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Parameter Estimation

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O-1 Let (X1, X2, ---) be a sandom sample of size n taken from a Normal population with parameters mean = 0, and variance = 0; Find the Hoximum likelihood estimates of these two parameters

 $Sd > g(x) = 1 e^{-(x-u)^2}$ $\sqrt{2\pi}6^2$

X, X2 - - - Xn -> sample of size n

L(x, x2, --- xn) = {(x1). {(x2). --- of(xn)

 $\frac{-(x-u)^2}{\sqrt{256^2}}$

Taking In on both sides

 $ln(L) = -n ln(236) + E ((x_i-u)^2) - D$

Take partial derivative w. v.t et of eq. (1)
$$\frac{d \ln(L)}{du} = 0 + \frac{2}{5} - 2 \left(\frac{x_i^2 - u}{1} \right) = 0$$

$$=\underbrace{\underbrace{2}_{i=1}^{y}(x_{i}-u)}=0$$

Mence 0, = x is therefore sample mean

Taking derivate w.r.t 62 of eq. 1

 $\frac{d\ln(L) = -n + \frac{\pi}{2} - (x_1^2 - u)^2}{d6^2} = 0$

$$\frac{-n + \frac{1}{2} - (x_i^2 - u)^2}{n} = 0$$

$$n = \frac{1}{2} (x_i^2 - u)^2$$

$$n = \frac{1}{2} (x_i^2 - u)^2$$

$$n = \frac{1}{5} (x_1^2 - u)^2$$

$$6^{2} = 1 \left(\frac{x_{i}^{2} - u^{2}}{n} \right)$$

Hence 02 = 1 & (xi-u)2

