

Time-Consistent Fiscal Policy and Business-Cycle in Emerging Markets

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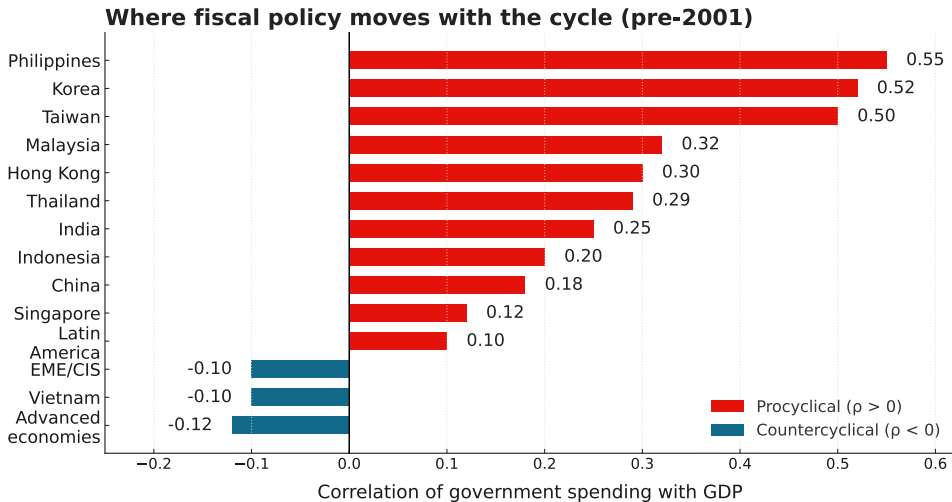
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- Motivation and facts on procyclical government spending in Emerging Markets
- Model: time-consistent fiscal policy in a small open economy
- Calibration and solution strategy
- Results: mechanisms, moments, counterfactuals
- Policy implications and limits

Motivation

Procyclicality in Emerging Markets



Source: IMF. Positive = procyclical; negative = countercyclical.

Why it matters

- **G (government purchases):** government *consumption expenditures* + *gross public investment* (fixed assets). *Excludes* transfers, subsidies, and interest. Includes collective services (defense, public safety) and individual services *produced by government units* (e.g., public schools, public/VA hospitals) as well as infrastructure (U.S. Bureau of Economic Analysis, 2024).
- **Y (output):** real gross domestic product (real GDP).
- **Procyclicality:** $\text{corr}(Y, G)$ is the contemporaneous correlation of the *cyclical components* of Y and G ; procyclical (> 0), acyclical (≈ 0), countercyclical (< 0).

Convention used here: G follows the NIPA aggregate “government consumption expenditures and *gross investment*.” Social benefits (including insurance-type reimbursements) and interest are outside G ; health care *financed* for households is not in G unless the services are produced by government units. Some SNA presentations include social transfers in kind in “government consumption.”

- **Stylized facts.** Government *purchases* are procyclical in both **advanced economies (AEs)** and **emerging market economies (EMEs)** ($\text{corr}(Y, G) > 0$). In advanced economies, *total* spending can look acyclical because *countercyclical transfers* offset procyclical purchases. Volatility of purchases is markedly higher in **emerging market and developing economies** and in **low-income countries (LICs)** than in advanced economies.
- **Public-goods channel.** In recessions, household incomes fall while demand for public services rises; if G also falls, public-goods consumption contracts and welfare declines. Smoothing G stabilizes public-goods consumption and household utility.

Research Question & Contributions

Research question

- **Question.** How does **procyclical government purchases**, chosen **without commitment**, shape macroeconomic **volatility** and **welfare** in a typical emerging market?
- **Environment.** Small open economy; the fiscal authority is **time-consistent** (Markov-perfect) and chooses next-period G subject to feasibility and prudential caps.

What we contribute?

- **Endogenous public goods.** Government purchases enter household utility, so even *optimal* discretionary policy can appear procyclical.
- **Multiple shocks.** Preference, world interest-rate, and productivity shocks jointly discipline co-movement and persistence.
- **Institutional realism.** A constant public-debt rule and simple feasibility caps (government spending cap) mirror emerging-market practice; we evaluate outcomes *within* limited commitment (Markov-perfect equilibrium).

What we solve?

- **Setting.** A small open economy with mobile capital and distortionary taxes. The government chooses next period's public spending; households choose current consumption and next period's savings.
- **State and signals.** The state includes household assets, productivity, the world interest rate. Agents observe today's fundamentals and the one-period-ahead signal and choose forward-looking actions.
- **Timing.** The government (leader) announces a rule mapping today's state to next period's spending; households then choose consumption and savings; shocks realize; the state updates for the next period.
- **Equilibrium.** Markov-perfect (dynamic Stackelberg) strategies for government and households: mutual best responses; constraints and feasibility hold; policies depend only on the current state.

How we solve it?

- **Fixed point.** Compute the equilibrium as the fixed point of “government best response to the households’ best response.”
- **Households’ best response.** Endogenous Grid Method builds expectations from signals, delivers savings and consumption rules, enforces feasibility and borrowing limits.
- **Government’s best response.** Choose next period’s spending while internalizing effects on consumption and savings; impose fiscal rules and convex adjustment costs; verify subgame perfection.
- **Convergence.** Iterate the policy rule until the maximum change is below the tolerance; approximate policy and value functions with low-dimensional polynomial under ridge regularization.

Implementation details appear later.

Why the Philippines & External Validity?

Why the Philippines & external validity

- **Representative EM:** near medians on income, trade openness, and external positions.
- **Institutional match:** debt anchors/deficit ceilings; no structural-balance rule \Rightarrow procyclical bias.
- **Data standards & comparability:** IMF **GFSM 2014** (Government Finance Statistics Manual) + IMF **SDDS** (Special Data Dissemination Standard) \Rightarrow consistent fiscal mapping, transparent releases/metadata, replicable moments.

Generalizes to EMs with limited commitment similar market access, institutions, and standards.

Model

Key model features & assumptions

- **Time-consistent** government: no commitment to future G (Markov-perfect equilibrium). (Bachmann and Bai, 2013a; Fernández-Villaverde et al., 2015; Klein et al., 2008)
- **Borrowing & spending limits:** Government spending cap always respected (constrain G in busts/booms).
- **Open economy:** households trade assets internationally at r^* (perfect capital mobility) (Corsetti and Müller, 2013; Mendoza, 1991; Obstfeld and Rogoff, 1996).
- **Adjustment cost:** convex cost $\frac{\Omega}{2}(G_{t+1} - G_t)^2$ on changing G (smooths fiscal policy changes) (Bachmann and Bai, 2013b).

Households — preferences & budget

Equations

$$u(C_t, G_t) = \theta_t \log C_t + (1 - \theta_t) \log G_t \quad (1)$$

$$C_t + A_{t+1} = (1 - \tau_{\ell,t}) w_t L + (1 + (1 - \tau_A) r_t^*) A_t \quad (2)$$

Intuition

- (1): intratemporal trade-off between private consumption and the public good via the time-varying taste weight θ_t .
- (2): disposable resources = after-tax labor income $(1 - \tau_{\ell,t}) w_t L$ plus after-tax asset returns $(1 + (1 - \tau_A) r_t^*) A_t$.
- Perfect capital mobility: the intertemporal margin is pinned to the world rate r_t^* .

Symbols: C_t consumption; G_t public good; A_t foreign assets; w_t wage; L labor (inelastic); θ_t taste weight; $\tau_{\ell,t}$ labor-income tax; τ_A asset-income tax; r_t^* world interest rate.

Firms & SOE closure — technology & factor prices

Equations

$$Y_t = z_t K_t^\alpha L^{1-\alpha}, \quad \alpha \in (0, 1) \quad (3)$$

$$r_{k,t} = \alpha z_t \left(\frac{K_t}{L} \right)^{\alpha-1}, \quad w_t = (1 - \alpha) z_t \left(\frac{K_t}{L} \right)^\alpha \quad (4)$$

$$\ln z_{t+1} = (1 - \rho_z) \ln \bar{z} + \rho_z \ln z_t + \varepsilon_t^z, \quad \varepsilon_t^z \sim \mathcal{N}(0, \sigma_z^2) \quad (5)$$

Intuition

- Cobb–Douglas \Rightarrow factor prices equal marginal products.
- Higher TFP raises the rental rate and the wage (through K_t/L).
- TFP follows log-AR(1) with persistence ρ_z , variance σ_z^2 , mean \bar{z} .

Symbols: z_t TFP; K_t capital; L labor; α capital share; $r_{k,t}$ rental rate; w_t wage; $\rho_z, \bar{z}, \sigma_z$ TFP parameters.

Firms & SOE closure — user cost & capital demand (current)

Equations (using (4))

$$r_{k,t} = r_t^* + \delta \quad (6)$$

$$K_t = L \left(\frac{\alpha z_t}{r_t^* + \delta} \right)^{\frac{1}{1-\alpha}} \quad (7)$$

$$r_{t+1}^* = (1 - \rho_r) \bar{r}^* + \rho_r r_t^* + \varepsilon_t^r, \quad \varepsilon_t^r \sim \mathcal{N}(0, \sigma_r^2) \quad (8)$$

Intuition

- Small open economy: perfect mobility equates the user cost $r_t^* + \delta$ with MPK (combine (4) and (6)).
- Given (z_t, r_t^*) , (7) pins down K_t/L and thus factor prices.
- The world interest rate follows an *AR(1) in levels* with persistence ρ_r , variance σ_r^2 , mean \bar{r}^* ((8)).

Symbols: K_t capital; L labor; δ depreciation; r_t^* world rate; $\rho_r, \bar{r}^*, \sigma_r$ AR(1) parameters.

Firms & SOE closure — news & investment

Equations

$$K_{t+1} = L \left(\frac{\alpha z_{t+1}}{r_{t+1}^* + \delta} \right)^{\frac{1}{1-\alpha}} \quad (9)$$

$$I_t = K_{t+1} - (1 - \delta)K_t \quad (10)$$

Intuition

- News at time t about (z_{t+1}, r_{t+1}^*) pins down desired next-period capital via (9).
- Investment adjusts according to (10); $\partial K_{t+1} / \partial z_{t+1} > 0$, $\partial K_{t+1} / \partial r_{t+1}^* < 0$.

Symbols: K_{t+1} next-period capital; I_t gross investment; δ depreciation; r_t^* world rate.

Government — budget & financing (I)

Equations

$$B_{t+1} = (1 + r_t^*) B_t + G_t + AC_t - T_t \quad (11)$$

$$T_t = \tau_{\ell,t} w_t L + \tau_a r_t^* A_t \quad (12)$$

Intuition

- (11): debt evolves with the borrowing rate, purchases, adjustment costs, and tax revenue.
- (12): revenue from labor taxes and asset-income taxation.

Symbols: B_t public debt; G_t purchases; AC_t adjustment cost for G ; T_t taxes; $\tau_{\ell,t}$ labor-tax rate; τ_a asset-income tax; w_t wage; L labor; A_t private foreign assets; r_t^* world rate.

Government — constant-debt rule & implied taxes (II)

Equations (from (11))

$$B_{t+1} = B_t \equiv \bar{B} \quad (13)$$

$$T_t = G_t + AC_t + r_t^* \bar{B} \quad (14)$$

$$\tau_{\ell,t} = \frac{G_t + AC_t + r_t^* \bar{B} - \tau_a r_t^* A_t}{w_t L} \quad (15)$$

Intuition

- With (13), (11) implies (14): the primary surplus must cover interest $r_t^* \bar{B}$.
- Given prices and (G_t, AC_t) , (15) gives the labor tax required to implement the constant-debt rule.

Symbols: \bar{B} debt target.

Government — feasibility caps & adjustment costs (III)

Equations

$$AC_t = \frac{\Omega}{2} (G_{t+1} - G_t)^2, \quad \Omega > 0 \quad (16)$$

$$G_{t+1} \leq \bar{g} Y_{t+1}, \quad \bar{g} \in (0, 1) \quad (17)$$

$$Y_t = C_t + I_t + G_t + AC_t + TB_t \quad (18)$$

Intuition

- (16): adjustment cost is a resource use (not utility) and enters both the budget and goods market.
- (17): spending cap as a share of next-period output; with news on Y_{t+1} , it can bind at choice time.
- (18): open-economy resource constraint; TB_t is the trade balance (net exports).

Symbols: Ω adjustment-cost parameter; \bar{g} spending cap; Y_t output; C_t consumption; I_t investment; G_t purchases; TB_t trade balance.

Market clearing — absorption & investment

Equations

$$Y_t = C_t + I_t + G_t + AC_t + TB_t \quad (19)$$

$$I_t = K_{t+1} - (1 - \delta) K_t \quad (20)$$

Intuition

- Absorption identity: output goes to private absorption ($C_t + I_t$), public purchases G_t , fiscal adjustment costs AC_t , and the trade balance TB_t .
- AC_t is a resource use (appears in the government budget and goods market), not a utility term.
- Given a choice of K_{t+1} , investment follows from capital accumulation (20).

Symbols: Y_t output; C_t consumption; I_t investment; G_t government purchases; AC_t adjustment cost of changing G ; TB_t trade balance (exports minus imports); K_t capital; δ depreciation rate.

Markov-Perfect Equilibrium (MPE): components

Public consumption is chosen to maximize the contemporaneous utility of the household (both private consumption and public goods), **subject to adjustment costs on changes in G and tax-collapse constraints.**

Objects

- **State vector:** $\mathbf{s} = (A, G, r^*, z, \varepsilon_r, \varepsilon_z, \theta)$
- **Government policy function:** $G' = \Psi(\mathbf{s})$
- **Aggregate asset transition:** $A' = H(\mathbf{s}, G')$
- **Tax function (implements constant debt):** $\tau_\ell = \tau_\ell(\mathbf{s}; H)$
- **Value function:** $v(a, \mathbf{s}; \Psi, H)$
- **Best-response value:** $J(a, \mathbf{s}, G'; \Psi, H)$
- **Household asset rule:** $a' = h(a, \mathbf{s}, G'; \Psi, H)$

MPE — household best response & budget (I)

Household best response (given G' and (Ψ, H))

$$J(a, \mathbf{s}, G'; \Psi, H) = \max_{c, a' \geq \underline{a}} \left\{ \theta \log c + (1 - \theta) \log G + \beta \mathbb{E}[v(a', \mathbf{s}'; \Psi, H)] \right\} \quad (21)$$

$$\text{s.t. } c + a' = (1 - \tau_\ell) w(r^*, z) L + [1 + (1 - \tau_A) r^*] a \quad (22)$$

Intuition

- (21): one-period utility plus discounted continuation value given policy rule Ψ and aggregator H .
- (22): disposable resources are after-tax labor income and after-tax world return on assets.

Symbols: J current-period objective with continuation; v value function; a private assets; \mathbf{s} Markov state (see next slide); Ψ government policy rule; H aggregator for aggregates; \underline{a} borrowing limit. $w(r^*, z)$ comes from firm pricing (see (4)); τ_A asset-income tax.

MPE — constraints, aggregation & transitions (II)

Restrictions & laws of motion

$$c \geq 0, \quad a' \geq \underline{a} \quad (23)$$

$$A' = H(\mathbf{s}, G') \quad (24)$$

$$\tau_\ell = \tau_\ell(\mathbf{s}; H) \quad (\text{implements gov't financing, see (15)}) \quad (25)$$

$$w = w(r^*, z) \quad (\text{factor pricing, see (4)}) \quad (26)$$

Intuition

- (24) Aggregates private choices into next-period aggregates (e.g., A').
- (25) Ties the labor tax to the financing rule (e.g., constant-debt) via (15).

Symbols: $H(\mathbf{s}, G')$ law of motion for aggregate assets A' ; τ_ℓ labor-income tax rate implementing the government financing rule (15); $w(r^*, z)$ wage from firm pricing (see (4)); \underline{a} borrowing limit; \mathbf{s} Markov state vector.

MPE — government policy & fixed point (III)

Government problem (limited commitment / Markov–perfect)

$$\Psi(A, r^*, z, \varepsilon_r, \varepsilon_z, \theta, G) = \arg \max_{G'} J(a, \mathbf{s}, G'; \Psi, H) \quad (27)$$

s.t. government budget and caps: (13), (14), (16), (17); goods market: (19).

Markov–perfect equilibrium (definition)

A pair of functions (Ψ, H) is a Markov–perfect equilibrium if:

- (i) Given (Ψ, H) , the policy rule Ψ solves (27) for all admissible states $(A, r^*, z, \varepsilon_r, \varepsilon_z, \theta, G)$.
- (ii) Given Ψ , household value and policy functions solve (21)–(22) subject to the feasibility, aggregation, and pricing conditions (23)–(26).
- (iii) The law of motion H is consistent with aggregation of optimal individual choices, as in (24).

Symbols: Ψ government spending rule (so that $G' = \Psi(A, r^*, z, \varepsilon_r, \varepsilon_z, \theta, G)$); H law of motion for aggregate assets A' ; \mathcal{P} transition kernel for the state vector \mathbf{s} ; $(\varepsilon_r, \varepsilon_z)$ news shocks for $(r^{*'}, z')$.

Calibration — business-cycle moments of cyclical G (annual)

Moment (cyclical G)	Model	Data (ES)
Std (%)	7.2*	6.6
AR(1)	0.64	0.36
Corr(G , Y)	0.37	0.31
Corr(G , Y_{t-1})	0.32 [†]	0.17
Corr(G , Y_{t-2})	0.20 [†]	0.28

Notes: All statistics are computed for the *cyclical component* of government spending G (log deviations from trend). Std = standard deviation of cyclical G (percent). AR(1) is the first-order autocorrelation of cyclical G . Corr = contemporaneous or lagged correlation between cyclical G and output Y . * model baseline simulation; [†] lagged-output correlation.

Calibration — baseline parameters : model vs data

Parameter	Symbol	Value	Source / Target
<i>Preferences & Technology</i>			
Discount factor	β	0.96	Standard annual ($\approx 4\%$ real rate)
Capital share	α	0.33	Standard in growth/RBC
Depreciation	δ	0.10	Annual depreciation (10% p.a.)
Private-good weight	$\bar{\theta}$	0.75	Utility aggregator weight
<i>International Finance</i>			
World real rate	r^*	0.04	Long-run external rate (4% annual)
Domestic bonds (constant)	B_{dom}	0.50	Stationarity device (no DEIR)
Asset-income tax	τ_a	0.15	Effective capital/bond tax (15%)
<i>Exogenous Processes (annual)</i>			
TFP AR(1)	(ρ_z, σ_z)	(0.90, 0.03)	$n_z = 3$ states (Rouwenhorst)
World rate AR(1)	(ρ_r, σ_r)	(0.85, 0.008)	$n_r = 2$ states (Rouwenhorst)
Preference shock	ρ_θ	0.90	Two-state preference process
Preference states	$(\theta_{\text{low}}, \theta_{\text{high}})$	(0.60, 0.90)	Low vs. high weight on C

Results & Discussion

Results — policy function coefficients by exogenous state

	Mean	Std. dev.	Min	Max
<i>Panel A. Household asset rule</i> ($\log A_{t+1} = \alpha_0 + \alpha_1 \log A_t + \alpha_2 \log^2 A_t + \alpha_3 \log G_t + \alpha_4 \log^2 G_t$)				
Persistence α_1	0.882	0.201	0.656	1.266
Curvature α_2	-0.028	0.141	-0.294	0.100
Government response α_3	-0.467	0.336	-1.122	-0.162
Government curvature α_4	-0.032	0.024	-0.078	-0.011
<i>Panel B. Government spending rule</i> ($\log G_{t+1} = \beta_0 + \beta_1 \log G_t + \beta_2 \log^2 G_t + \beta_3 \log A_t + \beta_4 \log^2 A_t$)				
Intercept β_0	0.039	0.054	-0.061	0.111
Own persistence β_1	0.047	0.013	0.025	0.065
Curvature β_2	0.008	0.021	-0.020	0.034
Asset response β_3	-0.012	0.022	-0.056	0.009
Asset curvature β_4	-0.001	0.002	-0.004	0.001

Average elasticities: $\partial \ln A_{t+1} / \partial \ln G_t \approx -0.350$, $\partial \ln G_{t+1} / \partial \ln A_t \approx 0.015$.

Notes. Coefficients averaged over 12 exogenous states $(z, r, \theta) = (3 \times 2 \times 2)$ on the publication grid (36 assets \times 31 spending \Rightarrow 2,232 states). 26/35
 Log-quadratic basis with ridge $\lambda = 0.01$; converged at iter 320 ($\Delta H = 4.67 \times 10^{-3} \approx 0.93 \cdot \text{tol}$, $\Delta \Psi = 1.43 \times 10^{-5} \approx 0.003 \cdot \text{tol}$).

Policy rules — main messages from the estimates

- **How savings evolve.** Households tend to carry today's balance into tomorrow; current assets are a strong predictor of next period's assets (average persistence **0.88**).
- **Adjustment varies with conditions.** The “curvature” terms are small on average but differ across macro environments, so some situations push households to adjust savings more sharply than others.
- **Reaction to public spending.** When government spends more this period, households typically save less next period (average response **0.47** per 1% higher G), a negative effect in all environments—consistent with crowding out.
- **How policy adjusts.** The government mainly *shifts the overall level of spending up or down as conditions change*; it leans only mildly on last period's level (persistence **0.05**) and responds little to households' wealth (asset sensitivity **0.01**).
- **Bottom line.** In a time-consistent EM setting, spending moves with the cycle and with expected conditions; households partly offset it (average saving elasticity **0.35**), and feedback from private wealth back to policy is limited.

Impulse responses — macro effects of shocks

Key patterns

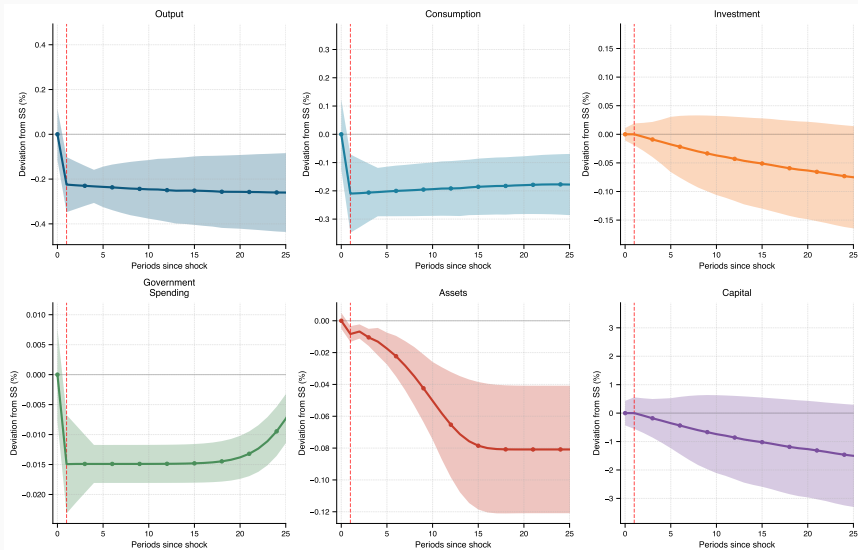
- **Supply vs. demand.** Output reacts more sharply and persistently to supply-side shocks (TFP $z \downarrow$, world rate $r^* \uparrow$) than to preference shocks. Small-open-economy arbitrage limits pure demand expansions; investment moves mainly through the user cost, and G remains modestly procyclical.
- **Preference shocks.** Preference shocks induce an immediate reallocation from public to private consumption. Capital and external assets adjust gradually, reflecting government–household strategic interaction in MPE.
- **State dependence.** Responses differ across current states (z, r^*, θ) . Policy functions shift mainly through state-contingent intercepts, so IRFs are heterogeneous across booms, busts, and interest-rate regimes.

Impulse responses — implications for procyclical G

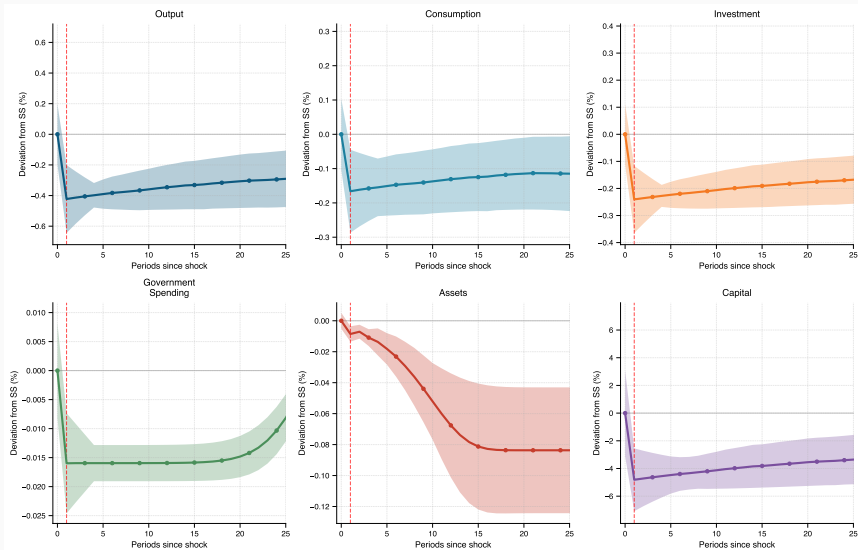
Link to the research question

- **Cyclicity of G .** The time-consistent policy makes G procyclical on the level margin. High- z , low- r^* states shift the spending rule toward $G \approx 0.55$; low- z , high- r^* states pull it toward $G \approx 0.25$, yielding $\text{corr}(g, y) \in [0.33, 0.58]$.
- **Shock-specific role of G .** Supply-side improvements (TFP \uparrow , world rate \downarrow) call for larger G to support higher investment and output, whereas preference shocks mainly reallocate consumption between private and public goods with limited gains from moving G . The procyclicality margin is therefore predominantly supply-driven.
- **State-contingent implementation.** Policy coefficients vary primarily through intercepts across (z, r^*, θ) . This points to fiscal rules that tie the level of G to macro states, rather than relying on mechanical persistence in G itself, as a basis for debt and spending targets.

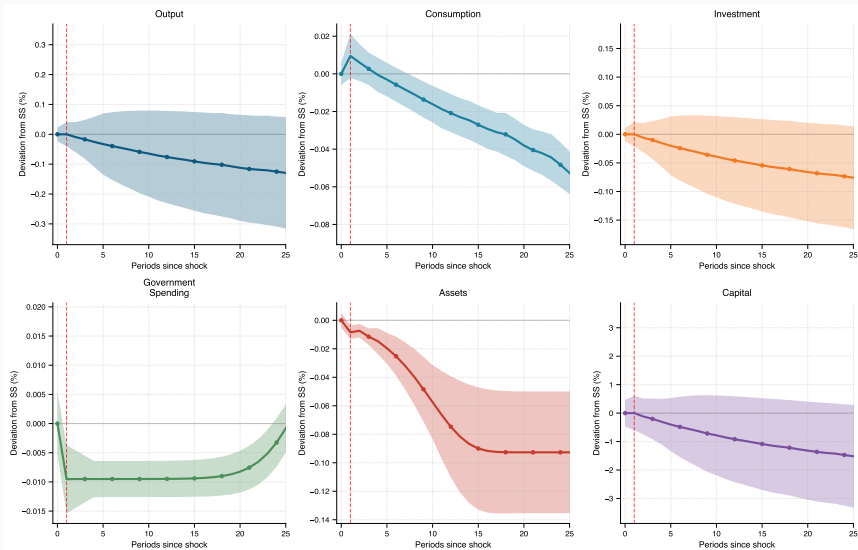
Impulse response — productivity ($z \downarrow$)



Impulse response — world interest rate ($r^* \uparrow$)



Impulse response — world interest rate ($\theta \uparrow$)



Conclusion

Conclusion — time-consistent fiscal policy in EM cycles

- **What it implies.** With limited commitment, a constant-debt anchor, simple caps, and costs of changing policy, the time-consistent rule keeps public spending *procyclical* and *forward-looking*: government mainly *raises or lowers the overall level of G as conditions change*, rather than reacting to household balances.
- **Consequences for cycles.** Because G tracks expected fundamentals and adjusts gradually, public services rise in booms and ease in downturns, tending to **reinforce** rather than offset business-cycle fluctuations; the direct response to household wealth is **small**.
- **Policy design.** To reduce this procyclicality, smooth G over the cycle (e.g., medium-term expenditure ceilings, structural-balance rules, stabilization funds), accepting a trade-off in the form of greater adjustment through taxes or debt.

Appendix

Model solve (Markov-perfect equilibrium)

- *Setup*: build grids (center-heavy \mathcal{G} ; dense \mathcal{A} near 0); discretize shocks (Rouwenhorst, 1995; Tauchen, 1986); precompute transitions.
- *Scale & steady state*: pin $(Y_{ss}, G_{ss}, \tau_{\ell,ss})$ and normalize value/policy scales.
- *Warm start*: initialize $G' \equiv G$, rough off-path (A', C) , flat values.
- *Fixed-point loop (each iteration)*: household EGM update \rightarrow government Bellman best reply g^+ (feasibility projection).
- **Convergence test**: stop if $\|a^{k+1} - a^k\|_{\infty} < \varepsilon$ and $\|g^{k+1} - g^k\|_{\infty} < \varepsilon$; otherwise go back to the EGM step and continue.
- *Diagnostics*: check Euler digits, Bellman residuals, and feasibility.

Parametric projection

$$\begin{aligned}\log A_{t+1} &= \alpha_0 + \alpha_1 \log A_t + \alpha_2 (\log A_t)^2 + \alpha_3 \log G_t + \alpha_4 (\log G_t)^2, \\ \log G_{t+1} &= \beta_0 + \beta_1 \log A_t + \beta_2 (\log A_t)^2 + \beta_3 \log G_t + \beta_4 (\log G_t)^2.\end{aligned}$$

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