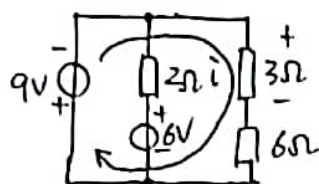


1.

对i路使用KVL:



$$9 + u + 2u = 0$$

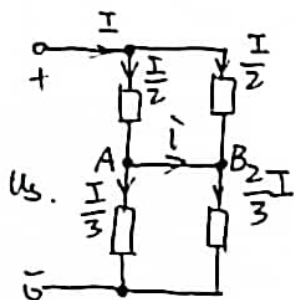
$$6\Omega \text{ 电压: } \frac{u}{3} \times 6 = 2u$$

$$\Rightarrow u = -3V$$

(3中“-”为参考方向).

样卷0

2.



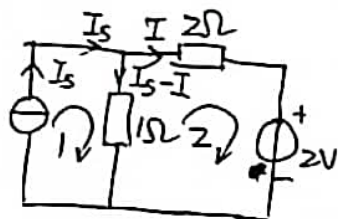
$$\therefore i = \frac{I}{2} - \frac{I}{3} = \frac{I}{6} \text{ (A 结点 KCL)}$$

$$u_s = \frac{I}{2} \times 6 + \frac{I}{3} \times 6 = 5I$$

$$\text{即: } i = \frac{u_s}{30} = 0.4e^{-t} \text{ A}$$

(AB线可拆为两部分)

3.

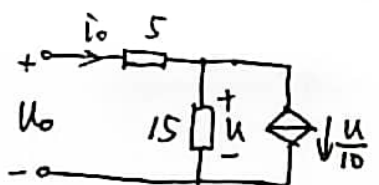


$$\text{回路2 KVL: } I_s - I = 2$$

$$\text{即: } \begin{cases} I_s = 2A \\ u_s = 2V \end{cases}$$

$$\therefore P_s = u_s I_s = 4W$$

4.



$$R_{eq} = \frac{u_0}{i_0} \text{ (等效电阻} = \frac{\text{开路电压}}{\text{短路电流}})$$

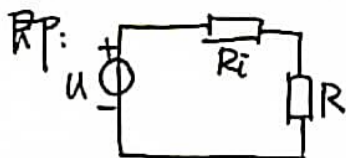
$$\text{由 KVL 有: } \begin{cases} 5i_0 + 15(i_0 - \frac{u}{10}) = u_0 \\ u = 15(i_0 - \frac{u}{10}) \end{cases}$$

$$\therefore R_{eq} = \frac{u_0}{i_0} = 11\Omega$$

$$5. \text{ 对称定理: } \frac{u_{s1}}{I_{s1}} = \frac{u_{s2}}{I_{s2}} \Rightarrow I_{s2} = 2.5A$$

6. 对于本题: 将18Ω处清除, 其余处用戴维宁定理:

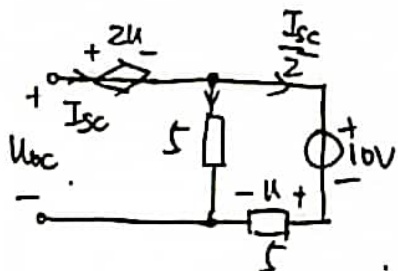
$$R_i = (20 \parallel 5) + (6 \parallel 3) = 6\Omega$$



$$\begin{cases} u = I(R_i + R) \\ u = 2I(R_i + R_2) \end{cases}$$

$$\text{令 } R_1 = 18\Omega, \text{ 有: } R_2 = 6\Omega$$

7.



$$\begin{cases} 2u = R_{eq} I_{sc} \\ u = \frac{I_{sc}}{2} \times 5 \end{cases}$$

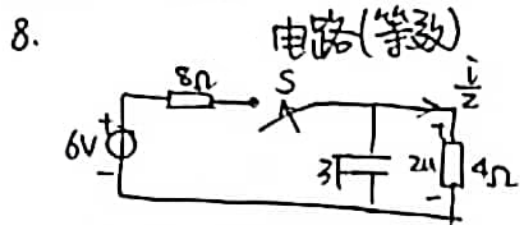
$$\text{即: } R_{eq} = 5\Omega$$

$$\therefore R_{eq} = R_{eq1} + \frac{5}{2} = 7.5\Omega$$

$$\therefore T = R_{eq} C = 7.5 \times 0.2 = 1.5s$$



扫描全能王 创建



$t < 0$  时,  $u_C(\infty-) = 0V$ ,  $i(0-) = 0A$

$t > 0$  时, 有戴维宁等效电路:

$R_{in} = 8 \parallel 4 = \frac{8}{3}\Omega$

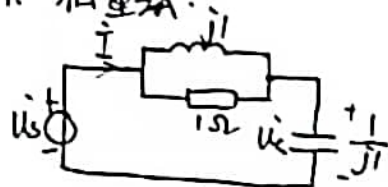
$\therefore \tau = R_{in}C = 8s$ .  $i(\infty) = \frac{6}{8+4} \times 2 = 1A$

即:  $i(t) = (1 - e^{-\frac{t}{8}})A$



(三要素法:  $i(t) = i(\infty) - [i(\infty) - i(0)]e^{-\frac{t}{\tau}}$ )

9. 相量法:



$\begin{cases} \dot{u}_s = \dot{I}[(j1 \parallel 1) + \frac{1}{j1}] \\ \dot{u}_c = \dot{I} \frac{1}{j1} \end{cases}$

$\therefore \dot{u}_c = (1-j)V = \sqrt{2} \angle -45^\circ V$

$\therefore u_c = 2\cos(t-45^\circ) V$

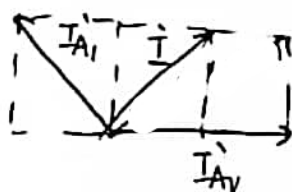
(相量  $\longleftrightarrow$  时域,  $\sqrt{2}$ )

10. 相量法: 令  $\dot{I}_{A2} = 10\sqrt{2} \angle 0^\circ A$ ,  $\dot{I}_{A1} = 10 \angle 0^\circ A$

$\therefore 10 \angle 0^\circ (-j15) = 10\sqrt{2} \angle 0^\circ (7.5 + j7.5)$

$\therefore \theta = 135^\circ$

矢量法:  $\dot{I} = 10 \angle 45^\circ A$



即:  $I_A = 10A$

11.  $\dot{u} = \frac{10}{\sqrt{2}} \angle 30^\circ V$ ,  $\dot{I} = \sqrt{2} \angle -30^\circ A$

$\therefore Z = \frac{\dot{u}}{\dot{I}} = 5 \angle 60^\circ \Omega$

$S = \dot{u} \dot{I}^* = 10 \angle 60^\circ V \cdot A$  (复功率)

$\therefore P_N = \text{Re}(S) = 10 \cos 60^\circ = 5W$

12. 由电路KVL:  $\begin{cases} 20 \angle 0^\circ = (10 + j10)\dot{I}_1 + j5\dot{I}_2 \\ \dot{u}_C = j5\dot{I}_1 + j8\dot{I}_2 \\ \dot{I}_2 = 0 \end{cases}$

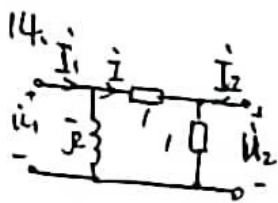
$\therefore \dot{u}_C = 5\sqrt{2} \angle 45^\circ V$

13.  $\frac{\dot{I}}{2} = \frac{20 \angle 0^\circ}{10 - j10}$

$\therefore \dot{I} = 2 \angle 45^\circ$

$\therefore I_A = 2A$





$$\begin{cases} \dot{u}_1 = j2(\dot{I}_1 - \dot{I}) & ① \\ \dot{u}_2 = (\dot{I}_2 + \dot{I}) & ② \\ \dot{u}_1 - \dot{u}_2 = \dot{I} & ③ \end{cases}$$

$$③ \text{ 代入 } ②, \text{ 有: } 2\dot{u}_2 = \dot{I}_2 + \dot{u}_1 \quad ④$$

$$③④ \text{ 代入 } ①, \text{ 有: } \dot{u}_1 = j2(\dot{I}_1 - \dot{u}_1 + \dot{u}_2) \\ = j2(\dot{I}_1 - \dot{u}_1 + \frac{\dot{I}_2 + \dot{u}_1}{2})$$

$$\therefore \dot{u}_1(1+j2) = j2\dot{I}_1 + j1\dot{u}_1 + j1\dot{I}_2$$

$$\text{即: } \dot{u}_1 = \frac{j2}{1+j1}\dot{I}_1 + \frac{j1}{1+j1}\dot{I}_2$$

$$\text{即: } Z_{11} = \frac{\dot{u}_1}{\dot{I}_1} \Big|_{\dot{I}_2=0} = \frac{j2}{1+j1} = 1+j = \sqrt{2} \angle 45^\circ \Omega$$

$$\begin{cases} (\frac{1}{R_2+R_3} + \frac{1}{R_4})u_1 - (\frac{1}{R_4})u_2 = I_{S1} - I_{S5} + \frac{U_{S4}}{R_4} \\ -\frac{1}{R_4}u_1 + (\frac{1}{R_4} + \frac{1}{R_6})u_2 = I_{S5} + \beta I_2 - \frac{U_{S4}}{R_4} - \frac{U_{S6}}{R_6} \\ I_2 = \frac{u_1}{R_2+R_3} \end{cases}$$

$$\text{即: } \begin{cases} (\frac{1}{R_2+R_3} + \frac{1}{R_4}) - \frac{1}{R_4} u_2 = I_{S1} - I_{S5} + \frac{U_{S4}}{R_4} \\ (-\frac{1}{R_4} + \frac{\beta}{R_2+R_3})u_1 + (\frac{1}{R_4} + \frac{1}{R_6})u_2 = I_{S5} - \frac{U_{S4}}{R_4} - \frac{U_{S6}}{R_6} \end{cases}$$

三 线性纯电阻,  $u_2 = a u_3 + b i_3$

$$\text{即: } \begin{cases} 1 = a + b \\ 6 = 10a + 2b \end{cases}$$

$$\text{即: } \begin{cases} a = 0.5 \\ b = 0.5 \end{cases}$$

$$\therefore u_2 = 0.5a + 0.5b$$

$$\text{即: } u_2 \Big|_{\substack{u_3=4V \\ i_3=10A}} = 7V$$

$$\text{四. } u_c(\infty) = \frac{U_S}{R_1+R_3} R_3 = 40V$$

$$i_L(\infty) = \frac{U_S}{R_1+R_3} = 1A$$

$$\tau_c = 1.25 \times 10^{-4} \times 40 = 5 \times 10^{-3} s$$

$$\tau_L = \frac{1}{40} s$$

$$\therefore i(\infty) = \frac{U_S}{R_1} = \frac{5}{3} A$$

$$\therefore i(t) = \frac{5}{3} - e^{-40t} + e^{-200t} A$$

$$\text{五. } \therefore u_3 = 300\sqrt{2} \cos(1000t) + 9\sqrt{2} \cos(2000t) V$$

$$u_R = 300\sqrt{2} \cos(1000t) V$$

$$\therefore \begin{cases} Z_1 = (j\omega L \parallel \frac{1}{j\omega C_1}) + \frac{1}{j\omega C_2} = 0 \\ Z_2 = (j\omega L \parallel \frac{1}{j\omega C_1}) + \frac{1}{j\omega C_2} \rightarrow \infty \end{cases}$$

(串联谐振)

$$\text{即: } \begin{cases} C_1 = 0.25 \mu F \\ C_2 = 0.75 \mu F \end{cases}$$

$$\omega = 1000 \text{ 时, } u_v = 40V$$

$$\omega = 2000 \text{ 时, } u_v = 9V$$

$$\therefore u_v = \sqrt{9^2 + 40^2} = 41V$$

