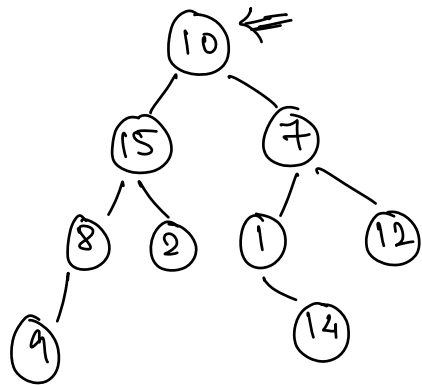


Q. Given a Binary Tree and a no. of  $(k)$ . Search if  $(k)$  exists in Binary Tree or not.



$k = 12 \Rightarrow \text{True}$

$k = 20 \Rightarrow \text{false}$

\* 1) PreOrder  
 { 2) InOrder  
 3) PostOrder }  $O(N)$

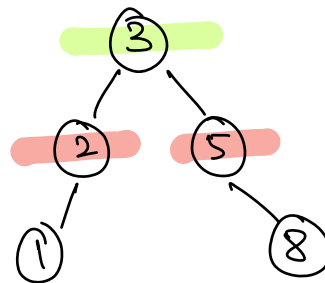
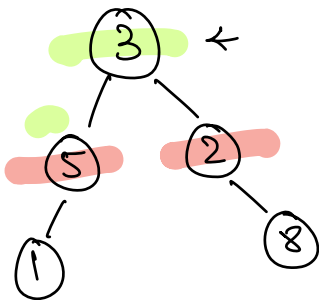
Preference  $\Rightarrow$  PreOrder

Fail Fast Approach  $\Rightarrow$

$\hookrightarrow$  If function is failing then it should be as fast as possible.

Q. Given two Binary Trees. Check if they identical

$\hookrightarrow$  root 1  
 $\hookrightarrow$  root 2



NOT identical

```

bool isIdentical (root1, root2) {
    Base
    Cases
    {
        if (root1 == Null && root2 == Null)
            return true;

        if (root1 == Null || root2 == Null)
            return false;

        if (root1.data != root2.data)
            return false;

        return isIdentical (root1.left, root2.left)
               &&
               isIdentical (root1.right, root2.right);
    }
}

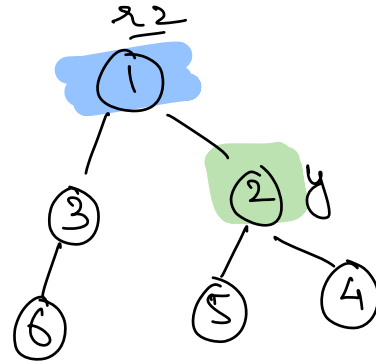
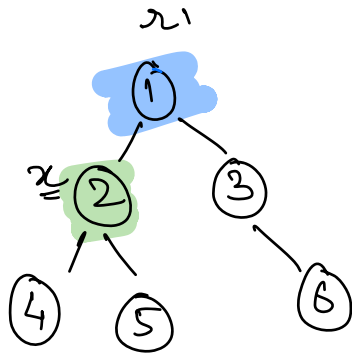
```

3

TC :  $O(N)$   
 SC :  $O(N)$

PreOrder Traversal

Q Given two Binary Trees, check if they are Symmetric or Not.  
↳ Mirror image



Observations

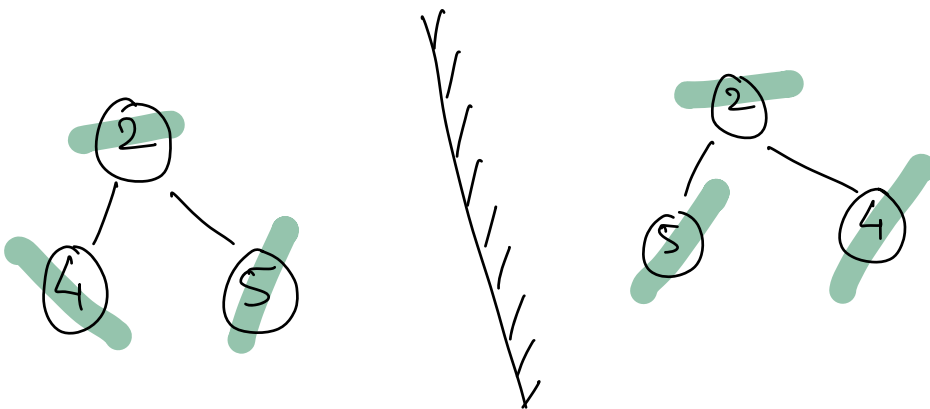
- 1) Root's value must be same.
- 2) Root's left becomes root's right & vice-versa  
↳ for all the subtrees.

```

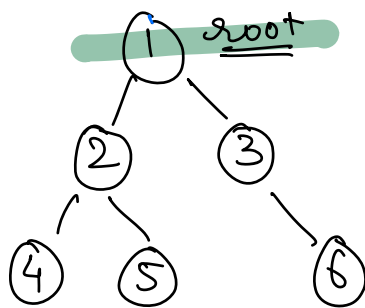
bool isSymmetric (root1, root2) {
    Base
    Cases
    if (root1 == Null && root2 == Null)
        return true;
    if (root1 == Null || root2 == Null)
        return false;
    if (root1.data != root2.data)
        return false;
    return isSymmetric(root1.left, root2.right)
        &&
        isSymmetric(root1.right, root2.left);
}

```

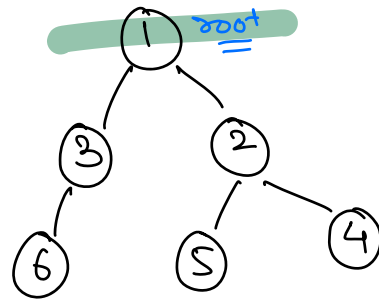
3



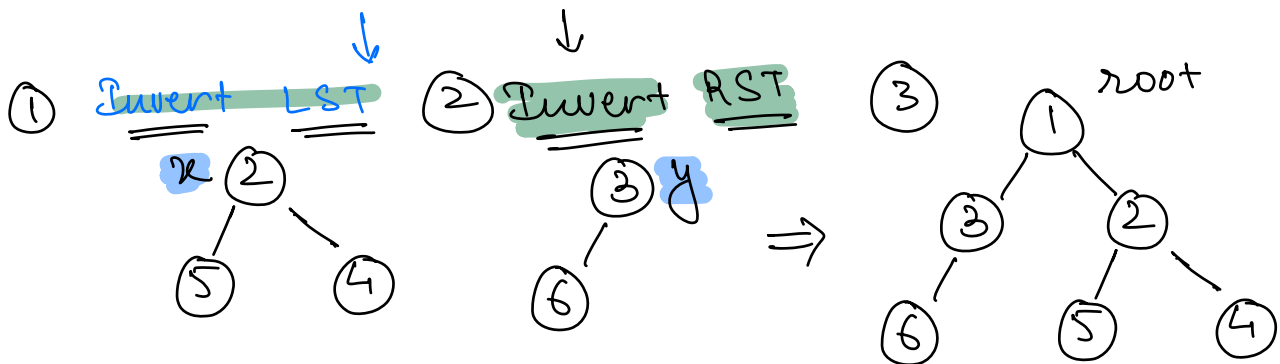
Q Invert a Binary Tree.  
 ↳ Convert it into its mirror image.



Input



Output



```

TreeNode invert (root) {
    if (!root) {
        return root;
    }
  
```

LST [TreeNode x = invert (root.left);

RST [TreeNode y = invert (root.right);

root [ root.right = x;  
           root.left = y;  
           return root;

}

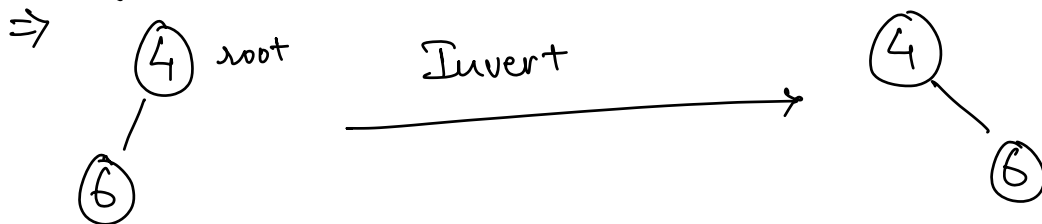
TC : O(N)

PostOrder Traversal



$x = \text{fun}(\text{root} \cdot \text{left})$   
 $x = \text{Null}$   
 $y = \text{fun}(\text{root} \cdot \text{right})$   
 $y = \text{Null}$

$\left. \begin{array}{l} x = \text{fun}(\text{root} \cdot \text{left}) \\ x = \text{Null} \\ y = \text{fun}(\text{root} \cdot \text{right}) \\ y = \text{Null} \end{array} \right\} \begin{array}{l} \text{root} \cdot \text{right} = x \\ \text{root} \cdot \text{left} = y \end{array}$

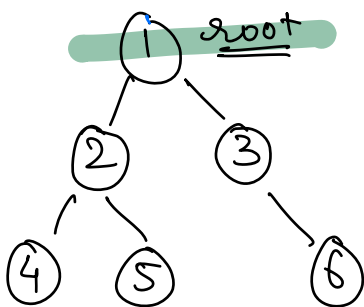


$x = \text{fun}(\text{LST})$   
 $x = \text{⑥}$

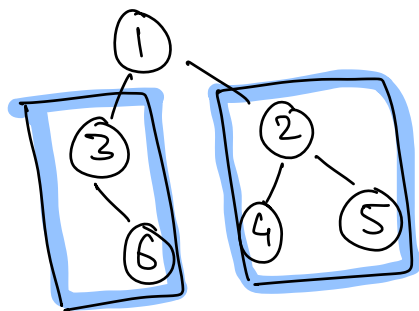
$y = \text{fun}(\text{RST})$   
 $y = \text{fun}(\text{Null})$   
 $y = \text{Null}$

$\text{root} \cdot \text{right} = x;$   
 $\text{root} \cdot \text{left} = y.$

#



① Swap  
LST & RST



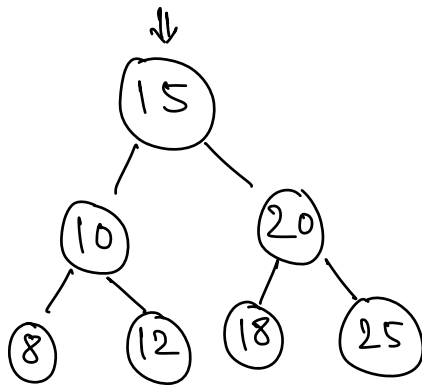
Pre Order Traversal

② invert(LST)  
③ invert(RST)

# Search an element in a Binary Tree

↳ TC:  $O(N)$

TC of searching in Array / L.L :-  $O(N)$



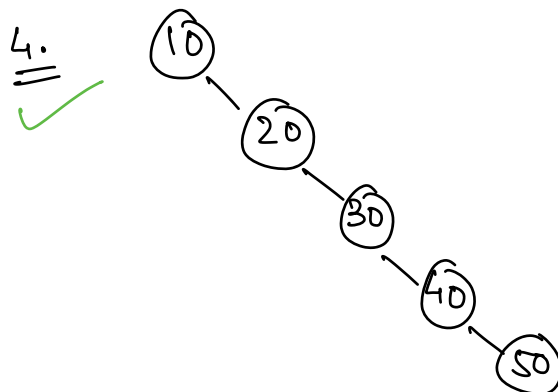
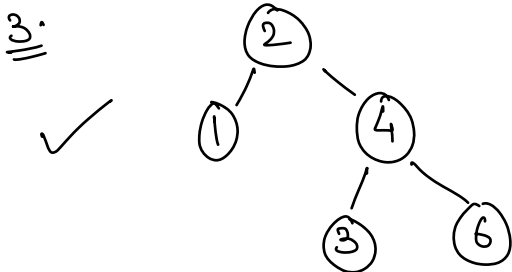
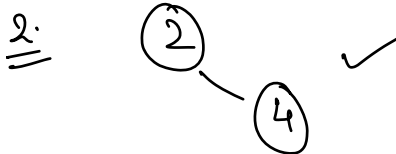
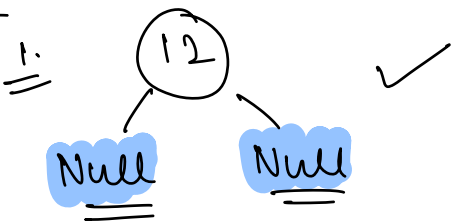
$K = 25$

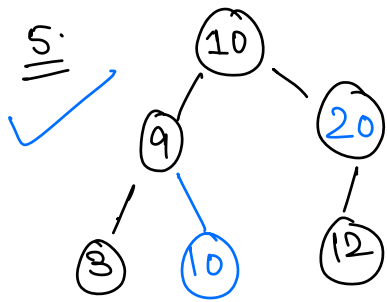
Binary Search Tree (BST)

⇒ for every node :-

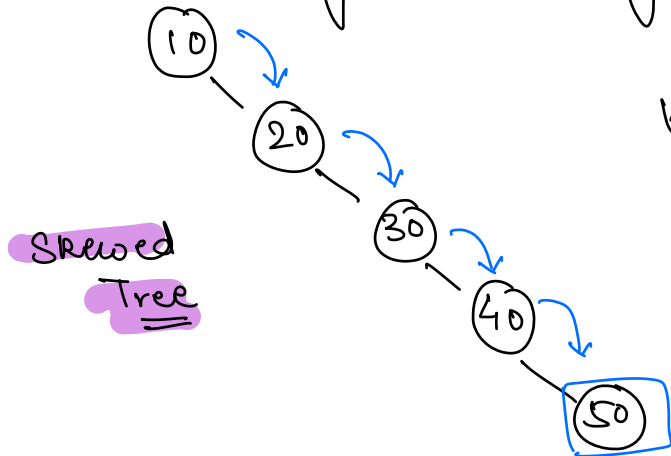
- 1) values on LST  $\leq$  node's value
- 2) values on RST  $>$  node's value

Ex:-





Quiz TC of searching in a BST

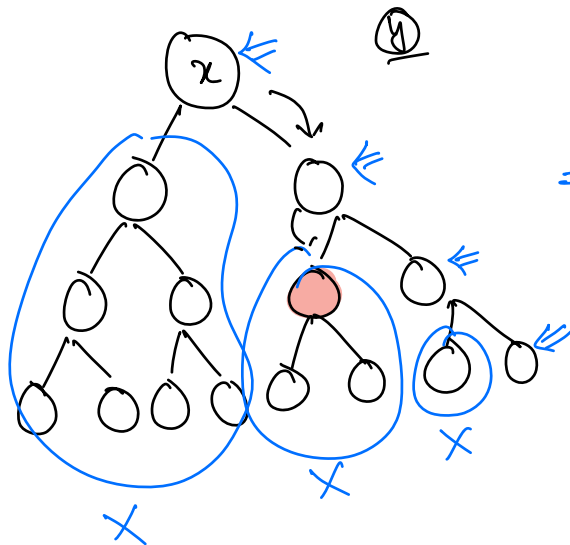


Skewed Tree

$k=50$

$\Rightarrow$  TC:  $O(N)$   
worst case

#



$\Rightarrow$  TC:  $O(\log N)$

No. of nodes in LST  $\approx$  No. of nodes in RST  $\Rightarrow$  TC:  $O(\log N)$

Balanced BST  $\Rightarrow$   $O(\log N)$

$\rightarrow$  AVL Trees / Red Black Trees  
Self Balancing BST



## Sorted Array

1) Insertion

TC:  $O(N)$

2) Deletion

$O(N)$

## Balanced BST

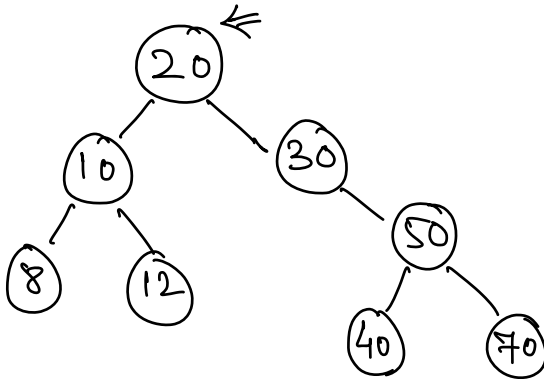
1) Insertion

$O(\log N)$

2) Deletion

$O(\log N)$

Q Given a BST, search a key in BST



$k = 10 \Rightarrow \underline{\underline{\text{True}}}$

$k = 100 \Rightarrow \underline{\underline{\text{False}}}$

bool search(root, k) { fail

if (root == Null)

return false;

if (root->data == k)

return true;

else if (root->data > k)

return search(root->left, k);

else

return search(root->right, k);

TC:  $O(N)$

3