UCI Machine Learning Repository - Prostate Cancer Data set

For this project we will be working with the UCI Repository Prostate Cancer Data Set. This is a very famous data set and quite many papers have been published on the same!

We'll be trying to predict a classification- Diagnosis is Malignant 'M' or benign 'B'. Let's begin our understanding of implementing K-Nearest Neighbour in Python for classification.

We'll use the raw version of the data set (the one provided), and perform some categorical variables encoding (dummy variables) in python for quite many features if required.

Import Libraries

Let's import some libraries to get started!

```
In [1]: import pandas as pd
   import numpy as np
   import matplotlib.pyplot as plt
   import seaborn as sns
   %matplotlib inline
```

The Data - Loading & Cleaning

Let's start by reading in the adult.csv file into a pandas dataframe. Cleaning the data, if required.

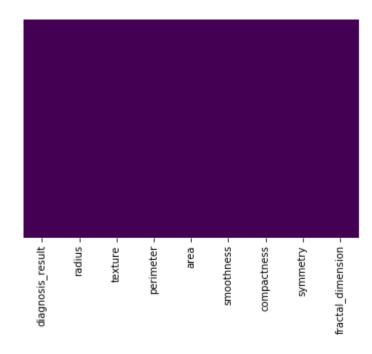
```
In [4]: df = pd.read_csv('Prostate_Cancer.csv')
         df.head()
In [5]:
Out[5]:
               diagnosis_result radius
                                        texture
                                               perimeter
                                                                smoothness
            id
                                                           area
                                                                             compactness
                                                                                            sym
            1
               Μ
                                23
                                        12
                                                151
                                                           954
                                                                0.143
                                                                             0.278
                                                                                            0.24
            2
               В
                                9
                                        13
                                                133
                                                           1326 0.143
                                                                                            0.18
                                                                             0.079
            3
                                        27
               Μ
                                 21
                                                130
                                                           1203
                                                                0.125
                                                                              0.160
                                                                                            0.20
            4
               Μ
                                        16
                                                78
                                 14
                                                           386
                                                                0.070
                                                                             0.284
                                                                                            0.26
            5
               Μ
                                 9
                                        19
                                                                0.141
                                                                                            0.18
                                                135
                                                           1297
                                                                             0.133
In [6]: df.drop('id', axis=1, inplace=True)
```

Exploratory Data Analysis

Performing some exploratory data analysis for better knowing the data set

In [7]: sns.heatmap(df.isnull(), yticklabels=False, cmap='viridis', cbar=False)

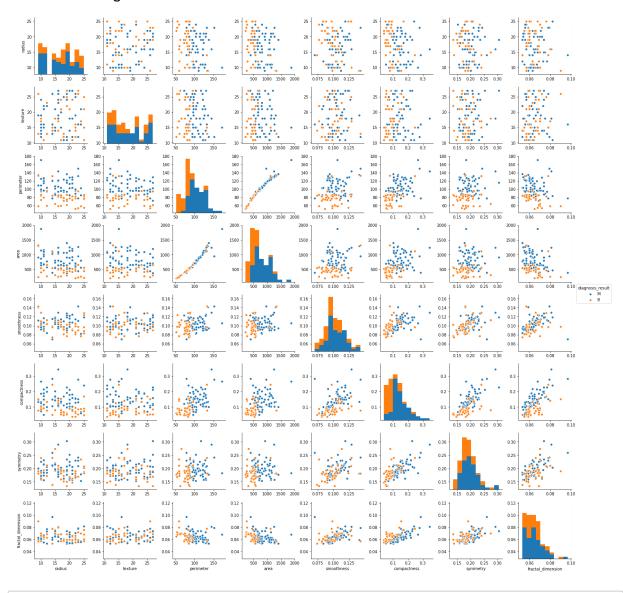
Out[7]: <matplotlib.axes._subplots.AxesSubplot at 0xbd94be0>



From the above heatmap, Looks like there is no missing data in the data set

In [8]: sns.pairplot(df, hue='diagnosis_result')

Out[8]: <seaborn.axisgrid.PairGrid at 0xbf4f908>



In [9]: df.columns

```
In [10]: df.info()
         <class 'pandas.core.frame.DataFrame'>
         RangeIndex: 100 entries, 0 to 99
         Data columns (total 9 columns):
         diagnosis result
                              100 non-null object
         radius
                              100 non-null int64
         texture
                              100 non-null int64
                              100 non-null int64
         perimeter
                              100 non-null int64
         area
                              100 non-null float64
         smoothness
                              100 non-null float64
         compactness
                              100 non-null float64
         symmetry
         fractal dimension 100 non-null float64
         dtypes: float64(4), int64(4), object(1)
         memory usage: 7.1+ KB
```

Feature Scaling

Normalising the features using Scikit Learn Standard Scaler

	radius	texture	perimeter	area	smoothness	compactness	symmetry	frac
0	1.266830	-1.205746	2.301611	0.789417	2.764210	2.486970	1.594151	1.76
1	-1.617011	-1.012208	1.537520	1.958830	2.764210	-0.784061	-0.397314	-0.9
2	0.854853	1.697335	1.410172	1.572169	1.528655	0.547364	0.451507	-0.5
3	-0.587068	-0.431591	-0.797201	-0.996139	-2.246650	2.585594	2.181796	3.98
4	-1.617011	0.149025	1.622419	1.867666	2.626926	0.103555	-0.397314	-0.7

→

Training & Test Data

Creating the Training & Test Data from the Data Set

```
In [17]: from sklearn.model_selection import train_test_split
In [18]: X_train, X_test, y_train, y_test = train_test_split(df_feature, df['diagnosis_result'], test_size=0.3, random_state=101)
```

Initializing, Training & Testing Model

Now inititaling the model, then traning with the training data set and testing with the test data set

```
In [19]: from sklearn.neighbors import KNeighborsClassifier
In [20]: knn = KNeighborsClassifier(n_neighbors=1)
In [21]: knn.fit(X_train, y_train)
    pred = knn.predict(X_test)
```

Evaluating the Model

Now once the model has been trained and tested, we will evaluate the model using the metrics

```
In [22]:
         from sklearn.metrics import classification_report, confusion_matrix
In [23]:
         print(classification report(y test, pred))
          print('\n')
          print(confusion_matrix(y_test, pred))
                       precision
                                    recall f1-score
                                                        support
                    В
                            0.53
                                      0.62
                                                 0.57
                                                             13
                            0.67
                                      0.59
                                                 0.62
                    Μ
                                                             17
         avg / total
                            0.61
                                      0.60
                                                 0.60
                                                             30
          [[ 8 5]
          [ 7 10]]
```

Finding the best probable value of 'K' - Elbow Method

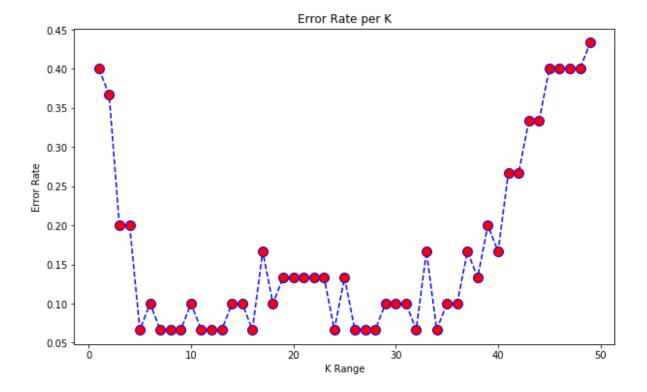
Using the elbow method to find the best probable value of 'K' for which the error is least

```
In [24]: error_rate = []
for i in range(1, 50):
    knn = KNeighborsClassifier(n_neighbors=i)
    knn.fit(X_train, y_train)
    pred_i = knn.predict(X_test)
    error_rate.append(np.mean(pred_i != y_test))
```

Now we have got an array 'error_rate' that contains the mean of errors for every iteration of 'K' from 1 to 30. We will use this to get the value of 'K' for which the error rate is lowest. Let's plot this information on graph so that it's easy to interpret the same.

```
In [25]: plt.figure(figsize=(10,6))
    plt.plot(range(1, 50), error_rate, linestyle='--', color='blue', marker='o', m
    arkerfacecolor='red', markersize=10)
    plt.title('Error Rate per K')
    plt.xlabel('K Range')
    plt.ylabel('Error Rate')
```

Out[25]: Text(0,0.5,'Error Rate')



For K = 11 or K=12

From the above plot, it is evident that the error rate goes down as we increase the 'K' value till k=27 or 28. We may further calculate the K values, but the looks like after that the error rate usually remains constant.

You may try with larger K values if you wish.

NOTE: If you find the below value of 'K' not equal to 11 or 12, then i would have been experimenting with the values of 'K' to get the optimal result. But anyway, you get the essene right!

Hence now training and fitting the model for K=6 and evaluating the model

```
knn = KNeighborsClassifier(n_neighbors=12)
In [29]:
          knn.fit(X_train, y_train)
          pred = knn.predict(X test)
          print(classification_report(y_test, pred))
          print("\n")
          print(confusion_matrix(y_test, pred))
                       precision
                                    recall f1-score
                                                        support
                    В
                            1.00
                                      0.85
                                                 0.92
                                                             13
                    Μ
                            0.89
                                      1.00
                                                 0.94
                                                             17
                                      0.93
         avg / total
                            0.94
                                                 0.93
                                                             30
```

[[11 2] [0 17]]

Hence our KNN Model is 94% accurate. That's quite an accuacy !!