

- 6

00/1

10

$$(10010001001.1)_{BCD}$$

before point

RTL

β after

make

Call of four and write decimal.

→ 97

we

dition
get inv

valid B

CD or

Селгу

gener

ated

0 to

$$9 \rightarrow V$$

valid be

1, 10

- 15

invalid

el bcd

91

92

Q3

$$\begin{array}{r} 1000 \\ 1000 \\ \hline 10000 \end{array} \Rightarrow \begin{array}{r} 10000 \\ 0110 \\ \hline 00010110 \end{array} \rightarrow (16)_{10} \text{ Ans}$$

Carry
↓
Auxiliary Carry → carry generated when two nibbles are added

Q4

$$\begin{array}{r} 8 6 \\ \overline{1} \overline{1} \\ 1000 \ 0110 \\ 7 \leftarrow 0111 \ 1009 \text{ } \times \\ \hline 1111 \ 1110 \\ \hline 0110 \ 0110 \\ \hline 101100100 \\ \hline 1 6 4 \rightarrow (164)_{10} \end{array}$$

Q5

$$\begin{array}{r} 1 \rightarrow \text{carry} \\ 0101 \ 1000 \\ 0100 \ 1000 \\ \hline 10100000 \\ 0110 \ 0110 \\ \hline 100000110 \\ \hline 1 0 6 \end{array}$$

Q6

$$\begin{array}{r} 0101 \ 1000 \\ 0100 \ 0111 \\ \hline \end{array}$$

valid $\leftarrow 1001 \ 1111 \rightarrow$ invalid

$0110 \rightarrow$ added 6

invalid $\leftarrow 0100 \ 0101$

added 6 $\leftarrow 0110 \downarrow$

$$\begin{array}{r} 100000101 \\ \hline 1 0 5 \rightarrow (105)_{10} \text{ Ans} \end{array}$$

$$\begin{array}{r} \overline{inv} \overline{inv} \overline{inv} \\ (1011 \ 1100 \cdot 101) \rightarrow (?) \\ \text{Bcd} \end{array}$$

$$\begin{array}{r} 1011 \ 1100 \cdot 1010 \\ 0110 \ 0110 \cdot 0110 \\ \hline 100100011 \cdot 0000 \\ \hline 1 2 3 0 \end{array}$$

$(123.0)_{10} \text{ Ans}$

$(1111 \ 11011 \cdot 111) \text{ Bcd to } (?)_{10} ?$

$$\begin{array}{r} 0001 \ 1111 \ 1011 \cdot 1110 \\ 0110 \ 0110 \cdot 0110 \\ \hline 1001100010 \cdot 0100 \rightarrow (262.4)_{10} \\ \hline 2 6 2 4 \end{array}$$

*

Bcd Subtraction

- 9's Compliment
- 10's Compliment

• using 10's Compliment

$$\begin{array}{r} - 9 \rightarrow \text{menueend} \\ \underline{5} \rightarrow \text{Subtrahend} \end{array} \quad \begin{array}{r} 1001 \\ - 0101 \end{array}$$

$$\begin{array}{r} 9 \\ + 10 \\ - 5 \\ \hline 14 \\ - 10 \\ \hline 4 \end{array}$$

$$\begin{array}{r} 1001 \rightarrow 9 \\ + 0101 \rightarrow 5 \\ \hline 1110 \rightarrow 14 \end{array}$$

→ invalid bcd

→ added 6

$$\begin{array}{r} 0110 \\ + 0110 \\ \hline 10100 \end{array}$$

↓
ignor carry
4
Ans

3)

Take 10's Compliment of Subtrahend and add it to menuend

Case 1

If final carry generated or invalid Bcd the add 6 to the result. As Ans is +ve & is given by after ignoring carry

Case 2

If we get valid bcd and carry not generated then ans is -ve and is in 10's Compliment

• using 9's complement

$$\begin{array}{r}
 9 \\
 -5 \\
 \hline
 13 \\
 +9 \rightarrow \text{extra} \\
 \hline
 19 \\
 +6 \rightarrow \text{extra} \\
 \hline
 19 \\
 -16 \\
 \hline
 +1 \\
 \hline
 4
 \end{array}
 \quad
 \begin{array}{r}
 1001 \\
 + 0100 \\
 \hline
 1101 \text{ invalid} \\
 + 0110 \\
 \hline
 100110 \\
 \hline
 0100 \text{ Ans}
 \end{array}$$

- Take 9's Complement of Subtrahend and add it to minuend
- If final carry is generated or invalid ~~the~~ bcd then add 6 decimal to the result Answer is +ve & is given by after "adding end around carry at last place"
- If we get valid bcd and carry not generated then ans is -ve and is 9's complement

* Self Complementing Code

Base 10 \Rightarrow Excess-3 Code is Self Complementing

$$X-3 \rightarrow BCD+3$$

$$\begin{array}{c}
 (123.4) \rightarrow ()_{X-3} \\
 \downarrow \downarrow \downarrow \downarrow
 \end{array}$$

$$(01001000 \ 0110 \ 0111)_{X-3} = BCD+3$$

0 to 2 invalid $x-3$, 3 to 12 - valid $x-3$

14 to 16 \rightarrow invalid $x-3$

0011	0
0100	1
0101	2
0110	3
0111	4
1000	5
1001	6
1010	7
1011	8
1100	9

1's Complement of the coded number gives the 9's Complement of the number itself

$$2 \rightarrow 0101 \rightarrow 1010 = 7$$

\downarrow
 $n-3$

~~9's complement~~

$$9's \text{ complement of } 2 = 7$$

1's complement

$$* \quad 3 \rightarrow (0110)_{x-3} \rightarrow 1001 \leftarrow 6$$

9's complement of 3 = 6

$$* \quad 4 \rightarrow (0111)_{x-3} \rightarrow 1000 \rightarrow 5$$

9's complement of 4