

Written Assignment - 3

CRN : 21563

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1A) Given

Total tuples in relation 'r', $n_r = 10,000$

No. of tuples for block = 10

No. of blocks in relation 'r' $br = \frac{10000}{10} = 1000 \rightarrow br$

Total tuples in relation 's', $n_s = 2,000$

No. of tuples for block = 5

No. of blocks in relation 's' $bs = \frac{2000}{5} = 400 \rightarrow bs$

No. of buffer blocks in memory = 17.

1.1) Total cost using block nested loop join

$$\text{Cost} = \left(\left[\frac{br}{m-1} \right] * bs \right] + b_{st}$$

$$= \left(\left[\frac{1000}{17-1} \right] * 400 \right] + 1000 \Rightarrow \left(\left[\frac{1000}{16} \right] * 400 \right] + 1000$$

$$= ((6.25) * 400) + 1000 \Rightarrow (63 \times 400) + 1000 = 26,200$$

$$\therefore \text{Total cost} = 26,200$$

1.2) Total cost using merge join

$$\text{cost} = Bs + b_{st} + bs$$

$$\text{where } Bs = b_{st} \times \left(2 \left[10gm - 1 \left(\frac{br}{m} \right) \right] + 2 \right] + bs \times \left[2 \left(\log_{16} \left(\frac{bs}{m} \right) \right) + 2 \right]$$

$$\Rightarrow Bs = 1000 \left(2 \left(\log_{16} \left(\frac{1000}{17} \right) \right] + 2 \right) + 400 \left(2 \left(\log_{16} \left(\frac{400}{17} \right) \right] + 2 \right)$$

$$\Rightarrow Bs = 1000 (2(2)+2) + 400 (2(2)+2)$$

$$Bs = 6000 + 2400 = 8400$$

$$\text{cost} = 8400 + 1000 + 400 = 9800$$

$$\therefore \text{Total cost} = 9800$$

1.3) Total cost using mesh Join (Recursive partition)

$$\begin{aligned}
 \text{cost} &= 2(b_{01} + b_{02})(\log_{m-1}(b_0) - 1] + b_{01} + b_{02} \\
 &= 2(1000 + 400)[\log_{16}400 - 1] + 1000 + 400 \\
 &= 2800(2.16 - 1) + 1400 \\
 &= 2800(2) + 1400 \\
 &= 7000 \\
 \therefore \text{Total cost} &\approx 7000
 \end{aligned}$$

1.4) Test cost using Hash join (non-merging partition)

$$\text{cost} = 3(b_r + b_s) \\ = 3(400 + 1000) = 4200$$

\therefore Total cost = 4200
old cost was prior to last (1)

1.5) we can use any of the join Algorithm for infinite memory. Because, all the algorithms will have almost same time complexity i.e., $(b_s + b_B)$. same as for hash join the cost is given by " $3(br + bs)$ "

2.1) a) find the relational Algebra Expression of this SQL command . $\Pi_{\text{Name}} (\sigma_{\text{file} > \text{'Advance Database'}}$

^ Semester = "Fall" ^ Year = 2021 (instructor is (teaches ~~to~~ course))

Q.2 A) Equivalent Expression :-

*) Initial Expression tree

$$\pi_{\text{name}}$$

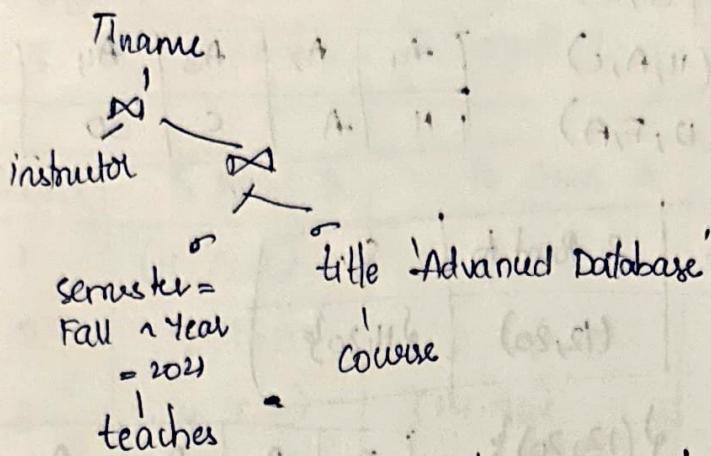
$$\Delta \left(s + (c) \cdot c \right) \text{d}c + \left(s + (c) \cdot c \right) \text{d}c = 2c$$

Instructor Title = "Advanced database" semester = "Fall"
I year = 2021)

teacher /θɪ'tʃər/ The word

(high)
course

* Transformed expression tree



The transformed Expression tree is much better than the initial Expression tree because of iterating large amount data at the starting stage will decrease the number of records to be iterated at the last stage.

3A) Merge join algorithm:

	P	A ₁	A ₂	A ₃
P ₁ →		91	A	C
P ₂ →		12	F	A
P ₃ →		14	L	K
P ₄ →		15	T	F
P ₅ →		16	I	O
P ₆ →		17	P	L
P ₇ →			K	C

P₂₁ → null

	S	A ₁	A ₄
P ₈ →		10	30
P ₉ →		11	30
P ₁₀ →		12	20
P ₁₁ →		14	40
P ₁₂ →		17	10
P ₁₃ →		17	50

P₂₁ → null

Round 1 :-

$$t_s = (10, 30) \quad s_s = \{(10, 30)\}$$

$$t_s = (11, 30) \quad t_s = (11, A, L)$$

Round	P ₈ Point to	P ₉ Point to	s _s
1	(11, A, C)	(11, 30)	(10, 30)

Round 2:-

$$t_S = (11, 30)$$

$$t_S' = (12, 20)$$

$$S_S = \{(11, 30)\}$$

$$t_R = (11, A, C)$$

$$t_R = (12, F, A)$$

Result

A ₁	A ₂	A ₃	A ₄
11	A	C	30

Round	P _S Point to	P _R Point to	S _S
2	(12, F, A)	(12, 20)	{(11, 30)}

Round 3 :-

$$t_S = (12, 20)$$

$$t_S' = (14, 40)$$

$$S_S = \{(12, 20)\}$$

$$t_R = (12, F, A)$$

$$t_R = (12, L, K)$$

$$t_R = (14, T, P)$$

A ₁	A ₂	A ₃	A ₄
11	A	L	30
12	F	A	20
12	L	K	20

Round	P _S Point to	P _R Point to	S _S
3	(14, T, P)	(14, 40)	{(12, 20)}

Result.

Round 4:-

$$t_S = (14, 40)$$

$$t_S = (14, 10)$$

$$t_S' = (17, 50)$$

$$S_S = \{(14, 40)\}$$

$$S_S = \{(14, 40), (14, 10)\}$$

$$t_R = (14, T, P)$$

$$t_R = (15, I, O)$$

A ₁	A ₂	A ₃	A ₄
11	A	C	10
12	F	A	20
12	L	K	20
14	T	P	40
14	T	P	10

Round	P _S Point to	P _R Point to	S _S
4	(15, I, O)	(17, 50)	{(14, 40), (14, 10)}

Round 5:-

$$t_S = (17, 50)$$

$$t_S = (15, I, O)$$

$$t_R = (16, P, L)$$

$$t_R = (17, P, L)$$

$$t_R = \text{null}$$

$$S_S = \{(17, 50)\}$$

Result:-

A ₁	A ₂	A ₃	A ₄
11	A	C	30
12	F	A	20
12	L	K	20
14	T	P	40
14	T	P	10
17	P	L	50

Round	P _r Point to	P _s point to	S
5	null	null	{(17, 50)}

Round	P _r point to	P _s Point to	S
1	(11, A, c)	(11, 30)	{(10, 30)}
2	(12, F, A)	(12, 20)	{(11, 30)}
3	(14, T, P)	(14, 40)	{(12, 20)}
4	(15, I, D)	(17, 50)	{(14, 40) (14, 10)}
5	null	null	{(17, 50)}

∴ No. of rounds for outer while loop = 5 rounds