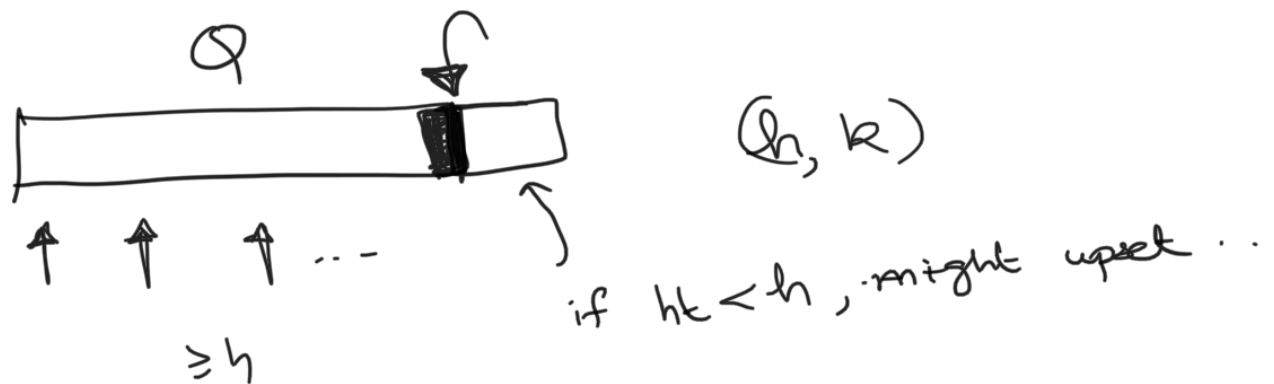


Sorting: Queue reconstruction by height

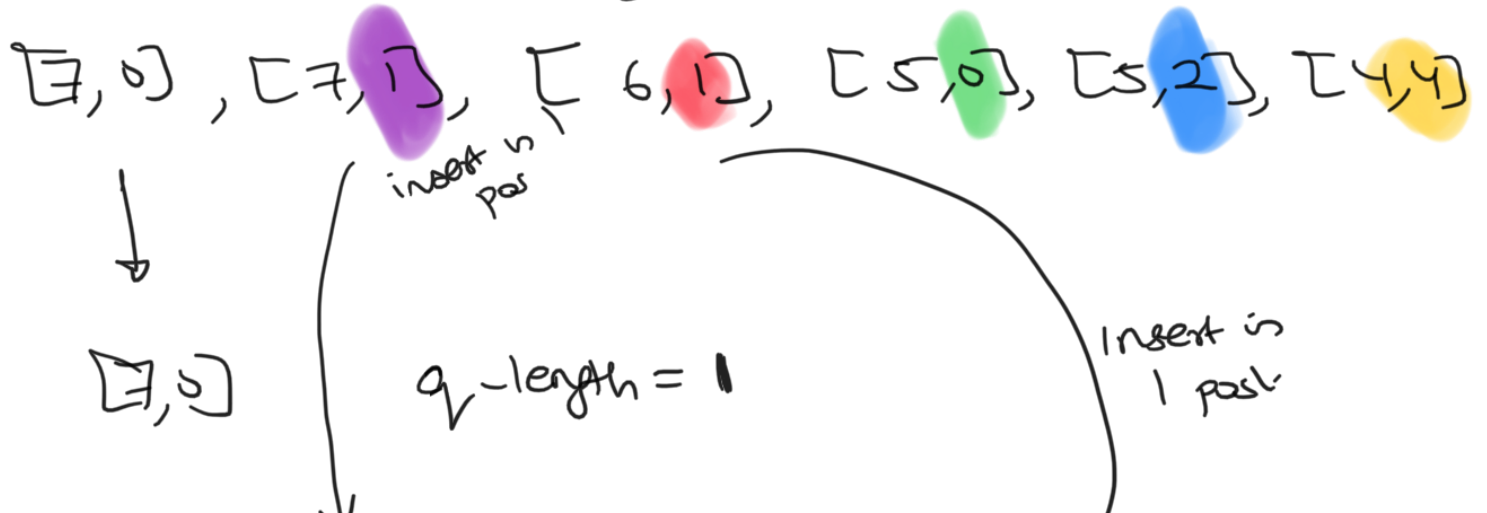
given a list of tuples (h, k) where h is height and k is count
construct a queue where
 $\text{elt } (h, k) \Rightarrow$ there are exactly k elements before (h, k) with " h_t " $\geq h$



so insert in dec order of h_t

(ex) $[7, 0], [4, 4], [7, 1], [5, 0], [6, 1], [5, 2]$

Sort by dec order of h_t
and then by inc order of count



$[7,0]$ $[7,1]$ $q_length = 2$
 $[7,0]$ $[6,1]$ $[7,1]$

$[5,0]$ $[7,0]$, $[6,1]$, $[7,1]$ \leftarrow insert in 0 pos

$[5,0]$, $[7,0]$, $[5,2]$, $[6,1]$, $[7,1]$ \leftarrow insert in 2 pos

$[5,0]$, $[7,0]$, $[5,2]$, $[6,1]$, $[4,4]$, $[7,1]$ \leftarrow insert is 4 pos

Insert of Inserting in list

shortest person \rightarrow is $[4,4]$ has to be

in 4th pos..



\leftarrow number of empty slots

next shortest person \rightarrow is $[5,0]$, $[5,2]$

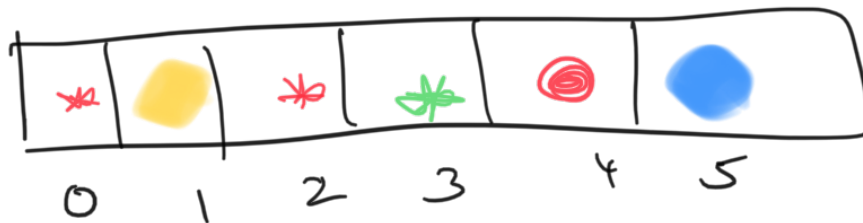
as 0, 2 before 4, they are in 0, 2 index pos



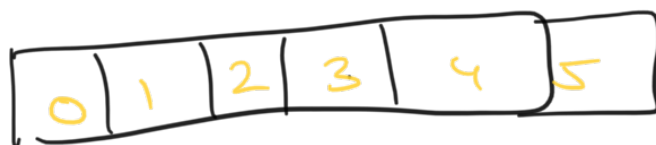
next \rightarrow $[6,1]$



next \rightarrow $[7,0]$ $[7,1]$



so

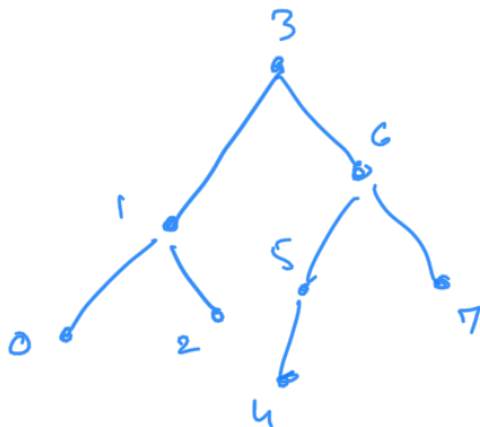


← number of empty slots before each index

insert $[h, k]$ at the first index pos which has
empty slots = k

for each position $> \text{pos}$, decrement
empty slots by 1.

Can use height-balanced trees to
make insert operations logarithmic time.



↓ insert after 5 & before 6

