

## PROGRAMMING ASSIGNMENT-4

### Problem 7.5

a)

The polynomial is :  $0.0057x^5 + -0.1348x^4 + 1.1208x^3 + -3.8559x^2 + 4.8643x + 0.0000 = 0$

b)

The cubic polynomials were:

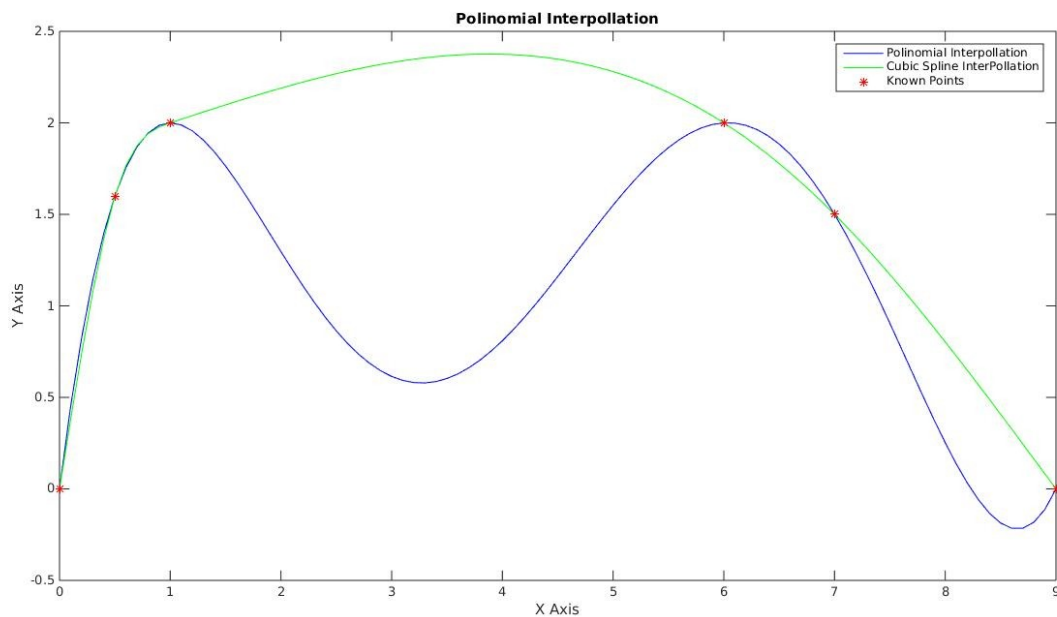
$$0.0 - 0.5: \quad 0.0000 + 3.7999x + -0.0000x^2 + -2.3996x^3 = 0$$

$$0.5 - 1.0: \quad -0.5997 + 7.3983x + -7.1967x^2 + 2.3982x^3 = 0$$

$$1.0 - 6.0: \quad 1.8060 + 0.1811x + 0.0205x^2 + -0.0075x^3 = 0$$

$$6.0 - 7.0: \quad -0.5063 + 1.3373x + -0.1722x^2 + 0.0032x^3 = 0$$

$$7.0 - 9.0: \quad -5.4684 + 3.4638x + -0.4760x^2 + 0.0176x^3 = 0$$



c)

Cubic Spline interpolation gives a better approximation of the required function than monomial interpolation. This is because cubic spline interpolation doesn't form unnecessary local minima's as plotted by monomial interpolation.

d)

Since many of the given data points are almost collinear, i.e., difference in slope between adjacent lines formed by adjacent points are near to zero. Hence piecewise linear interpolation will be a better choice.

#### Problem 8.4

Simpson rule is used to evaluate the integrals.

- a) 0.400000
- b) 0.399876
- c) 0.197913
- d) 0.499363
- e) 26.018098
- f) 1.000000
- g) -1.000007

#### Problem 8.18

Used  $y_p = [1.0 \ 2.7 \ 5.8 \ 6.7 \ 7.5 \ 9.9]$  as pertubated  $y$ .

Output

- a) With Original  $y$ 's derivatives at different  $t$ 's:  
degree=0 0.000 0.000 0.000 0.000 0.000 0.000  
degree=1 1.706 1.706 1.706 1.706 1.706 1.706  
degree=2 2.179 1.990 1.800 1.611 1.422 1.232  
degree=3 3.156 2.111 1.494 1.304 1.543 2.209  
degree=4 0.120 2.839 2.162 0.637 0.814 5.245  
degree=5 -3.178 3.880 1.822 0.297 1.855 1.947

With perturbed  $y$ 's( $y(4) = 6.7$ ) derivatives at different  $t$ 's:

degree=0 0.000 0.000 0.000 0.000 0.000 0.000  
degree=1 1.709 1.709 1.709 1.709 1.709 1.709  
degree=2 2.217 2.014 1.810 1.607 1.403 1.200  
degree=3 3.144 2.129 1.520 1.316 1.518 2.126  
degree=4 -0.011 2.886 2.214 0.622 0.761 5.280  
degree=5 -2.845 3.780 1.922 0.330 1.655 2.447

- b) With Original  $y$ 's derivatives at different  $t$ 's:  
-0.798 2.002 3.549 5.982 13.342 18.112

With Perturbed  $y$ 's derivatives at different  $t$ 's:

-0.716 2.084 2.858 7.024 17.504 24.564

- c) With Original  $y$ 's derivatives at different  $t$ 's:  
2.112 1.796 1.586 4.856 -1.586 -4.313

With Perturbed y's derivatives at different t's:

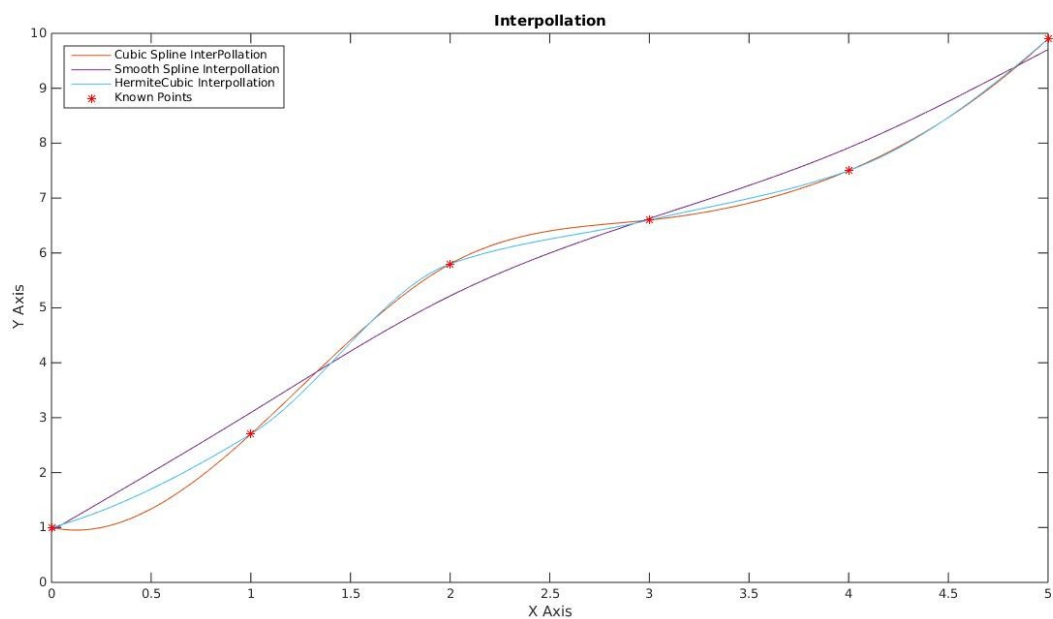
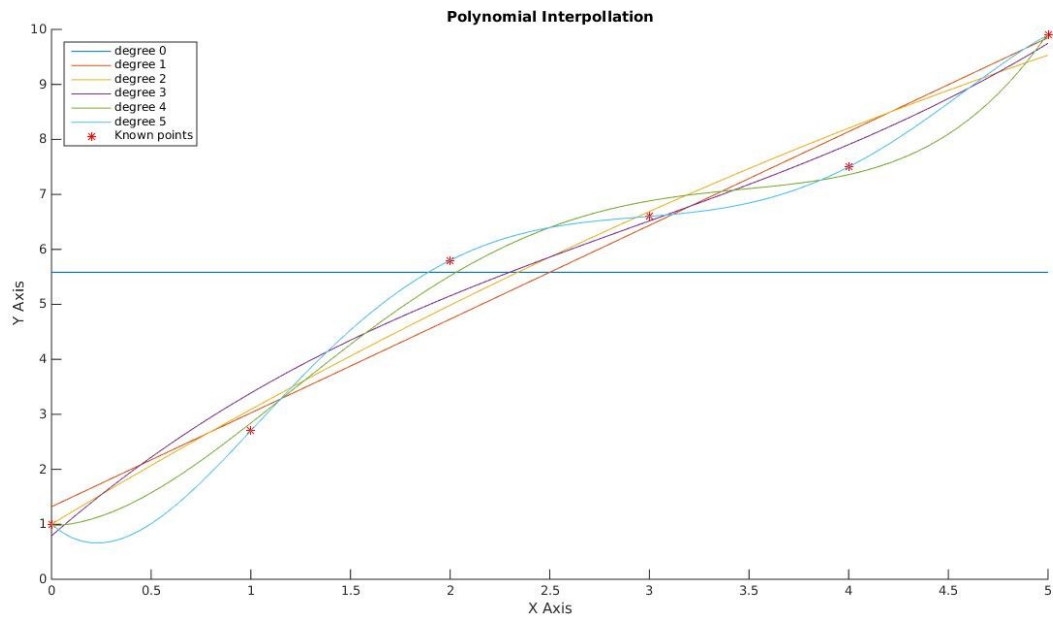
2.117 1.828 1.454 5.035 -1.670 -4.440

d) With Original y's derivatives at different t's:

1.000 1.272 3.535 8.644 -3.600 -9.941

With Perturbed y's derivatives at different t's:

1.000 1.395 2.951 9.953 -5.200 -12.800



## Problem CUDA 1)

The estimated time taken for each operation at different data size was noted.

Data Size	1024	1021*2	1024*4	1024*8	1024*16	1024*32	1024*64	1024*128	1024*256	1024*512	1024*1024
Minimum (m.sec)	0.064736	0.051328	0.051264	0.064128	0.129152	0.188768	0.301344	0.434752	0.89104	2.573248	3.714784
Maximum (m.sec)	0.03318	0.02461	0.02707	0.03456	0.05235	0.08694	0.1536	0.28445	0.57018	1.08698	2.12653
Std. Deviation (m.sec)	0.03318	0.02461	0.02707	0.03456	0.05235	0.08694	0.1536	0.28445	0.57018	1.08698	2.12653
Kurtosis (m.sec)	0.03318	0.02461	0.02707	0.03456	0.05235	0.08694	0.1536	0.28445	0.57018	1.08698	2.12653

It was found that with increase in data size exponentially the execution time increases linearly.