

Levels of Significance (α -alpha)

Difference between level of Significance and Confidence level.

Level of significance \rightarrow The probability with which we will reject a null hypothesis when it is true is the level of significance.

- It is denoted by α .

- Probability of Type 1 error.

Confidence level \rightarrow The probability with which we will accept a null hypothesis when it is true is the confidence level.

- It is denoted by $1 - \alpha$ (because probability sums to 1)

Levels of Significance (α value)

Confidence level.

0.01 1%

\longrightarrow

99% .99

0.05 5%

\longrightarrow

95% .95

.1 10%

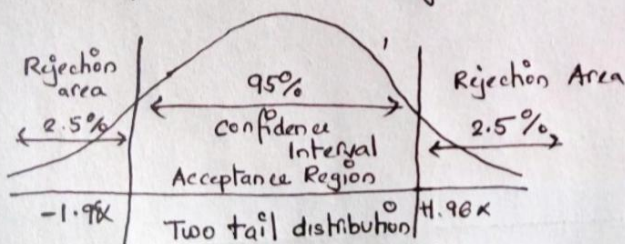
\longrightarrow

90% .90

level of significance \rightarrow Chances / by chance we accept the null hypothesis. (error chances).

Confidence level \rightarrow True chances we accept the null hypothesis.

Suppose from Z test, we get 5% or 0.05 significance level.

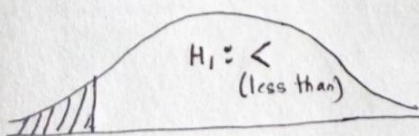


Level of Significance (α)	Corresponding confidence interval in terms of Z value.
0.01	-1.645 α to +1.645 α
0.05	-1.96 α to +1.96 α
0.1	-2.58 α to +2.58 α

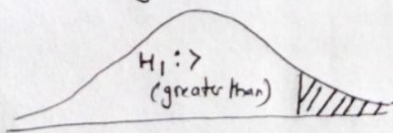
- P value $>$ level of significance, Null hypothesis is accepted.

- P value $<$ level of significance, Null hypothesis is rejected.

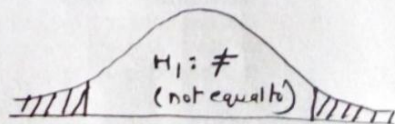
Left tail test



Right tail test



Two tail test



$H_1 \rightarrow$ ~~Actual~~ Alternative hypothesis.

Suppose, we have a packet of 100 chocolates.

Null hypothesis - Packet contain 100 chocolates.

Alternate hypothesis - ① If we think ~~can~~ chocolates are less than 100 chocolates, i.e., count(chocolates) $<$ 100 chocolates, use left tail test.

② If we think chocolates are more than 100 chocolates, i.e., count(chocolates) $>$ 100 chocolates, use Right tail test.

③ If we think chocolates are not exactly equal to 100 chocolates, count(chocolates) \neq 100 chocolates, use Two tail test.