PROBLEM STATEMENT:

Rossmann operates over 3,000 drug stores in 7 European countries. Currently, Rossmann store managers are tasked with predicting their daily sales for up to six weeks in advance. Store sales are influenced by many factors, including promotions, competition, school and state holidays, seasonality, and locality. With thousands of individual managers predicting sales based on their unique circumstances, the accuracy of results can be quite varied.

IMPORT LIBRARIES AND DATASET:

import numpy as np import pandas as pd import datetime import matplotlib.pyplot as plt import seaborn as sns

import sklearn

from sklearn.model_selection import train_test_split

from sklearn.linear model import LinearRegression

from sklearn.linear model import Ridge

from sklearn.linear model import RidgeCV

from sklearn.linear model import Lasso

from sklearn.linear model import LassoCV

from sklearn.model selection import GridSearchCV

from sklearn.neighbors import KNeighborsRegressor

from sklearn.ensemble import RandomForestRegressor

from sklearn.tree import DecisionTreeRegressor

from math import sqrt

from sklearn.metrics import mean squared error

from sklearn import metrics

Let us first summarize the past observations from PHASE 2 before proceeding with PHASE 3 documentation :

- 1) A strong positive correlation exists between the amount of Sales and Customers of a store.
- 2) A positive correlation exists between the stores that had a Promo equal to 1(stores running promotions) and amount of Customers.
- 3) For observations with Promo2 equal to 1 (that is for consecutive promotion), the number of Customers and Sales has a negative correlation.
- 4) Sales and Number of customers peak around christmas timeframe.
- 5) Minimum number of customers are generally around the 24th of the month.
- 6) Most customers and Sales are around 30th and 1st of the month.

- 7) Minimum number of customers are generally on Saturday.
- 8) Most customers and Sales are on Sunday and Monday.

PHASE 3 DOCUMENTATION:

```
Handling Categorical features:
Feature: StateHoliday
set(sales train all df.StateHoliday)
{0, '0', 'a', 'b', 'c'}
Let us encode the stateHoliday similarity as follows since only 0 would mean a Non-
holiday and rest are holidays:
sales_train_all_df["StateHoliday"] = sales train all df["StateHoliday"].map({0: 0, "0": 0, "
a": 1, "b": 1, "c": 1})
sales train all df['StateHoliday'] = sales train all df['StateHoliday'].astype(int)
sales train all df["StateHoliday"].unique()
array([0, 1])
Feature: PromoInterval
set(sales train all df.PromoInterval)
{0, 'Feb,May,Aug,Nov', 'Jan,Apr,Jul,Oct', 'Mar,Jun,Sept,Dec'}
sales train all df["PromoInterval"] = sales train all df["PromoInterval"].map({0: 0, "0":0
, "Jan, Apr, Jul, Oct": 1, "Feb, May, Aug, Nov": 2, "Mar, Jun, Sept, Dec": 3})
sales train all df['PromoInterval'] = sales train all df['PromoInterval'].astype(int)
sales train all df["PromoInterval"].unique()
array([0, 1, 2, 3])
sales train all df limited = sales train all df.copy()
x pre = sales train all df limited.drop(['Sales','Store','Date'], axis = 1)
y = sales train all df limited.Sales
x = x pre.copy()
Let us get the dummy variables for 'StoreType' and 'Assortment' categorical features
before feeding data to machine learning algorithms:
x = pd.get dummies(x)
```

x train,x test,y train,y test = train test split(x,y,test size=0.3, random state=1)

Defining the Error functions:

Mean Absolute Error (MAE):

The MAE is the absolute difference between the data and the model's predictions. As we just use the absolute value of the residual, the MAE does not indicate underperformance or overperformance of the model. A small MAE suggests the model is great at prediction, while a large MAE suggests that the model has trouble in certain areas. A MAE of 0 means that the model is a perfect predictor of the outputs.

```
def MAE(y_actual, y_pred):
  return round(np.mean(abs(y actual-y pred)),4)
```

Mean Absolute Percentage Error (MAPE):

MAPE Shows how far the prediction is from the actual value, on average, as a percentage

```
def MAPE(y_actual, y_pred):
    return round(np.mean(np.abs((y_actual - y_pred)/y_actual)),4)
```

Root Mean Squared Error (RMSE):

RMSE is the square root of the average of squared errors. The effect of each error on RMSE is proportional to the size of the squared error, thus larger errors have a disproportionately large effect on RMSE and aso, RMSE is sensitive to outliers.RMSE is always non-negative, and a value of 0 indicates a perfect fit to the data.

```
def RMSE(y_actual, y_pred):
    return round(np.sqrt(np.mean(np.square((y actual - y pred)))),4)
```

Root Mean Squared Percentage Error (RMSPE):

RMSPE gives an idea of the magnitude of the error in relation to the actual values.

```
def RMSPE(y_actual, y_pred):
    return round((np.sqrt(np.mean(np.square((y actual - y pred) / y actual)))) * 100,4)
```

MACHINE LEARNING MODELS: 1. Average Baseline Model (Model that just calculates the average sales per store) base df = sales train all df.copy() #calculate the average sales value base df avgsales = base df[['Store', 'Sales']].groupby("Store").mean().reset index().ren ame(columns = {'Sales':'Average Sales'}) base all df = pd.merge(base df,base df avgsales, how = 'left', on = 'Store') base df y actual = base all df['Sales'] base df y pred = base all df['Average Sales'] #get the error metrics of base average model base MAE = MAE(base df y actual, base df y pred) base MAPE = MAPE(base df y actual, base df y pred) base RMSE = RMSE(base df y actual, base df y pred) base RMSPE = RMSPE(base df y actual, base df y pred) **Base Model MAE: 1456.855** Base Model MAPE: 0.2362 **Base Model RMSE: 1957.9119** Base Model RMSPE: 39.3718 2. Linear Regression (Ordinary Least Squares) : lin model = LinearRegression() lin regression = lin model.fit(x train, y train)

```
In_model = LinearRegression()
lin_regression = lin_model.fit(x_train, y_train)
# get predictions for Linear Regression
y_pred_LR = lin_regression.predict(x_train)
y_test_pred_LR = lin_regression.predict(x_test)

train_LR_score = lin_regression.score(x_train, y_train)
test_LR_score = lin_regression.score(x_test, y_test)
train_LR_MAE = MAE(y_train, y_pred_LR)
test_LR_MAE = MAE(y_test, y_test_pred_LR)
train_LR_MAPE = MAPE(y_train, y_pred_LR)
test_LR_MAPE = MAPE(y_test, y_test_pred_LR)
train_LR_RMSE = RMSE(y_train, y_pred_LR)
test_LR_RMSE = RMSE(y_test, y_test_pred_LR)
train_LR_RMSPE = RMSPE(y_train, y_pred_LR)
test_LR_RMSPE = RMSPE(y_train, y_pred_LR)
test_LR_RMSPE = RMSPE(y_test, y_test_pred_LR)
test_LR_RMSPE = RMSPE(y_test, y_test_pred_LR)
```

Linear Regression Model Train Score: 0.826214495661728

Linear Regression Model Test Score: 0.8287774206538482

Train MAE: 938.1422, Test MAE: 934.7298 Train MAPE: 0.1429, Test MAPE: 0.1426

Train RMSE: 1292.5497, Test RMSE: 1287.4622
Training RMSPE: 19.1589, Testing RMSPE: 19.2301

3. Ridge Regression (Linear least squares with I2 regularization):

```
#Ridge I2 regression = RidgeCV(alphas = [0.00001, 0.00003, 0.0001, 0.0003, 0.001, 0
.003, 0.01,0.03, 0.1, 0.3, 1, 3, 10, 30, 100]).fit(x train, y train)
#Ridge I2 regression = Ridge I2 model.fit(x train, y train)
Ridge I2 model = Ridge(alpha = 1)
Ridge I2 regression = Ridge I2 model.fit(x train, y train)
# get predictions for Linear Regression with L2 regularization
y pred LR2 = Ridge I2 regression.predict(x train)
y test pred LR2 = Ridge I2 regression.predict(x test)
train LR2 score = Ridge I2 regression.score(x train, y train)
test LR2 score = Ridge I2 regression.score(x test, y test)
train LR2 MAE = MAE(y train, y pred LR2)
test_LR2_MAE = MAE(y_test, y test pred LR2)
train LR2 MAPE = MAPE(y train, y pred LR2)
test LR2 MAPE = MAPE(y test, y test pred LR2)
train LR2 RMSE = RMSE(y train, y pred LR2)
test LR2 RMSE = RMSE(y test, y test pred LR2)
train LR2 RMSPE = RMSPE(y_train, y_pred_LR2)
test LR2 RMSPE = RMSPE(y test, y test pred LR2)
```

Ridge Regression Model Train Score: 0.8259432865513869

Ridge Regression Model Test Score: 0.8285259048331121

Train MAE: 939.6218, Test MAE: 936.2103 Train MAPE: 0.1432, Test MAPE: 0.1429

Train RMSE: 1293.5579, Test RMSE: 1288.4075
Training RMSPE: 19.1795, Testing RMSPE: 19.2461

4. Lasso Regression (Linear Model trained with L1 prior as regularizer):

```
#Lasso_I1_regression = LassoCV(alphas = [0.00001, 0.00003, 0.0001, 0.0003, 0.001, 0.0003, 0.01, 0.3, 1, 3, 10, 30, 100]).fit(x_train, y_train)
Lasso_I1_model = Lasso(alpha = 0.01)
Lasso_I1_regression = Lasso_I1_model.fit(x_train, y_train)
# get predictions for Linear Regression with L1 regularization
```

```
y_pred_LR1 = Lasso_I1_regression.predict(x_train)
y_test_pred_LR1 = Lasso_I1_regression.predict(x_test)

train_LR1_score = Lasso_I1_regression.score(x_train, y_train)
test_LR1_score = Lasso_I1_regression.score(x_test, y_test)
train_LR1_MAE = MAE(y_train, y_pred_LR1)
test_LR1_MAE = MAE(y_test, y_test_pred_LR1)
train_LR1_MAPE = MAPE(y_train, y_pred_LR1)
test_LR1_MAPE = MAPE(y_test, y_test_pred_LR1)
train_LR1_RMSE = RMSE(y_train, y_pred_LR1)
test_LR1_RMSE = RMSE(y_test, y_test_pred_LR1)
train_LR1_RMSPE = RMSPE(y_train, y_pred_LR1)
test_LR1_RMSPE = RMSPE(y_train, y_pred_LR1)
test_LR1_RMSPE = RMSPE(y_test, y_test_pred_LR1)
```

Lasso Regression Model Train Score: 0.8258386024818438

Lasso Regression Model Test Score: 0.8284252702496296

Train MAE: 940.0902, Test MAE: 936.6873 Train MAPE: 0.1432, Test MAPE: 0.1429

Train RMSE: 1293.9468, Test RMSE: 1288.7855
Training RMSPE: 19.1878, Testing RMSPE: 19.2537

5. Decision Tree:

Before feeding data to Tree based algorithms, let us pre-process the categorical features as before :

```
xt = x_pre.copy()
yt = sales train all df limited.Sales
```

Let us label the 'StoreType' and 'Assortment' categorical features before feeding data to tree based machine learning algorithms :

```
from sklearn.preprocessing import LabelEncoder
label = LabelEncoder()
xt.StateHoliday = label.fit_transform(xt.StateHoliday)
xt.Assortment = label.fit_transform(xt.Assortment)
xt.StoreType = label.fit_transform(xt.StoreType)

xt_train,xt_test,yt_train,yt_test = train_test_split(xt,yt,test_size=0.3, random_state=1)

dtree_model= DecisionTreeRegressor()
dtree_regression = dtree_model.fit(xt_train, yt_train)

# Create the parameter grid based on the results of random search
params = {
    'max_depth': [2, 3, 5, 10, 20],
```

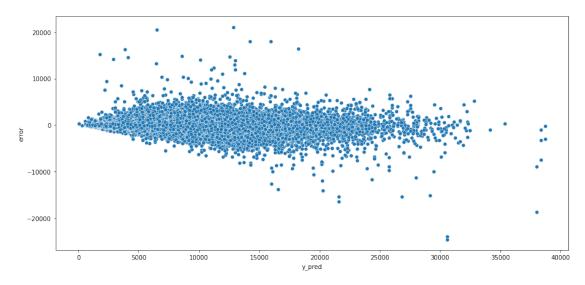
```
'min samples leaf': [5, 10, 20, 50, 100]
}
# Instantiate the grid search model
grid search = GridSearchCV(estimator=dtree model,
               param grid=params,
               cv=4, n jobs=-1, verbose=1, scoring = "accuracy", return train score=
True)
grid search.fit(xt train, yt train)
GridSearchCV(cv=4, estimator=DecisionTreeRegressor(), n_jobs=-1,
       param grid={'max depth': [2, 3, 5, 10, 20],
              'min samples leaf': [5, 10, 20, 50, 100]},
       return train score=True, scoring='accuracy', verbose=1)
grid search.best estimator
DecisionTreeRegressor(max_depth=2, min_samples_leaf=5)
From above grid search, we see that the best decision tree model has max depth
of 2 and min_samples_leaf value of 5 .Hence, using this decision tree model in
our case study:
dtree model= DecisionTreeRegressor(max_depth=2, min_samples_leaf=5)
y pred DT = dtree regression.predict(xt train)
y test pred DT = dtree regression.predict(xt test)
train DT score = dtree regression.score(xt train, yt train)
test DT score = dtree regression.score(xt test, yt test)
train DT MAE = MAE(yt train, y pred DT)
test DT MAE = MAE(yt test, y test pred DT)
train DT MAPE = MAPE(yt train, y pred DT)
test DT MAPE = MAPE(yt test, y test pred DT)
train DT RMSE = RMSE(yt train, y pred DT)
test DT RMSE = RMSE(yt test, y test pred DT)
train DT RMSPE = RMSPE(yt train, y pred DT)
test DT RMSPE = RMSPE(yt test, y test pred DT)
Decision Tree Model Train Score: 0.9999995196333464
Decision Tree Model Test Score: 0.9477595597051337
Train MAE: 0.0084, Test MAE: 463.8825
Train MAPE: 0.0, Test MAPE: 0.0683
Train RMSE: 2.149, Test RMSE: 711.1437
Training RMSPE: 0.0557, Testing RMSPE: 9.6098
```

Error Distribution of Decision Tree Model:

```
error_dist_df = xt_test
error_dist_df['y_actual'] = yt_test
error_dist_df['y_pred'] = y_test_pred_DT

error_dist_df['error'] = error_dist_df['y_actual'] - error_dist_df['y_pred']

plt.figure(figsize=(15, 7))
sns.scatterplot( error dist_df['y_pred'], error dist_df['error'] )
```



From the above plot, we can observe that there are few stores with higher error. But majority of the points appear to be in a small horizontal area around zero which indicates that variance in the error is small and centered around zero.

Observations from Phase 3:

- 1) It is very important to properly process/map the features 'StateHoliday' and 'PromoInterval' before feeding the data to ML algorithms. Before mapping these features, the model scores were all over the place and only after mapping these features, I was able to get reasonable model performances.
- 2) Tree algorithms wont even work if we get the dummy variables for 'StateHoliday','Assortment' and 'StoreType' features. Only after label encoding these features, the decision algorith started to work/give scores.
- 3) After performing grid search hyperparemeter tuning on descision tree algorith, we find that the best decision tree model has max_depth of 2 and min_samples_leaf value of 5.
- 4) The best Decision tree model has a test R2 score of 94.79%, test MAPE of 6.83% and a test RMSPE of 9.49%.
- 5) From the Error distribution plot, we observe that there are few stores with higher error. But majority of the other points appear to be in a small horizontal

area around zero which indicates that variance in the error is small and centered around zero.

6) Given below are the comparison of the models used until now:

Train R2	Score Test F	R2 Score Train	MAE Score \
Linear Regression	0.826214	0.828777	938.1422
Ridge Regression	0.825943	0.828526	939.6218
Lasso Regression	0.825839	0.828425	940.0902
Decision Tree	1.000000	0.947760	0.0084

Test MA	E Score Train	MAPE Score	Test MAPE Scor	'e \
Linear Regression	934.7298	0.1429	0.1426	
Ridge Regression	936.2103	0.1432	0.1429	
Lasso Regression	936.6873	0.1432	0.1429	
Decision Tree	463.8825	0.0000	0.0683	

Train RMSI	E Score Tes	t RMSE Score	Train RMSPE Score	١
Linear Regression	1292.5497	1287.4622	19.1589	
Ridge Regression	1293.5579	1288.4075	19.1795	
Lasso Regression	1293.9468	1288.7855	19.1878	
Decision Tree	2.1490	711.1437	0.0557	

Test RMSPE Score

Linear Regression	19.2301
Ridge Regression	19.2461
Lasso Regression	19.2537
Decision Tree	9.6098

In the next phase of the project, I will be trying out more complex ML models like XGBoost regressor, Random Forest regressor and if possible, use the state-of-the-art Facebook Prophet model for sales prediction.