

Ambiguity

- No general techniques for handling ambiguity
- Impossible to convert automatically an ambiguous grammar to an unambiguous one
- Used with care, ambiguity can simplify the grammar
 - Sometimes allows more natural definitions
 - We need disambiguation mechanisms

Precedence and Associativity Declarations

- *Use the more natural (ambiguous) grammar*

In CD, operator precedence and associativity are crucial for determining the order in which operations in an expression are evaluated.

Ex: $E \rightarrow E + E \mid E * E \mid (E) \mid \text{id}$

Ambiguity: Does $a + b * c$ parse as $(a + b) * c$ or $a + (b * c)$?

- To fix ambiguity, one approach is to **rewrite the grammar** to enforce precedence (**priority**):

$E \rightarrow E + T \mid T$

$T \rightarrow T * F \mid F$

$F \rightarrow (E) \mid \text{id}$

This works, but the grammar becomes more complex and less natural.

Contd.,

Alternative Approach (More Natural)

- Keep the **natural grammar** (even though it's ambiguous).
- Use *precedence and associativity declarations* to disambiguate.
- Most tools allow precedence and associativity declarations to disambiguate grammars

```
E : E '+' E  
    | E '*' E  
    | '(' E ')'  
    | id  
    ;
```

```
%left '+'  
%left '*'  
%%
```

Here:

- %left '+' means + is **left associative**.
- %left '*' means * is **left associative** and (because it appears later) it has **higher precedence** than +.

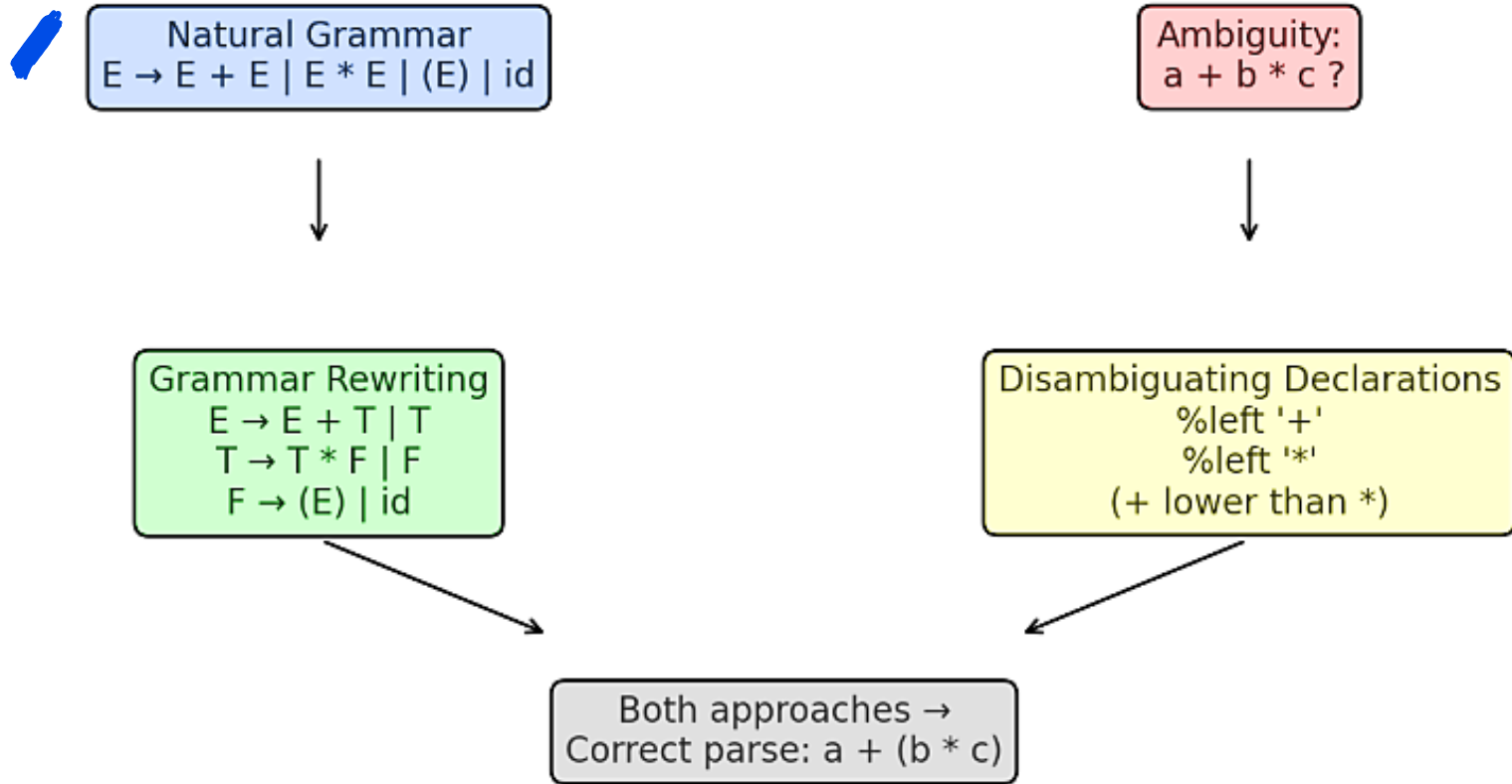


Diagram showing **two approaches to resolve ambiguity** in grammar:

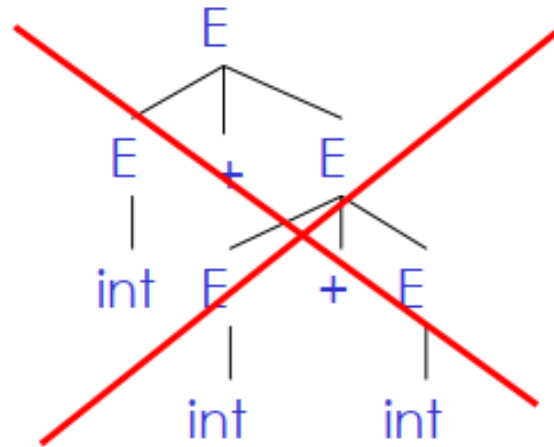
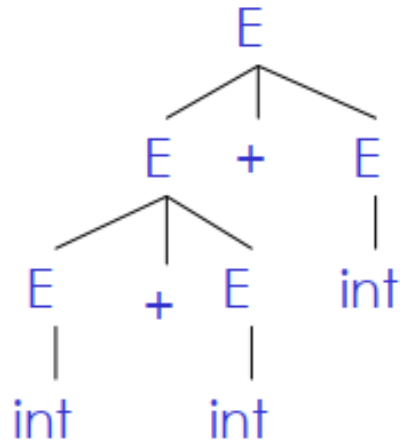
- **Grammar Rewriting** (structuring E, T, F)
- **Disambiguating Declarations** (%left, %right, precedence)

Both lead to the correct parse: **$a + (b * c)$**

Associativity Declarations

Associativity defines the evaluation order for operators with the same precedence.

- Consider the grammar $E \rightarrow E + E \mid \text{int}$
- Ambiguous: two parse trees of $\text{int} + \text{int} + \text{int}$

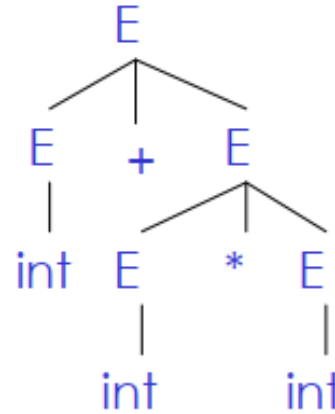
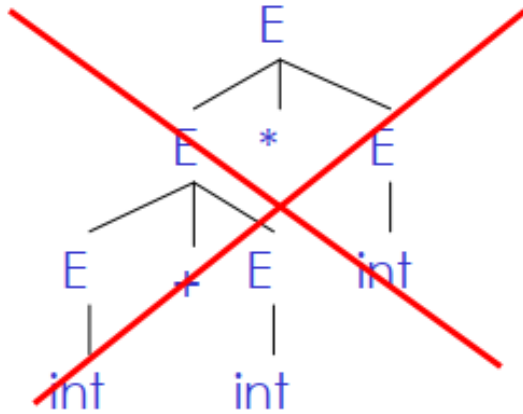


- Left associativity declaration: `%left +`

Precedence Declarations

Precedence dictates which operator is evaluated first when multiple operators with different priorities are present.

- Consider the grammar $E \rightarrow E + E \mid E * E \mid \text{int}$
 - And the string $\text{int} + \text{int} * \text{int}$



- Precedence declarations: $\%left +$
 $\%left *$

1) $5 - 3 - 1$

Ambiguity: is it $(5 - 3) - 1$ or $5 - (3 - 1)$?

2) $2 + 3 * 4$

Ambiguity: $(+ (*))$ vs $(* (+))$

3) $a \wedge b \wedge c$ (exponentiation)

Ambiguity: $(a \wedge b) \wedge c$ vs $a \wedge (b \wedge c)$

Error Handling

- Purpose of the compiler is
 - To detect non-valid programs
 - To translate the valid ones
- Many kinds of possible errors (e.g. in C)

<u>Error kind</u>	<u>Example</u>	<u>Detected by ...</u>
Lexical	... \$...	Lexer
Syntax	... x *% ...	Parser
Semantic	... int x; y = x(3); ...	Type checker
Correctness	your favorite program	Tester/User

Syntax Error Handling

- When a compiler encounters an error in the source program, it must **detect**, **report**, and, if possible, **recover** from it without stopping compilation completely.
- Error handler should
 - Report errors accurately and clearly
 - Error messages should be informative (**line number, nature of error**).
 - Example: instead of just *"Syntax error"*, say *"Missing semicolon before '}' at line 12"*.
 - Recover from an error quickly
 - The compiler should attempt to skip or fix the error and continue parsing.
 - **One mistake causing many false error reports.**
 - Not slow down compilation of valid code
 - Error handling must not add overhead when code is correct.
 - Normal compilation speed should be preserved.
- ***Good error handling is not easy to achieve***

Approaches to Syntax Error Recovery

- From simple to complex
 - Panic mode
 - Error productions
 - Automatic local or global correction
 - Perform local corrections (insert, delete, replace tokens).
 - **Example**: insert missing semicolon automatically.
 - **Theoretical method**: change program minimally to make it syntactically correct.
 - Too expensive, rarely used in practice.
- Not all are supported by all parser generators

Error Recovery: Panic Mode

- Simplest, most popular method
- When an error is detected:
 - Discard tokens until one with a clear role is found (**ex, ; or }**).
 - Continue from there
- Such tokens are called synchronizing tokens
 - Typically, the statement or expression terminators

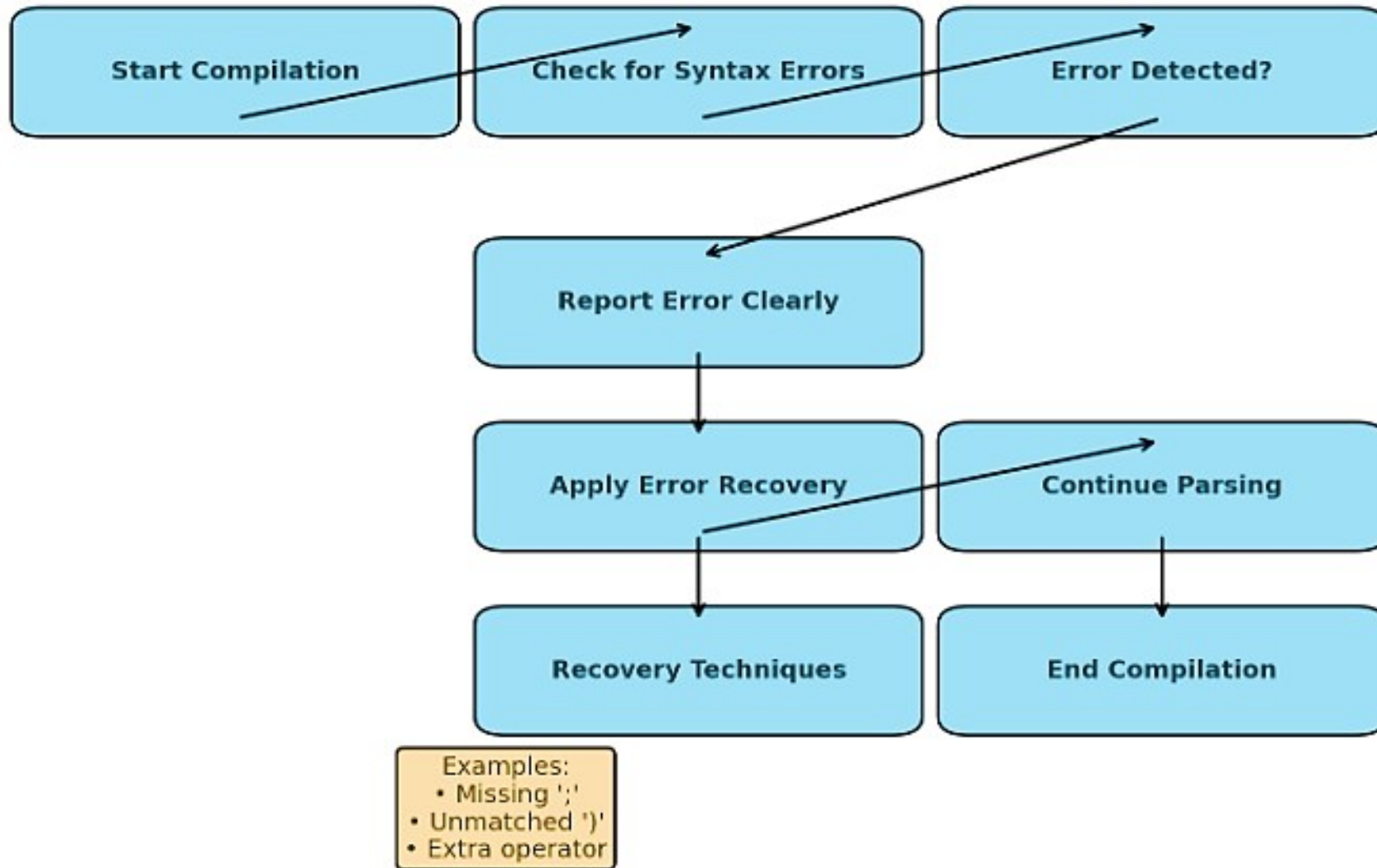
Syntax Error Recovery: Panic Mode (Cont.)

- Consider the erroneous expression
 $(1 + + 2) + 3$
- Panic-mode recovery:
 - Skip ahead to next integer and then continue
- (ML)-Yacc: use the special terminal `error` to describe how much input to skip
$$E \rightarrow \text{int} \mid E + E \mid (E) \mid \text{error int} \mid (\text{error})$$

Syntax Error Recovery: Error Productions

- **Idea:** specify in the grammar known common mistakes
- Essentially promotes common errors to alternative syntax
- Example:
 - Write **5 x** instead of 5 ***** x
 - Add the production $E \rightarrow \dots \mid E E$
- Disadvantage
 - Complicates the grammar

Flowchart of syntax error handling



Syntax Error Recovery: Past and Present

- Past

- **Slow recompilation cycle** – Rebuilding the entire program used to take hours, sometimes even a whole day.
- Because of this, the compiler tried to **detect as many errors as possible in one run**, so programmers wouldn't have to wait another day.
- Researchers put huge effort into **complex error recovery techniques** (error productions, sophisticated heuristics, etc.).

- Present

- **Fast recompilation** – Now, with modern hardware and incremental compilation, rebuilding takes seconds.
- Programmers usually **fix one error at a time**, recompile, and repeat.
- Therefore, we don't need **very complex error recovery** strategies anymore.
- **Panic-mode recovery** (simple, discard tokens until a synchronizing point) is usually **good enough**

Compiler

Abstract Syntax Trees

&

Top-Down Parsing

Review of Parsing

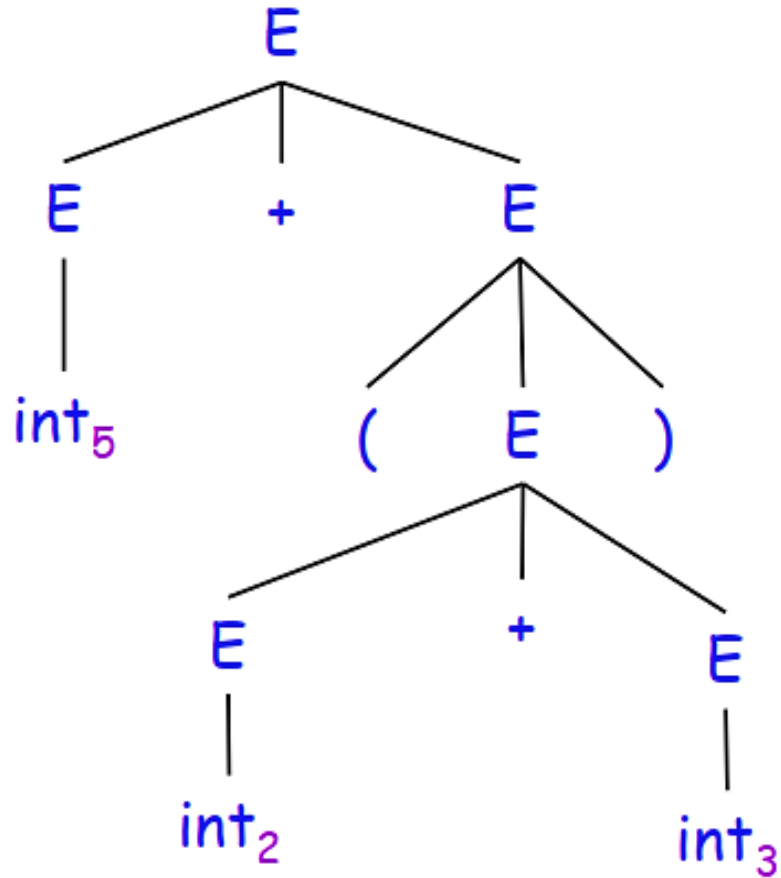
- Given a language $L(G)$, a parser consumes a sequence of tokens S and produces a parse tree
- Issues:
 - How do we recognize that $s \in L(G)$?
 - A parse tree of s describes **how** $s \in L(G)$
 - **Ambiguity**: more than one parse tree (possible interpretation) for some string s
 - **Error**: no parse tree for some string s
 - How do we construct the parse tree?

Abstract Syntax Trees

- So far, a parser traces the derivation of a sequence of tokens
- The rest of the compiler needs a **structural representation of the program**
- Abstract syntax trees
 - Like parse trees but ignore some details
 - Abbreviated as AST

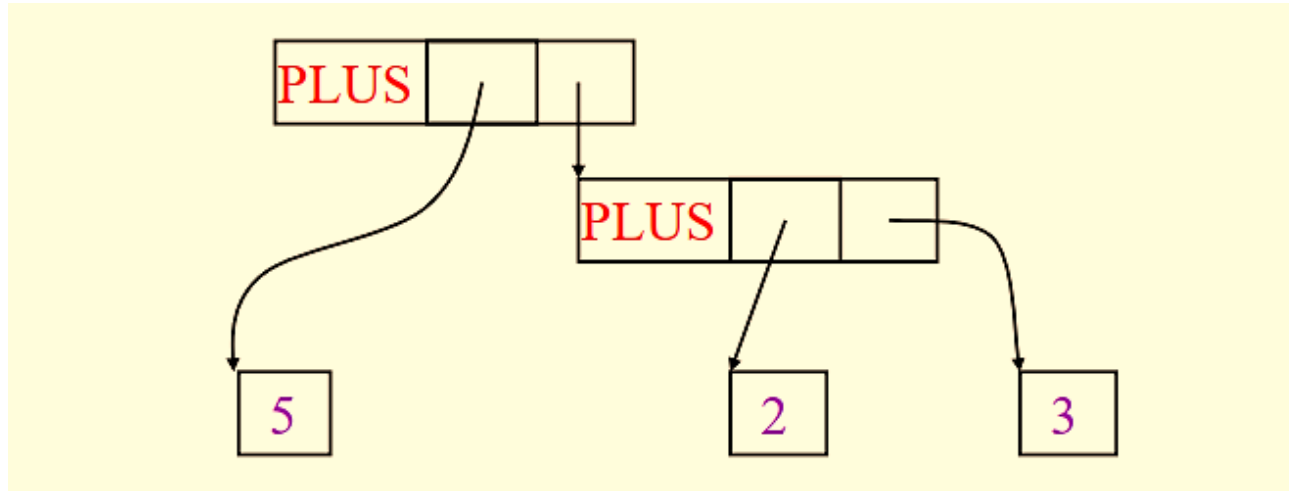
- Consider the grammar
$$E \rightarrow \text{int} \mid (E) \mid E + E$$
- And the string
$$5 + (2 + 3)$$
- After lexical analysis (a list of tokens)
$$\text{int}_5 \text{'+' ' (' int}_2 \text{'+' int}_3 \text{' ')}$$
- During parsing we build a parse tree ...

Example of Parse Tree



- Traces the operation of the parser
- Captures the nesting structure
- But too much info
 - Parentheses
 - Single-successor nodes

Example of Abstract Syntax Tree



- Abstracts from the concrete syntax a more compact and easier to use
- An important data structure in a compiler

Semantic Actions

- This is what we'll use to construct ASTs
- Each grammar symbol may have **attributes**
 - An attribute is a property of a programming language construct
 - For terminal symbols (lexical tokens) attributes can be calculated by the lexer
- Each production may have an **action**
 - Written as: $X \rightarrow Y_1 \dots Y_n \quad \{ \text{action} \}$
 - That can refer to or compute symbol attributes

Semantic Actions: An Example

- Consider the grammar

$$E \rightarrow \text{int} \mid E + E \mid (E)$$

- For each symbol X define an attribute $X.\text{val}$
 - For terminals, val is the associated lexeme
 - For non-terminals, val is the expression's value (which is computed from values of subexpressions)
- We annotate the grammar with actions:

$E \rightarrow \text{int}$	$\{ E.\text{val} = \text{int}.\text{val} \}$
$\mid E_1 + E_2$	$\{ E.\text{val} = E_1.\text{val} + E_2.\text{val} \}$
$\mid (E_1)$	$\{ E.\text{val} = E_1.\text{val} \}$

Semantic Actions: An Example (Cont.)

- String: $5 + (2 + 3)$
- Tokens: $\text{int}_5 \text{ '+' ' (' int}_2 \text{ '+' int}_3 \text{ ')'}$

Productions

$$E \rightarrow E_1 + E_2$$

$$E_1 \rightarrow \text{int}_5$$

$$E_2 \rightarrow (E_3)$$

$$E_3 \rightarrow E_4 + E_5$$

$$E_4 \rightarrow \text{int}_2$$

$$E_5 \rightarrow \text{int}_3$$

Equations

$$E.\text{val} = E_1.\text{val} + E_2.\text{val}$$

$$E_1.\text{val} = \text{int}_5.\text{val} = 5$$

$$E_2.\text{val} = E_3.\text{val}$$

$$E_3.\text{val} = E_4.\text{val} + E_5.\text{val}$$

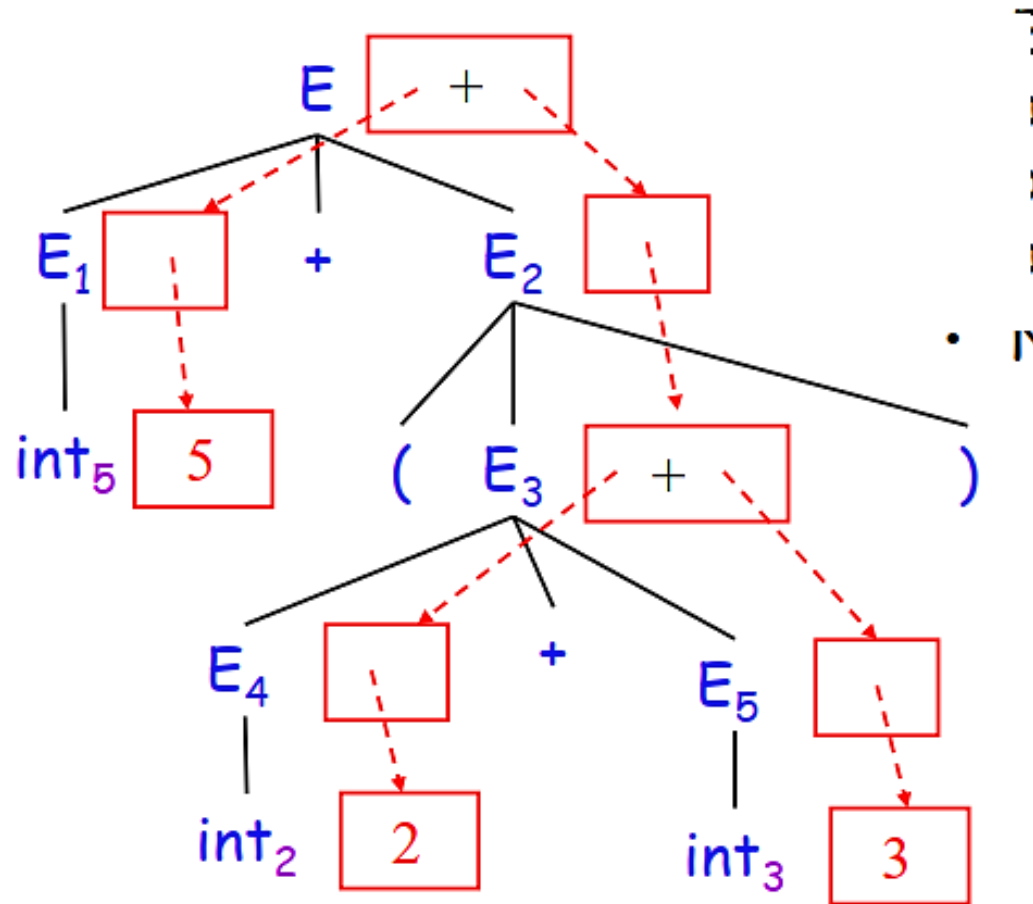
$$E_4.\text{val} = \text{int}_2.\text{val} = 2$$

$$E_5.\text{val} = \text{int}_3.\text{val} = 3$$

Semantic Actions: Dependencies

- Semantic actions specify a system of equations
 - Order of executing the actions is not specified
- Example:
$$E_3.val = E_4.val + E_5.val$$
 - Must compute $E_4.val$ and $E_5.val$ before $E_3.val$
 - We say that $E_3.val$ *depends on* $E_4.val$ and $E_5.val$
- The parser must find the order of evaluation

Dependency Graph



Dependency Graph or Directed graph used to represent flow of information and order of evaluation among attributes within a parse tree.

Meaning of Red Boxes and Dashed Arrows:

- **Red boxes** represent the operators and constants.
- **Dashed arrows** indicate evaluation flow:
 - For example, *from E_1 we go to constant 5.*
 - *From E_3 we go down to its $+$ operator.*

Why parentheses needed? Without parentheses, ambiguity arises in arithmetic grammar. Here, parentheses explicitly force evaluation order: $5 + (2 + 3) = 10$.

Evaluating Attributes in Compiler

- **Attributes** = values attached to grammar symbols (like numbers, types, or computed results).
- **Dependency graph** = shows how each attribute depends on others.
- **To evaluate attributes correctly**: You must compute an attribute **only after** all the attributes it depends on have been computed.
- **An attribute must be computed after all its successors in the dependency graph have been computed**
Means: follow the dependencies like a DAG (Directed Acyclic Graph).
If $E.value = E1.value + E2.value$, you must compute $E1.value$ and $E2.value$ first.
- **In the previous example attributes can be computed bottom-up**
You compute the values from leaves upward (constants first, then operators).
Example: Expression = $5 + (2 + 3)$
- **Such an order exists when there are no cycles**
If the dependency graph has **no cycles**, you can always find an order to evaluate attributes.
Example: Expression trees are acyclic, so evaluation works fine.

Semantic Actions: Notes (Cont.)

- Synthesized attributes
 - Calculated from attributes of descendants in the parse tree
$$E \rightarrow E1 + T$$
$$E.val = E1.val + T.val$$
 - **E.val** is a synthesized attribute from **E1.val + T.val**
 - Can always be calculated in a bottom-up order
- Grammars with only synthesized attributes are called S-attributed grammars

Means: A grammar is **S-attributed** if **all attributes are synthesized**.

Advantages:

 - Easy to implement with bottom-up parsers (like LR parsers).
 - No need to look upward or sideways in the tree.

Inherited Attributes

- **Another kind of attributes:** Calculated from attributes of the parent node(s) and/or siblings in the parse tree

Example: a line calculator

- Each line contains an expression
 $E \rightarrow \text{int} \mid E + E$
- Each line is terminated with the = sign
 $L \rightarrow E = \mid + E =$
- In the second form, the value of evaluation of the previous line is used as starting value
- A program is a sequence of lines
 $P \rightarrow \varepsilon \mid P L$

Why Inherited Attributes?

- In the rule $L \rightarrow +E=$,
- the evaluation of E **depends on the value of the previous line.**
- That means we must **pass information from parent or left siblings down to E.**
- This is not possible with synthesized attributes alone \rightarrow we need **inherited attributes.**

Attributes for the Line Calculator

- Each E has a synthesized attribute val
 - Calculated as before
- Each L has a synthesized attribute val
$$L \rightarrow E = \quad \{ L.val = E.val \}$$
$$| + E = \quad \{ L.val = E.val + L.prev \}$$
- We need the value of the previous line
- We use an inherited attribute $L.prev$

Ex: $3+2=$
 $+4=$

- First line: $E.val = 5$, so $L.val = 5$.
- Second line: $L.prev = 5$, $E.val = 4$, so $L.val = 5 + 4 = 9$.
- Final result: $P.val = 9$.

- Why do we need $L.prev$?
- In the case $L \rightarrow +E=$, the line's evaluation depends on the **previous line's result**.
- Since that information comes from outside this production, we must pass it in as an **inherited attribute**.

Attributes for the Line Calculator (Cont.)

- Each P has a synthesized attribute val

- The value of its last line

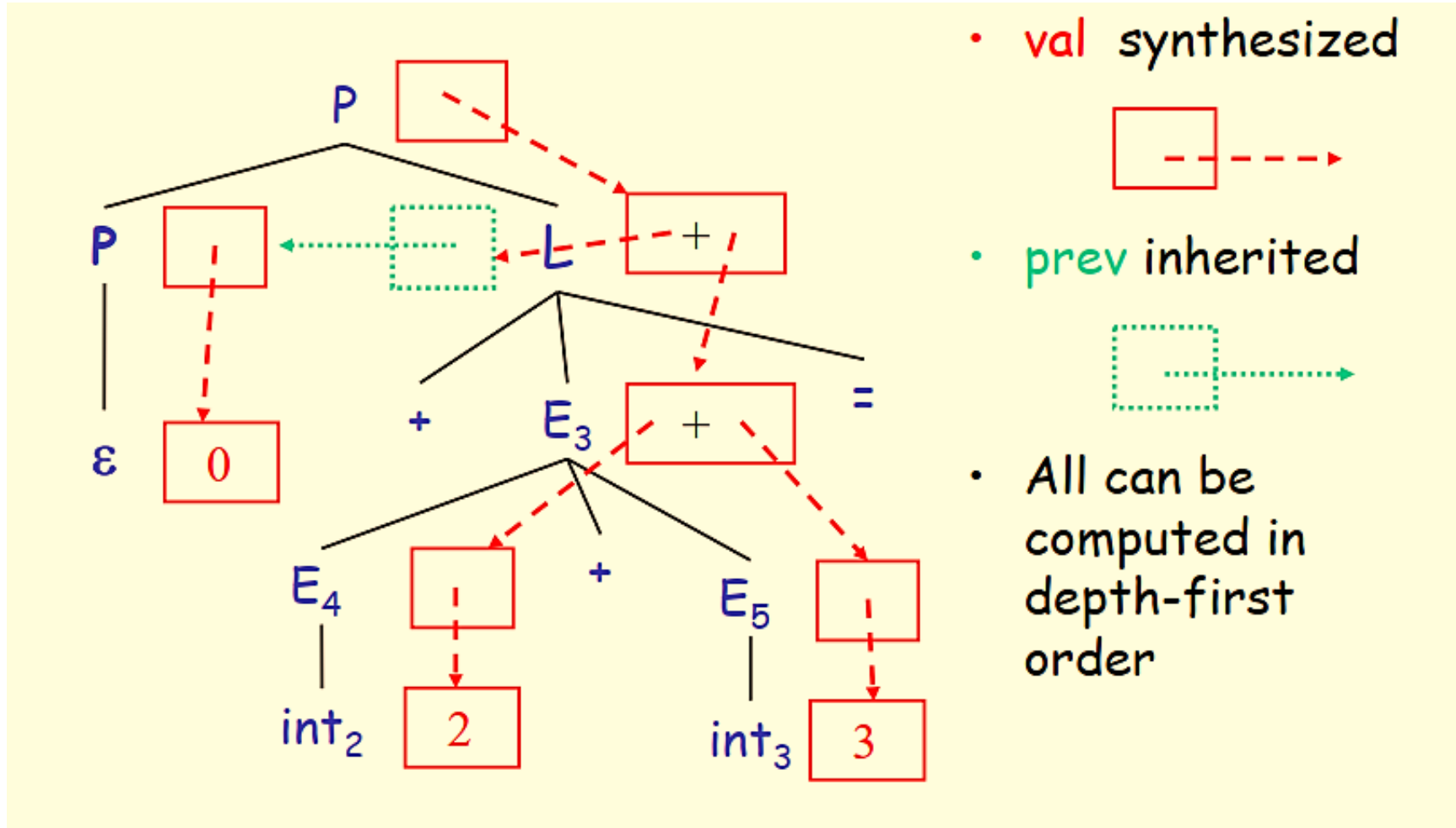
$P \rightarrow \varepsilon$	$\{ P.val = 0 \}$
$ P_1 L$	$\{ P.val = L.val;$ $L.prev = P_1.val \}$

- Each L has an inherited attribute $prev$

- $L.prev$ is inherited from sibling $P_1.val$

- Example ...

Example of Inherited Attributes

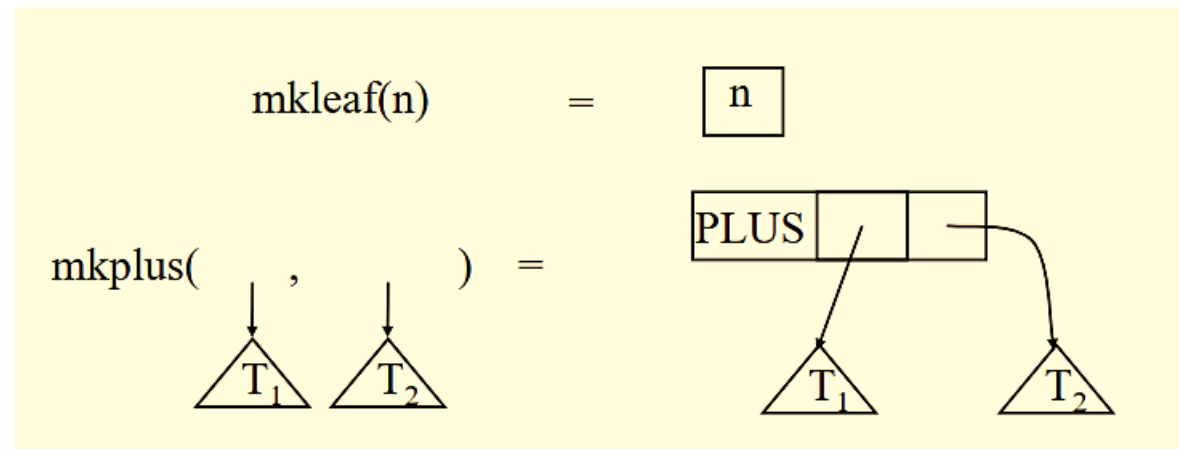


Semantic Actions: Notes (Cont.)

- Semantic actions can be used to build ASTs
- And many other things as well
 - Also used for type checking, code generation, ...
- Process is called syntax-directed translation
 - Substantial generalization over CFGs

Constructing an AST

- We first define the AST data type
- Consider an abstract tree type with two constructors



Constructing a Parse Tree

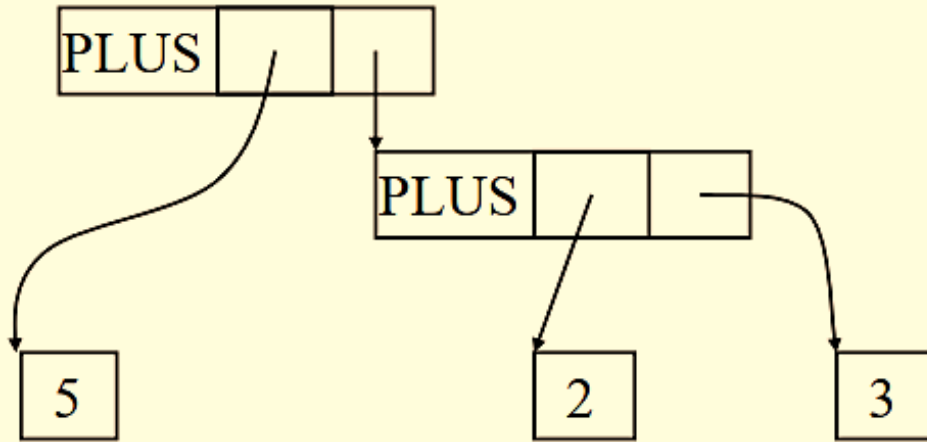
- We define a synthesized attribute **ast**
 - Values of **ast** values are ASTs
 - We assume that **int.lexval** is the value of the integer lexeme
 - Computed using semantic actions

$E \rightarrow \text{int}$	$\{ E.\text{ast} = \text{mkleaf}(\text{int.lexval}) \}$
$\quad E_1 + E_2$	$\{ E.\text{ast} = \text{mkplus}(E_1.\text{ast}, E_2.\text{ast}) \}$
$\quad (E_1)$	$\{ E.\text{ast} = E_1.\text{ast} \}$

Parse Tree Example

- Consider the string $\text{int}_5 \text{ '+' ' (' int}_2 \text{ '+' int}_3 \text{ ')'}$
- A bottom-up evaluation of the **ast** attribute:

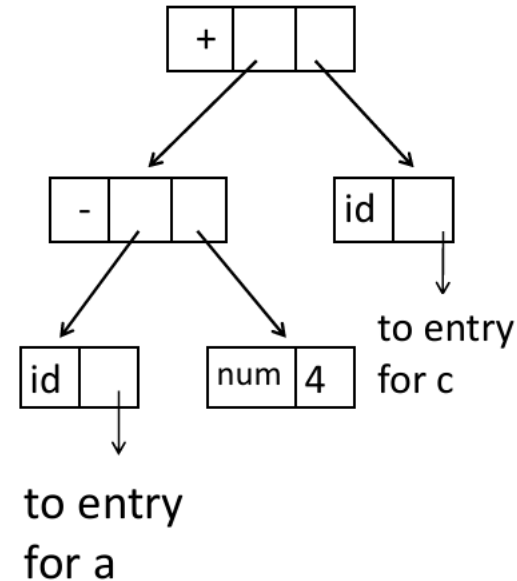
$E.\text{ast} = \text{mkplus}(\text{mkleaf}(5),$
 $\text{mkplus}(\text{mkleaf}(2), \text{mkleaf}(3))$



Constructing Syntax Tree for Expressions

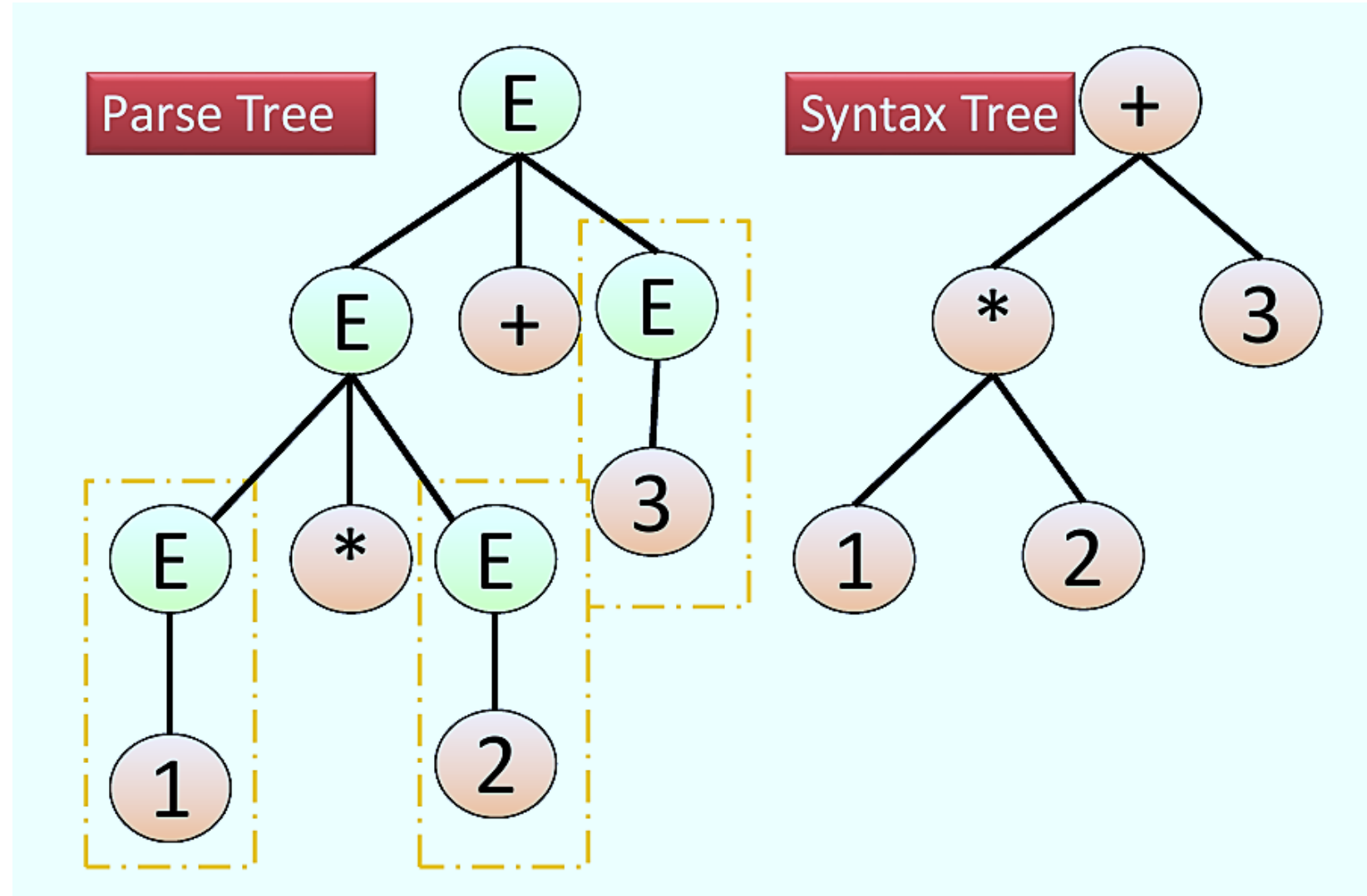
- Example: **a-4+c**

1. `p1:=mkleaf(id,entrya);`
2. `p2:=mkleaf(num,4);`
3. `p3:=mknode(-,p1,p2)`
4. `p4:=mkleaf(id,entryc);`
5. `p5:= mknode(+,p3,p4);`



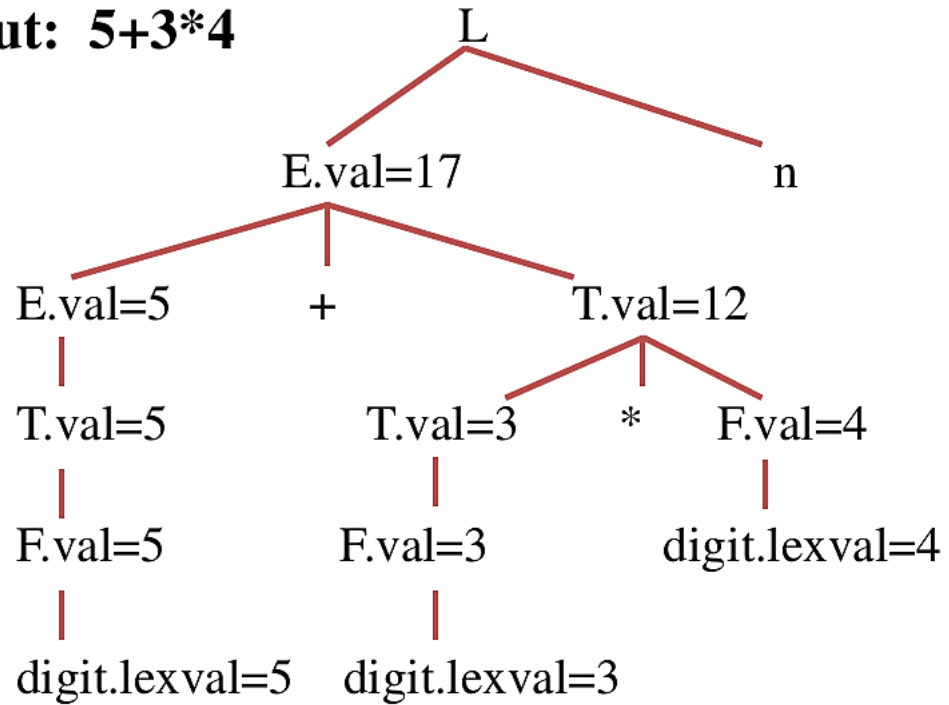
The tree is constructed bottom up.

Parse Tree Vs Syntax Tree : $1*2+3$



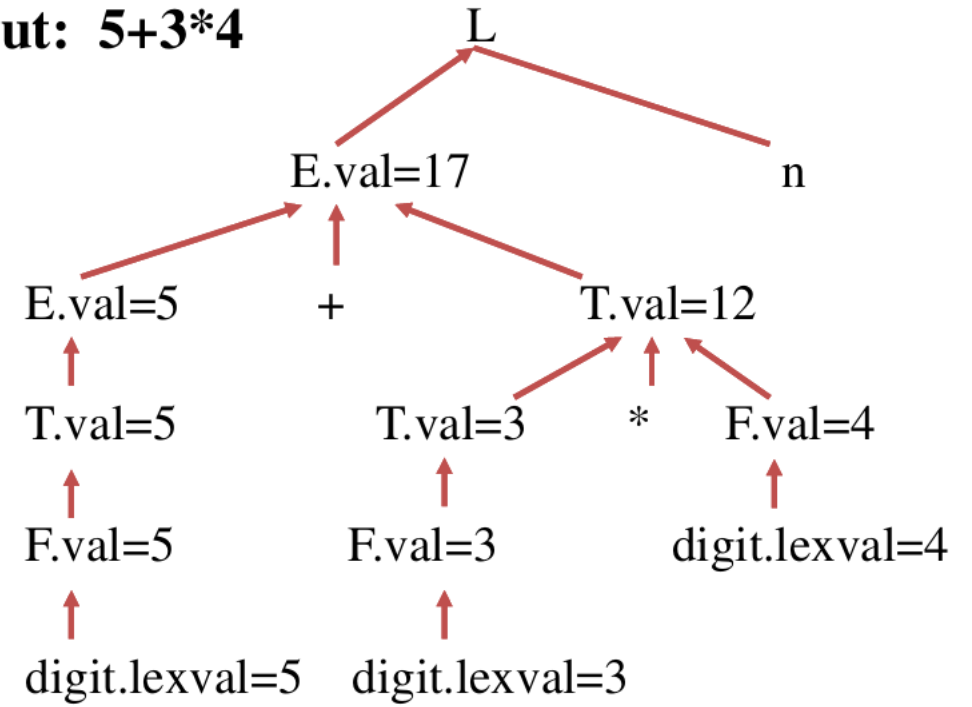
Annotated Parse Tree - - Example

Input: 5+3*4



Dependency Graph

Input: 5+3*4



Parse Tree Vs Syntax Tree : $1*2+3$

Parse Tree

- Parse Tree contain operators & operands at any node of the tree, i.e., either interior node or leaf node.
- Parse contains duplicate or redundant information.
- Parse Tree can be changed to Syntax Tree by the elimination of redundancy, by Compaction

Syntax Tree

- Syntax contains operands at leaf node & operators as interior nodes of Tree.
- ST do not contains duplicate info
- Syntax Tree cannot be changed to Parse Tree

Review of Abstract Syntax Trees

- We can specify language syntax using CFG
- A parser will answer whether $s \in L(G)$
- ... and will build a parse tree
- ... which we convert to an AST
- ... and pass on to the rest of the compiler
- Next part:
 - How do we answer $s \in L(G)$ and build a parse tree?