3 matrix.
2. Function to find blank space

for i in range(3):
for j in range(3):
if state[i][j] == 0:
return [i, j]

Once blank tile is found we move one of the four directions i.e. up, down, left, Right.

$\begin{bmatrix} 4 & 5 & 7 \\ 8 & 0 & 6 \\ 3 & 1 & 2 \end{bmatrix} \rightarrow \begin{bmatrix} 4 & 5 & 7 \\ 8 & 6 & 0 \\ 3 & 1 & 2 \end{bmatrix}$

this state is added to stack. The blank space is moved in other directions i.e. up, down, left, right.

Converting each state into a node after it is marked as visited the node is popped and it becomes the current state.

Each valid neighbor is pushed into the stack

neighbor = get_neighbour(current)

for neighbor in neighbors:
if neighbor is not visited:
stack.append(neighbor)

stack = [
Node(up):
Node(down):
Node(left):
Node(right):
]

node (right) is popped and it is explored

$\begin{bmatrix} 1 & 2 & 3 \\ 4 & 6 & 0 \\ 7 & 5 & 8 \end{bmatrix} \rightarrow \begin{bmatrix} 1 & 2 & 3 \\ 4 & 6 & 3 \\ 7 & 5 & 8 \end{bmatrix} \rightarrow \begin{bmatrix} 1 & 2 & 3 \\ 4 & 6 & 8 \\ 7 & 5 & 0 \end{bmatrix}$

Added to stack & LIFO is checked

```

class Node:
    def __init__(self, state, parent=None, move=None, depth=0):
        self.state = state
        self.parent = parent
        self.move = move
        self.depth = depth

    def goal_state(self, state):
        return state == [1, 2, 3]

    def find_blank(self, state):
        for i in range(len(state)):
            for j in range(len(state[i])):
                if state[i][j] == 0:
                    return (i, j)

    def neighbours(self, node):
        state = node.state
        row, col = find_blank(state)
        neighbours = []

        moves = {
            'up': (row-1, col),
            'down': (row+1, col),
            'left': (row, col-1),
            'right': (row, col+1)
        }

        for move, (r, c) in moves.items():
            if 0 <= r < len(state) and 0 <= c < len(state[r]):
                new_state = state[:]
                new_state[r], new_state[c] = state[row], state[col]
                new_state[row], new_state[col] = state[r], state[c]
                neighbours.append(Node(new_state, node, move, node.depth+1))

    def dfs_limit(self, start_state, depth_limit):
        stack = [Node(start_state)]
        visited = set()

        while stack:
            current_node = stack.pop()

            if is_goal(current_node.state):
                return reconstruct_path(current_node)

            visited.add(tuple(map(lambda x: x, current_node.state)))

            if current_node.depth < depth_limit:
                for neighbour in self.neighbours(current_node):
                    if tuple(map(lambda x: x, neighbour.state)) not in visited:
                        stack.append(neighbour)

        return None

    def reconstruct_path(self, node):
        path = []
        while node.parent is not None:
            path.append(node.move)
            node = node.parent
        return path[::-1]

```

```

def main():
    start_state = [1, 2, 3]
    goal_state = [1, 2, 3]
    depth_limit = 10

    node = Node(start_state)
    solution = dfs_limit(node, depth_limit)

    if solution:
        print("Solution:", solution)
    else:
        print("No solution found")

if __name__ == '__main__':
    main()

```

```

initial_state = [1, 2, 3]
[4, 5, 6]
[7, 8, 9]

depth_limit = 10
solution = dfs_limit(initial_state, depth_limit)

Output:
Solution: ['right', 'down', 'left', 'up', 'right', 'down', 'left', 'up', 'right', 'down']

```

Code:

```
class PuzzleState:
    def __init__(self, board,
moves=0, previous=None):
        self.board = board
        self.moves
= moves
        self.previous = previous
        self.empty_pos = self.find_empty()

    def find_empty(self):
        for
i in range(3):
            for j in
range(3):
                if
self.board[i][j] == 0:
                    return (i, j)

    def manhattan_distance(self):
        dist = 0
        for i in range(3):
            for j in range(3):
                tile = self.board[i][j]
            if tile != 0:
                target_x = (tile - 1) // 3
            target_y = (tile - 1) % 3
                dist += abs(i -
target_x) + abs(j - target_y)
            return dist

    def generate_moves(self):
        moves = []
        x, y =
self.empty_pos
            directions = [(1, 0), (-1, 0), (0, 1), (0, -1)]

            for dx, dy in directions:
```

```

        new_x, new_y = x + dx, y + dy
    if 0 <= new_x < 3 and 0 <= new_y < 3:
        new_board = [row[:] for row in self.board]
        new_board[x][y],
        new_board[new_x][new_y] = new_board[new_x][new_y], new_board[x][y]
        moves.append(PuzzleState(new_board, self.moves + 1, self))

    return moves

```

```

def dfs(start_board, max_depth):
    stack = [PuzzleState(start_board)]
    visited = set()
    goal_state = [[1, 2, 3], [4, 5, 6], [7, 8, 0]]

    while stack:
        current_state = stack.pop()
        if current_state.board == goal_state:
            return current_state
        visited.add(tuple(map(tuple, current_state.board)))
        if current_state.moves < max_depth:
            for next_state in current_state.generate_moves():
                if tuple(map(tuple, next_state.board)) not in visited:
                    if next_state.manhattan_distance() < 10:
                        stack.append(next_state)
    return None

```

```

def print_solution(solution):
    path = []
    while solution:
        path.append(solution.board)
        solution = solution.previous
    for step in reversed(path):
        for row in step:
            print(row)
        print()
    print(f"Total

```



```
moves taken to reach the final state:
{len(path) - 1}) initial_board = [[1, 2,
3], [4, 0, 5], [7, 8, 6]] max_depth = 10
solution = dfs(initial_board, max_depth)
if solution:
    print("Solution found:")
print_solution(solution) else:
    print("No solution found.")
```

Output:

```
Solution found:
[1, 2, 3]
[4, 0, 5]
[7, 8, 6]

[1, 2, 3]
[4, 5, 0]
[7, 8, 6]

[1, 2, 3]
[4, 5, 6]
[7, 8, 0]

Total moves taken to reach the final state: 2
```

Program 4

Implement A* search algorithm

Algorithm

Code:

```
def H_n(state, target):
    return sum(x != y for x, y in zip(state, target))
def F_n(state_with_lvl, target):
    state, lvl = state_with_lvl
    return H_n(state, target) + lvl
def possible_moves(state_with_lvl, visited_states):
    state, lvl = state_with_lvl
    b = state.index(0)
    directions = []
    pos_moves = []
    if b <= 5:
        directions.append('d')
    if b >= 3:
        directions.append('u')
    if b % 3 > 0:
        directions.append('l')
    if b % 3 < 2:
        directions.append('r')
    for move in directions:
        temp = gen(state, move, b)
        if temp not in visited_states:
            pos_moves.append([temp, lvl + 1])
    return pos_moves
def gen(state, move, b):
    temp = state.copy()
    if move == 'l':
        temp[b], temp[b - 1] = temp[b - 1], temp[b]
    if move == 'r':
        temp[b], temp[b + 1] = temp[b + 1], temp[b]
```

```

if move == 'u': temp[b], temp[b - 3] = temp[b - 3], temp[b]
if move == 'd': temp[b], temp[b + 3] = temp[b + 3], temp[b]
return temp
def display_state(state):
    print("Current State:")
    for i in range(0, 9, 3):
        print(state[i:i+3])
    print()
def astar(src, target):
    arr = [[src, 0]]
    visited_states = []
    iterations = 0
    while arr:
        iterations += 1
        current = min(arr,
            key=lambda x: F_n(x, target))
        arr.remove(current)
        display_state(current[0])
        if current[0] == target:
            return f'Found with {iterations} iterations'
        visited_states.append(current[0])
        arr.extend(possible_moves(current, visited_states))
    return 'Not found'
src = [1, 2, 3, 8, 0, 4, 7, 6, 5]
target = [2, 8, 1, 0, 4, 3, 7, 6, 5]
print(astar(src, target))

```

Output:

```
Current State:
[1, 3, 4]
[0, 8, 2]
[7, 6, 5]

Current State:
[8, 1, 0]
[2, 4, 3]
[7, 6, 5]

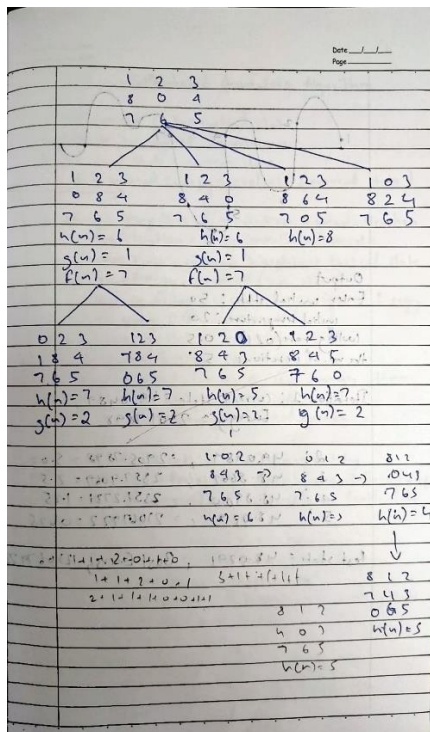
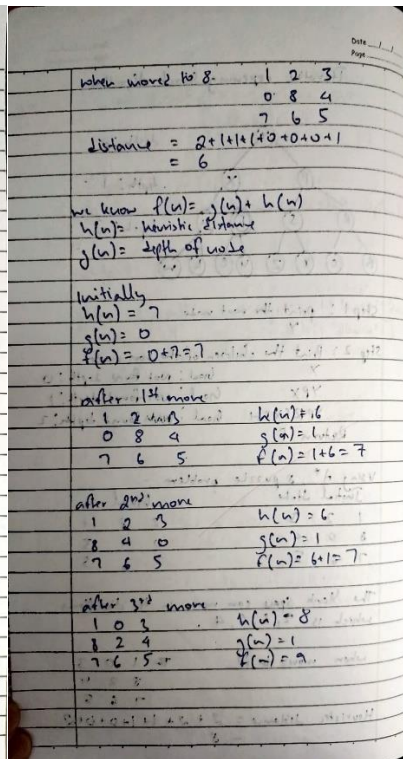
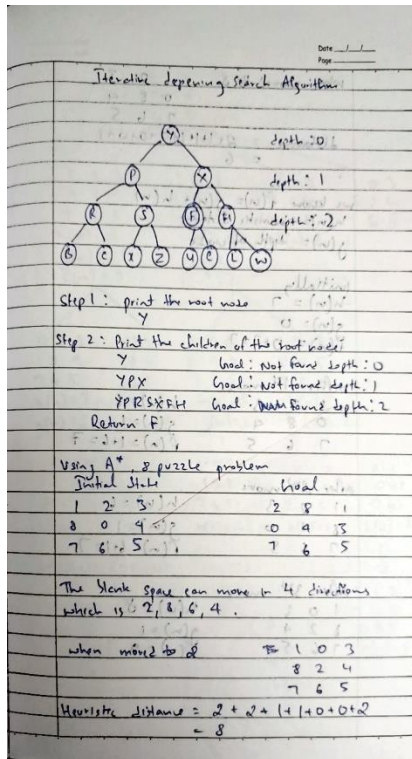
Current State:
[8, 0, 1]
[2, 4, 3]
[7, 6, 5]

Current State:
[0, 8, 1]
[2, 4, 3]
[7, 6, 5]

Current State:
[2, 8, 1]
[0, 4, 3]
[7, 6, 5]

Found with 40 iterations
```

Implement Iterative deepening search algorithm **Algorithm:**



Code:

```

def iterative_deepening_search(graph, start, goal):
def depth_limited_search(node, goal, depth):
if depth == 0:      if node == goal:
return [node]      else:
                    return None
elif depth > 0:
    for child in graph.get(node, []):
        result = depth_limited_search(child, goal, depth - 1)
if result is not None:      return [node] + result
return None    depth = 0    while True:
    result = depth_limited_search(start, goal, depth)
if result is not None:
    return result
depth += 1 def
get_user_input_graph():
    graph = {}    num_edges = int(input("Enter the
number of edges: "))    print("Enter each edge in the
format 'node1 node2':")    for _ in range(num_edges):
node1, node2 = input().split()    if node1 in graph:
    graph[node1].append(node2)
else:
    graph[node1] = [node2]
if node2 in graph:
graph[node2].append(node1)
else:
    graph[node2] = [node1]
return graph def main():
    graph = get_user_input_graph()    start_node = input("Enter the
starting node: ")    goal_node = input("Enter the goal node: ")
path = iterative_deepening_search(graph, start_node, goal_node)
if path:

```

```
        print(f'Path found: {' -> '.join(path)}')
else:
    print("No path found") if
__name__ == "__main__":
    main()
```

Output:

```
Enter the number of edges: 14
Enter each edge in the format 'node1 node2':
Y P
Y X
P R
P S
X F
X H
R B
R C
S X
S Z
F U
F E
H L
H W
Enter the starting node: Y
Enter the goal node: F
Path found: Y -> X -> F
```

Program 5

Simulated Annealing to Solve 8-Queens problem

Algorithm:

Simulated Annealing Algorithm

1. Set current state: initial state
2. Choose an initial temperature
3. Set best state = current state
set current Energy = evaluate (current state)

while temp > 0 & iteration < max-iteration
for iteration = 1 to max-iteration do
new state = generate Neighbour (current state)
new Energy = evaluate (new state)
energy difference = new Energy - current Energy
if energy difference < 0 then
current state = new state
current Energy = new Energy
if current Energy < best Energy then
best state = current state
best Energy = current Energy
else
1. Accept with a certain probability
2. Accept Probability = $\exp(-\text{Energy difference}/\text{temp})$
3. If random (0,1) < acceptance Probability
then
1. Current state = new state
2. Current Energy = new Energy
// cool down temperature
temperature = temperature * cooling Rate
Return best state.

Output
Enter initial state : 50
initial temperature : 20
cooling rate (0.1 to 1) : 0.5
the no. of iterations : 50

Iteration 1 : current state = 49.0489 ,
Energy = 2401.7698

| | | |
|---|---------|---------------------|
| 1 | 49.0489 | = 2905.7878 = 5.00 |
| 2 | 48.8667 | = 2387.9069 = 2.5 |
| 3 | 48.8900 | = 2351.2721 = 1.25 |
| 4 | 48.0291 | = 2306.7722 = 0.625 |

best state = 48.0291 , Best Energy = 2306.7722

Code:

```
import random import
```

```
math
```

```
def energy(x):
```

```
    return x ** 2 + 5 * math.sin(x) + math.exp(-x)
```

```
def adaptive_simulated_annealing(start, temp, cooling_rate, lower_limit, upper_limit):
```



```

    current = start    current_energy
= energy(current)

    while temp > 1:
        # Adaptive step size based on temperature (larger steps when hot)
    step_size = random.uniform(-1, 1) * temp    new = current +
    step_size

        # Ensure new solution is within bounds
    if new < lower_limit or new > upper_limit:
        continue

        new_energy = energy(new)

        # If the new spot is better, move there
    if new_energy < current_energy:
        current = new    current_energy =
        new_energy    else:
            # Acceptance probability (explore worse spots)
        probability = math.exp((current_energy - new_energy) / temp)
        if random.uniform(0, 1) < probability:
            current = new
            current_energy = new_energy

        # Adaptive cooling based on progress    if
    abs(new_energy - current_energy) < 0.01:
        temp *= 0.98 # Slow cooling near solution
    else:
        temp *= cooling_rate

    return current

```

```
# Run the simulation multiple times from different starting points best_solution =  
None  
for _ in range(10): # 10 runs  
    result =  
    adaptive_simulated_annealing(start=random.uniform(-10, 10), temp=100,  
    cooling_rate=0.99, lower_limit=-10, upper_limit=10)  
    if best_solution is None or  
    energy(result) < energy(best_solution):  
        best_solution = result  
  
print(f'Best solution found: {best_solution}')
```

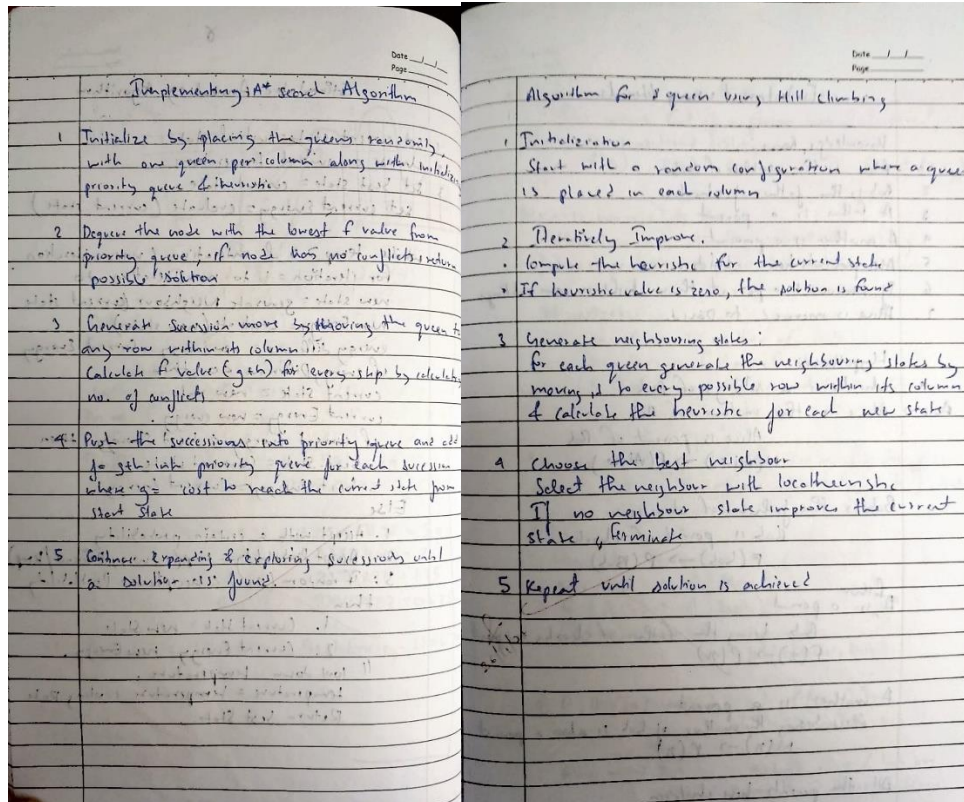
Output:

```
Best solution found: -0.7323104061658242
```

Program 6

Implement A* search algorithm for N queens

Algorithm:



Code:

```
import heapq
```

```
# Helper function to calculate the heuristic (number of conflicts)
```

```
def heuristic(board):
```

```

    conflicts = 0    for i in range(len(board)):        for j in range(i
+ 1, len(board)):        if board[i] == board[j] or abs(board[i] -
board[j]) == j - i:
        conflicts += 1
return conflicts

```

```

# A* Search for 8-queens
def a_star_8_queens():
n = 8    open_set = []
    # Initial state: empty board
heapq.heappush(open_set, (0, [])) # (f, board)

    while open_set:        f, board =
heapq.heappop(open_set)
        # Goal check        if len(board) == n and
heuristic(board) == 0:
            return board        #
Generate successors
row = len(board)        for
col in range(n):
        new_board = board + [col]        if
heuristic(new_board) == 0: # No conflicts so far
g = row + 1        h = heuristic(new_board)
heapq.heappush(open_set, (g + h, new_board))    return
None # No solution found

# Run A* search solution = a_star_8_queens() print("Solution
board (column positions for each row):", solution)

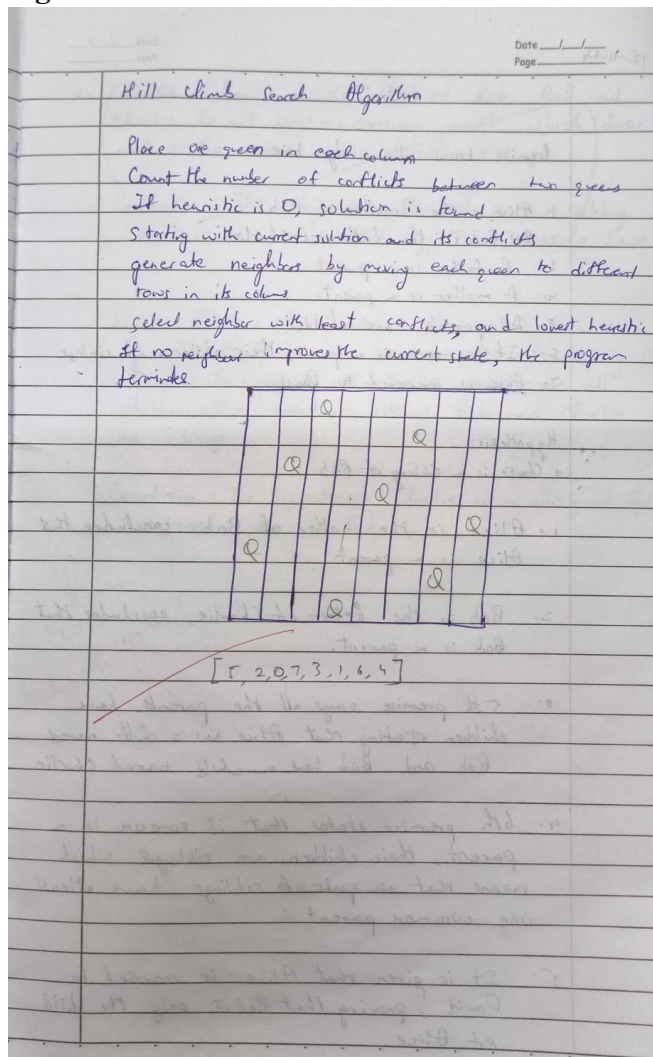
```

Output:

Solution board (column positions for each row): [0, 4, 7, 5, 2, 6, 1, 3]

Implement Hill Climbing search algorithm to solve N-Queens problem

Algorithm:



Code:

```
import random
```

```

# Helper function to calculate the heuristic (number of conflicts)
def heuristic(board):
    conflicts = 0
    for i in range(len(board)):
        for j in range(i
+ 1, len(board)):
            if board[i] == board[j] or abs(board[i] -
board[j]) == j - i:
                conflicts += 1
    return conflicts

# Hill climbing for 8-queens def
hill_climbing_8_queens():
    n
= 8

    # Generate a random initial state
    board =
[random.randint(0, n - 1) for _ in range(n)]

    while True:
        current_h = heuristic(board)
        if current_h == 0:
            return board # Solution found

        # Find the best neighbor by moving each queen to every other column in its row
        best_board = board[:]
        best_h = current_h
        for row in range(n):
            for
col in range(n):
                if col == board[row]:
                    continue
            new_board = board[:]
            new_board[row] = col
            new_h =
heuristic(new_board)

            # If the new board has fewer conflicts, update the best board
            if new_h < best_h:
                best_h = new_h
            best_board = new_board

        # If no improvement, we're stuck in a local minimum; restart
        if best_h >= current_h:
            board = [random.randint(0, n - 1) for _ in range(n)]
        else:
            board = best_board

```

```
# Run hill climbing search solution = hill_climbing_8_queens()  
print("Solution board (column positions for each row):", solution)
```

Output:

```
Solution board (column positions for each row): [0, 6, 3, 5, 7, 1, 4, 2]
```

Program 7

Create a knowledge base using propositional logic and show that the given query entails the knowledge base or not.

Algorithm:

Entailment using literals

Knowledge base:-

- Alice is the mother of Bob
- Bob is the father of Charlie
- A father is a parent
- A mother is a parent
- All parents have children
- If someone is a parent their children are siblings
- Alice is married to David

Hypothesis

- Charlie is a sibling of Bob

Ans → Alice is the mother of Bob
 $M(Alice) \rightarrow P(Alice)$

Bob is the father of Charlie
 $F(Bob) \rightarrow P(Bob)$

Father is a parent
 $F(x) \rightarrow P(x)$
 Bob being the father of Charlie is parent

A mother is a parent
 Alice being the mother of Bob is also a parent
 $M(x) \rightarrow P(x)$

All the parents have children
 Alice as a mother of Bob as a father
 both have children
 $P(x) \rightarrow \text{child}(x, y)$

Date: / /
Page:

- If someone is a parent their children are siblings
 this means that if a person has 2 children, they are considered siblings
 $P(x) \quad P(y) \quad \text{Parent}(x, z) \quad \text{Parent}(x, y)$
- Alice is married to David
 this does not directly affect the sibling relationship but may be relevant in other ways

Hypothesis

- Alice is mother of Bob
- Bob is father of Charlie
- If someone is a parent their children are siblings

So Bob is the parent of Charlie & Alice is parent of Bob. [the shared parent link] is sibling relationship.

Logical Derivation

$$M(Alice) \rightarrow P(Alice)$$

$$F(Bob) \rightarrow P(Bob)$$

$$P(x, y) \rightarrow \text{as both are parents}$$

$$P(\text{charlie, bob})$$

$\{A, B, F(x), M(x), P(x), P(x, y)\}$
 $\{x\} = \text{charlie, bob}$

$Alice \rightarrow Bob$ as both Alice & Bob are parents \rightarrow their children are siblings
 $P(x, y)$
 $F \rightarrow \text{charlie}$ [Bob & charlie]


```

Code: import
random

# Helper function to calculate the heuristic (number of conflicts)
def heuristic(board):
    conflicts = 0
    for i in range(len(board)):
        for j in range(i
+ 1, len(board)):
            if board[i] == board[j] or abs(board[i] -
board[j]) == j - i:
                conflicts += 1
    return conflicts

# Hill climbing for 8-queens def
hill_climbing_8_queens():
    n
= 8

    # Generate a random initial state
    board =
[random.randint(0, n - 1) for _ in range(n)]

    while True:
        current_h = heuristic(board)
        if current_h == 0:
            return board # Solution found

        # Find the best neighbor by moving each queen to every other column in its row
        best_board = board[:]
        best_h = current_h
        for row in range(n):
            for
col in range(n):
                if col == board[row]:
                    continue
            new_board = board[:]
            new_board[row] = col
            new_h = heuristic(new_board)

```

```
        # If the new board has fewer conflicts, update the best board
if new_h < best_h:
    best_h = new_h
best_board = new_board

    # If no improvement, we're stuck in a local minimum; restart
if best_h >= current_h:
    board = [random.randint(0, n - 1) for _ in range(n)]
else:
    board = best_board

# Run hill climbing search solution = hill_climbing_8_queens()
print("Solution board (column positions for each row):", solution)
```

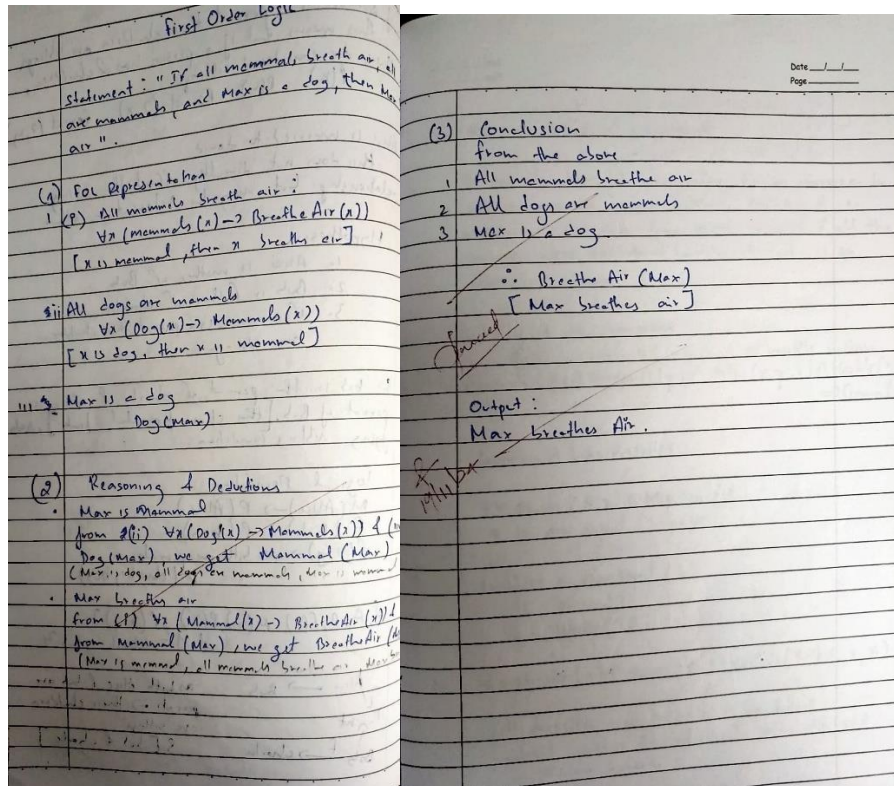
Output:

```
Solution board (column positions for each row): [6, 2, 7, 1, 4, 0, 5, 3]
```

Program 8

Implement unification in first order logic

Algorithm:



Code:

```
def unify(x, y, subst=None):
```

```
    """
```

```
    Unification Algorithm: Unifies two terms, X and Y.
```

```
    """ if subst is
```

```
None:     subst
```

```
= {}
```

```

    if x == y: # Step 1(a): If X and Y are identical        return subst
elif isinstance(x, str) and x.islower(): # Step 1(b): If X is a variable
return unify_variable(x, y, subst)

    elif isinstance(y, str) and y.islower(): # Step 1(c): If Y is a variable        return
unify_variable(y, x, subst)  elif isinstance(x, tuple) and isinstance(y, tuple): # Step 2:
Check predicates and arguments    if x[0] != y[0] or len(x) != len(y): # Predicate symbol
or argument count mismatch        return None    for x_i, y_i in zip(x[1:], y[1:]): # Step
5: Recurse through arguments        subst = unify(x_i, y_i, subst)        if subst is None:
return None        return subst    else:
    return None # Step 1(d): Failure case

```

```

def unify_variable(var, x, subst):
    """
    Unify variable with another term.
    """
    if var in
subst:
        return unify(subst[var], x, subst)    elif
occurs_check(var, x, subst): # Check if var occurs in x
return None    else:
        subst[var] = x
return subst

```

```

def occurs_check(var, x, subst):
    """
    Check if a variable occurs in a term.
    """
    if
var == x:
return True
elif

```

```

isinstance(x,
tuple):
    return any(occurs_check(var, xi, subst) for xi in x)
elif isinstance(x, str) and x in subst:
    return occurs_check(var, subst[x], subst)
return False

```

Test cases for unification

```

x1 = ("P", "a", "x") y1 =
("P", "a", "b")

```

```

x2 = ("Q", "x", ("R", "x")) y2
= ("Q", "a", ("R", "a"))

```

```

print("Unifying", x1, "and", y1, "=>", unify(x1, y1))
print("Unifying", x2, "and", y2, "=>", unify(x2, y2))

```

Output:

```

Unifying ('P', 'a', 'x') and ('P', 'a', 'b') => {'x': 'b'}
Unifying ('Q', 'x', ('R', 'x')) and ('Q', 'a', ('R', 'a')) => {'x': 'a'}

```

Program 9

Create a knowledge base consisting of first order logic statements and prove the given query using forward reasoning.

Algorithm:

40. prove Robert is a criminal

As per the law, it is a crime for an American to sell weapons to hostile nations. Country A, an enemy of America, has some missiles. All the missiles were sold to it by Robert, who is an American citizen.

x, y are variables
America could sell weapons to hostile nations.
 $America(x) \wedge weapons(y) \wedge sell(x, y, z) \wedge Hostile(z) \Rightarrow Criminal(x)$

Country A has missiles.

$\exists x Owns(A, x) \wedge Missiles(x)$
 x is an object (here missile)

consider a constant (T)

$owns(T, Missile(T))$

$\forall x Missiles(x) \wedge Owns(A, x) \Rightarrow Sells(Robert, x, A)$

All missiles are sold to A by Robert
which means the missile T, was also sold to A by Robert.

$Missile(x) \Rightarrow Weapon(x)$
If x is a missile, it implies x is also a weapon

$\forall x Enemy(x, America) \Rightarrow Hostile(x)$
If x is an enemy to America, it implies x is hostile to America

if p is Robert
then $America(Robert)$
Robert is an American

and A is an enemy of America
 $Enemy(A, America) \Rightarrow Hostile(A)$

$America(Robert) \wedge Weapon(T) \wedge Sells(Robert, T, A) \wedge Hostile(A)$

$\therefore Criminal(Robert)$

Forward Chaining

```

graph TD
    A[American(Robert)] --> B[Weapon(T)]
    A --> C[Sells(Robert, T, A)]
    A --> D[Hostile(A)]
    B --> E[Robert Criminal]
    C --> E
    D --> E
  
```

Code:

Define the knowledge base (KB) as a set of facts

KB = set()

Premises based on the provided FOL problem

KB.add('American(Robert)')

KB.add('Enemy(America, A)')

KB.add('Missile(T1)')

KB.add('Owns(A, T1)')

```

# Define inference rules def
modus_ponens(fact1, fact2, conclusion):
    """ Apply modus ponens inference rule: if fact1 and fact2 are true, then conclude conclusion """
    if fact1 in KB and fact2 in KB:      KB.add(conclusion)      print(f'Inferred: {conclusion}')

def forward_chaining():
    """ Perform forward chaining to infer new facts until no more inferences can be made """

    # 1. Apply: Missile(x) → Weapon(x)
    if 'Missile(T1)' in KB:
        KB.add('Weapon(T1)')
        print(f'Inferred: Weapon(T1)')

    # 2. Apply: Sells(Robert, T1, A) from Owns(A, T1) and Weapon(T1)
    if 'Owns(A, T1)' in KB and 'Weapon(T1)' in KB:
        KB.add('Sells(Robert, T1, A)')      print(f'Inferred: Sells(Robert, T1,
        A)')

    # 3. Apply: Hostile(A) from Enemy(A, America)
    if 'Enemy(America, A)' in KB:
        KB.add('Hostile(A)')      print(f'Inferred:
        Hostile(A)')

    # 4. Now, check if the goal is reached (i.e., if 'Criminal(Robert)' can be inferred)    if
    'American(Robert)' in KB and 'Weapon(T1)' in KB and 'Sells(Robert, T1, A)' in KB and
    'Hostile(A)' in KB:
        KB.add('Criminal(Robert)')
        print("Inferred: Criminal(Robert)")

    # Check if we've reached our goal
    if 'Criminal(Robert)' in KB:
        print("Robert is a criminal!")    else:

```

```
print("No more inferences can be made.")
```

```
# Run forward chaining to attempt to derive the conclusion  
forward_chaining()
```

Output:

```
Inferred: Weapon(T1)  
Inferred: Sells(Robert, T1, A)  
Inferred: Hostile(A)  
Inferred: Criminal(Robert)  
Robert is a criminal!
```


Program 10

Implement Min-Max Algorithm for Tic Tac Toe

Algorithm:

Tic Tac Toe Using Min Max

Define 3x3 grid where each cell can be
X: player 1
O: player 2
0: Draw

+10: Maximize wins
-10: Minimize wins
0: Draw

def minimax(board, depth, is_maximizing):
 score = evaluate(board)
 if score == 10 or score == -10:
 return score
 if is_maximizing:
 best = -infinity
 for each empty cell in board:
 board[cell] = 'X'
 best = max(best, minimax(board, depth+1, False))
 board[cell] = empty
 return best
 else:
 best = +infinity
 for each empty cell in board:
 board[cell] = 'O'
 best = min(best, minimax(board, depth+1, True))
 board[cell] = empty
 return best

make move (board, cell, 'X')
Score = minimax (board, depth+1, False)
undo move (board, cell)
best score = min (best score, Score)
return best score

def find Best move (board):
 best move = None
 best value = -infinity
 for each empty cell in board:
 make move (board, cell, 'X')
 move value = minimax (board, 0, False)
 if move value > best value:
 best move = cell
 best value = move value
 return best move

User AI User

| | | |
|---|--|---|
| 0 | | 0 |
| | | X |
| | | |

AI User AI

| | | |
|---|---|---|
| 0 | X | 0 |
| X | 0 | X |
| 0 | X | 0 |

User AI User

| | | |
|---|---|---|
| 0 | 0 | X |
| X | X | 0 |
| 0 | X | 0 |

It is a draw!

Code:

```
import math
```

```
# Constants for the players
```

```
AI = 'X'
```

```
HUMAN = 'O'
```

```
EMPTY = '_'
```

```

# Function to print the board
def print_board(board):
    for row in board:
        print(" ".join(row))
    print()

# Function to check if a player has won
def check_winner(board, player):    #
    Check rows, columns, and diagonals
    for row in board:        if all(cell ==
    player for cell in row):
        return True    for col in range(3):        if all(row[col] == player for row in board):
    return True    if all(board[i][i] == player for i in range(3)) or all(board[i][2 - i] == player for i
    in range(3)):
        return True
    return False

# Function to check if the game is a draw def
is_draw(board):
    return all(cell != EMPTY for row in board for cell in row)

# Minimax algorithm def minimax(board,
depth, is_maximizing):    if
check_winner(board, AI):
    return 10 - depth    if
check_winner(board, HUMAN):
    return depth - 10
if is_draw(board):
    return 0

    if is_maximizing:

```

```

        best_score = -math.inf
    for i in range(3):
        for j in range(3):
            if board[i][j] == EMPTY:
                board[i][j] = AI
                score = minimax(board, depth + 1, False)
                board[i][j] = EMPTY
                best_score = max(best_score, score)
            return best_score
        else:
            best_score = math.inf
            for i in range(3):
                for j in range(3):
                    if board[i][j] == EMPTY:
                        board[i][j] = HUMAN
                        score = minimax(board, depth + 1, True)
                        board[i][j] = EMPTY
                        best_score = min(best_score, score)
            return best_score

```

Function to find the best move for AI

```

def find_best_move(board):
    best_score = -math.inf
    move = (-1, -1)
    for i in range(3):
        for j in range(3):
            if board[i][j] == EMPTY:
                board[i][j] = AI
                score = minimax(board, 0, False)
                board[i][j] = EMPTY
                if score > best_score:
                    best_score = score
                    move = (i, j)
    return move

```

Example usage if

```

__name__ == "__main__":

```

Initialize a sample board

```

board = [

```

```

        ['X', 'O', 'X'],
        ['O', 'X', 'O'],
        ['_', '_', '_']
    ]

    print("Current Board:")
    print_board(board)

    best_move = find_best_move(board)
    print(f"The best move for AI is: {best_move}")

```

Output:

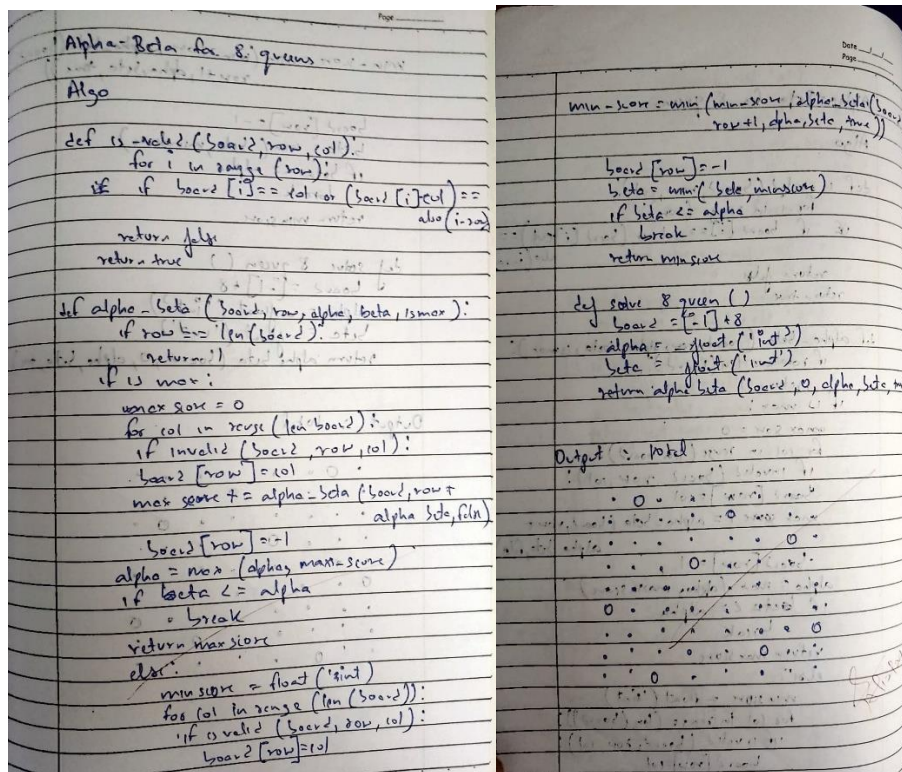
```

Welcome to tic tac toe!
| |
| |
| |
Player X's turn.
Enter the row (0, 1, 2): 0
Enter the column (0, 1, 2): 0
X| |
| |
| |
Player O's turn.
Enter the row (0, 1, 2): 1
Enter the column (0, 1, 2): 1
X| |
|O|
| |
Player X's turn.
Enter the row (0, 1, 2): 0
Enter the column (0, 1, 2): 2
X| |X
|O|
| |
Player O's turn.
Enter the row (0, 1, 2): 0
Enter the column (0, 1, 2): 1
X|O|X
|O|
| |
Player X's turn.
Enter the row (0, 1, 2): 2
Enter the column (0, 1, 2): 2
X|O|X
|O|
| |X
Player O's turn.
Enter the row (0, 1, 2): 2
Enter the column (0, 1, 2): 1
X|O|X
|O|
|O|X
Player O wins!

```

Implement Alpha-Beta Pruning for 8 queens

Algorithm:



Code:

class EightQueens:

```
def __init__(self, size=8):
```

```
    self.size = size
```

```
def is_safe(self, board, row, col):
```

```
    """Check if placing a queen at board[row][col] is safe."""
```

```
    for i in range(col):
```

```
        if board[row][i] == 1: # Check this
```

```
        row on the left
```

```
        return False
```

```
    for i, j in zip(range(row, -1, -1), range(col, -1, -1)): # Check upper diagonal
```

```
    if board[i][j] == 1:
```

```
        return False
```

```
    for i, j in zip(range(row, self.size), range(col, -1, -1)): # Check lower diagonal
```

```
    if board[i][j] == 1:
```

```

        return False

    return True

def alpha_beta_search(self, board, col, alpha, beta, maximizing_player):
    """Alpha-Beta Pruning Search."""
    if col >= self.size: # If all queens are placed
    return 0, [row[:]] for row in board] # Return 0 as heuristic since it's a valid solution

    if maximizing_player:
    max_eval = float('-inf')
    best_board = None
    for row in range(self.size):
        if self.is_safe(board, row, col):
            board[row][col] = 1
            eval_score, potential_board = self.alpha_beta_search(board, col + 1, alpha, beta, False)
            board[row][col] = 0
            if eval_score > max_eval:
                max_eval = eval_score
            best_board = potential_board
            alpha = max(alpha, eval_score)
            if beta <= alpha: # Beta cutoff
                break
        return max_eval, best_board
    else:
        min_eval = float('inf')
        best_board = None
        for row in range(self.size):
            if self.is_safe(board, row, col):
                board[row][col] = 1
                eval_score, potential_board = self.alpha_beta_search(board, col + 1, alpha, beta, True)
                board[row][col] = 0
                if eval_score < min_eval:
                    min_eval = eval_score
                    best_board = potential_board
                beta = min(beta, eval_score)
                if beta <= alpha: # Alpha cutoff
                    break
        return min_eval, best_board

def solve(self):

```

```

        """Solve the 8-Queens problem."""
        board
    = [[0] * self.size for _ in range(self.size)]
        _, solution = self.alpha_beta_search(board, 0, float('-inf'), float('inf'), True)
    return solution

    def print_board(self, board):
        """Print the chessboard."""
        for
    row in board:
        print(" ".join("Q" if col else "." for col in row))
    print()

if __name__ == "__main__":
    game = EightQueens()
    solution = game.solve()
    if
    solution:
        print("Solution found:")
        game.print_board(solution)
    else:
        print("No solution exists.")

```

Output:

```

Solution found:
. Q . . . . .
. . . Q . . .
. . . . . Q .
Q . . . . . .
. . Q . . . .
. . . . . . Q
. . . . Q . .
. . . Q . . .

```

