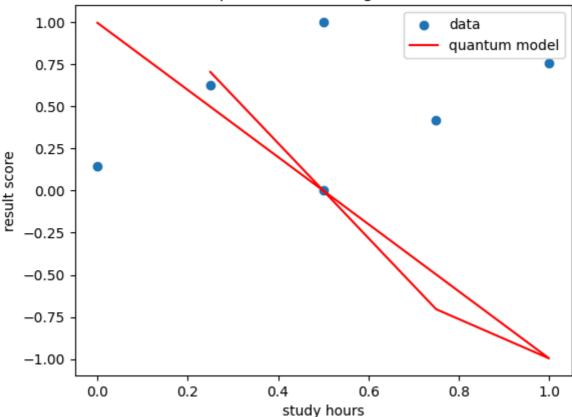
```
In [22]: #import all required files
         import pennylane as qml
         from pennylane import numpy as np
         import pandas as pd
         import matplotlib.pyplot as plt
         from sklearn.model_selection import train_test_split
         from sklearn.metrics import mean_squared_error, r2_score
In [24]: # Load and prepare data
         data = pd.read_csv('Book1.csv')
         X = np.array(data['Study_Time'], requires_grad=False)
         y = np.array(data['Result_score'], requires_grad=False)
         # y = data['Result_score'].values
In [25]: # Normalize features (optional, but recommended)
         X = (X-X.min())/(X.max()-X.min())
         y = (y-y.min())/(y.max()-y.min())
         # print(X)
In [26]: # Train-test split
         X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.2)
In [27]: # Define a 1-qubit quantum device
         dev = qml.device("default.qubit", wires=1)
In [28]: # Define a quantum circuit (ansatz)
         @qml.qnode(dev)
         def circuit(x, weights):
             qml.RX(x*np.pi, wires=0)
             qml.RY(weights[0], wires=0)
             return qml.expval(qml.PauliZ(0))
In [29]: # Define a prediction function
         def quantum_model(x, weights):
             return circuit(x, weights)
In [30]: def cost(weights):
             preds=[quantum_model(x,weights) for x in X]
             return np.mean((y-preds)**2)
In [33]: from pennylane.optimize import GradientDescentOptimizer
         weights = np.array([0.1], requires_grad=True)
         opt = GradientDescentOptimizer(0.1)
In [35]: preds=[quantum_model(x,weights) for x in X]
         plt.scatter(X,y,label="data")
         plt.plot(X,preds,color="red",label="quantum model")
         plt.xlabel("study hours")
         plt.ylabel("result score")
         plt.title("quantum linear regression")
         plt.legend()
         plt.show()
```

quantum linear regression



```
In [21]: import pennylane as qml
         from pennylane import numpy as np
         import pandas as pd
         import matplotlib.pyplot as plt
         # Load and prepare data
         data = pd.read_csv('Book1.csv')
         X_raw = np.array(data['Study_Time'], requires_grad=False)
         Y_raw = np.array(data['Result_score'], requires_grad=False)
         # Extract and normalize data
         # X_raw = np.array(data["Hours"], )
         # Y_raw = np.array(data["Score"], requires_grad=False)
         # Normalize input and output
         X = (X_{raw} - np.min(X_{raw})) / (np.max(X_{raw}) - np.min(X_{raw}))
         Y = (Y_raw - np.min(Y_raw)) / (np.max(Y_raw) - np.min(Y_raw))
         # Setup quantum device
         dev = qml.device("default.qubit", wires=1)
         @qml.qnode(dev)
         def circuit(x, weights):
             qml.RX(x * np.pi, wires=0)
             qml.RY(weights[0], wires=0)
             return qml.expval(qml.PauliZ(0))
         def quantum_model(x, weights):
             return circuit(x, weights)
         # Cost function
         def cost(weights):
             preds = np.array([quantum_model(x, weights) for x in X])
```

```
return np.mean((Y - preds) ** 2)
# Optimizer
from pennylane.optimize import GradientDescentOptimizer
weights = np.array([0.1], requires_grad=True)
opt = GradientDescentOptimizer(0.1)
# Training Loop
for i in range(100):
   weights = opt.step(cost, weights)
# Predict
preds = [quantum_model(x, weights) for x in X]
# Plot
plt.scatter(X, Y, label="Data")
plt.plot(X, preds, color="red", label="QML Fit")
plt.xlabel("Study Hours (normalized)")
plt.ylabel("Score (normalized)")
plt.title("Quantum Linear Regression")
plt.legend()
plt.show()
```

