

<u>Lab Report</u>	
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Title:

Solving the N-Queen Problem Using Backtracking in Python

Objective:

To implement the N-Queen problem using backtracking in Python, where the goal is to place N queens on an $N \times N$ chessboard such that no two queens attack each other.

Problem Statement:

The N-Queen problem involves placing N queens on an $N \times N$ chessboard so that:

No two queens are in the same row, column, or diagonal. The task is to find a valid arrangement or all possible solutions.

Algorithm Used: Backtracking

Steps:

1. Start from column 0
2. Try placing a queen in every row of the current column
3. If safe, place the queen and recursively try the next column
4. If placing a queen leads to no solution, backtrack (remove the queen)
5. Repeat until all queens are placed or all possibilities are exhausted

Safety Checks (isSafe):

- Left side of the row
- Upper-left diagonal
- Lower-left diagonal

Implementation:**Code:**

```
1. class N_Queen:
2.     def __init__(self, a):
3.         self.N = a
4.
5.     def printSolution(self, board):
6.         for i in range(self.N):
7.             for j in range(self.N):
8.                 print(f' {board[i][j]} ', end=" ")
9.             print()
10.
11.     def isSafe(self, grid, row, col):
12.         for i in range(col):
```

```

13.         if grid[row][i] == 1:
14.             return False
15.
16.         i, j = row, col
17.         while i >= 0 and j >= 0:
18.             if grid[i][j] == 1:
19.                 return False
20.             i -= 1
21.             j -= 1
22.
23.         i, j = row, col
24.         while j >= 0 and i < self.N:
25.             if grid[i][j] == 1:
26.                 return False
27.             i += 1
28.             j -= 1
29.
30.         return True
31.
32.     def solveNQUtil(self, grid, col):
33.         if col >= self.N:
34.             return True
35.
36.         for i in range(self.N):
37.             if self.isSafe(grid, i, col):
38.                 grid[i][col] = 1
39.                 if self.solveNQUtil(grid, col + 1):
40.                     return True
41.                 grid[i][col] = 0 # BACKTRACK
42.
43.         return False
44.
45.     def solveNQ(self):
46.         grid = [[0 for _ in range(self.N)] for _ in range(self.N)]
47.         if not self.solveNQUtil(grid, 0):
48.             print(f'Solution does not exist for {self.N} queens.')
49.             return False
50.         print(f'Solution found for {self.N} queens:')
51.         self.printSolution(grid)
52.         return True
53.
54.
55. if __name__ == "__main__":
56.     n = int(input("Number of queens to place: "))
57.     queen_solver = N_Queen(n)
58.     queen_solver.solveNQ()
59.

```

Output:

```
0 0 0 1 0 0 0
nishan@nishan:/media/nishan/Work/Semester Files/8th Semester Spring 25/Artificial Intel
ligence Lab$ /bin/python3 "/media/nishan/Work/Semester Files/8th Semester Spring 25/Art
ificial Intelligence Lab/N_Queen.py"
Number of queens to place: 5
Solution found for 5 queens:
1 0 0 0 0
0 0 0 1 0
0 1 0 0 0
0 0 0 0 1
0 0 1 0 0
```

fig: N_Queen Solution using Backtracking

Conclusion:

The N-Queen problem was successfully solved using backtracking, which systematically explores the search space and uses recursion with backtracking to find a valid configuration. The solution is efficient for small values of N and demonstrates a classic example of constraint satisfaction problems.