

Strings

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String: Sequence or array of character, its represented using double quotes or "

"Hello"

"Hello" → All elements characters of strings must be inside the quotes

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Character: Single symbol that represents a letter, number or other symbol or the keyword. Represented using its ASCII value.

' ' single quotes

Computer stores everything in binary, but how do we store strings?

ch = A

A → ASCII → Binary

'A'	→ 65	→ 1000001	'0'	→ 48
'B'	→ 66	→ 1000010	'1'	→ 49
'C'	→ 67	→ 1000011	'2'	→ 50
'D'	→ 68	→ 1000100	'3'	→ 51
'E'	→ 69	→ 1000101	'4'	→ 52
'Z'	→ 90	→ 1000110	'q'	→ 57

(contd) op(A) = op(q)

(contd) op(A) = op(T)

\* Switch Case:

Given a  $\text{char}[7]$  consisting of only alphabets [either lowercase or uppercase]. Print all the characters of string in such a way that for all lowercase characters, print its uppercase character & vice versa.

HELLO  $\rightarrow$  hEILo

- Lowercase  $\rightarrow$  Uppercase subtract 32

- Upper  $\rightarrow$  Lower add 32

```
def solve(A):
    N = len(A)
    result = []
    for i in range(N):
        if 'a' <= A[i] <= 'z':
            result.append(chr(ord(A[i]) - 32))
        else:
            result.append(chr(ord(A[i]) + 32))
    return ''.join(result)  $\rightarrow$  becomes a string
```

$\text{chr}(\text{ord}(A[i]) - 32)$

if  $A[i] = 'a'$

~~so~~  $\rightarrow \text{ord}(A[i]) = 97$

$\rightarrow 97 - 32 = 65$

$\rightarrow \text{chr}(65) = A$

TC : O(N)

SC : O(N)

\* Check palindrome:

Check whether substring is palindrome or not.

Approach: abcdadedefg

$$A[s] = A[e] \quad (1) \quad \text{if } s < e$$

$$A[s] \neq A[e]$$

def palindrome(s, start, end):

while start < end:

if s[start] == s[end]:

start += 1

end -= 1

else:

return False

((s + [i]) return False)

TC: OCN      SC: O(1)

## \* Longest Palindrome :

Given a string  $s$ , calculate the length of longest palindrome substring in  $s$ .

"anamadamm"

madam → 5

Idea 1 → 1. Generate all substrings  $\# O(N^2)$

2. Check all substrings for being a palindrome  $\# O(N^2)$   
 3. If the substring is palindrome, maximize the length  $\# O(1)$

Total TC :  $O(N^2) * O(N)$

$$= O(N^3)$$

Idea 2 → Optimized

str[] = Q a z b c b a k d

i) Assume  $p_1, p_2 = 2$

$$P_1 = P_2 = c \quad a \quad d \quad z \quad b \quad a \quad k \quad d$$

$$p_1 = -1, p_2 + 1, p_1 = 1, p_2 = 3 \rightarrow b$$

$$p_1 = -1, p_2 + 1, p_1 = 0, p_2 = 4 \rightarrow a$$

$$p_1 = -1, p_2 + 1, p_1 = -1, p_2 = 5 \rightarrow \text{OB (stop)}$$

$$p_1 = -1, p_2 = 5$$

$$[a \ b] = b - a + 1$$

$$(a \ b) = b - a + 1 - 2 = b - a - 1$$

$$(p_1, p_2) = p_2 - p_1 - 1$$

$$= 5 - (-1) - 1 = 5$$

2) Assume  $p_1, p_2 = 2$

$$P_1 = P_2 = C$$

$$P_1 - = 1, P_2 + = 1, P_1 = 1, P_2 = 3 \rightarrow b$$

$$P_1 - = 1, P_2 + = 1, P_1 = 0, P_2 = 4 \rightarrow a, d \text{ stop}$$

$$P_1 = 0, P_2 = 4 \Rightarrow P_2 - P_1 - 1 \Rightarrow 4 - 0 - 1 = 3$$

3) Assume  $p_1 = 5, p_2 = 6$

$$P_1 = k, P_2 = k$$

$$P_1 - = 1, P_2 + = 1, P_1 = 4, P_2 = 7 \rightarrow c$$

$$P_1 - = 1, P_2 + = 1, P_1 = 3, P_2 = 8 \rightarrow d$$

$$P_1 - = 1, P_2 + = 1, P_1 = 2, P_2 = 9 \rightarrow \text{stop}$$

$$P_1 = 2, P_2 = 9 \Rightarrow P_2 - P_1 - 1 = 9 - 2 - 1$$

4) Assume  $p_1 = 2, p_2 = 3, c, b$

$$P_1 - = 1, P_2 + = 1, P_1 = 1, P_2 = 4 \rightarrow a$$

$$P_1 - = 1, P_2 + = 1, P_1 = 0, P_2 = 5 \rightarrow e, d$$

$$P_1 = 0, P_2 = 5$$

$$P_2 - P_1 - 1 = 5 - 0 - 1 \\ = 4$$

$$1 - b - d = 2 - 1 + 0 - d = (d, b)$$

$$E = 1 - (1 - 1 - 0) = 0$$

## \* Optimized Idea :

- Every single character can act as a center
- Take single character as a center and expand & get palindrome length
  - Odd Length Palindrome
- Take adjacent characters as centers & expand & get palindrome length.
  - Even Length Palindrome.

## \* Code :

```
def longestPalindrome(s):
```

```
    max_len = 0
```

```
    n = len(s)
```

```
# Take every char as center
```

```
for c in range(n):
```

```
    p1 = p2 = c # odd length palindrome
```

```
    while p1 >= 0 and p2 < n : # O(N)
```

```
        if s[p1] != s[p2] :
            break
```

$p_1 - 1$

$p_2 + 1$

$\text{new\_len} = p_2 - p_1 - 1$

$\text{max\_len} = \max(\text{max\_len}, \text{new\_len})$

# Even length palindromes

$$p_L = c$$

$$p_R = c + 1$$

while  $p_L \geq 0$  and  $p_R \leq n$ : # O(N)

break

$$p_L = 1$$

$$\text{new\_len} = p_R - p_L + 1$$

$$\text{max\_len} = \max(\text{max\_len}, \text{new\_len})$$

return max\_len

$$TC: O(N) (O(N) + O(N)) \Rightarrow O(N^2) + O(N^2)$$

$$= 2N^2$$

$$\Rightarrow O(N^2)$$

SC: O(1), len  $n = 5, a = 1$