Chapter – 01
Rational Numbers

- Rational numbers are **closed** under the operations of addition, subtraction and multiplication.
- The operations addition and multiplication are
  (i) **commutative** for rational numbers.
  (ii) **associative** for rational numbers.
- The rational number 0 is the **additive identity** for rational numbers.
- The rational number 1 is the **multiplicative identity** for rational numbers.
- The additive inverse of the rational number $\frac{a}{b}$ *is* $\frac{a}{\cdot}$ *and vice – versa*.
- The **reciprocal or multiplicative inverse** of the rational number $\frac{a}{b}$ *is* $\frac{c}{d}$ *if* $\frac{a}{b}\times\frac{c}{d}=$.
- Distributivity of rational numbers: For all rational numbers a, b and c, a(b + c) = ab + ac and a(b – c) = ab – ac
- Rational numbers can be represented on a number line.
- Between any two given rational numbers there are countless rational numbers. The idea of mean helps us to find rational numbers between two rational numbers.
- **Positive Rationals:** Numerator and Denominator both are either positive or negative. Example: $\frac{4}{7}, \frac{}{-4}$
- **Negative Rationals:** Numerator and Denominator both are of opposite signs. Example: $\frac{-2}{11}, \frac{4}{-9}$
- **Additive Inverse:** Additive inverse (negative) $\frac{a}{b}+\frac{-a}{b}=\frac{-a}{b}+\frac{a}{b}=0$. $\frac{-}{b}$ is the additive inverse of b and b is the additive inverse of $\frac{-}{b}$.
- **Mulitiplicative Inverse (reciprocal):** $\frac{a}{b}\times\frac{c}{d}=1=\frac{c}{d}\times\frac{a}{b}$ where d is the reciprocal of b. Zero has no reciprocal. The reciprocal of 1 is1 and of -1 is -1.