

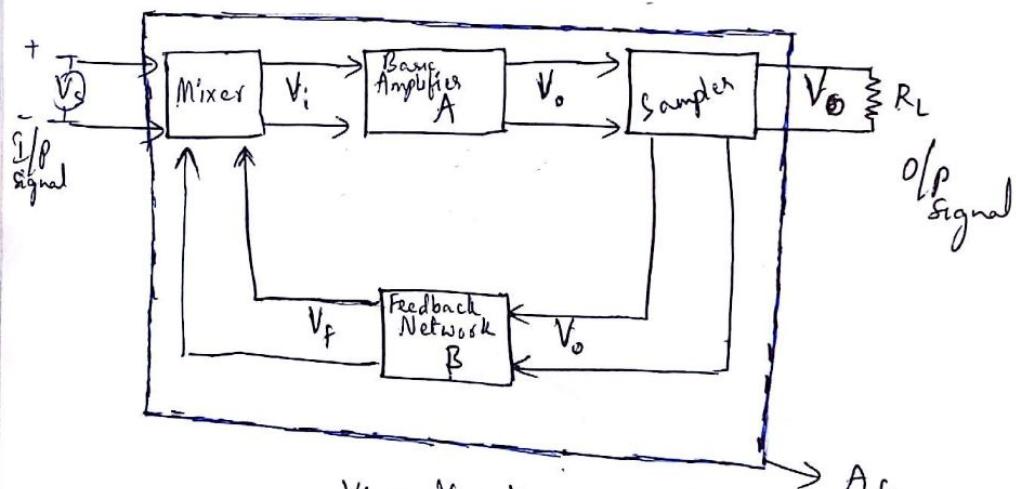
Feedback Amplifier

- concept
- characteristics of negative feedback
- Types of -ve feedback amplifiers

Oscillators

- principle
- RC Oscillator
- Phase shift Oscillator
- Wein bridge
- LC Oscillator
- Hartley Oscillator
- Colpitt

Block Diagram of Feedback Amplifier :-



$$V_i = V_s \pm V_f$$

+ if both are inphase

- if both are out of phase

if $V_i = V_s + V_f \rightarrow$ then +ve feedback amplifier

$V_i = V_s - V_f \rightarrow$ then -ve feedback amplifier

Gain of band amplifier, $A = \frac{V_o}{V_i}$

Gain of Feedback network, $B = \frac{V_f}{V_o}$

Gain of amplifier with feedback, $A_f = \frac{V_o}{V_s}$

$$A_f = \frac{V_o}{V_s}$$

Positive feedback :- (Regenerative Feedback)
 If Feedback Signal V_f is inphase with the I/p signal V_s then that positive feedback amplifier

$$V_i = V_s + V_f$$

Negative feedback :- (Degenerative feedback)

If the feedback signal V_f is out of phase with I/p signal V_s then that amplifier is called as negative feedback amplifier.

$$V_i = V_s - V_f$$

+ve feedback ($V_i = V_s + V_f$)

$$A_f = \frac{V_o}{V_s} = \frac{V_o}{V_i - V_f} = \frac{1}{\frac{V_i}{V_o} - \frac{V_f}{V_o}} = \frac{1}{\frac{1}{A} - \beta} = \frac{A}{1 - A\beta}$$

\downarrow
 $V_i - V_f$

loop gain \leftarrow if $A\beta = 1$
then $A_f = \infty$
oscillator

-ve feedback ($V_i = V_s - V_f$)

$$A_f = \frac{V_o}{V_s} = \frac{V_o}{V_i + V_f} = \frac{1}{\frac{V_i}{V_o} + \frac{V_f}{V_o}} = \frac{1}{\frac{1}{A} + \beta} = \frac{A}{1 + A\beta}$$

Advantages of -ve feedback :-

- ① $Z_i \uparrow$
- ② $Z_o \downarrow$
- ③ Bandwidth \uparrow
- ④ Non linear distortion \downarrow

Characteristics of negative feedback Amplifier :-

- ① Gain
- ② Gain Stability
- ③ Increased Bandwidth
- ④ Increased I/p Impedance
- ⑤ Decreased O/p Impedance
- ⑥ Decreased non linear distortion

① Gain :-

$$A_f = \frac{A}{1 + A\beta}$$

If $A\beta \gg 1$ then

$$A_f = \frac{1}{\beta}$$

② Gain stability :-

$$A_f = \frac{A}{1 + A\beta}$$

$$\frac{dA_f}{dA} = \frac{1}{(1 + A\beta)^2}$$

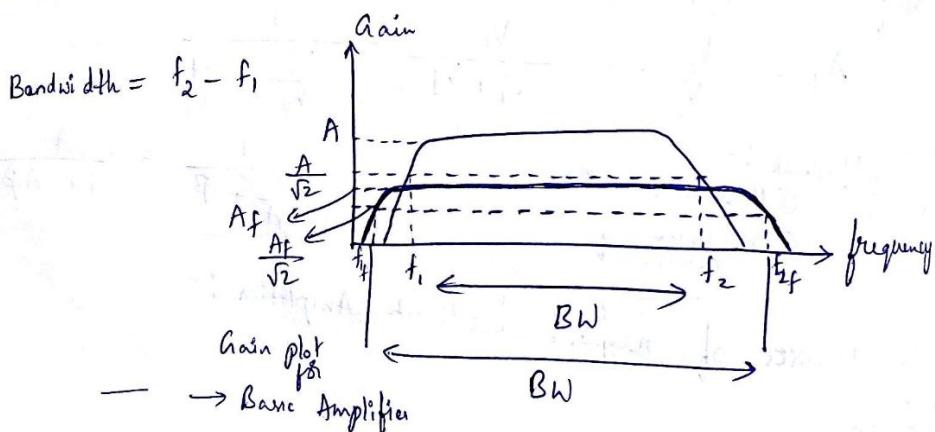
$$= \frac{1}{(1 + A\beta)(1 + A\beta)}$$

$$\therefore \frac{dA_f}{dA} = \frac{1}{1 + A\beta} \cdot \frac{A_f}{A}$$

$$\Rightarrow \frac{dA_f}{A_f} = \frac{1}{1 + A\beta} \cdot \frac{dA}{A}$$

$$\therefore \frac{\left(\frac{dA_f}{A_f}\right)}{\left(\frac{dA}{A}\right)} = \frac{1}{1 + A\beta} \rightarrow \text{sensitivity}$$

③ Increased Bandwidth :-



Now Gain ↓

$$f_{1f} = \frac{f_1}{1 + A\beta}$$

$$f_{2f} = f_2(1 + A\beta)$$

④ Increased I/f

Z_i

Z_{o1}

⑤ Decreased I/f

⑥ Decreased η

Types of neg

- ① voltage series
- ② voltage shunt
- ③ current seri
- ④ current sh

fan

Voltage
Samples

① Voltage S

$\downarrow V_s$

④ Increased I/p Impedance :-

$Z_i \rightarrow$ Impedance of Basic Amplifier

$Z_{if} \rightarrow$ " " Feedback amplifier

$$Z_{if} = Z_i(1 + A\beta)$$

⑤ Decreased O/p Impedance :-

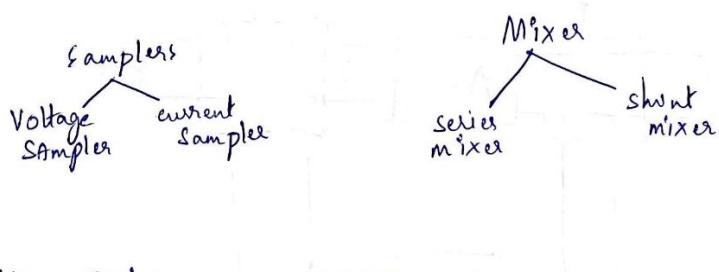
$$Z_{of} = \frac{Z_o}{1 + A\beta}$$

⑥ Decreased nonlinear distortion :-

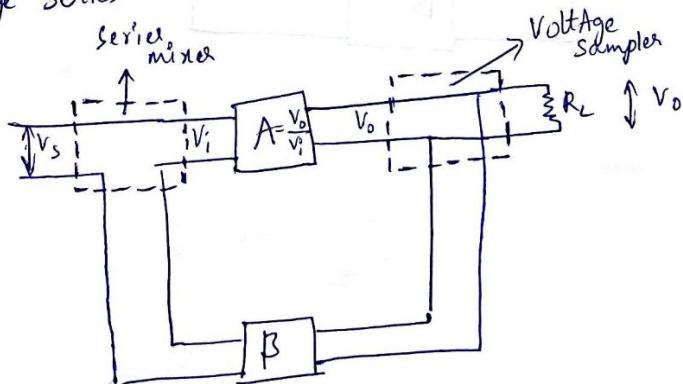
$$D_f = \frac{D}{1 + A\beta} \xrightarrow{\text{Noise of basic amplifier.}}$$

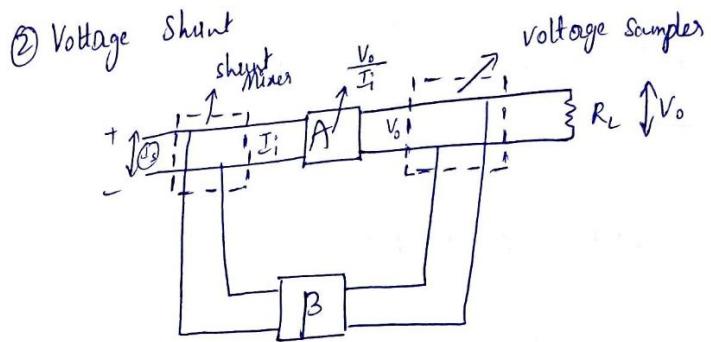
Types of negative Feedback Amplifiers :-

- ① Voltage series " " "
- ② voltage shunt " " "
- ③ current series " " "
- ④ current shunt " " "



① Voltage Series





Comparison of feed

$\boxed{\text{Voltage}} \text{ series}$

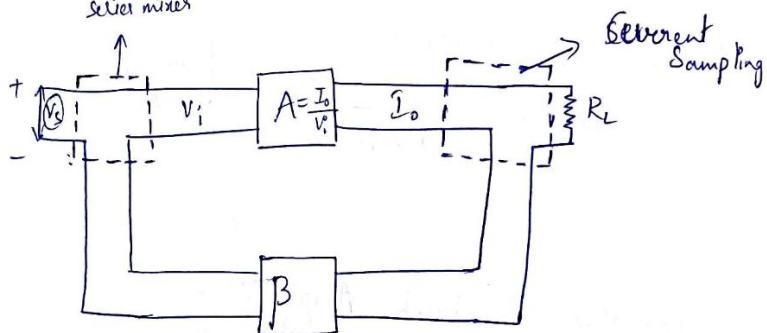
R_{if}

$R_f, C_1 +$

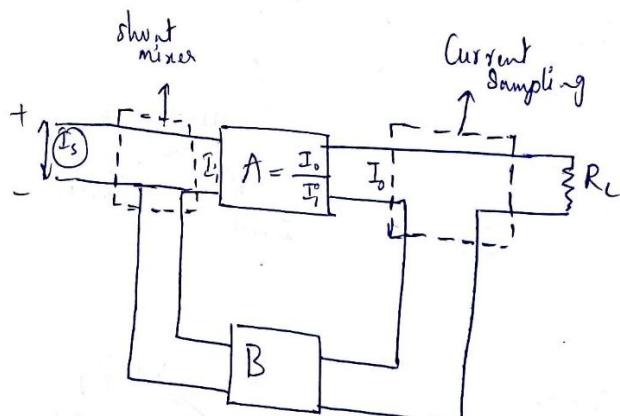
R_{of}

$\frac{R_c}{(1+A)}$

(3) Current Series
series mixer



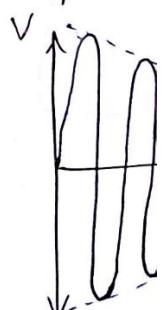
(4) Current Shunt



(i) Oscillators :-
An electro
following condit

- i) The Barkhausen criteria
- ii) The m again of

case(i) :- $AB < 1$



Comparison of feedback Amplifiers :-

	voltage series	current series	voltage shunt	current shunt
R_{if}	$R_i (1 + A\beta) = \infty$	$R_i (1 + A\beta) = \infty$	$\frac{R_i}{1 + A\beta} = 0$	$\frac{R_i}{(1 + A\beta)} = 0$
R_{of}	$\frac{R_o}{(1 + A\beta)} = 0$	$R_o (1 + A\beta) = \infty$	$\frac{R_o}{1 + A\beta} = 0$	$R_o (1 + A\beta) = \infty$

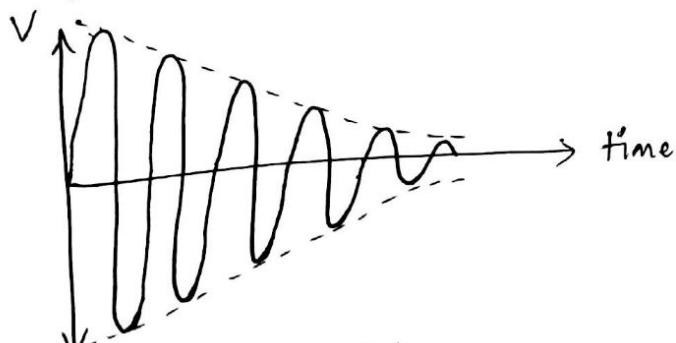
Ideal Values
 $\infty \Rightarrow$ very high
 $0 \Rightarrow$ low

Oscillators :-

An electronic circuit which satisfies the following conditions

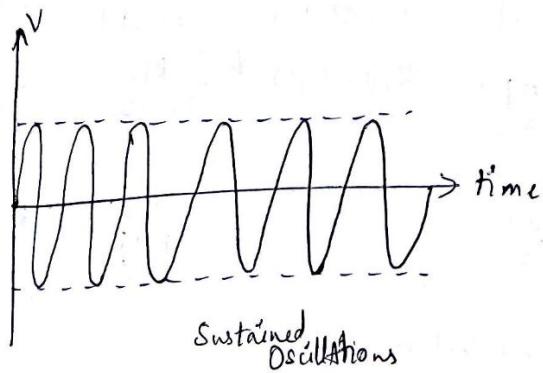
- Barkhausen criteria
- i) The total phase shift around a loop as signal proceeds from input through amplifier, feedback network back to i/p again is precisely 360° .
 - ii) The magnitude of product of open loop magnitude of gain of amplifier (A) and of feedback factor (β) is unity.
ie, $A \cdot \beta = 1$

case(i) :- $A\beta < 1$

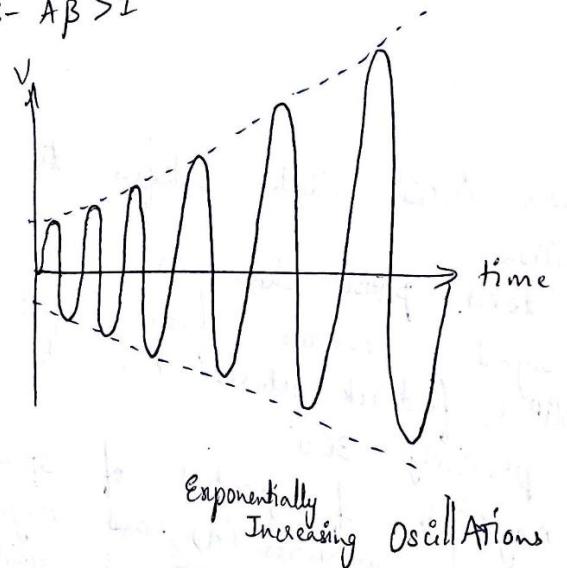


Exponentially decreasing amplitudes

case 2 :- $A\beta = 1$

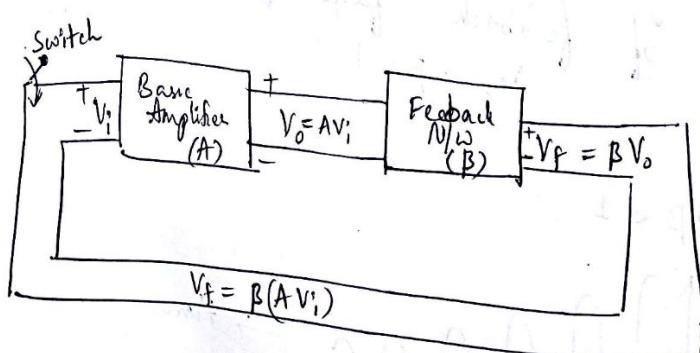


case 3 :- $A\beta > 1$



phase shift

① Hartley

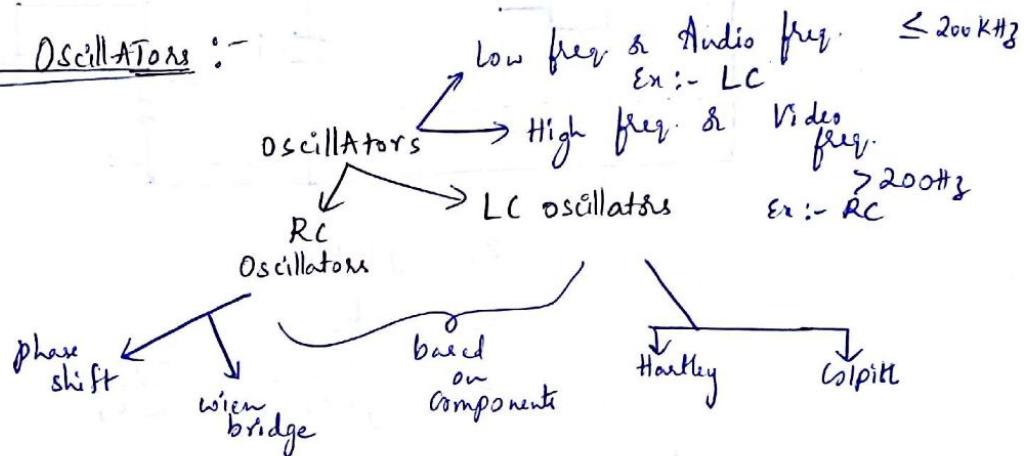


If the circuit provide $A\beta$, when switch the circuit feedback Vol amplifier

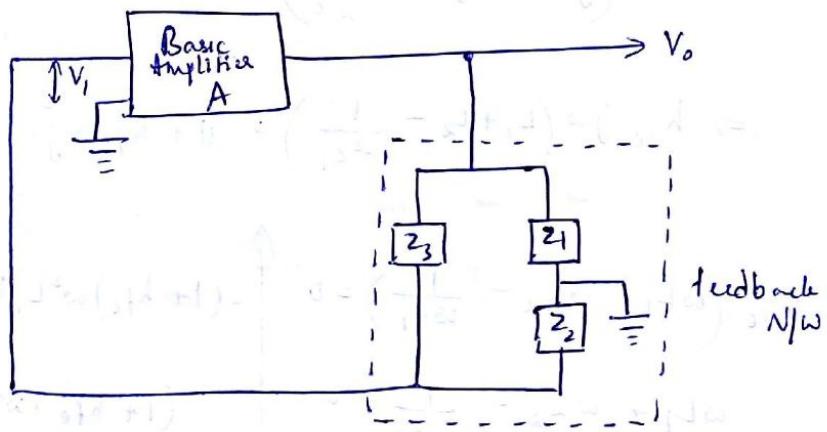
Types of Oscillt

If the circuits of basic amplifier and feedback N/W provide A_B , V_f can be made equal to V_i . Then when switch is closed and V_i is removed, the circuit will continue operating since the feedback voltage is sufficient to drive the amplifier.

Types of Oscillations :-



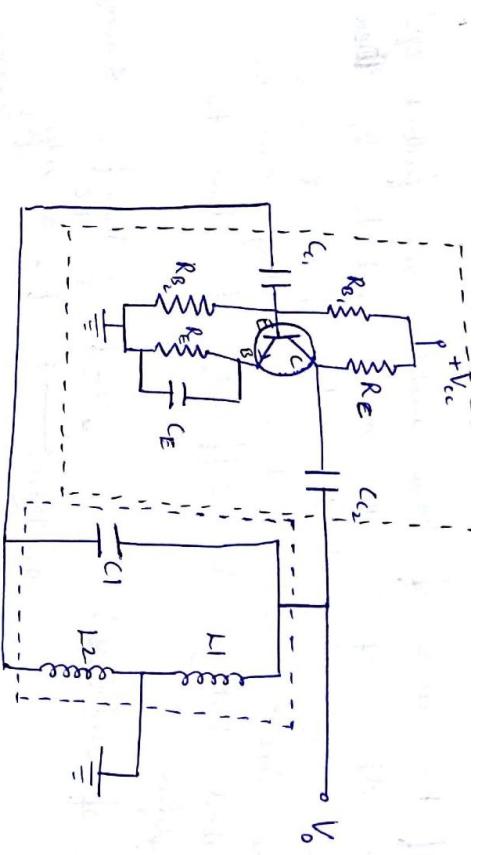
① Hartley Oscillator :-



$Z_1 \quad \} \text{ Inductance}$

$Z_3 \quad \} \text{ Capacitor}$

Basic Amp \rightarrow CE Amplifier



$$Z_1 = j\omega L_1$$

$$Z_2 = j\omega L_2$$

$$Z_3 = \frac{1}{j\omega C_1} = -\frac{j}{\omega C_1}$$

General freq. eq.

$$h_{ie}(Z_1 + Z_2 + Z_3) + (1 + h_{fe})(Z_1 * Z_2) + Z_1 Z_3 = 0$$

$$\Rightarrow h_{ie} \left(j\omega L_1 + j\omega L_2 - \frac{1}{\omega C_1} \right) + (1 + h_{fe}) \left(j\omega L_1 * j\omega L_2 \right) + j\omega L_1 \left(\frac{-j}{\omega C_1} \right) = 0$$

$$\Rightarrow h_{ie} j\omega \left(L_1 + L_2 - \frac{1}{\omega^2 C_1} \right) + (1 + h_{fe}) j\omega^2 (L_1 * L_2) + \frac{L_1}{C_1} = 0$$

$$h_{ie} \left(\omega L_1 + \omega L_2 - \frac{1}{\omega C_1} \right) = 0 \quad \uparrow \quad -(1 + h_{fe}) \omega^2 L_1 L_2 + \frac{L_1}{C_1} = 0$$

$$\omega L_1 + \omega L_2 - \frac{1}{\omega C_1} = 0 \quad \downarrow \quad (1 + h_{fe}) \omega^2 L_2 = \frac{1}{C_1}$$

$$\omega(L_1 + L_2) = \frac{1}{\omega C_1} \quad \downarrow$$

$$\omega^2 = \frac{1}{(L_1 + L_2)C_1}$$

$$\tau = \frac{2\pi}{\omega} \quad \rightarrow \quad \omega = \frac{1}{\sqrt{(L_1 + L_2)C_1}}$$

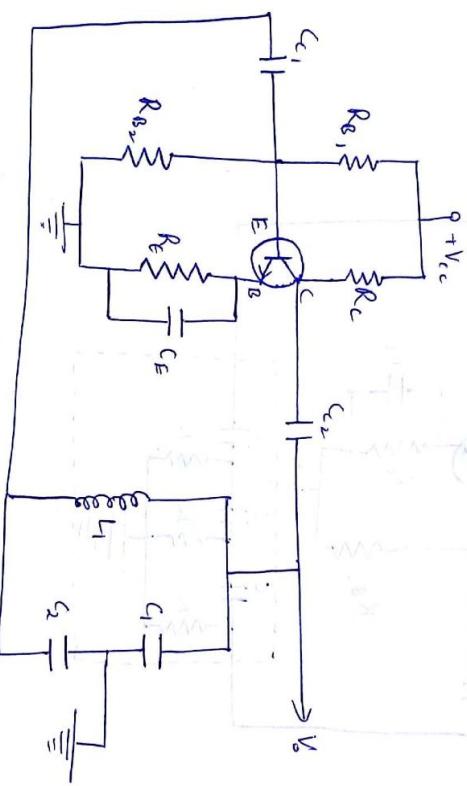
$$\Rightarrow \frac{1}{f} = \frac{2\pi}{\omega} \quad \rightarrow \quad f_o = \frac{1}{2\pi\sqrt{(L_1 + L_2)C_1}}$$

$$\therefore \omega = 2\pi f$$

② Colpitt Oscillator :-

C_1, C_2 } Capacitors
 L_1 Inductor

Basic Amp. $\rightarrow CE$ Amplifier.



$$Z_1 = \frac{1}{j\omega C_1} = \frac{-j}{\omega C_1}$$

$$Z_2 = \frac{1}{j\omega C_2} = \frac{-j}{\omega C_2}$$

$$Z_3 = j\omega L_1$$

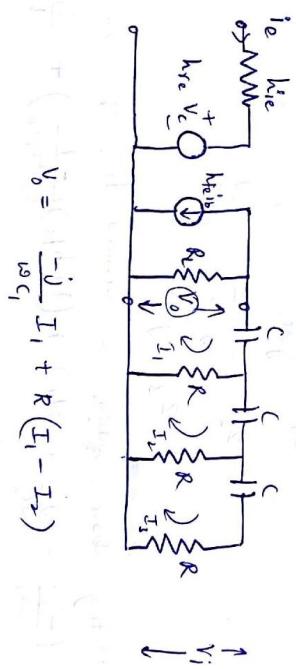
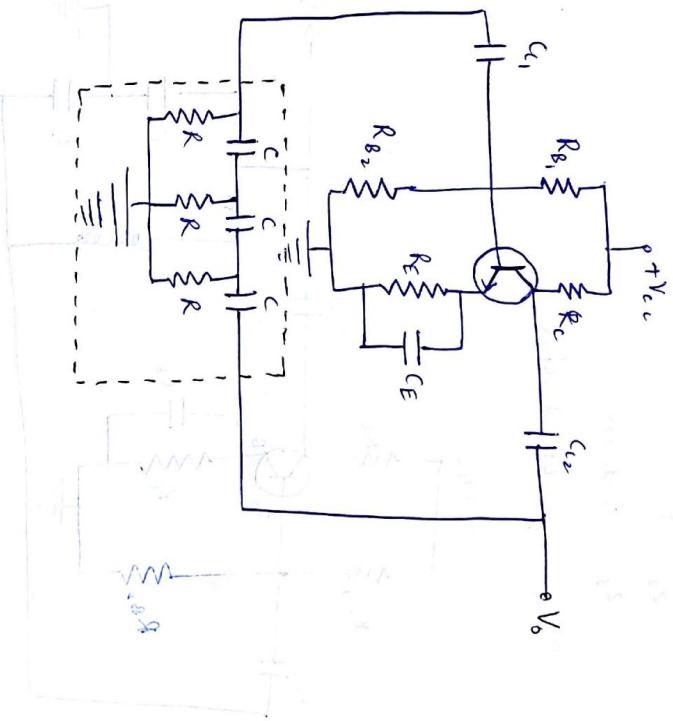
Substituting above values in General freq. eq., we get
 $h_{ie} \left(\frac{-j}{\omega C_1} - \frac{j}{\omega C_2} + j\omega L_1 \right) + \left(1 + h_{fe} \right) \left(\frac{-1}{\omega^2 C_1 C_2} \right) + \frac{C_1}{L_1} = 0$

$$\therefore \frac{j}{\omega(C_1 + C_2)} = j\omega L_1$$

$$\left\{ \begin{array}{l} \omega = \text{constant} \\ \text{or} \\ \omega = \text{constant} \end{array} \right\}$$

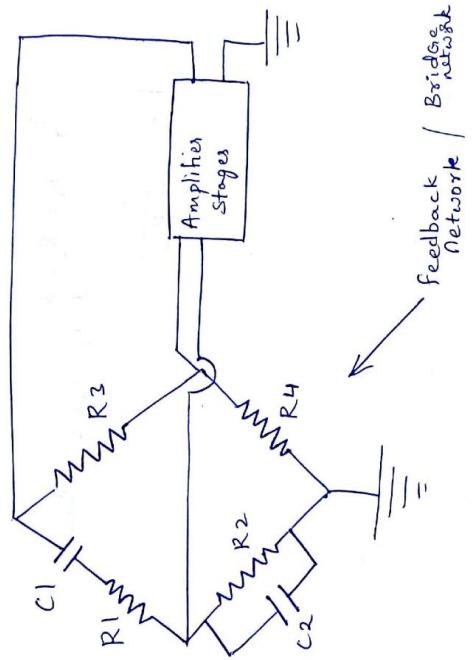
~~for different~~

③ RC Phase shifter



$$V_o = \frac{-j}{\omega C_1} I_1 + R (I_1 - I_2)$$

④ Wien Bridge Oscillators :-



$$① \Rightarrow R_1 = -\frac{j}{\omega C_1}$$

$$② \Rightarrow \frac{R_2(-j/\omega C_2)}{R_2 - j/\omega C_2}$$

$$③ \Rightarrow R_3$$

$$④ \Rightarrow R_4$$

Under Bridge Balanced Condition

$$① \times ④ = ② \times ③$$

$$\left(R_1 - \frac{j}{\omega C_1} \right) R_4 = \frac{R_2 (-j/\omega C_2)}{R_2 - j/\omega C_2} \cdot R_3$$

$$R_1 R_4 - \frac{R_4 j}{\omega C_1} = \frac{-R_2 R_3 j}{\omega C_2 (R_2 - j/\omega C_2)}$$

$$R_1 R_4 - \frac{R_4 j}{\omega C_1} = \frac{-R_2 R_3 j}{R_2 \omega C_2 - j}$$

$$\frac{R_1 R_4 \omega C_1 - R_4 j}{\omega C_1} = \frac{-R_2 R_3 j}{R_2 \omega C_2 - j}$$

$$R_1 R_4 \omega^2 C_1 C_2 - R_4 j = 0$$

$$\omega^2 = \frac{1}{R_1 R_2 C_1 C_2}$$

$$[\because \omega = 2\pi f]$$

If $R_1 = R_2 = R$
and $C_1 = C_2 = C$ then

$$f = \frac{1}{2\pi R C}$$

1. Digital Syst

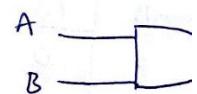
- a) Log
- b) K-
- c) HaJ
- d) Ha

2. Operational

- a) Id.
- b) Su
- c) Di
- d) In
- e) Ins

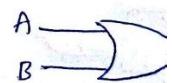
Logic Gates

① AND Gate



A	0	0
B	1	1

② OR Gate



Unit IV

1. Digital System

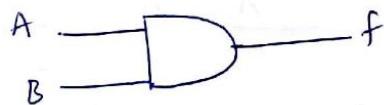
- a) Logic Gates
- b) K-Maps
- c) Half Adder, full Adder
- d) Half Subtractor, Full subtractor

2. Operational Amplifiers

- a) Ideal & Practical characteristics
- b) Summer (Summing Amplifier)
- c) Differentiator
- d) Integrator
- e) Instrumentation Amplifier

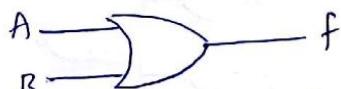
Logic Gates

① AND Gate



A	B	f
0	0	0
0	1	0
1	0	0
1	1	1

② OR Gate



A	B	f
0	0	0
0	1	1
1	0	1
1	1	1

③ NOT Gate (Inverter)



A	Y
0	1
1	0

④ NAND Gate



A	B	Y
0	0	1
0	1	0
1	0	0
1	1	0

⑤ NOR Gate



A	B	Y
0	0	1
0	1	0
1	0	0
1	1	0

⑥ XOR Gate



$$Y = A \oplus B \\ = A\bar{B} + \bar{A}B$$

A	B	Y
0	0	0
0	1	1
1	0	1
1	1	0

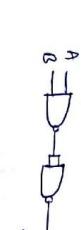
Basic Gate

Using

NAND



AND



OR

3 No. of
NAND gates

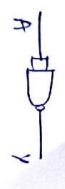
Using

NOR



2 No. of
NOR gates

NOT

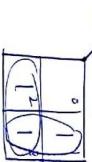


K-Maps

Two variables $F(x, y)$

$x \backslash y$	0	1
0	m_0	m_1
1	m_2	m_3

$$F(x, y) = \sum m(1, 2, 3)$$



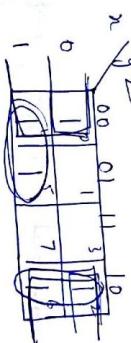
$$F = x + y$$

Three variables

$x \backslash y \backslash z$	000	001	011	010
0	1	0	1	0
1	0	1	1	1

$x \backslash y \backslash z$	$x'y'z'$	$x'y'z$	$x'yz'$	$x'yz$
000	1	1	1	1
001	1	0	0	0
011	0	1	0	0
010	0	0	1	0

$$F(x, y, z) = \sum m(0, 2, 4, 5, 6)$$



$x \backslash y \backslash z$	m_0	m_1	m_2	m_3
0	1	1	1	1
1	1	0	0	0

$$F = z' + xy'$$

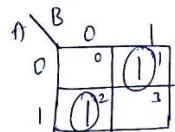
$$(A+B)' = A' \cdot B' \longrightarrow \text{DeMorgan's Law.}$$

Half Adder

↳ is a combinational circuit which performs binary addition of two bits and generates sum and carry.

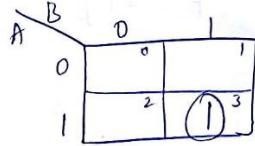
DN	A	B	S	Carry
0	0	0	0	0
1	0	1	1	0
2	1	0	1	0
3	1	1	0	1

$$S = \sum m(1, 2)$$



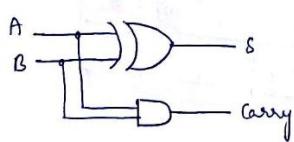
$$S = A\bar{B} + \bar{A}B$$

$$\therefore S = A \oplus B$$



$$\text{carry} = A \cdot B$$

$$\text{carry} = A \cdot B$$



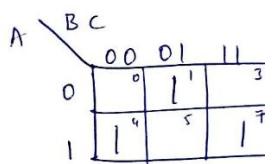
} Half Adder.

Full Adder

↳ is a combinational addition of three bits circuit, performs binary and generates sum and carry.

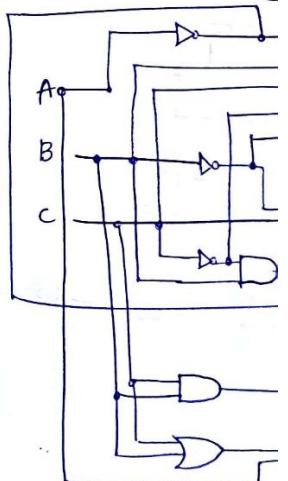
DN	A	B	C
0	0	0	0
1	0	0	0
2	0	1	0
3	0	1	1
4	1	0	0
5	1	0	1
6	1	1	0
7	1	1	1

$$S = \sum m(1, 3, 4, 5, 7)$$



$$S = AB'C' + AB + A'B'C +$$

$$= A(B'C' + B + A'B'C +$$



DN	A	B	C	S	Carry
0	0	0	0	0	0
1	0	0	1	1	0
2	0	1	0	1	0
3	0	1	1	0	1
4	1	0	0	1	0
5	1	0	1	0	1
6	1	1	0	0	1
7	1	1	1	1	1

$$S = \sum_m (1, 2, 4, 7)$$

$$\text{Carry} = \sum_m (3, 5, 6, 7)$$

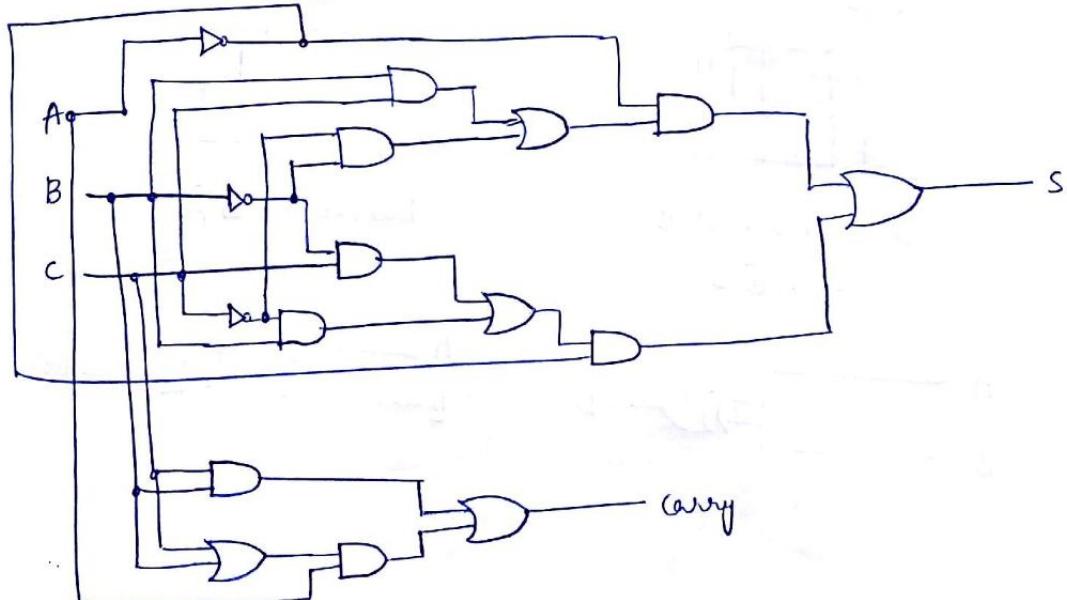
A		BC		00	01	11	10
				0	1	3	2
0	0	0	1	3	2		
	1	1	4	5	7	6	

A		BC		00	01	11	10
				0	1	3	2
0	0	0	1	1	2		
	1	1	4	5	7	6	

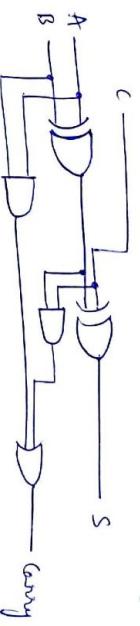
$$S = AB'C' + ABC + A'B'C + A'BC'$$

$$\begin{aligned} \text{Carry} &= AC + AB + BC \\ &= A(B + C) + BC \end{aligned}$$

$$\begin{aligned} &= A(B'C' + BC) \\ &\quad + A'(B'C + BC') \end{aligned}$$



Full Adder Using Half Adder



Half Subtractor

It is a combinational circuit performs binary subtraction of two bits and generates difference and borrow.

DN	A	B	D	Borrow
0	0	0	0	0
1	0	1	1	1
2	1	0	1	0
3	1	1	0	0

$$D = \sum_m (1, 2)$$

A	B	0	1
0	0	0	1
1	1	1	0

$$D = A\bar{B} + \bar{A}B$$

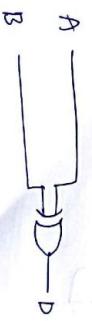
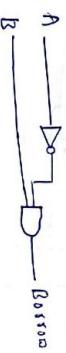
$$= A \oplus B$$

$$\text{Borrow} = \sum_m (1)$$

A	B	0	1
0	0	0	1
1	1	2	3

$$\text{Borrow} = A\bar{B}$$

$$= \bar{A}B$$



Full Subtractor :-

↳ is a combinational circuit that performs binary subtraction of three bits and generate difference and borrow.

D _N	A	B	C	D	Borrow
0	0	0	0	0	0
1	0	0	1	1	1
2	0	1	0	1	1
3	0	1	1	0	1
4	1	0	0	1	0
5	1	0	1	0	0
6	1	1	0	0	0
7	1	1	1	1	.

$$D = \Sigma_m (1, 2, 4, 7)$$

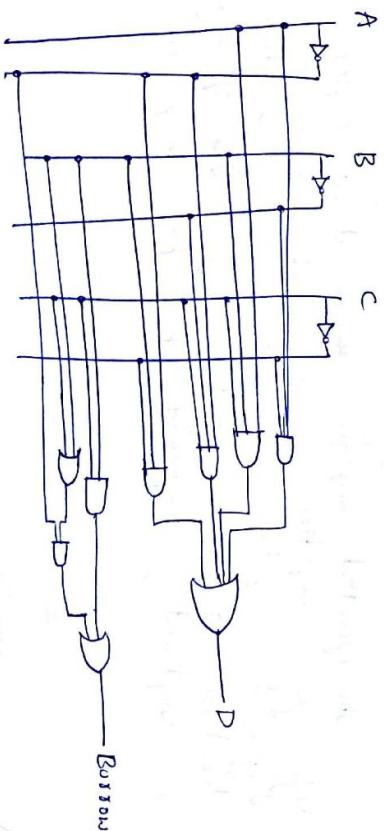
A	B	C	0	1	11	10
0	0	0	0	1	1	0
1	0	1	1	0	0	1

A	B	C	0	1	11	10
0	0	0	0	1	1	0
1	0	1	1	0	0	1

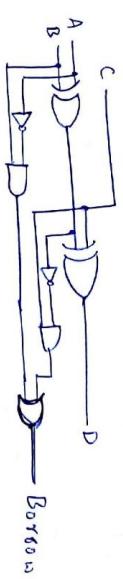
$$\text{Borrow} = \Sigma_m (1, 2, 3, 7)$$

$$\begin{aligned}
 D &= A B' C' + A B C \\
 &\quad + A' B' C + A' (B C') \\
 &= A (B' C' + B C) \\
 &\quad + A' (B' C + B C')
 \end{aligned}$$

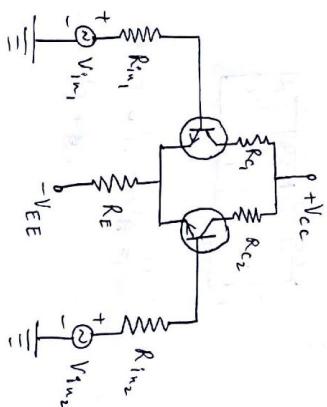
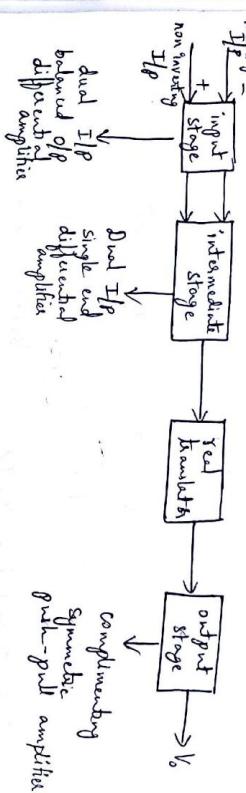
$$\begin{aligned}
 \text{Borrow} &= A' C + A' B + B C \\
 &= A' (B + C) + B C
 \end{aligned}$$



A full subtractor can be realized using two half subtractors and a OR Gate



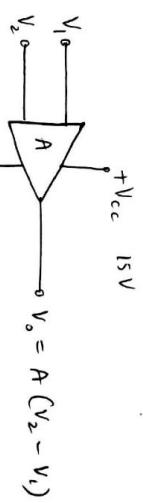
Operational Amplifier :-



An operational amplifier is a direct coupled high gain amplifier consisting of one or more differential amplifiers and followed by a dual transistor and an output stage. The op-amp is complementary symmetry push-pull amplifier.

Ideal characteristics :-

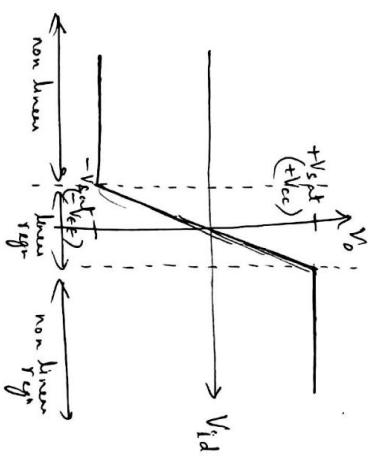
- ① Voltage Gain A_v is infinite
- ② Input Resistance R_i is infinity
- ③ Output resistance R_o is zero
- ④ O/P voltage is 0 when I/P voltage difference is 0
- ⑤ CMRR is infinity $= \frac{A_d}{A_c}$
- ⑥ SR is infinity $= -\frac{dV_o}{dt}_{\text{max}}$
- ⑦ Bandwidth is infinity.



SR (Slew rate)

The max. rate of change of O/P voltage per unit time.

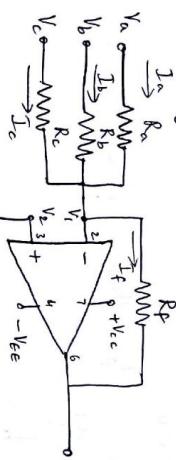
CMRR (Common Mode Rejection Ratio) is ratio of differential gain to common mode gain.



Transfer Characteristics

Applications :-

① Summing Amplifier



$$\frac{V_{\text{out}}}{V_{i,d}} = \frac{1}{0}$$

$$V_{i,d} = 0$$

$$V_2 - V_1 = 0$$

$$R = R_a \| R_b \| R_c \| R_f$$

$$V_2 = 0V$$

$$\Rightarrow V_1 = 0V$$

$$\because [V]$$

$R_f = \infty$ so current through inverting and non inverting is zero.

KCL at V_1

$$I_a + I_b + I_c = I_f$$

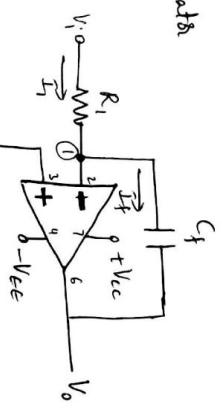
$$\frac{V_a}{R_a} + \frac{V_b}{R_b} + \frac{V_c}{R_c} = -\frac{V_o}{R_f}$$

$$\therefore V_o = -\left[\frac{R_f}{R_a} V_a + \frac{R_f}{R_b} V_b + \frac{R_f}{R_c} V_c \right]$$

If $R_f = R_a = R_b = R_c$ then

$$V_o = -[V_a + V_b + V_c]$$

② Integrator



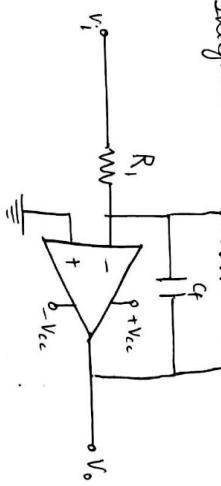
$$V_o = \frac{1}{R_1 C_f} \int v_i dt$$

From KCL at ①, we get
 $I_i = I_f$

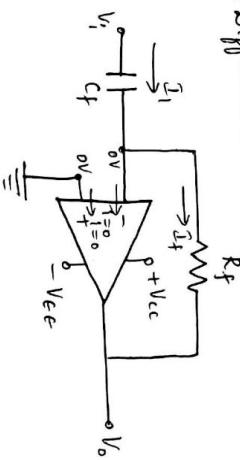
$$\frac{V_i}{R_1 C_f} = -C_f \frac{dV_o}{dt}$$

$$V_o = -\frac{1}{R_1 C_f} \int v_i dt$$

Practical Integrator



③ Differentiator



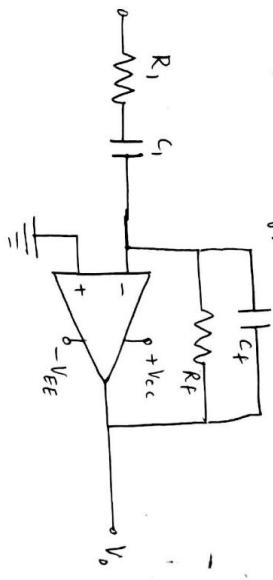
From KCL

$$I_i = I_f$$

$$C_f \frac{dV_i}{dt} = -\frac{V_o}{R_f}$$

$$V_o = -R_f C_f \frac{dV_i}{dt}$$

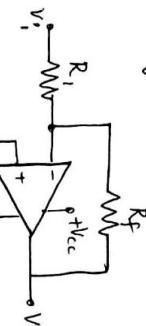
Practical differentials



Configuration of Operational Amplifier :-

- ① Inverting Amplifier
- ② Non inverting amplifier
- ③ Differential or difference amplifier
- ④ _____

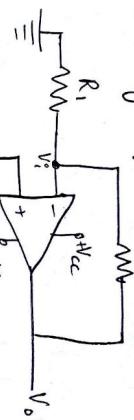
① Inverting amplifier



$$\frac{V_i}{R_i} = \frac{-V_o}{R_f} \Rightarrow I_1 = I_f$$

$$V_o = -\left(\frac{V_i}{R_i}\right) R_f \Rightarrow -\left(\frac{R_f}{R_i}\right) V_i$$

② Non Inverting Amplifiers. R_f



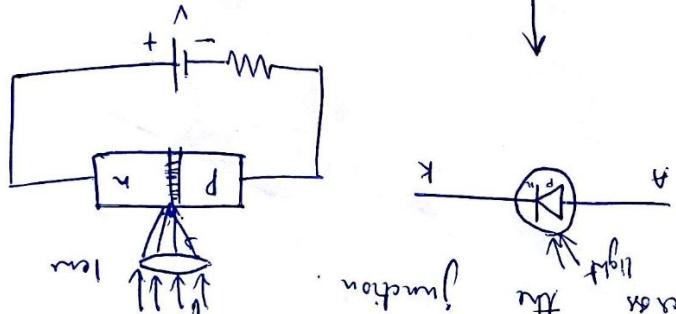
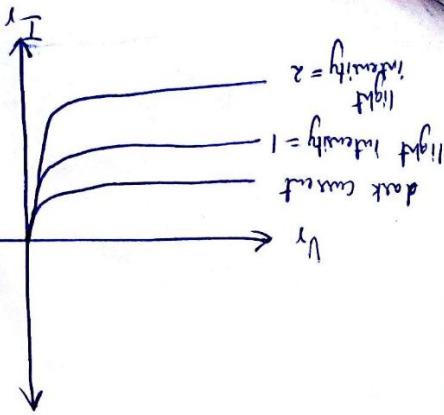
$$V_i = V_o \frac{R_i}{R_i + R_f}$$

$$\therefore V_o = V_i \left(\frac{R_i + R_f}{R_i} \right)$$

$$\therefore V_o = V_i \left(1 + \frac{R_f}{R_i} \right)$$

(Inverters invert signals while amplifiers do not)

Non-inverting amplifiers have the following advantages:
 1. Non-inverting amplifiers have higher input impedance.
 2. Non-inverting amplifiers have lower output impedance.
 3. Non-inverting amplifiers have better frequency response.
 4. Non-inverting amplifiers are more stable.
 5. Non-inverting amplifiers are more reliable.
 6. Non-inverting amplifiers are more versatile.
 7. Non-inverting amplifiers are more cost-effective.
 8. Non-inverting amplifiers are more efficient.
 9. Non-inverting amplifiers are more accurate.
 10. Non-inverting amplifiers are more linear.



It is a light sensitive device which converts light signals into electrical signals and output with reverse bias. When a rev. biased P-N junction is illuminated, the current rises linearly with the illumination. The diode is made up of a semi-conductor P-N junction kept in sealed plastic cover. The cover is designed so that the light rays are allowed to fall on the surface area of the junction.

① Photo Diode :- (Photo detector)

CRO and Applications
Study of Transistor

- (i) Photo diode
- (ii) Photo transistors
- (iii) Light emitting diode (LED)
- (iv) Liquid crystal display (LCD)
- (v) Silicon controlled Rectifier (SCR)
- (vi) Light emission diode (LED)

Light

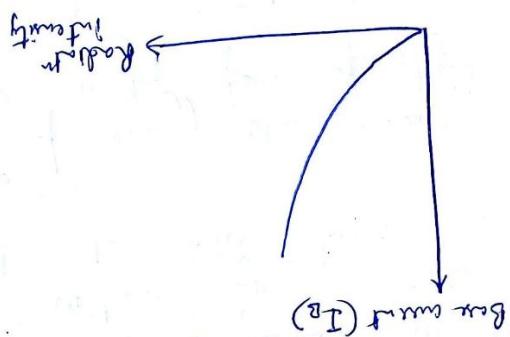
dark current :
applied voltage :

② Photo Transistor

dark current :
applied voltage :

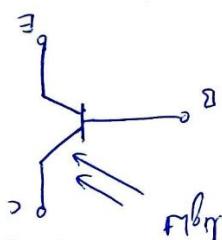
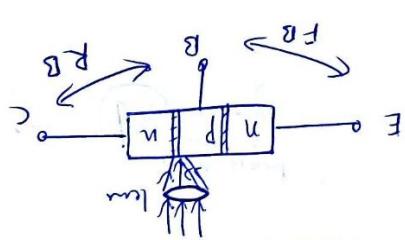
same as that of photodiode
application:-

$$I_c = \beta I_B$$



(i) If a photodiode is made substrate flow is more than photodiode.
(ii) If photodiode is made substrate flow on a photodiode, but if current flows on a photodiode, then off on a photodiode.

The main diff. b/w photodiode



Q) Phototransistor :-

Applied illumination :- (i) Photo-sensor (ii) Photo diode (iii) Coupling application
illumination :- (i) Class regulation (ii) Photo systems

"dark current" is the reverse saturation current with zero

(VII)
By

⑤ Silicon LED

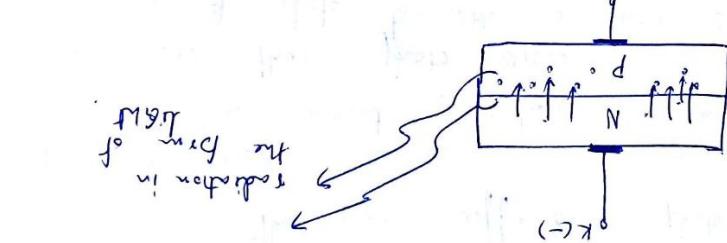
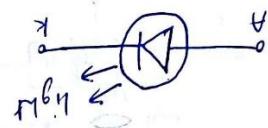
Application :-
i) LCD
ii) TFT
iii) LCOS
iv) CIL

10pm

Light
Cylinder
Glass
Substrate

Like a
like
middle layer
solid state
semiconductor
with solid
state
LED

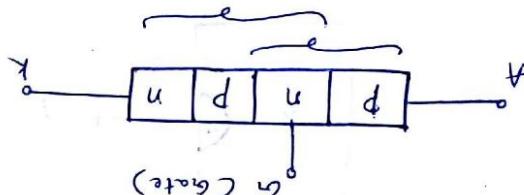
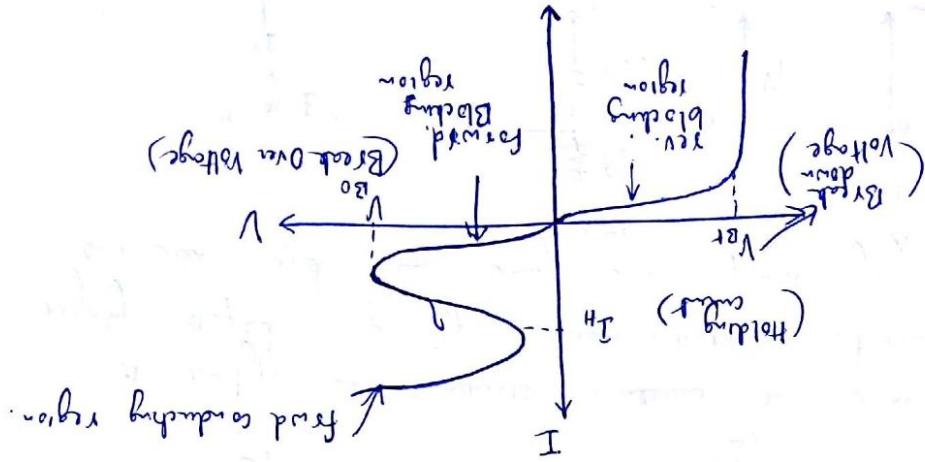
③ LED
The operation of LED is based on phenomenon
electroluminescence, which is the emission of light
a semi conductor under the influence of an
electric field



When LED is forward biased, the electron and hole move towards the junction and recombination takes place after recombination and recombination light is emitted in n-region full hole moving in conduction band of n-region full light being in p-region valency band of p-region.

Two diodes had faced each other in the cavity between them could be used as column phosphor (Cap) and column phosphor (Base) of liquid phosphor (Cap) and column phosphor (Base) of liquid phosphor, green, yellow color seven segment display applications etc

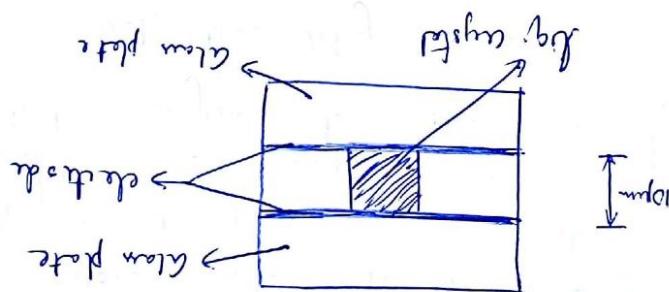
Scanned by CamScanner



⑤ Silicon Junction Rectifier :-

Applications :-

- (i) Digital thermometers
- (ii) Soft disk
- (iii) LCD monitors
- (iv) Cellular phones display

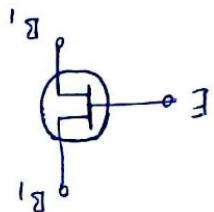
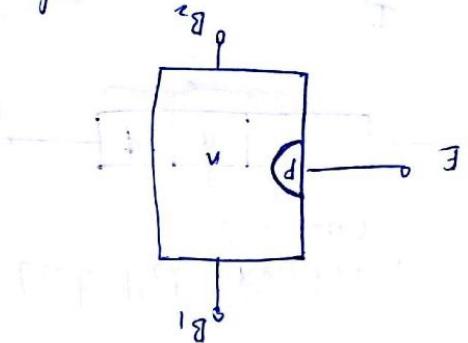


A liquid crystal cell consists of two layers (10μm) of liquid crystal sandwiched between two glass plates with electrodes deposited on their inner surfaces (inside faces).

With solid molecules such structures have some properties associated like a lig. of room temperature but whose flows

④ LCD

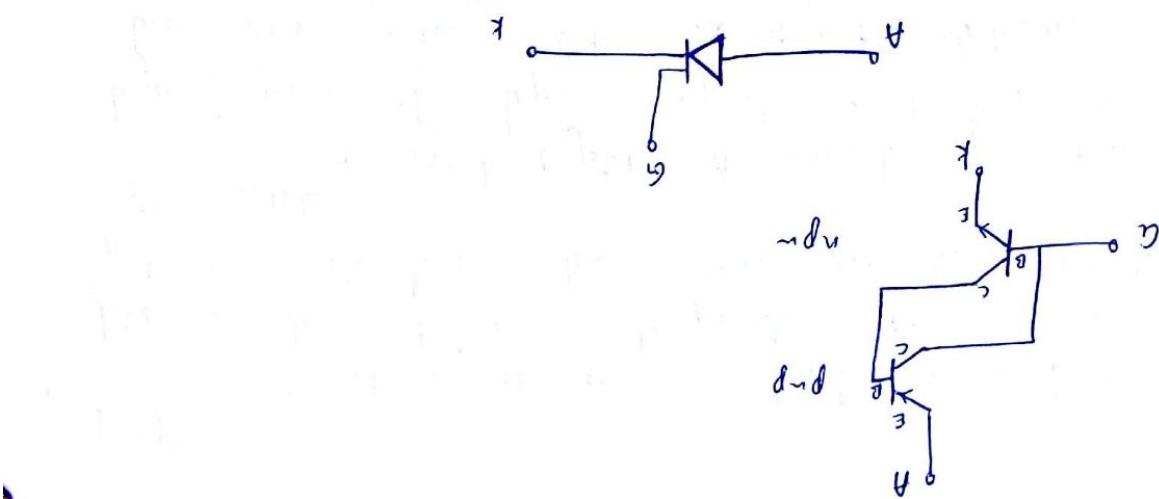
A n-type semiconductor module is defined with
 highly doped p-type semiconductor material on
 one side and has only one p-n junction

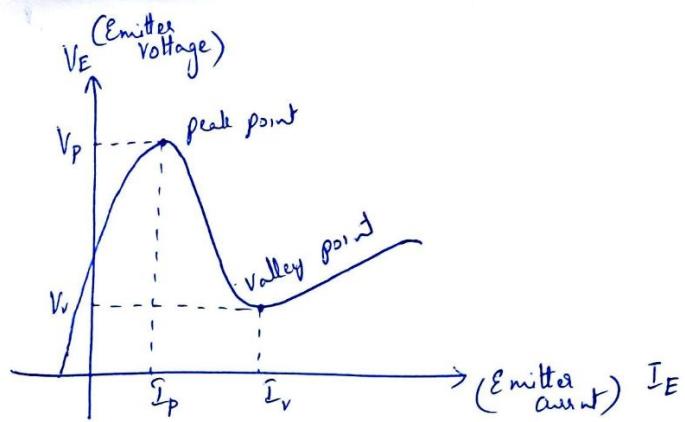


⑥ UJT

Applications:
 i) Relay control, time delay circuit
 ii) Static switches
 iii) Motor controls
 iv) Inverters
 v) Battery chargers
 vi) Hot air convection etc.

the SCR enters into forward conduction region
 Holding current (I_H) is the value of current
 below which the SCR switches from forward conduction region to reverse conduction region.
 Forward voltage (V_{zo}) is the voltage above which





$$V_I = V_{BB} \left(\frac{R_{B_2}}{R_{B_2} + R_{B_1}} \right) = V_{BB} n \rightarrow \text{intensity stand off ratio.}$$