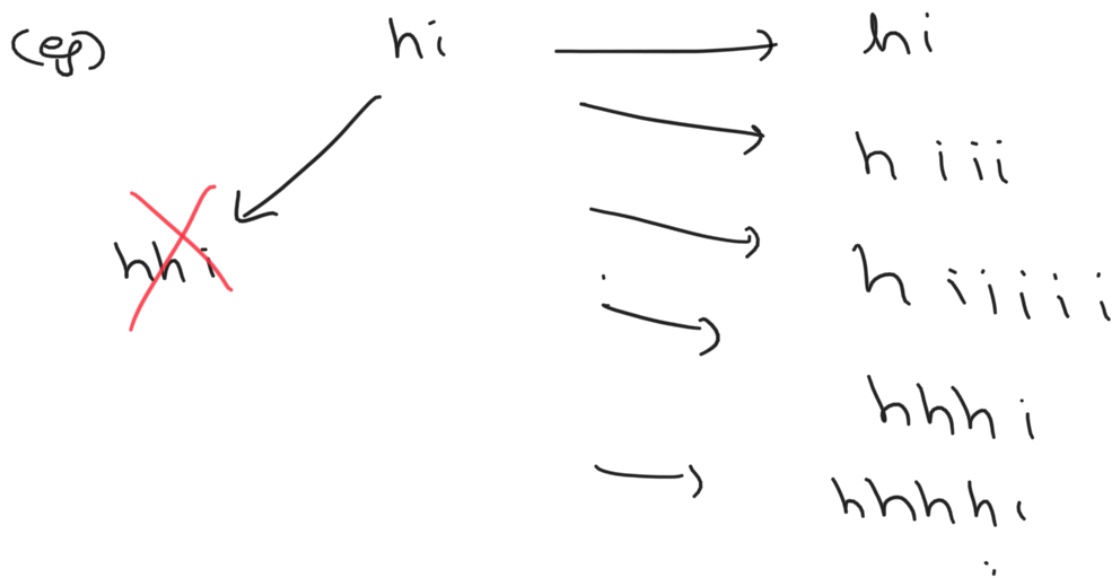


## Two pointers - Expressive words

string  $s$  can be "stretched" to string  $t$  if  $s$  can be made equal to  $t$  by choosing a group of characters  $c$  and replacing each character in  $c$  by 3 or more of same character in sequence



Given list of query words and string  $S$ , find number of <sup>query</sup> words that can be "stretched" to  $S$

$S =$  h e e e l l o o o

words = [ hello, hi, helo ] output 1  
          ✓      ×      ×

$|words| \leq 100$ ,  $len(S) \leq 100$ ,  $len(word) \leq 100$   
for word in words

solution

write a function

$f(S, \text{word})$

True if

word  $\rightarrow$  S  
stretches

False if

word  $\nrightarrow$  S

$\rightarrow$  call  $f$  on query words.

$\rightarrow$  So  $|\text{words}| \times \text{complexity of } f$

word = 

S = 

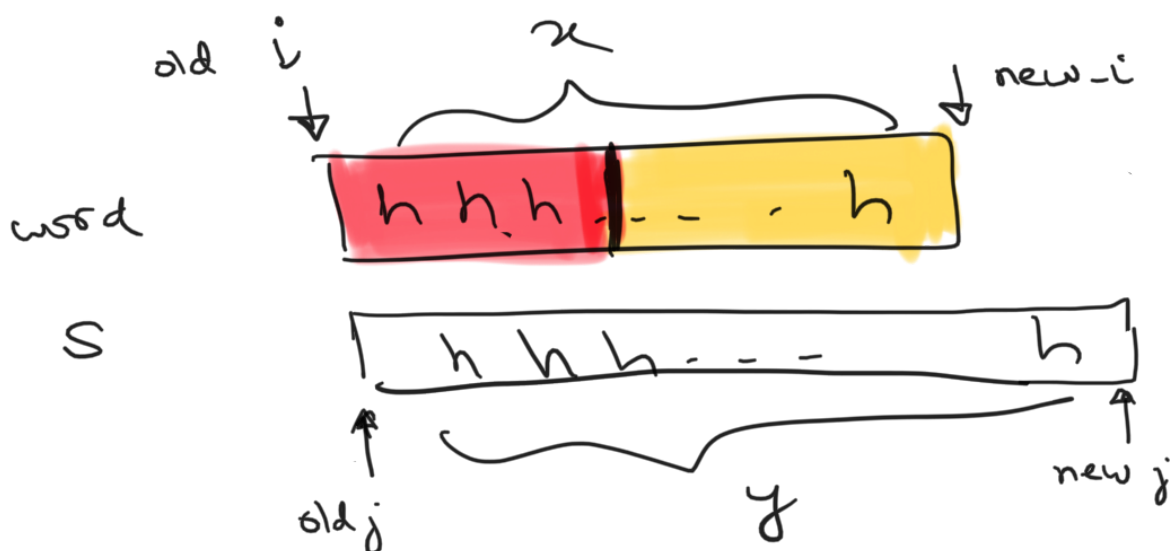
if  $j$ 's character  
 $\neq$   $i$ 's character  
False

if same,  
move pointer  $i$   
to next new character

$x = \#$  of characters  
in bet in word

move pointer  $j$   
to next new character

$y = \#$  of characters  
in bet in S



say  $r$  of  $x$  characters stretched...  
 Remaining  $x-r$  same

$$r = 0$$

$$y = x$$

$$r = 1$$

$$y \geq x - 1 + 3$$

$$r = 2$$

$$y \geq x - 2 + 6$$

$$r = r$$

$$y \geq x - r + 3r$$

$$(ie) \quad y \geq x + 2r$$

So if able to solve for integer  $r$

$$\left\{ \begin{array}{l} 0 \leq r \leq x \end{array} \right.$$

$$y = x, \quad r = 0$$

$$y \geq x + 2r, \quad r > 0$$

then True, else False

2 ways  
to think about this

$$r = 0 \quad \leftrightarrow \quad y = x$$

$$r = 1 \quad \leftrightarrow \quad y > x$$

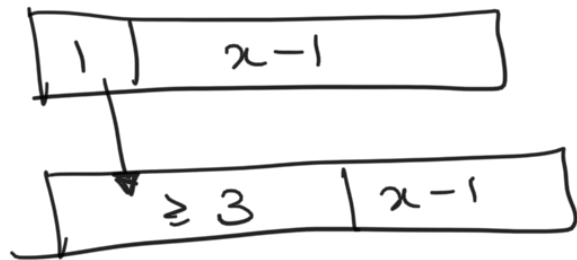
if stretched

can without loss of generality  
stretch only 1 character...

$$y < x \quad \text{False}$$

$$y = x \quad r = 0 \quad \text{True}$$

just need  $y - x \geq 2$   
because



$$y \geq x - 1 + 3$$

need

$$y - x \geq 2?$$

yes  
True

No  
False

$y > x \Rightarrow$  need to solve for

$$x > 0, x \text{ int}$$

$$y \geq x + 2x$$

$\Rightarrow$  need to solve for

$$\frac{y - x}{2} \geq x$$

$$x = \text{int} > 0$$

$\Rightarrow$

need

$$\frac{y - x}{2} \geq 1 (?)$$

If yes  
 $x = 1$   
True

If no  
False

Complexity of f  $\rightarrow O(|\text{word}| + |S|)$

so over all  $\rightarrow O(|\text{word}| + |\text{words}| |S|)$

$$\leadsto O(100^2) = O(10^4)$$