

# Accelerated Dark Matter

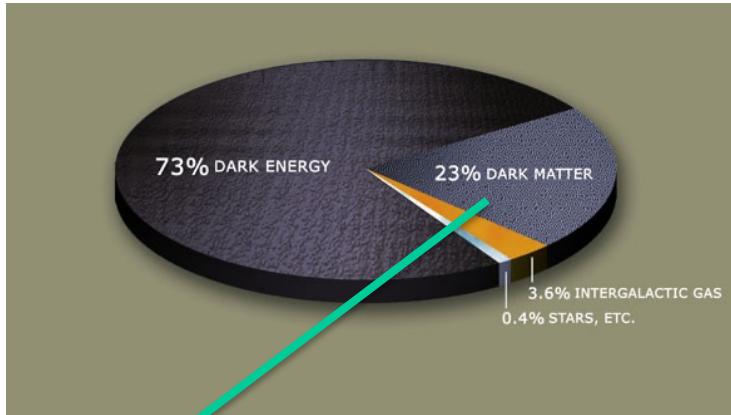
Maxim Pospelov

FTPI and U of Minnesota

- Introduction. Dark sectors/feably-interacting particles. Blind spots for direct detection. [2108.10332](#) [hep-ph]
- New sensitivity to light dark matter via solar reflection (With H. Nie, H. An, J. Pradler, A. Ritz). (2018 PRL, 2021 PRD)
- Acceleration of DM by cosmic rays (With T. Bringmann). 1810.10543 [hep-ph], (2019 PRL)
- Possible use of underground accelerators? (With M. Moore, D. McKeen, D. Morrissey, H. Ramani). [2202.08840](#) [hep-ph]
- Conclusions

# Why identifying dark matter is difficult

Av. Density ~  
0.3 GeV/cc – not a lot



$$L_{\min} \sim 10^{21} \text{ cm}$$

We need to extrapolate  
19 orders of magnitude!  
**Theory is the first step!**



$$L_{\exp} \sim \text{few} * 10^2 \text{ cm}$$

# Dark matter could be a new type of particles

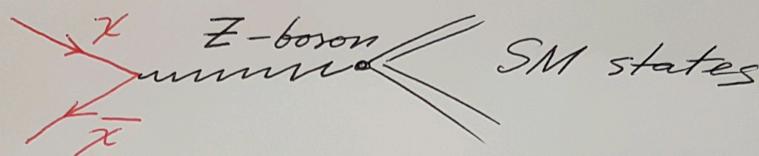
Simplicity of the early Universe, makes many of us suspect that the DM might be in the form of unknown (= e.g. beyond-SM particles).

Search for dark matter particles is done at colliders, beam dump experiments, and in low-radiation environments, such as *underground laboratories*.

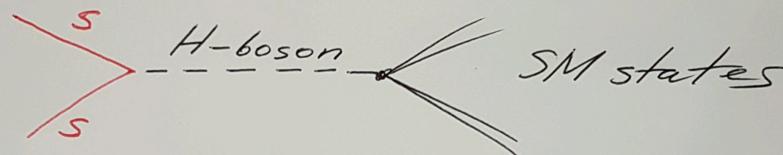
**Goal:** explore multiple collisions of DM  
to fill in “blind spots” to certain types  
of DM

# Examples of DM-SM mediation

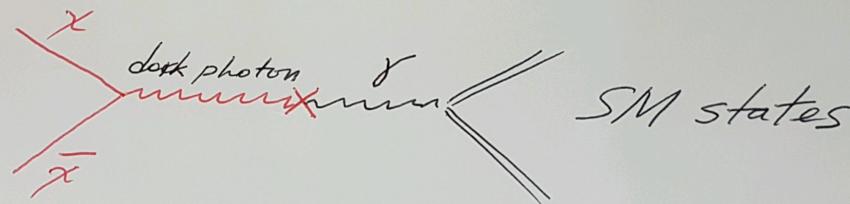
1.  $Z$ -mediation



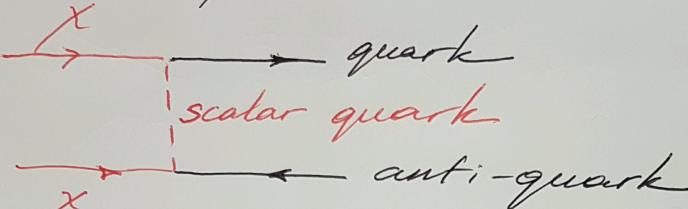
2. Higgs - mediation



3. Photon / dark photon mediation



4. Superpartner mediation



- Topic of WIMPs was dominated by SUSY neutralinos for a long time. In the absence of any experimental hints at SUSY at the LHC, the focus shifted to other models.
- Current discussion of DM increasingly shifts away from SUSY to other “minimalistic” options.
- Mass range of possible WIMPs is much larger than originally envisaged by Lee and Weinberg.

# Idea of “dark sectors”

Effective field theory with light new degrees of freedom.

$$\begin{aligned}\mathcal{L}_{\text{SM+BSM}} = & -m_H^2 (H_{SM}^+ H_{SM}) + \text{all dim 4 terms } (A_{SM}, \psi_{SM}, H_{SM}) + \\ & + (\text{W.coeff. } / \Lambda) \times \text{Dim 5 } (\psi_{SM}, H_{SM}) \\ & + (\text{W.coeff. } / \Lambda^2) \times \text{Dim 6 etc } (A_{SM}, \psi_{SM}, H_{SM}) + \dots \\ & \text{all lowest dimension portals } (A_{SM}, \psi_{SM}, H, A_{DS}, \psi_{DS}, H_{DS}) \times \\ & \text{portal couplings} \\ & + \text{dark sector interactions } (A_{DS}, \psi_{DS}, H_{DS})\end{aligned}$$

SM = Standard Model

DS – Dark Sector

# Excellent framework for light DM

## some WIMP examples

- Scalar dark matter talking to the SM via a “dark photon”  
(variants:  $L_{\mu\nu}$ - $L_{\tau\tau}$  etc gauge bosons). With  $2m_{DM} < m_{\text{mediator}}$ .  
$$\mathcal{L} = |D_\mu \chi|^2 - m_\chi^2 |\chi|^2 - \frac{1}{4} V_{\mu\nu}^2 + \frac{1}{2} m_V^2 V_\mu^2 - \frac{\epsilon}{2} V_{\mu\nu} F_{\mu\nu}$$
- Fermionic dark matter talking to the SM via a “dark scalar” that mixes with the Higgs. With  $m_{DM} > m_{\text{mediator}}$ .  
$$\mathcal{L} = \bar{\chi}(i\partial_\mu \gamma_\mu - m_\chi)\chi + \lambda \bar{\chi}\chi S + \frac{1}{2}(\partial_\mu S)^2 - \frac{1}{2} m_S^2 S^2 - AS(H^\dagger H)$$

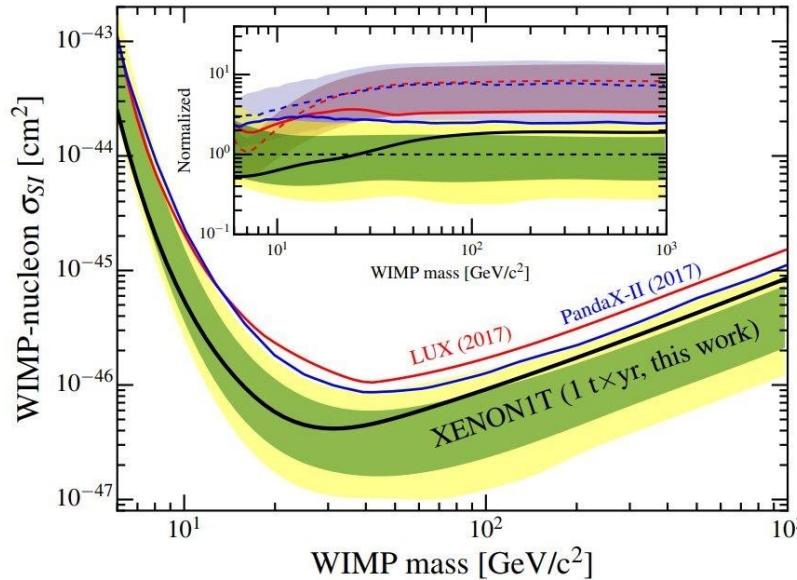
After EW symmetry breaking  $S$  (“dark Higgs”) mixes with physical  $h$ , and can be light and weakly coupled provided that coupling  $A$  is small.

Take away point: *with lots of investment in searching for DM with masses > GeV, models with sub-GeV DM can be a blind spot.*

# Search for WIMP-nucleus scattering (+latest LUX, XENON 1T and PANDA-X results)

Strongest constraints  
on nuclear recoil

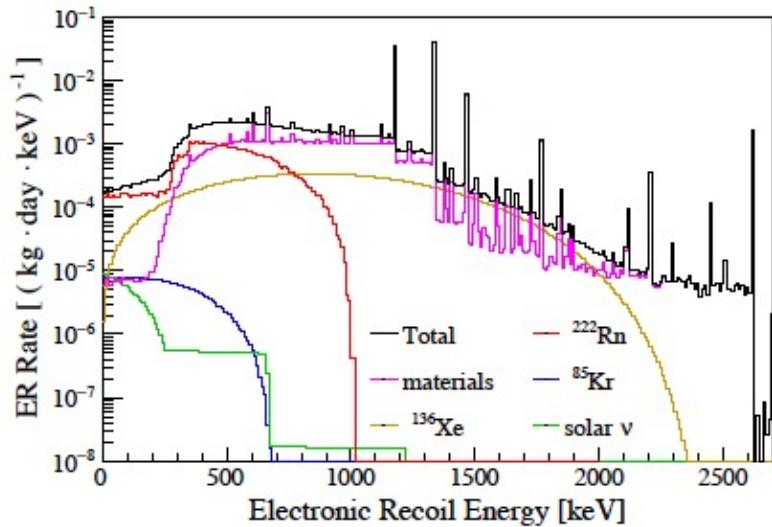
This direction can still  
be improved at modest  
cost, by being clever



Requires  
enormous effort  
and investment

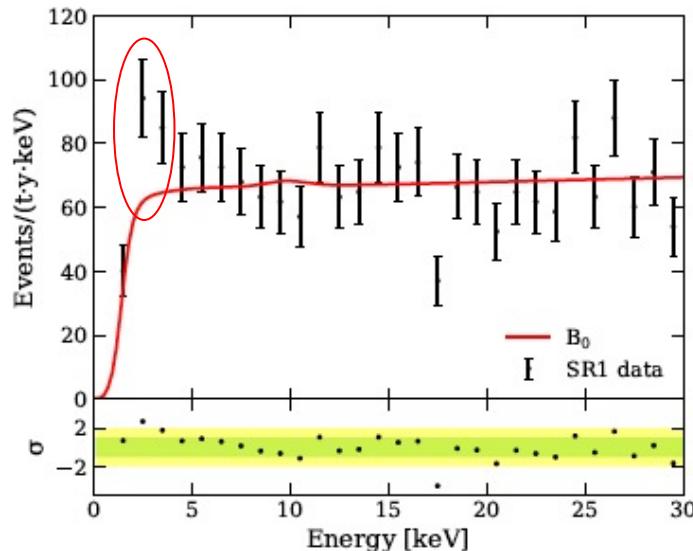
- Optimum sensitivity,  $m_{\text{WIMP}} \sim m_{\text{Nucleus}}$  (a little lighter because of nuclear form factor).
- No sensitivity below  $m_{\text{WIMP}} \sim$  few GeV, due to exceedingly small recoil that does not give much light or scintillation.
- *Summer 2020 – interesting hint on excess in electron recoil.*

# Impressive results by Xenon1T in achieving low backgrounds and high sensitivity



2015 projections, 1512.07501

This is the most sensitive device for rare keV-scale events.

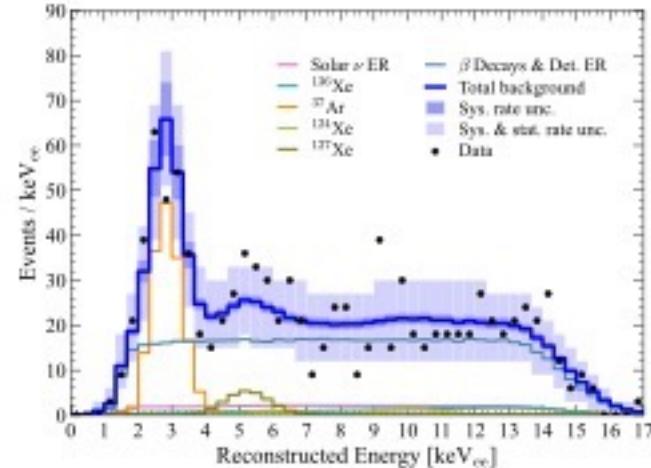
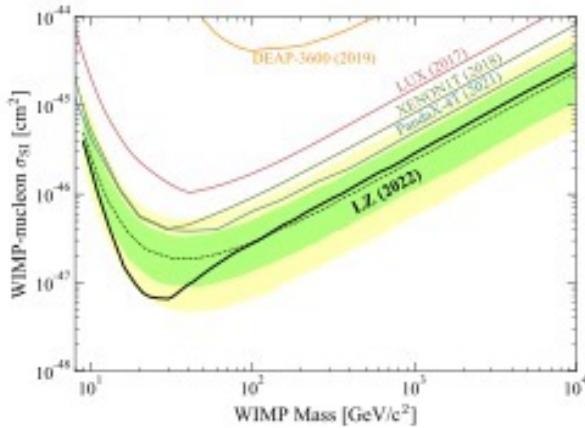


2020 results, 2006.09721

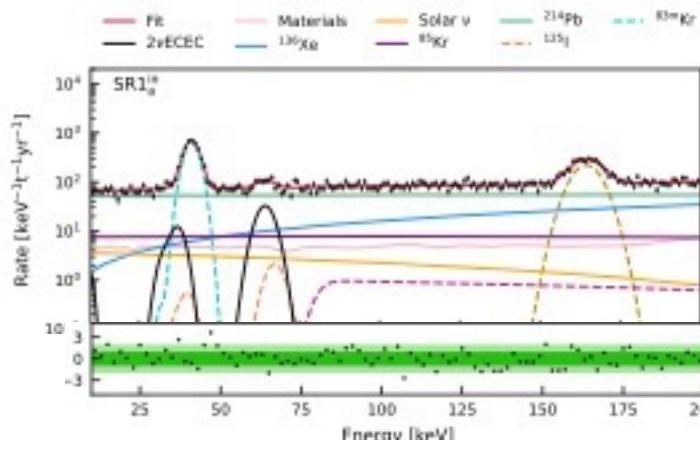
There is a slight excess in low-energy bins → lots of attempts to explain it

# Updates from 2022

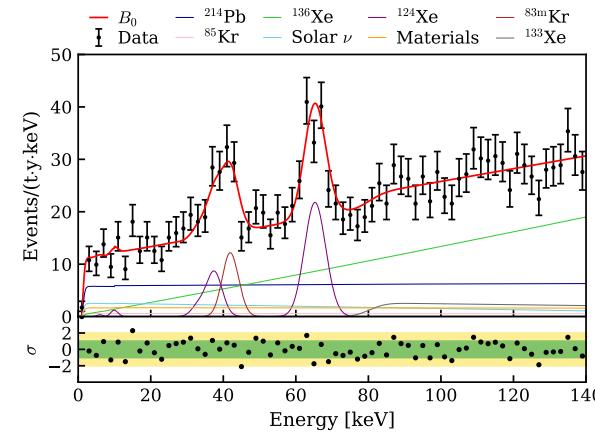
- Impressive update from successor of LUX, LZ



- (+2νECEC decay of  $^{124}\text{Xe}$ )



Search for New Physics in Electronic Recoil Data from XENONnT



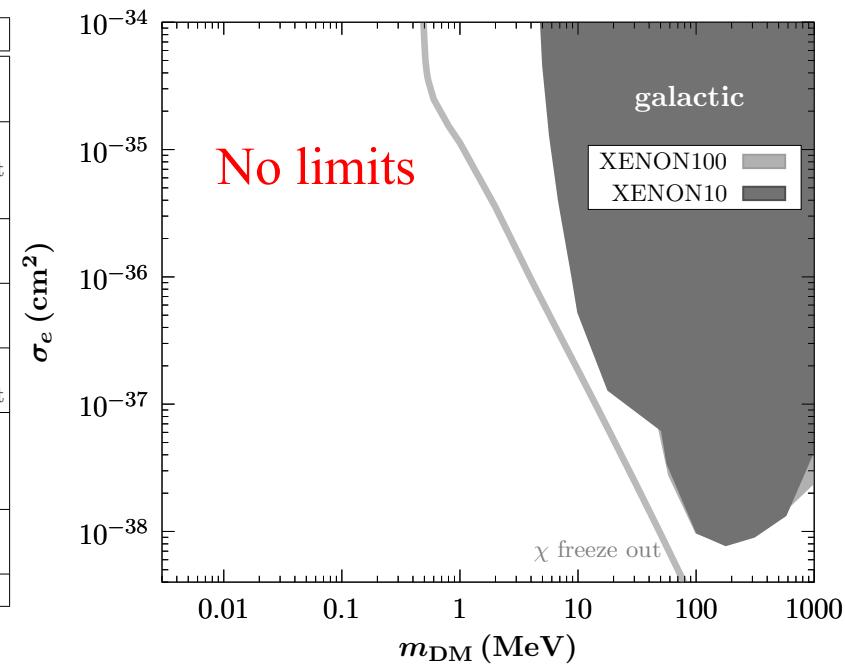
(Next frontier - 2νEC $\beta^+$  decay of  $^{124}\text{Xe}$ . Building towards 0νEC $\beta^+$  search of LNV)  $T_{1/2}^{2\nu\text{ECEC}} = (1.1 \pm 0.2_{\text{stat}} \pm 0.1_{\text{sys}}) \times 10^{22}$  yr. ( $\sim 3$  smaller than theory) 10

# Two blind areas for direct detection

1. ~MeV scale dark matter: Kin Energy =  $mv^2/2 \sim (10^{-3}c)^2(MeV/c^2) \sim eV$ .  
**Below the ionization threshold!**
  
2. Strongly-interacting subdominant component of Dark Matter.  
Thermalizes before reaching the underground lab,  
Kin energy  $\sim kT \sim 0.03$  eV  
(Typically cannot be entire DM, but is limited to fraction  $f < 10^{-3}$ )  
**Below the ionization threshold!**

# Direct detection, scattering of DM on electrons, 2017 slide

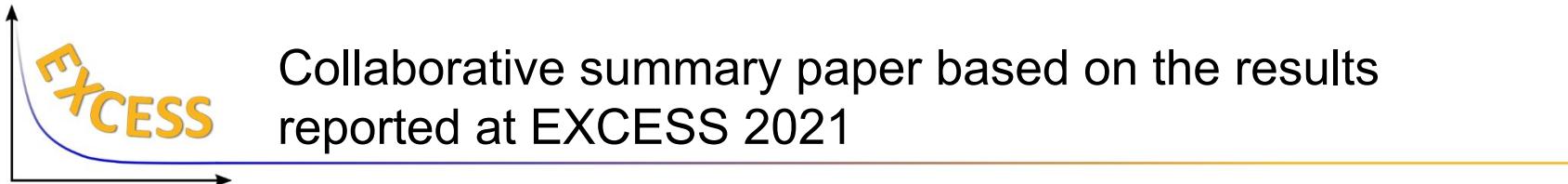
Main Science Goal	Experiment	Target	Readout	Estimated Timeline
Sub-GeV Dark Matter (Electron Interactions)	SENSEI	Si	charge	ready to start project (2 yr to deploy 100g)
	DAMIC-1K	Si	charge	ongoing R&D 2018 ready to start project (2 yr to deploy 1 kg)
	UA'(1) liquid Xe TPC	Xe	charge	ready to start project (2 yr to deploy 10kg)
	Scintillator w/ TES readout	GaAs(Si,B)	light	2 yr R&D 2020 in sCDMS cryostat
	NICE; NaI/CsI cooled crystals	NaI CsI	light	3 yr R&D 2020 ready to start project
	Ge Detector w/ Avalanche Ionization Amplification	Ge	charge	3 yr R&D 1 yr 10kg detector 1 yr 100kg detector
	PTOLEMY-G3, 2d graphene	graphene	charge directionality	1 yr fab prototype 1 yr data
	supercond. Al cube	Al	heat	10+ yr program



- For a given DM mass particle, in the MeV and sub-MeV range, the recoil energy of electrons is enhanced compared to nuclear recoil by  $M_{\text{nucl}}/m_e$
- Sensitivity to energy depositions as low as 10 eV – reality *now*.
- Near future – O(1eV) sensitivity and below. **Many recent works on this topic.**
- Huge number of suggestions: *using superconductors, graphene, Weyl semimetals, DNA, to push threshold lower*. Somewhat of science fiction at this point.

# Comparing counting rates in large Xe detectors and in low-recoil solid state

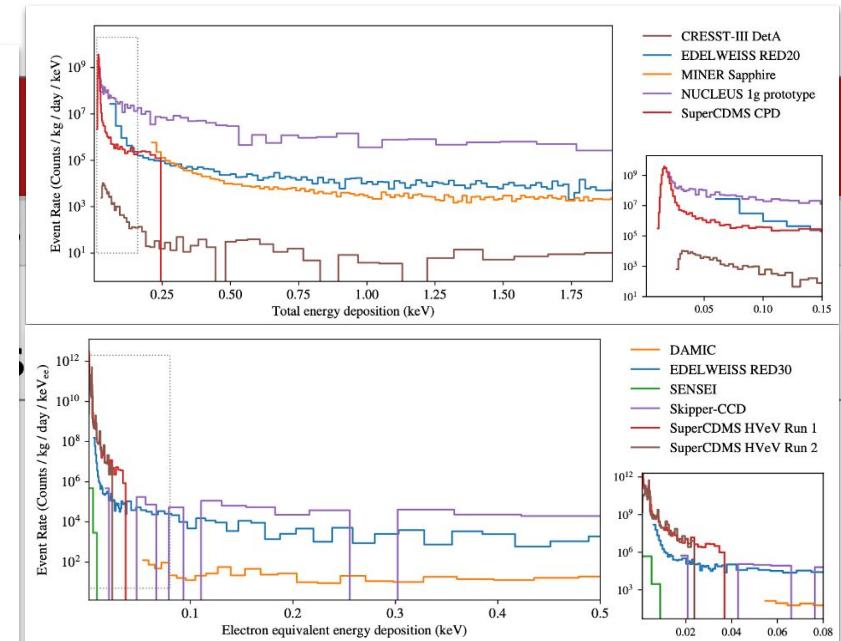
- LZ, Xenon NT, the counting rate is as low as  $\sim 10$  events / ton / year / keV, With  $E > 1$  keV
- Typical counting rates at lowest threshold semiconductor detectors are large, currently plagued by unexplained excess:



<https://arxiv.org/abs/2202.05097>

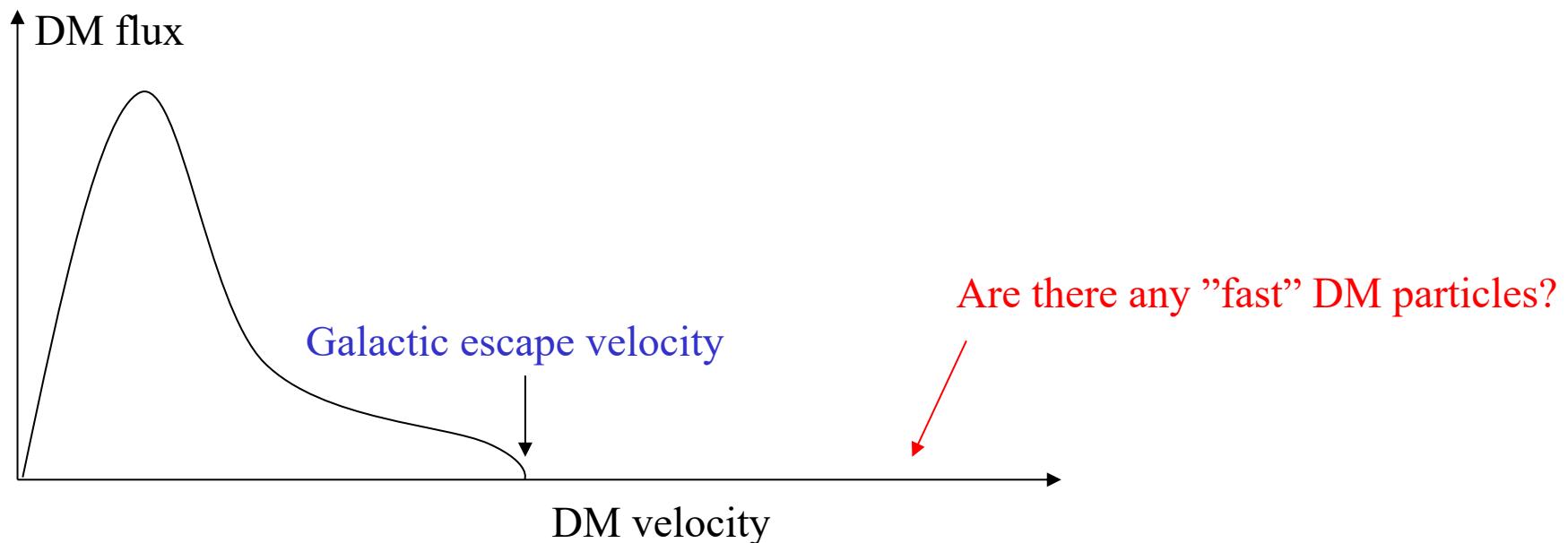
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# Main limitation of light WIMP searches

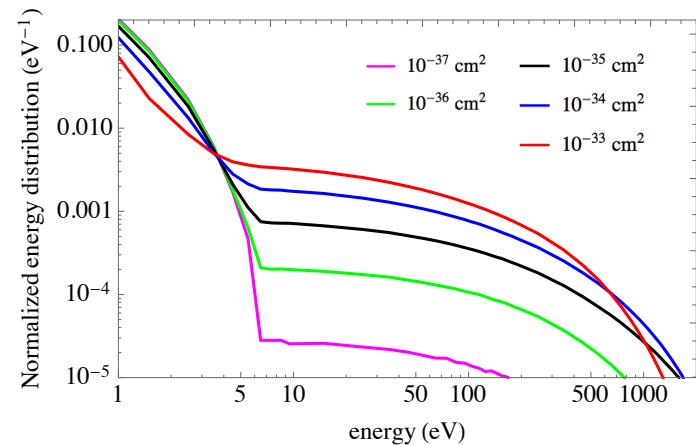
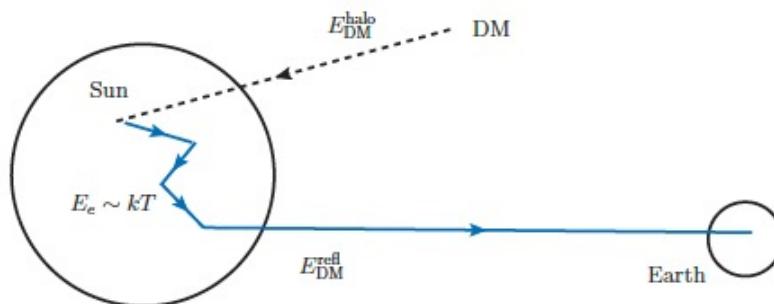
- The kinetic energy of galactic dark matter is limited by  
 $E_{\text{gal, max}} = m_{\text{DM}} (v_{\text{escape}})^2 / 2$ .
- For MeV-range DM, this energy is below the ionization energy of Xe (13 eV). For MeV DM maximum kinetic energy is  $\sim 1$  eV
- Are there processes that bring DM energy above  $E_{\text{gal, max}}$  ?



Case 1: DM scattering on electrons. Case 2: DM scattering on nucleons<sup>14</sup>

# “Reflected DM”: extending the reach of Xe experiments to WIMP scattering on electrons

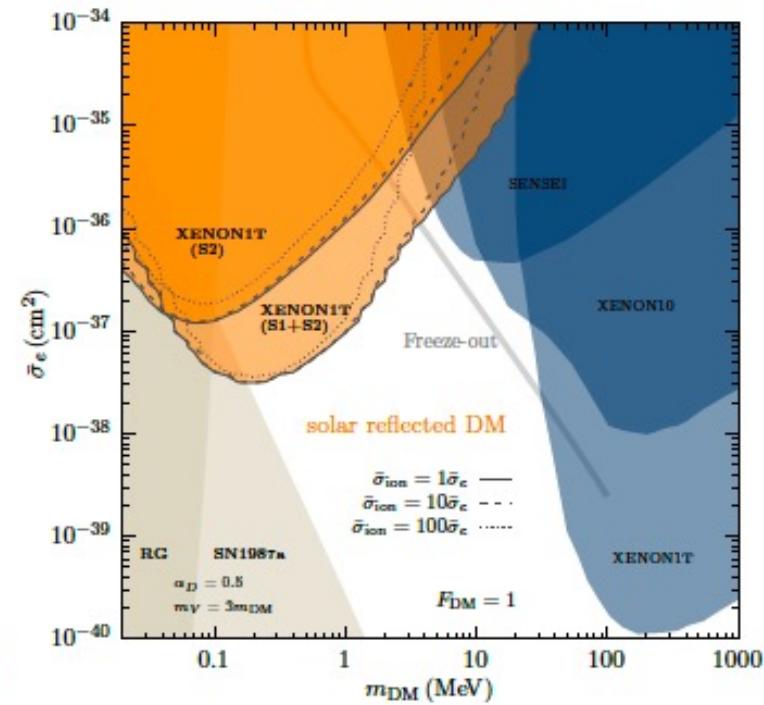
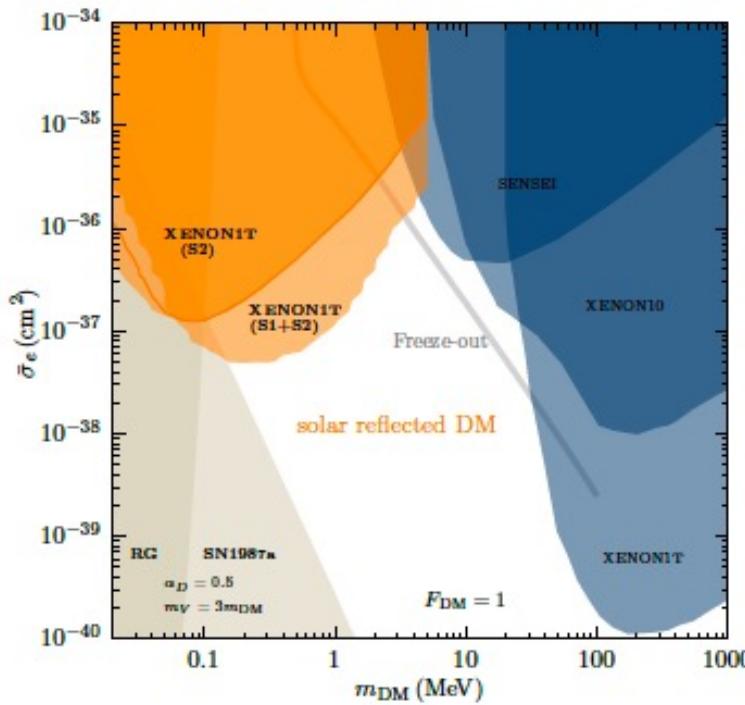
- (An, MP, Pradler, Ritz, PRL 2018, An, Nie, MP, Pradler, Ritz, 2108.10332, Emken, 2102.12483)
- DM can scatter inside the Sun and get accelerated above the ionization threshold



- Initial kinetic energy  $m_{\text{dm}}(v_{\text{dm}})^2/2$  with  $v_{\text{dm}} \sim 10^{-3}c$  (that has an endpoint at  $\sim 600$  km/sec) can be changed by scattering with electrons,  $v_{\text{el}} \sim (2 T_{\text{core}} / m_e)^{1/2} \sim$  up to  $0.1 c$ . In particular  $E_{\text{reflected}}$  can become larger than  $E_{\text{ionization}}$ .
- Huge penalty in the flux of “reflected” DM  $\sim 10^{-6} \sim$  solid angle of the Sun

$$\Phi_{\text{refl}} \sim \frac{\Phi_{\text{halo}}}{4} \times \begin{cases} \frac{4S_g}{3} \left( \frac{R_{\text{core}}}{1 \text{A.U.}} \right)^2 \sigma_e n_e^{\text{core}} R_{\text{core}}, & \sigma_e \ll 1 \text{ pb}, \\ S_g \left( \frac{R_{\text{scatt}}}{1 \text{A.U.}} \right)^2, & \sigma_e \gg 1 \text{ pb}. \end{cases}$$

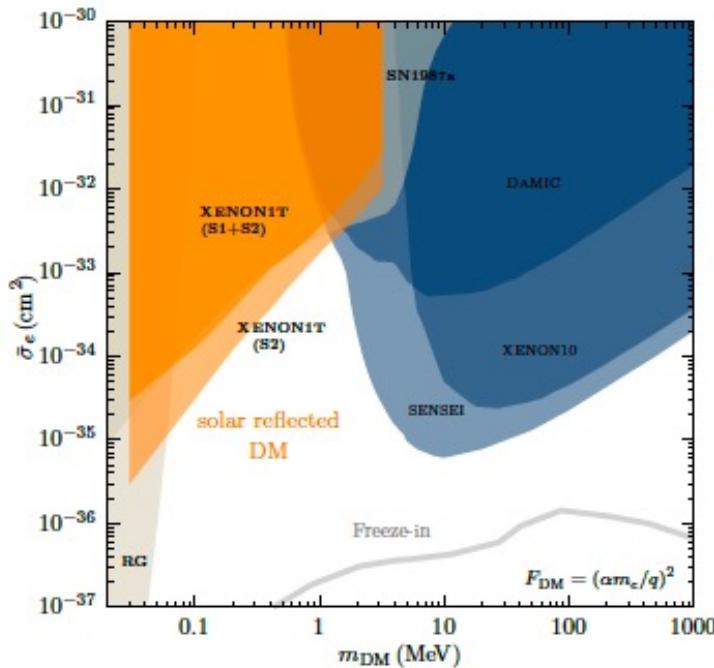
# Contact mediator, limits on $\sigma_e$



An, Nie, MP, Pradler, Ritz, 2017, 2021

- Large Xe-based detectors improve sensitivity to  $\sigma_e$  through reflected flux.
- If the scattering on ions is very strong, it can degrade energy of escaping particle and soften the constraining power.
- See also similar work by Emken 2021.

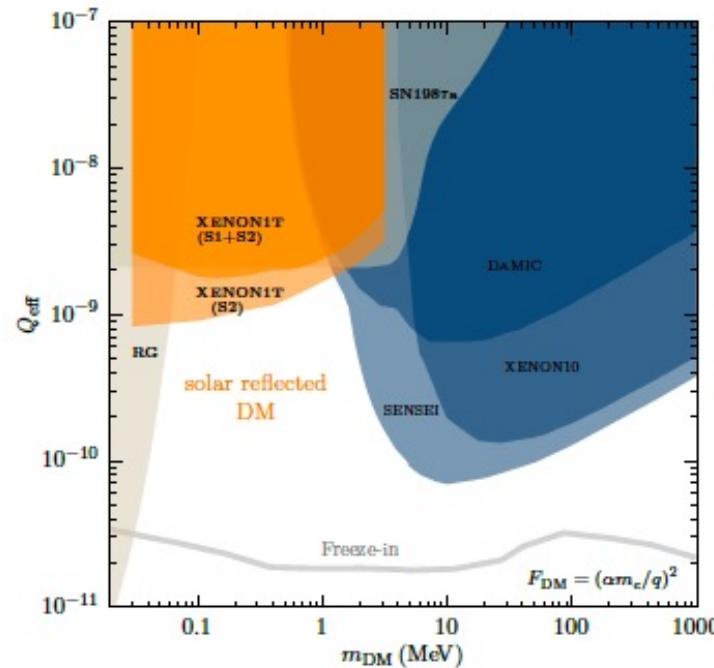
# Massless mediators, limits on $\sigma_e$



cross section normalized on  $q=m_e\alpha$

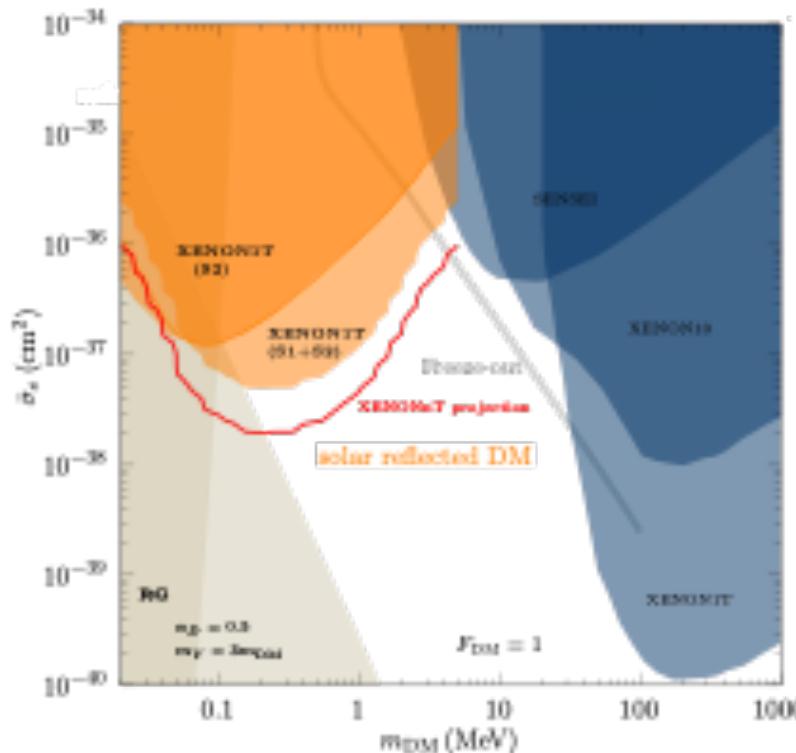
An, Nie, MP, Pradler, Ritz, 2021

- Large Xe-based detectors improve sensitivity to  $\sigma_e$  through reflected flux.
- Second case, massless mediator = milli-charged dark matter, Xe1T is sensitive to  $Q_{\text{eff}} \sim 10^{-9}$  e.



Effective charge

# Update using Xenon NT, limits on $\sigma_e$



only electrons

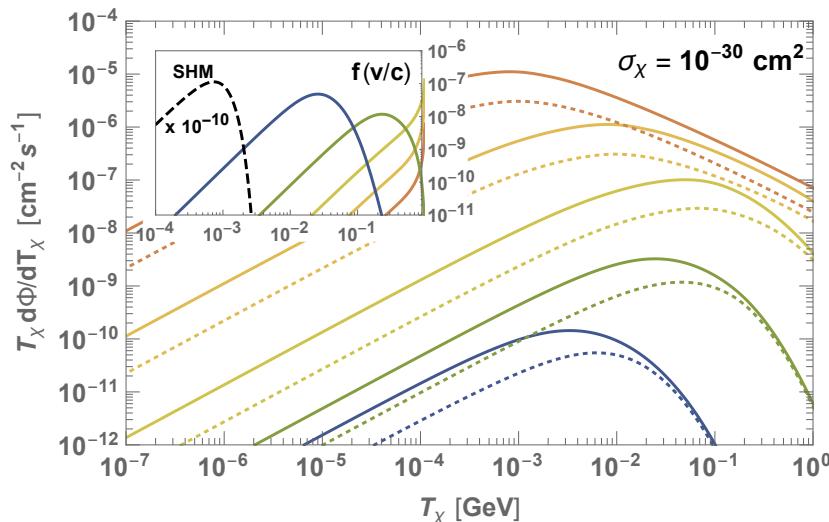
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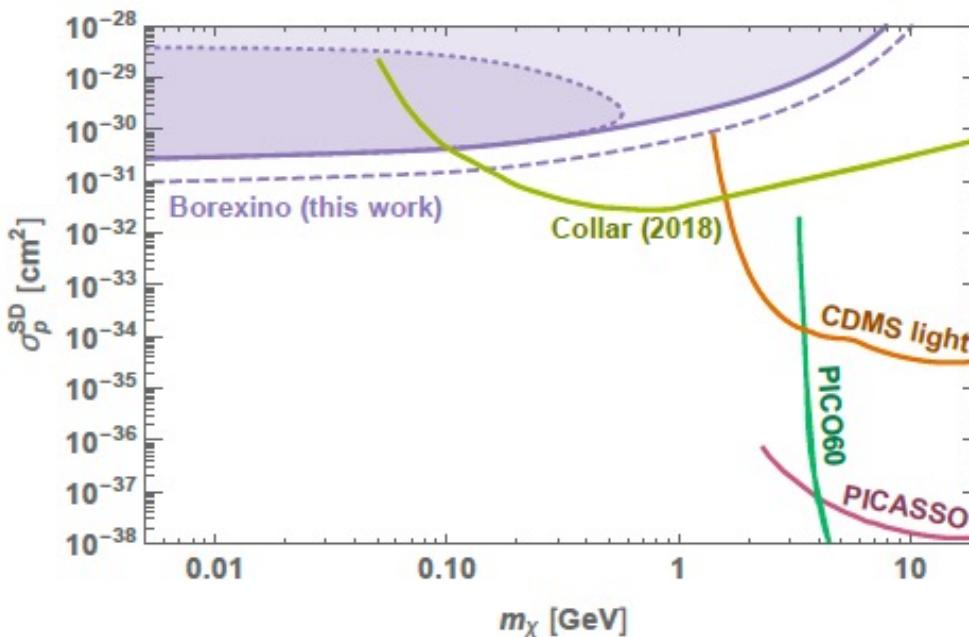
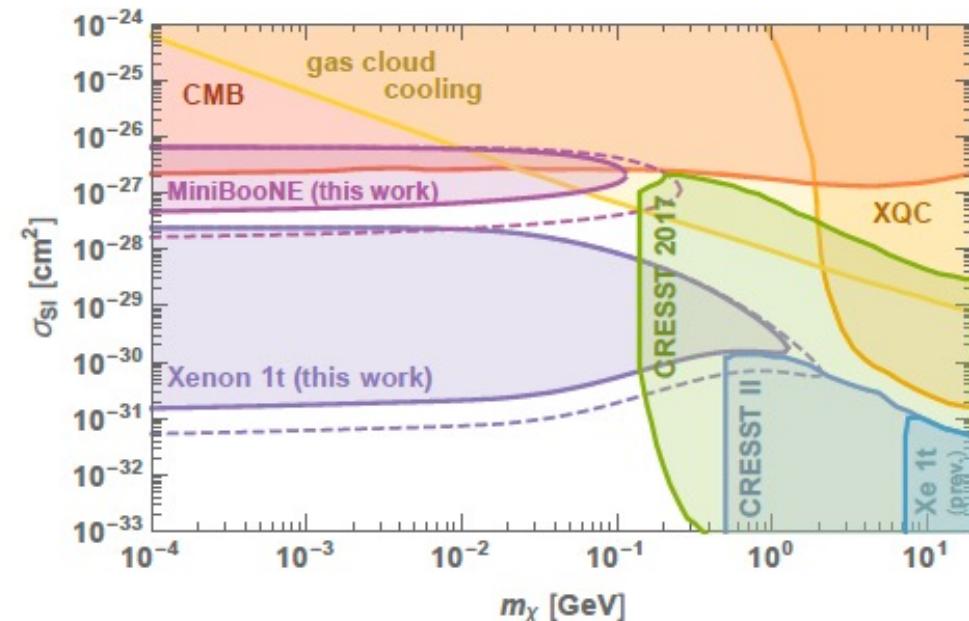
# Light DM accelerated by cosmic rays

- There is always a small energetic component to DM flux (**Bringmann, Pospelov, PRL 2019, others**) due to interaction with cosmic rays.
- Typically: **MeV DM mass  $\rightarrow$  eV kinetic energy  $\rightarrow$  sub-eV nuclear recoils**. No limits for  $\sigma_{\text{nucleon-DM}}$  for DM in the MeV range.
- This is not quite true because there is always an energetic component for DM, not bound to the galaxy. Generated through the very same interaction cross section:  $\sigma_\chi$

*Main idea: Collisions of DM with cosmic rays generate sub-dominant DM flux with  $\sim 100$  MeV momentum – perfect for direct detection type recoil.*

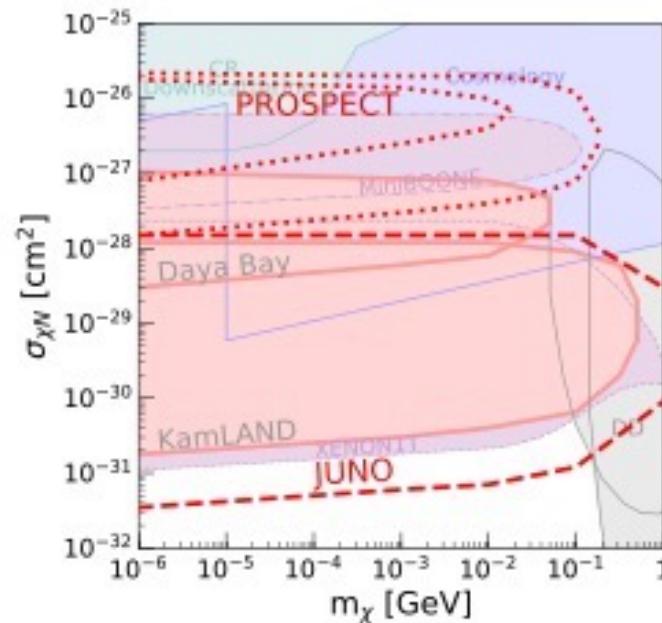
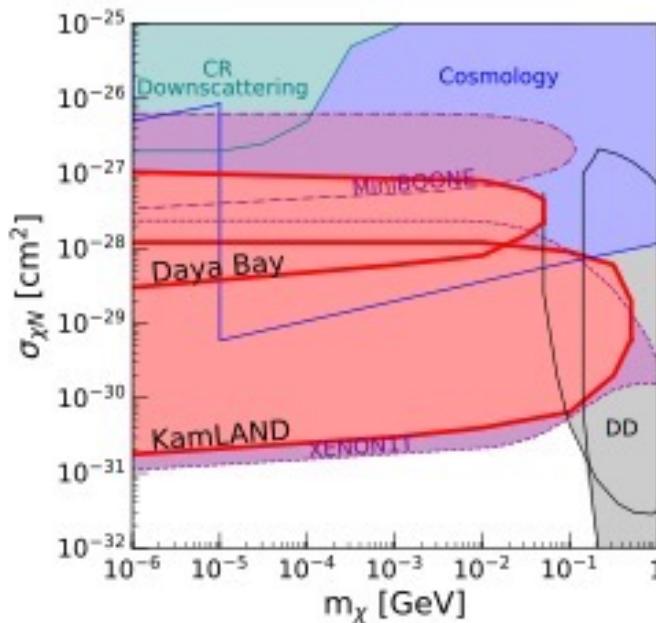


# Resulting limits on WIMP-nucleon scattering



- Spin-independent limits. [Notice the constraint from Miniboone, from measurements of NC nu-p scattering]. Exclusion of  $\sigma = 10^{-29}\text{-}10^{-31}\text{cm}^2$  !
- Scattering on free protons in e.g. Borexino, SNO, SK are also very constraining e.g. for the spin-dependent scattering.
- (Ema, Sala, Sato had an independent work along the same lines for  $\sigma_e$ )

# Updated limits on WIMP-nucleon scattering



- More neutrino experiments can be used to “fill the gaps”, **Beacom** and **Cappiello**, 1906.11283
- If the DM cross section is large, an interesting spin-off can be considered in an underground laboratory environment where one could use accelerators (LUNA, JUNA) to “speed up” DM in a first collision and detect it using DM detectors in a second collision (in collaboration with **Douglas, McKeen, Morrissey, Ramani**, 2022)

# Two blind areas for direct detection

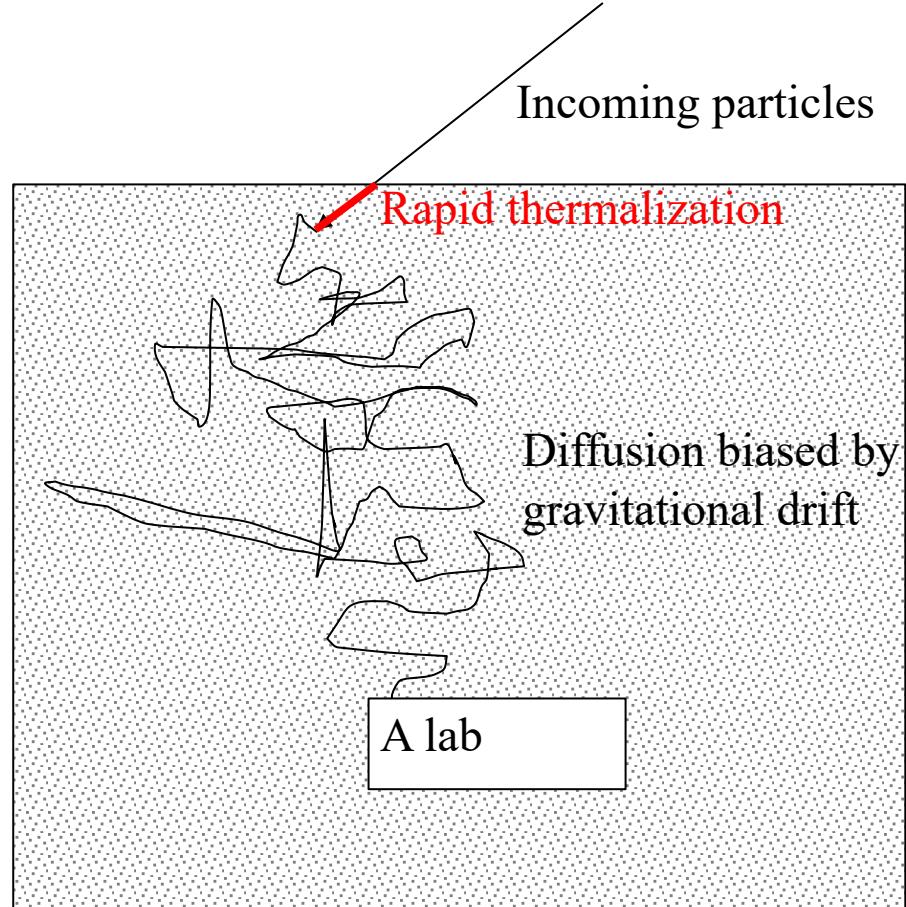
1. ~MeV scale dark matter: Kin Energy =  $mv^2/2 \sim (10^{-3}c)^2(MeV/c^2) \sim eV$ .  
**Below the ionization threshold!**
  
2. Strongly-interacting subdominant component of Dark Matter.  
Thermalizes before reaching the underground lab,  
Kin energy  $\sim kT \sim 0.03 \text{ eV}$   
(Typically cannot be entire DM, but is limited to fraction  $f < 10^{-3}$ )  
**Below the ionization threshold!**

# Dark matter traffic jam

- Rapid thermalization
- Flux conservation:  $v_{\text{in}} n_{\text{halo}} = v_{\text{terminal}} n_{\text{lab}}$ .
- Terminal sinking velocity is determined by the effective mobility ( $\sim$  inverse cross section) and gravitational forcing

$$v_{\text{term}} = \frac{3M_\chi gT}{m_{\text{gas}}^2 n \langle \sigma_t v_{\text{th}}^3 \rangle}$$

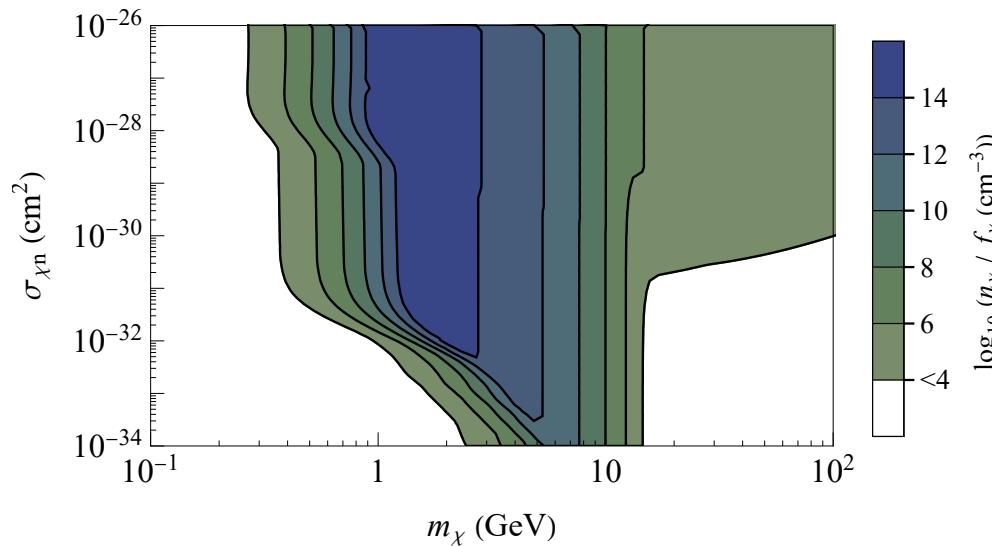
- Change in velocity from incoming  $\sim 10^7$  cm/s to typical sinking velocity of 10 cm/s results in  $n_{\text{lab}} \sim 10^6 n_{\text{halo}}$ . **Not visible to DD**
- At masses  $< 10$  GeV upward flux is important and density goes up.



MP, Rajendran, Ramani 2019 MP,  
Ramani 2020, Berlin, Liu, MP,  
Ramani, 2021

# Density of trapped particles: best mass range = few GeV.

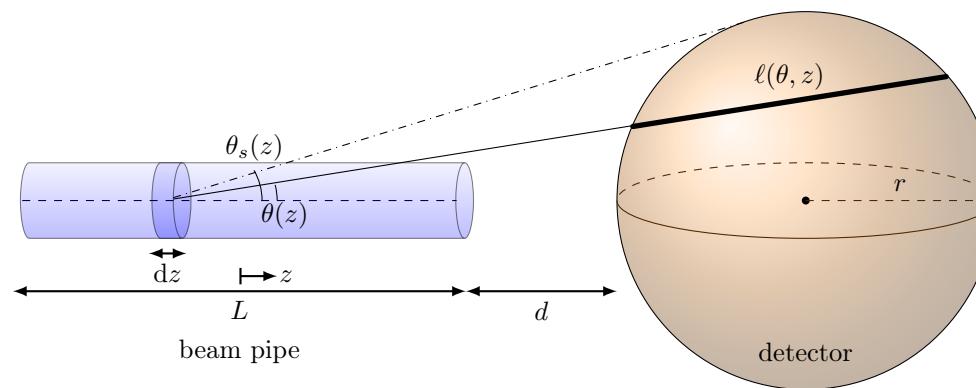
- Lowest mass – evaporation, Highest mass – traffic jam, intermediate mass – trapping with almost uniform distribution inside Earth's volume.



- Enhancement of the density can be as high as  $10^{14}$ .

# Using underground accelerators to “accelerate” dark matter

- Some of the underground Labs that host Dark Matter detectors, also have nuclear accelerators in a completely different setting: studies of nuclear reactions.
- We propose to couple nuclear accelerators and dark matter detectors: accelerated protons (or other nuclei) can strike DM particles that can subsequently be detected with a nearby detector.



- This is going to be relevant for models with large DM-nuclear cross section (blind spot #2), where A. interaction is enhanced, B. density<sub>25</sub> is enhanced.

# Spectrum of recoil

- Energy of nuclei in the detector after experiencing collision with the accelerated DM.

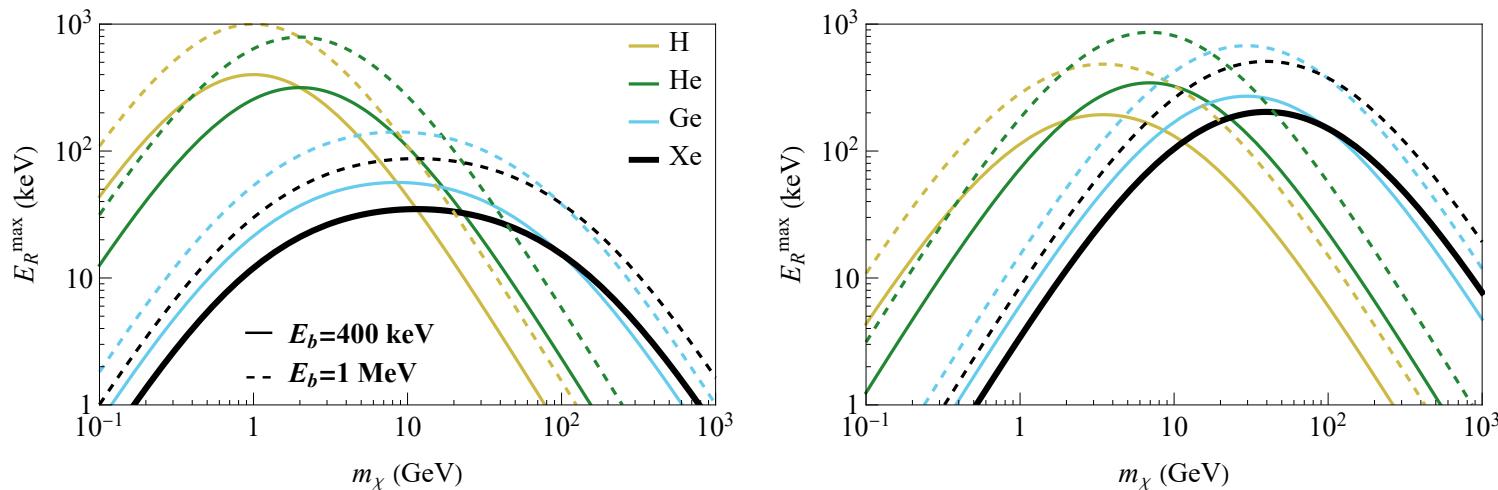
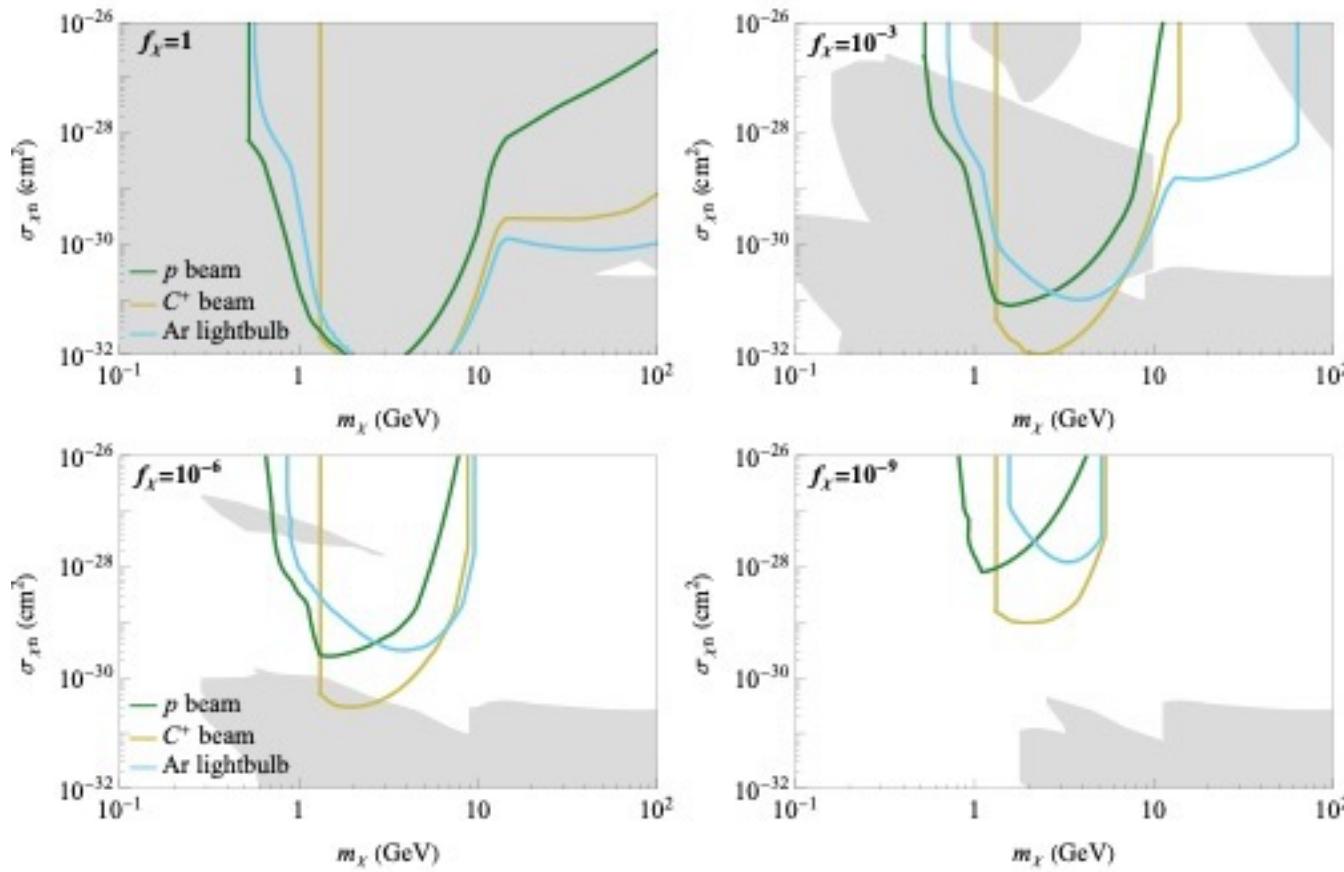


FIG. 3. Maximum nuclear target recoil energies  $E_R^{\max}$  for dark matter upscattered by beams of protons (left) or carbon (right) with kinetic energies  $E_b = 0.4$  MeV (solid) and  $E_b = 1.0$  MeV (dashed) for a selection of target nuclei.

Energy of accelerator is  $\sim$  MeV, and given that the thresholds in many detectors are keV and lower, this detection scheme is realistic.

# New reach in the parameter space

- While 100% fraction of these DM particles is excluded by combination of balloon + underground experiments (gray area), the accelerator+detector scheme is sensitive to small  $f_{\chi}$ .



- This is a promising scheme that can be tried without additional enormous investment, with existing accelerators (LUNA, JUNA)

## Second idea: dark photon mediated interaction may lead to Dark Matter – Nucleus bound state

- Consider a stable elementary particle charged under  $U(1)'$ .

$$\mathcal{L} = -\frac{1}{4}(F'_{\mu\nu})^2 - \frac{\varepsilon}{2}F'_{\mu\nu}F_{\mu\nu} + \frac{m_{A'}^2}{2}(A'_\mu)^2 + \bar{\chi}(iD_\mu\gamma_\mu - m_\chi)\chi,$$

- The choice of parameters of interest:  $\varepsilon \sim$  up to  $10^{-3}$ ;  $m_{A'} \sim 10\text{-}100$  MeV,  $m_\chi \sim 10\text{-}1000$ s GeV or larger,  $\alpha_{dark} \sim 10^{-2} - 1$ .
- Given the choice of parameters abundance can be calculated, assuming the standard cosmological history. However, I am going to treat fraction  $f_\chi$  as a free parameter taking it small.
- Thus, the standard *visible dark photon* constraints apply.
- With Berlin, Liu, Ramani

# Nucleus-DM potential

$$\begin{aligned} V(\mathbf{r}_\chi) &= -\varepsilon \sqrt{\alpha \alpha_d} \sum_{i=e,p} Q_i \frac{\exp(-m_{A'} |\mathbf{r}_\chi - \mathbf{r}_i|)}{|\mathbf{r}_\chi - \mathbf{r}_i|} \\ &\rightarrow \varepsilon_{\text{eff}} \alpha \sum_e \frac{\exp(-m_{A'} |\mathbf{r}_\chi - \mathbf{r}_e|)}{|\mathbf{r}_\chi - \mathbf{r}_e|} - Z \alpha \varepsilon_{\text{eff}} V(\mathbf{r}_\chi, R_N) \end{aligned}$$

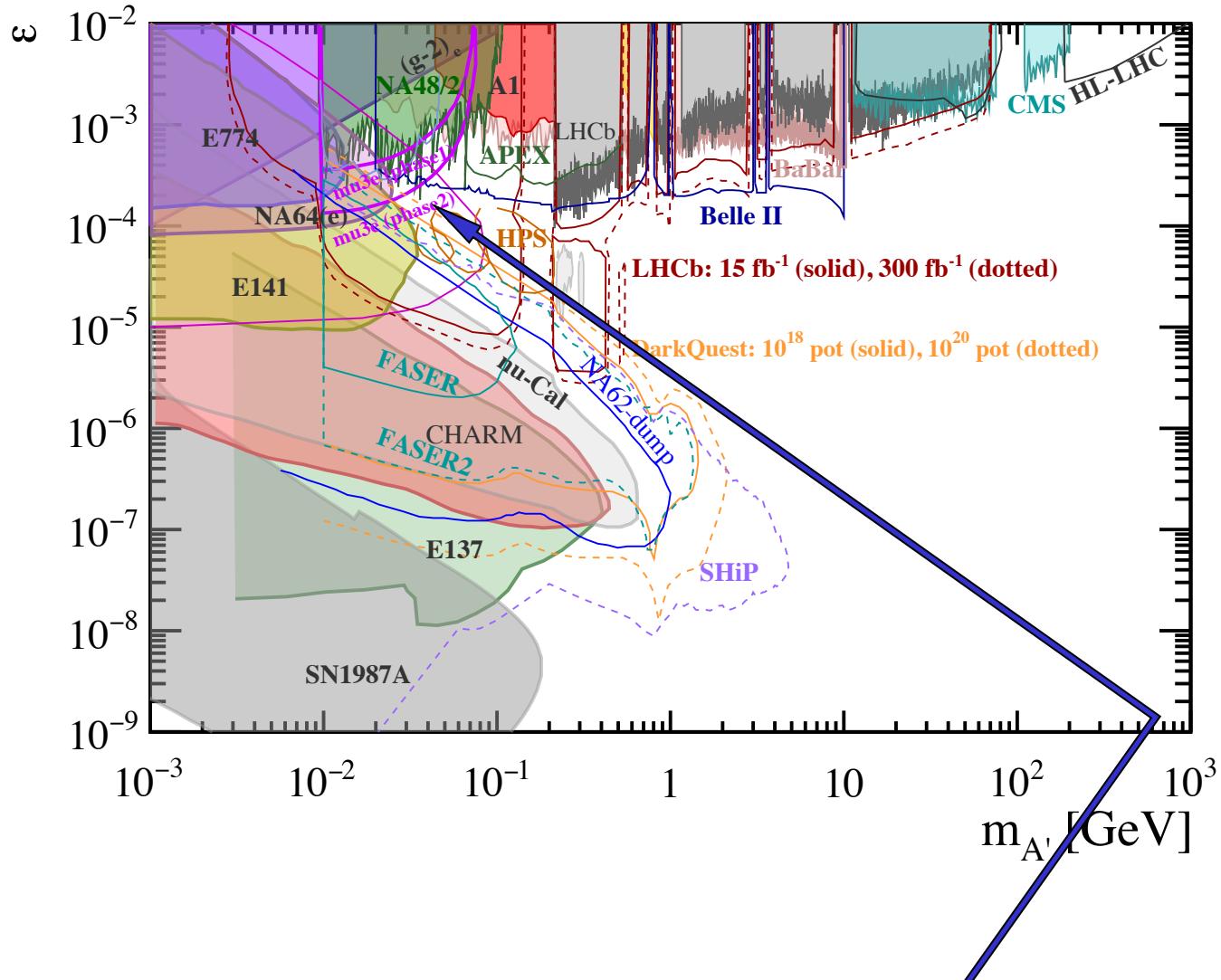
$$V(\mathbf{r}_\chi, 0) = \exp(-m_{A'} |\mathbf{r}_\chi - \mathbf{r}_N|) / |\mathbf{r}_\chi - \mathbf{r}_N|.$$

- For a point-like nucleus = Yukawa potential.
- Since  $\alpha_{dark}$  can be large,  $\varepsilon_{\text{eff}} \equiv \varepsilon \times \sqrt{\alpha_d/\alpha} \lesssim O(10)\varepsilon$

Two important consequences of sizeable couplings:

1. Elastic scattering cross section on nuclei is large
2. Strong enough attractive force affords bound states

# Constraints on visibly decaying dark photons



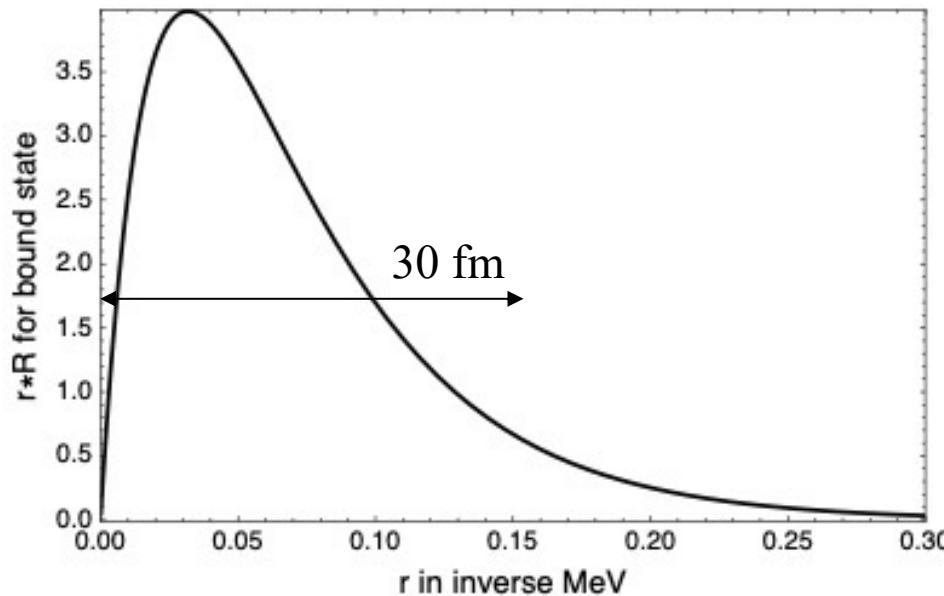
Bound state formation is possible in this corner

# Example of the bound state profile

Naïve Bohr-style formula for the bound state with massless mediator:

$$E_{\text{b.s.}} \simeq 7.8 \text{ keV} \times \left( \frac{\varepsilon_{\text{eff}}}{10^{-3}} \right)^2 \left( \frac{Z}{54} \right)^2 \left( \frac{\mu}{100 \text{ GeV}} \right)$$

Actual binding for  $m_{A'}$  of 10 MeV in Xenon = **2.6 keV.**



$$E_{\text{b.s.}} = 2 \text{ keV}, \varepsilon_{\text{eff}} = 0.85 \times 10^{-3}, m_V = 15 \text{ MeV}, \mu = 100 \text{ GeV}.$$

# A possible scenario for direct detection (including Xenon excess)

- Small enough  $f_\chi$  so that surface and balloon experiments are not sensitive.
- Density enhancement after thermalization (traffic jam). Becomes **invisible** to elastic scattering.
- No bound states with light elements – no efficient capture during the sinking
- Efficient capture in an experiment containing heavy enough elements (Xenon, of course. Also, Iodine, Tl etc...).

$$Z + \chi \rightarrow (Z\chi) + \text{Energy}$$

- Main feature of the signal: electron-like mono-energetic energy release.
- Possibly non-trivial time structure (i.e. daily and seasonal modulation)

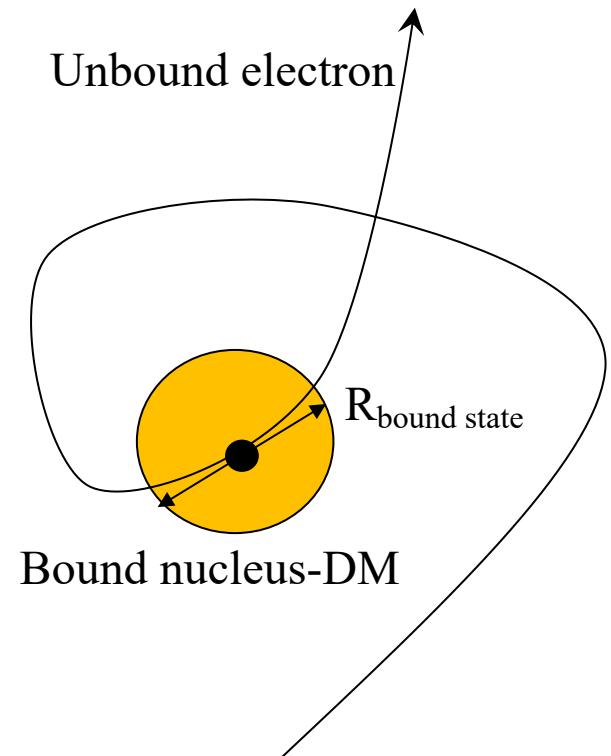
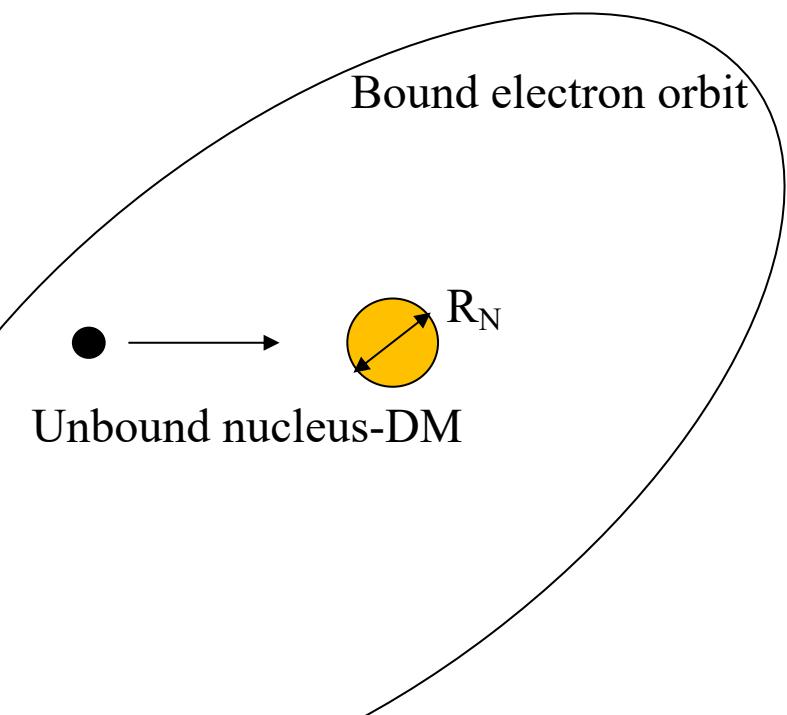
# Capture process

- Auger-style process with the ejection of an atomic electron.



*Dominates over photon emission.*

- Calculable using perturbation theory



# Calculation/estimate of the capture rate

S-wave (DM-nucleus) to outgoing electron s-wave capture rate:

$$\sigma_{s-s}v = \frac{(4\pi)^3}{9} \left(\frac{\mu}{m_N}\right)^4 \frac{(Z\alpha m_e)^2 (\alpha m_e)^3}{m_V^7} \rho_N^2 \rho_e^2$$

where radial integrals are given by

$$\rho_N = m_V^{7/2} \int_0^\infty dr \times r^4 G(r) R_{b.s.}(r)$$

$$(\rho_e)^2 = 2(\alpha m_e)^{-3} \sum_n \left( R_{n0}(0) \frac{R_{p_e 0}(0)}{2p_e} \sqrt{v_e} \right)^2$$

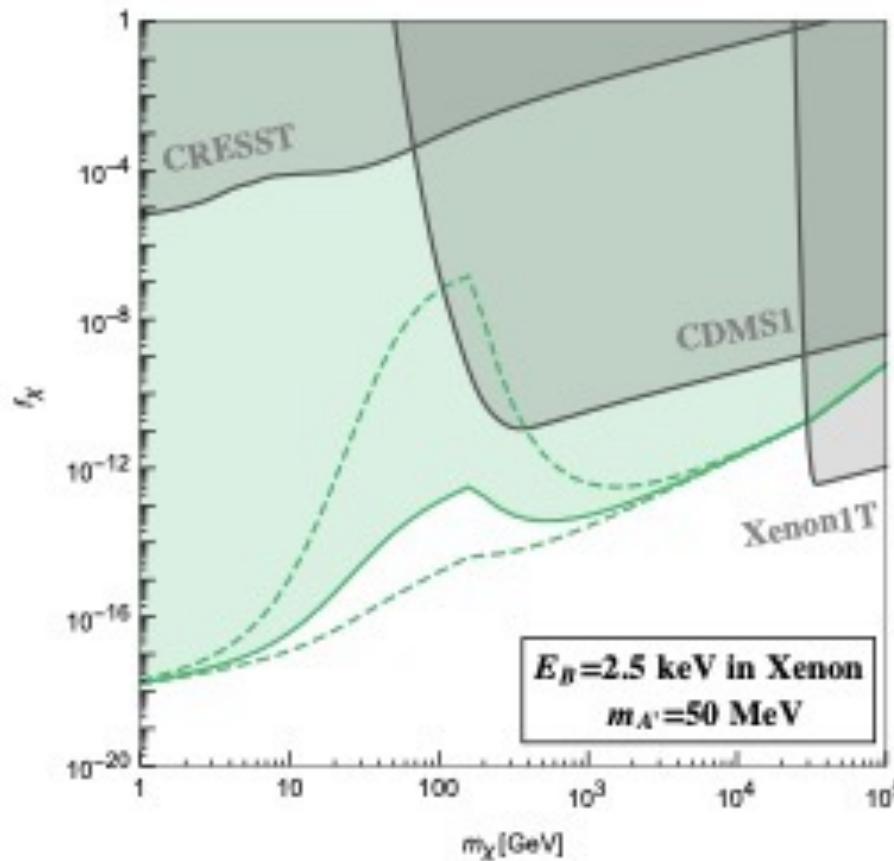
that can be evaluated numerically.

At fiducial choice of parameters, (Xenon, mediator mass = 15 MeV, m = 100 GeV, effective  $\varepsilon$  giving 2 keV binding) the estimate is

$$\sigma_{s-s}v \simeq 10^{-33} \text{cm}^2$$

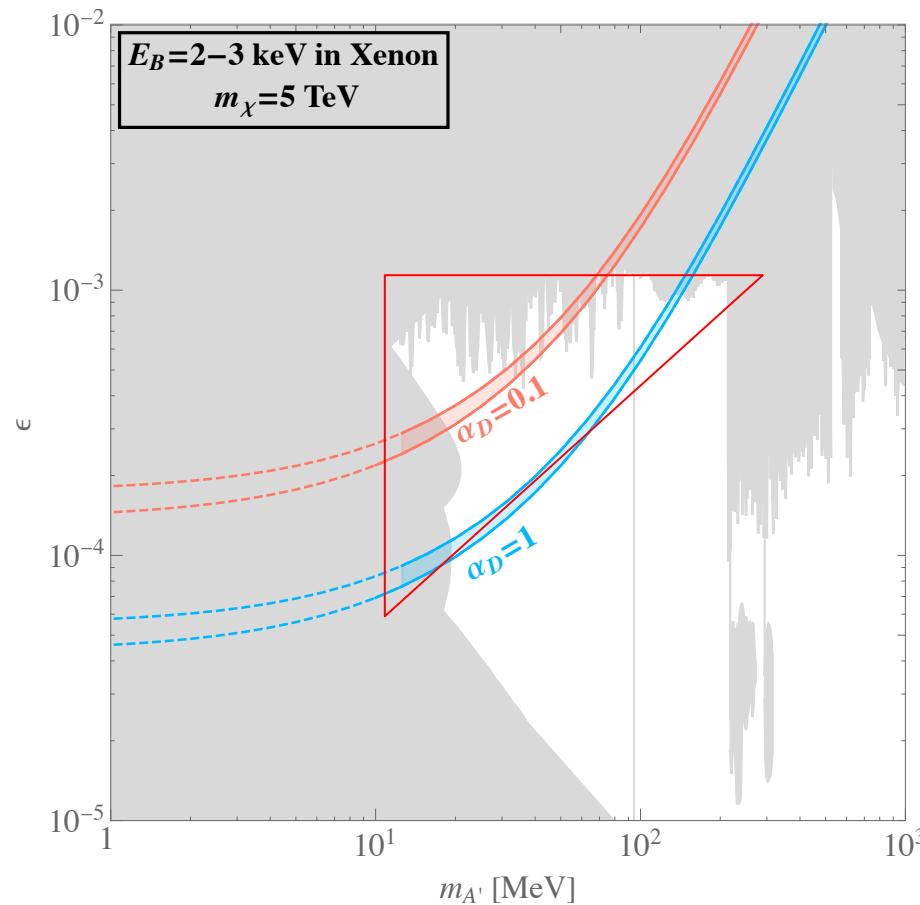
- Since actual c/v  $\sim 10^6$ , the actual cross section  $\sim 10^{-27} \text{ cm}^2$ . Not tiny<sup>34</sup>

# One can probe exceedingly small admixtures of DM particles that can bind to Xe nucleus



- Anywhere along the boundary of green, Xenon1T excess can be explained.
- If the *unknown*  $\alpha_{dark}$ , we do not know “exact”  $\varepsilon$  parameter that can <sub>35</sub> explain the excess.

# Zooming in onto dark photon target parameter space



- A roughly triangular shape of the parameter space,  $\sim$  one decade long on each side can explain the Xenon1T excess at small  $f_\chi$ .
- This parameter space is [hopefully] going to be explored by the LHCb and HPS experiments.

# Conclusions

- *Dark sectors/feably interacting particles – that give a wider range of DM masses and possibilities – are being actively explored at the moment.*
- Strong limits can be imposed even in “blind spot” areas – using subdominant components of the flux. *Dark matter “reflected” from solar electrons, Dark Matter “accelerated” by cosmic rays.* So far limits from Xenon on  $\sigma_e$  in 0.1-5 MeV mass range from solar reflection are much better than those from ”novel detectors”.
- One can use underground accelerators + dark matter detectors to bring DM to higher velocity via first collision, and detect it using the second collision. New parameter space for strongly int DM can be explored.
- The diversity of DM models creates a diversity of experimental signatures – now it is the right time to explore them, as much investment is made into direct detection of dark matter.