

Simulated CCD Photometry: An Application for K2 Sputtering

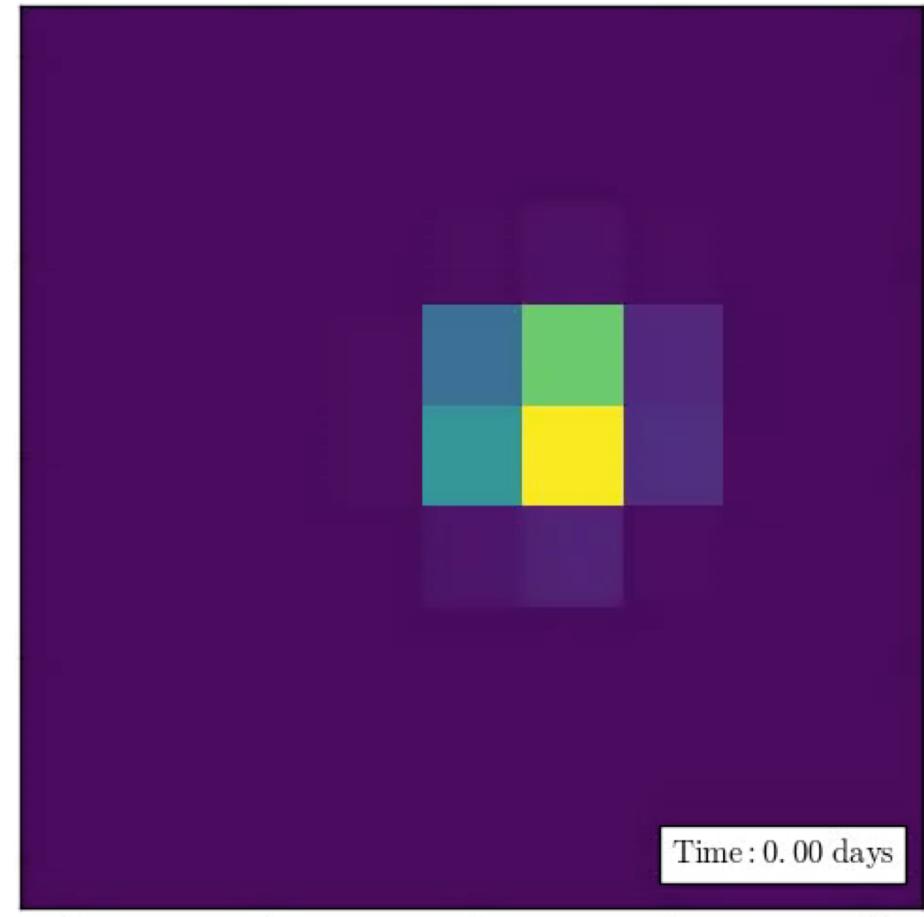
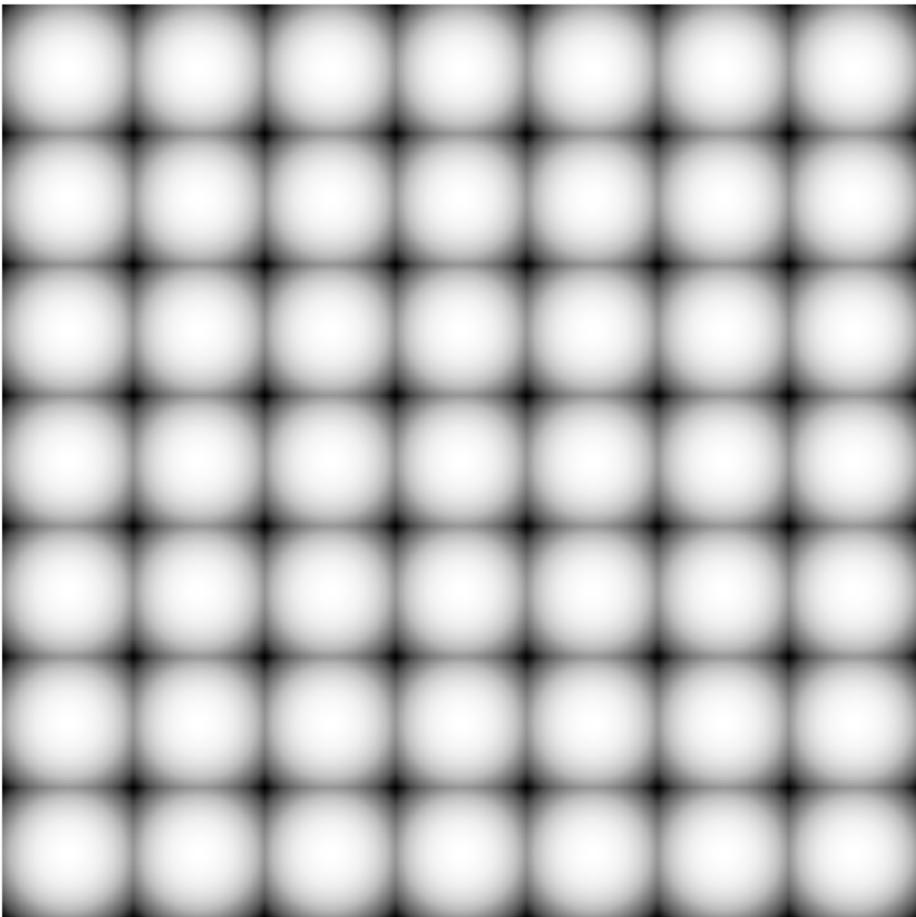


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NASA Ames
May 31, 2018



K2 Sputtering

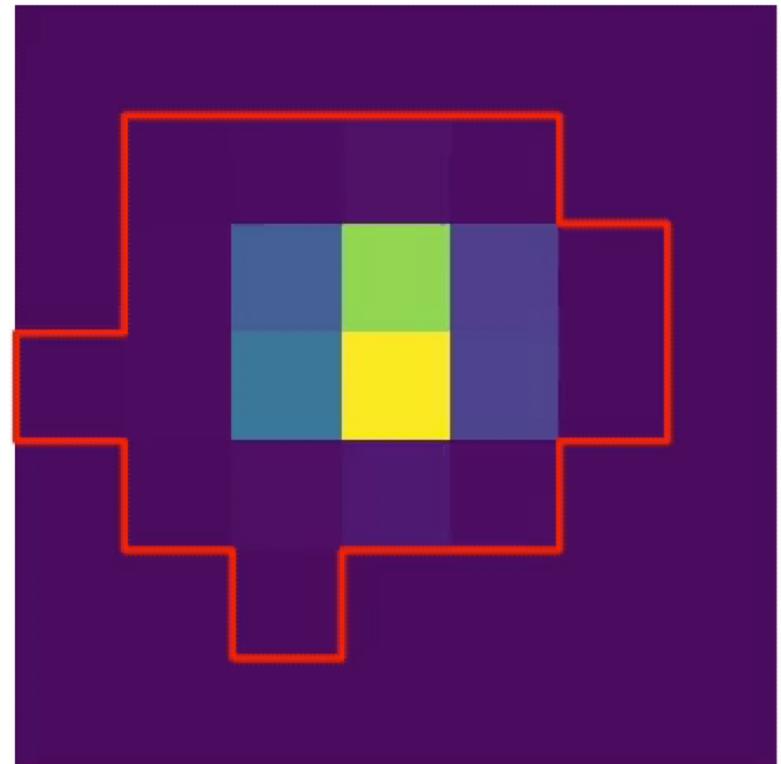


Everest Pipeline
(Luger et al. 2016, 2017)

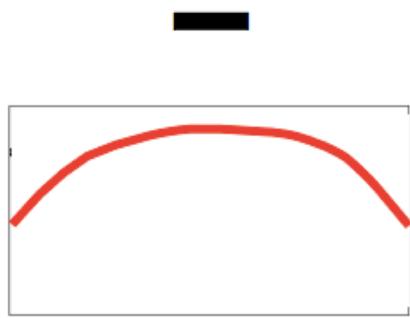
Pixel Level Decorrelation
(Deming et al. 2015)



Aperture-Fitting



K2 Sputtering



$$= \sum$$

$$a_0 x \quad a_1 x \quad a_2 x$$

$$+ b_0 x \quad b_1 x \quad b_2 x$$

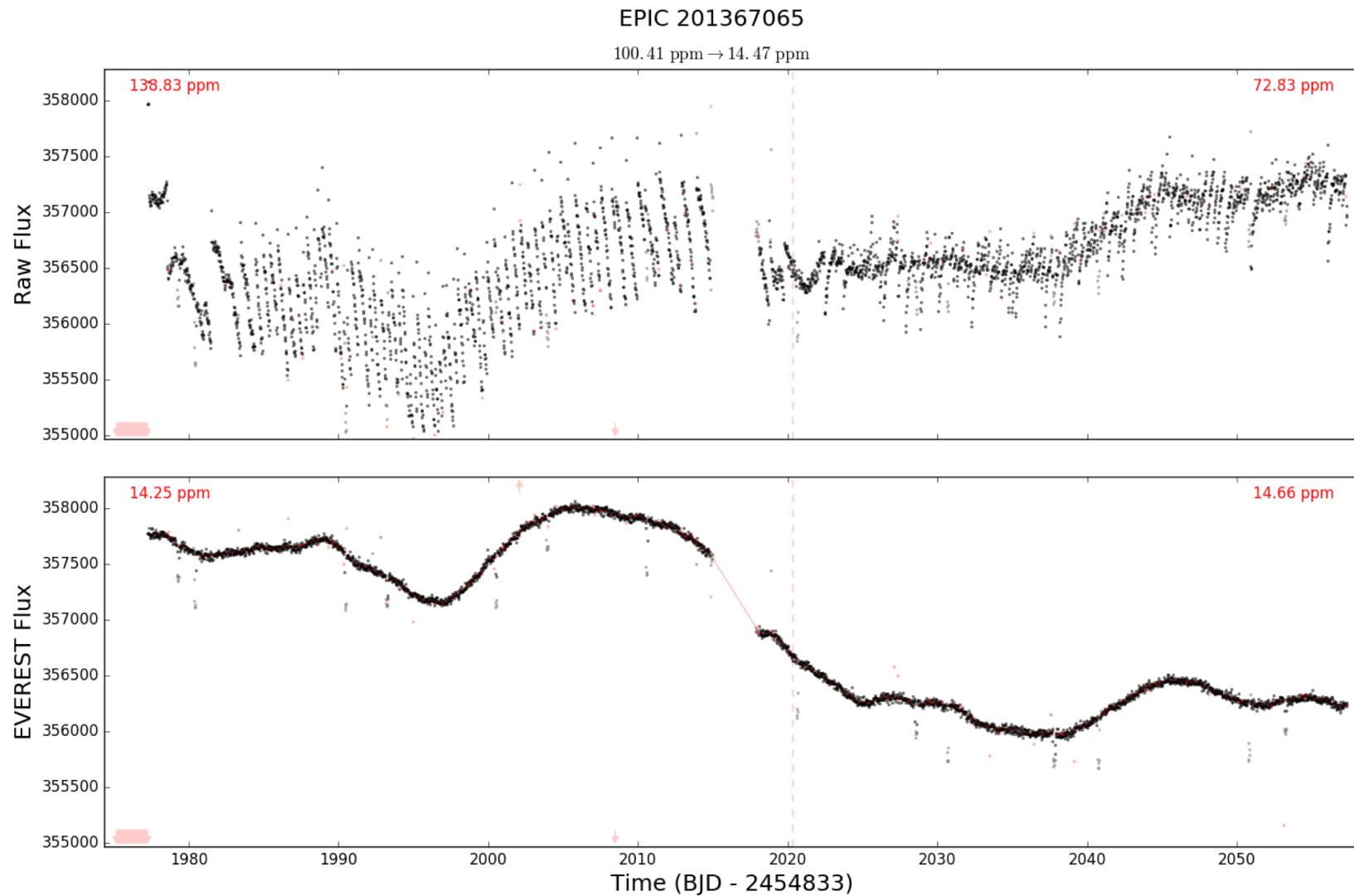
$$\dots \quad \dots \quad \dots$$

1st order PLD

2nd order PLD

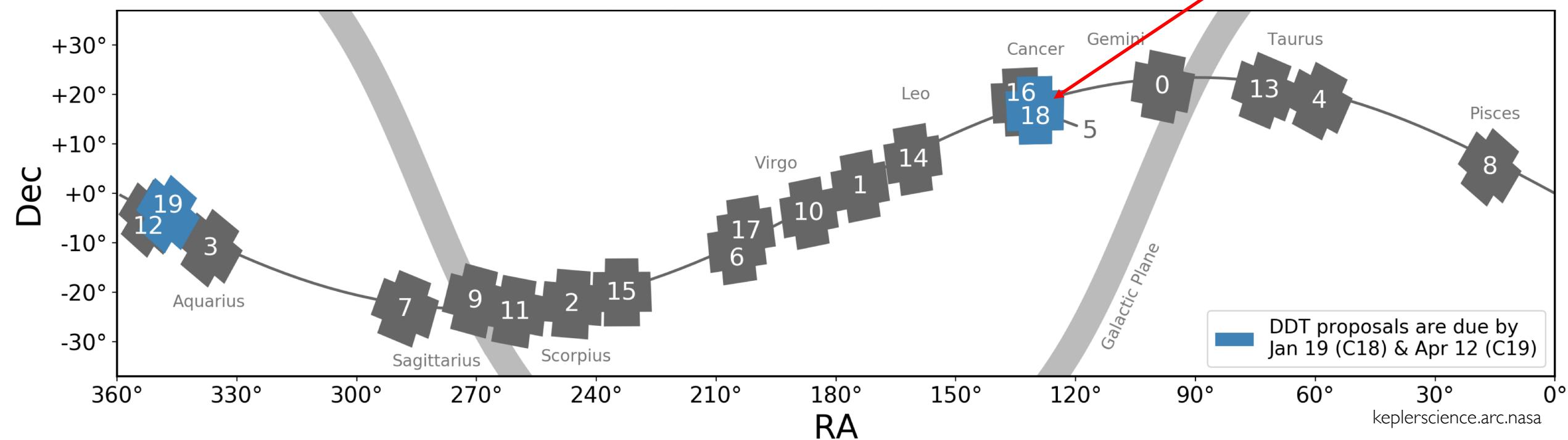


K2 Sputtering



Spacecraft is running out of fuel → Motion could get worse

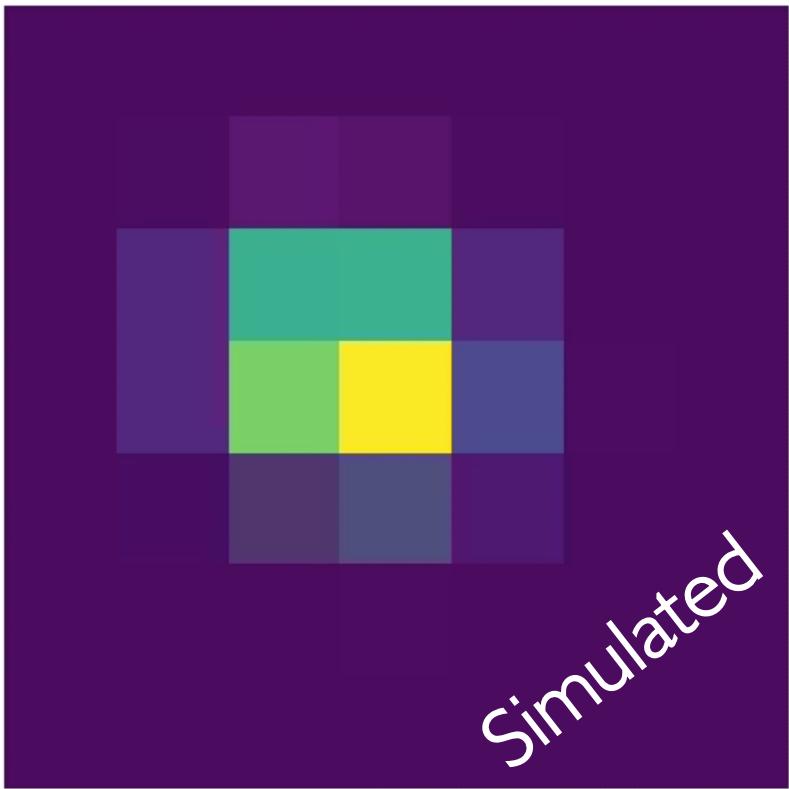
We are here

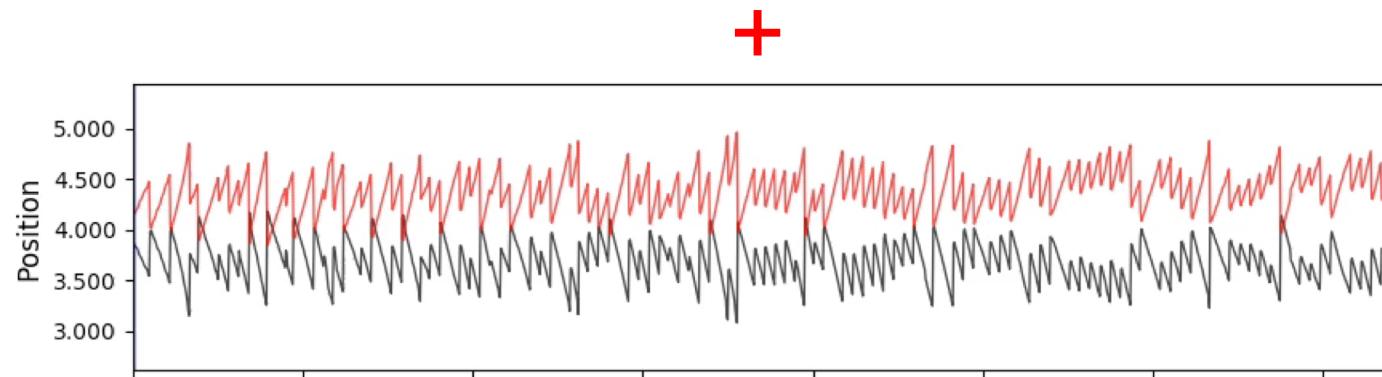
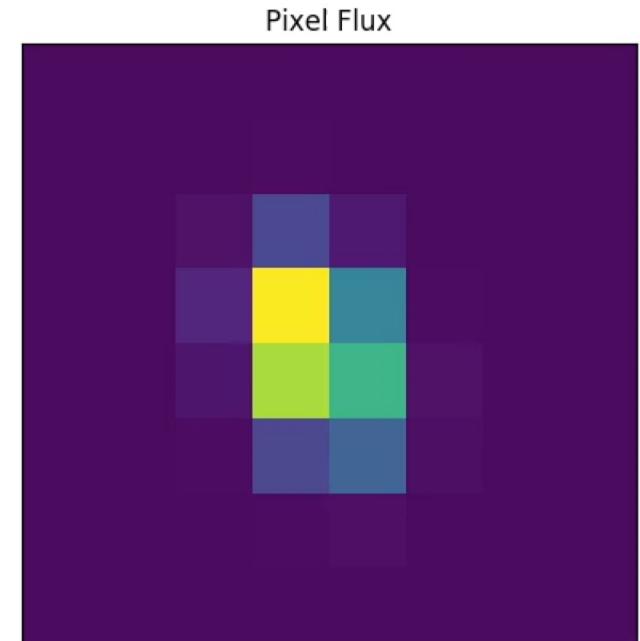
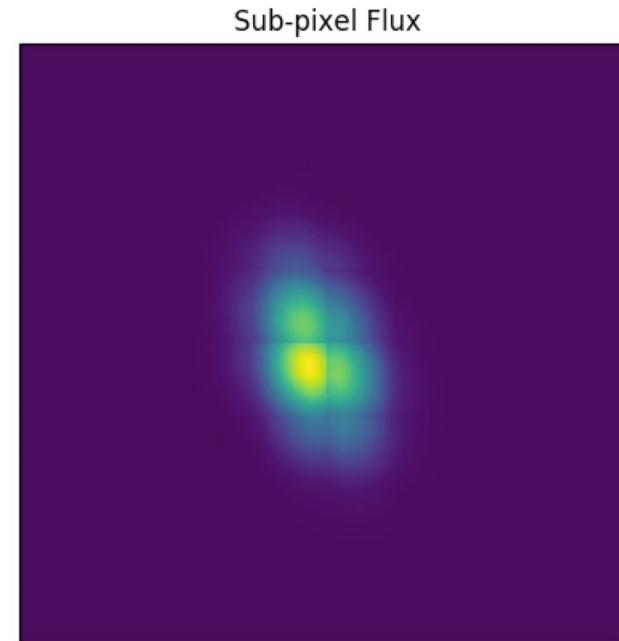
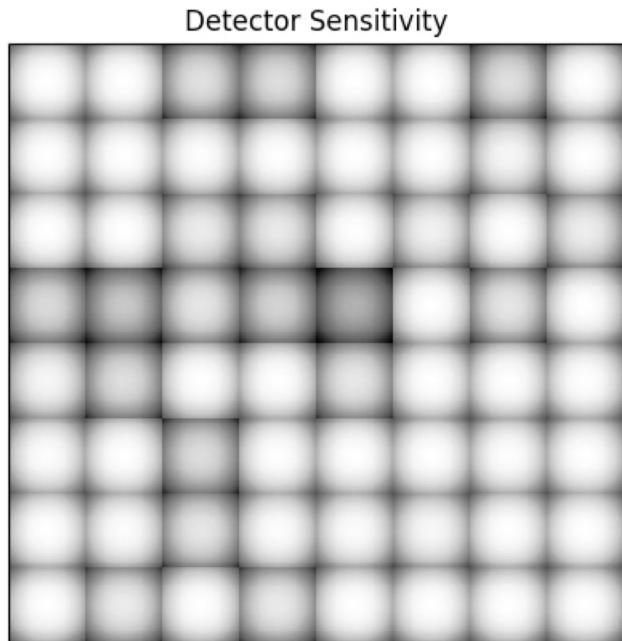


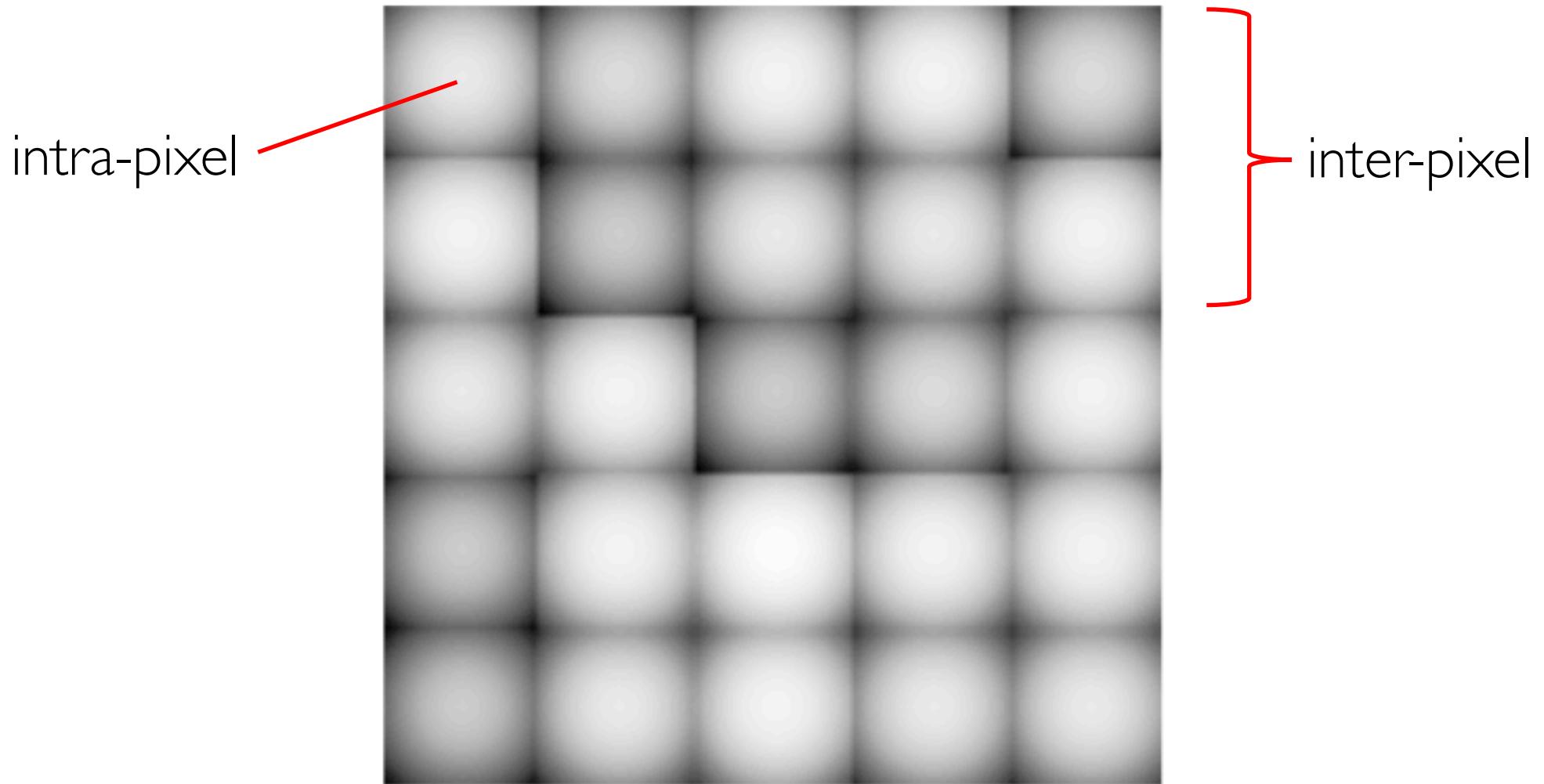
sputtering will cause higher magnitude and less predictable motion, creating more noise in *K2* light curves

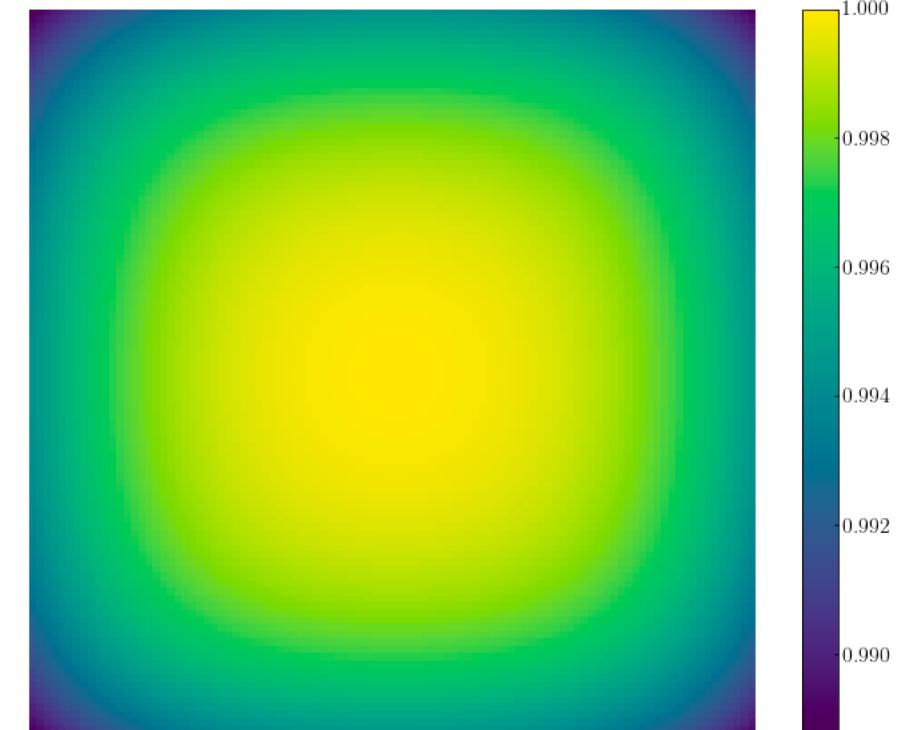
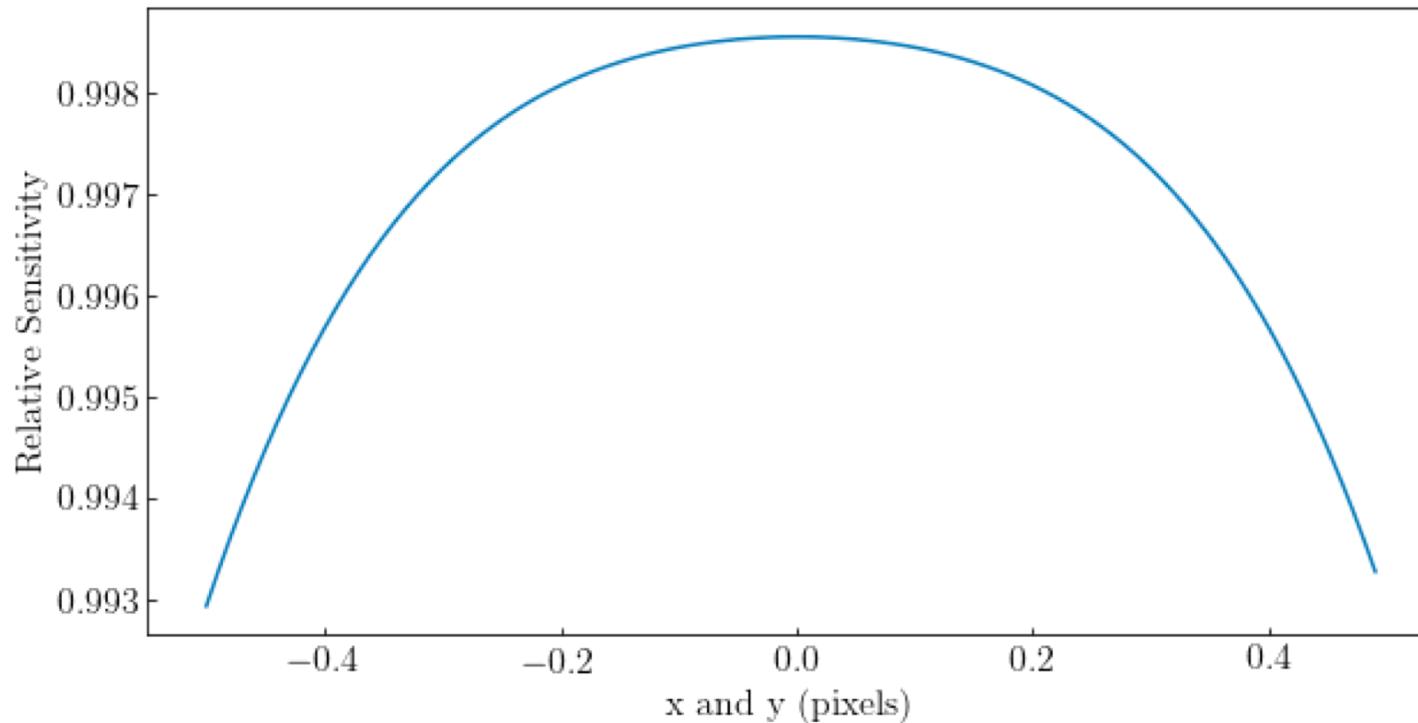
I simulated high motion targets
to test noise-removal techniques

Which star is real?

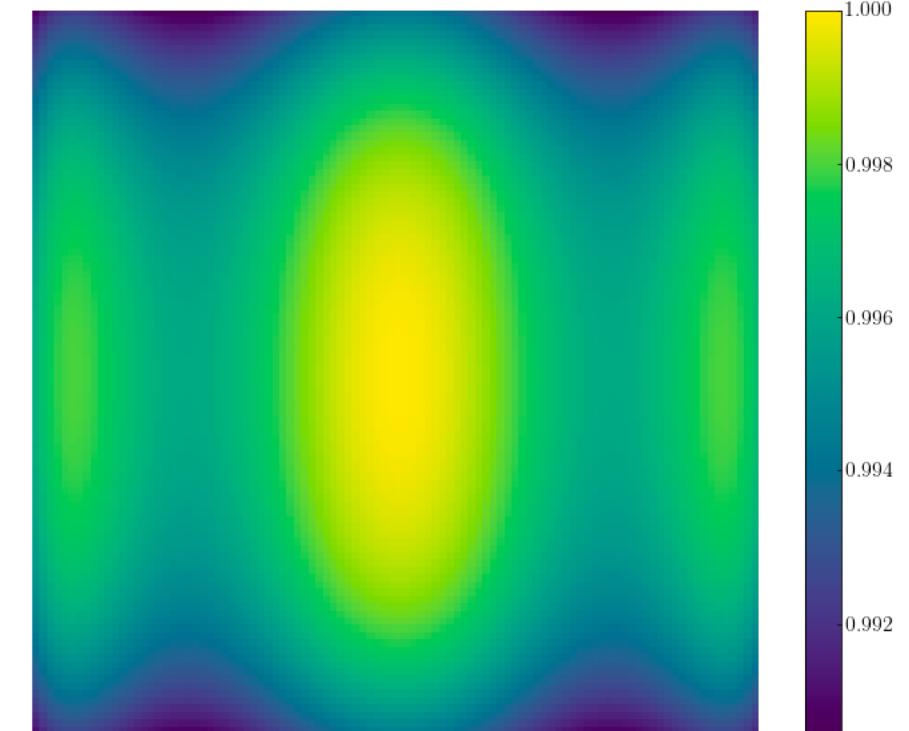
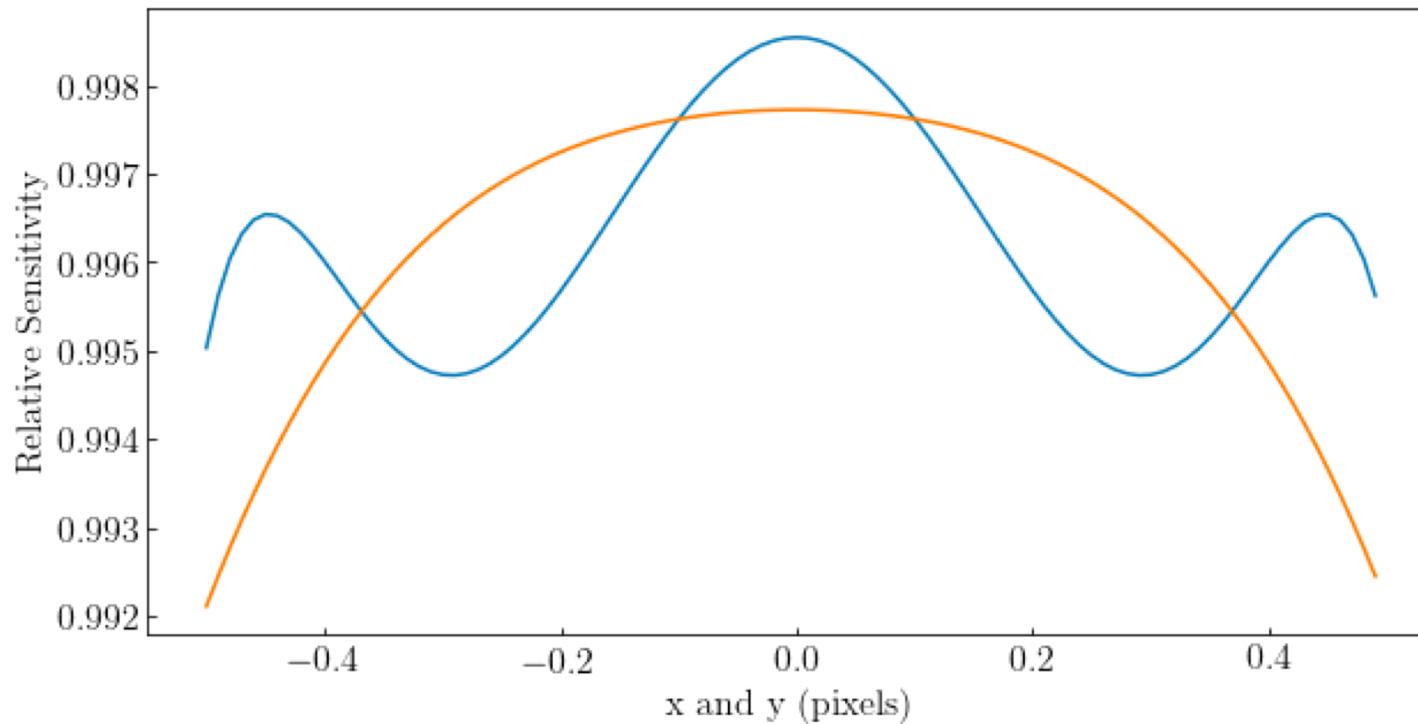




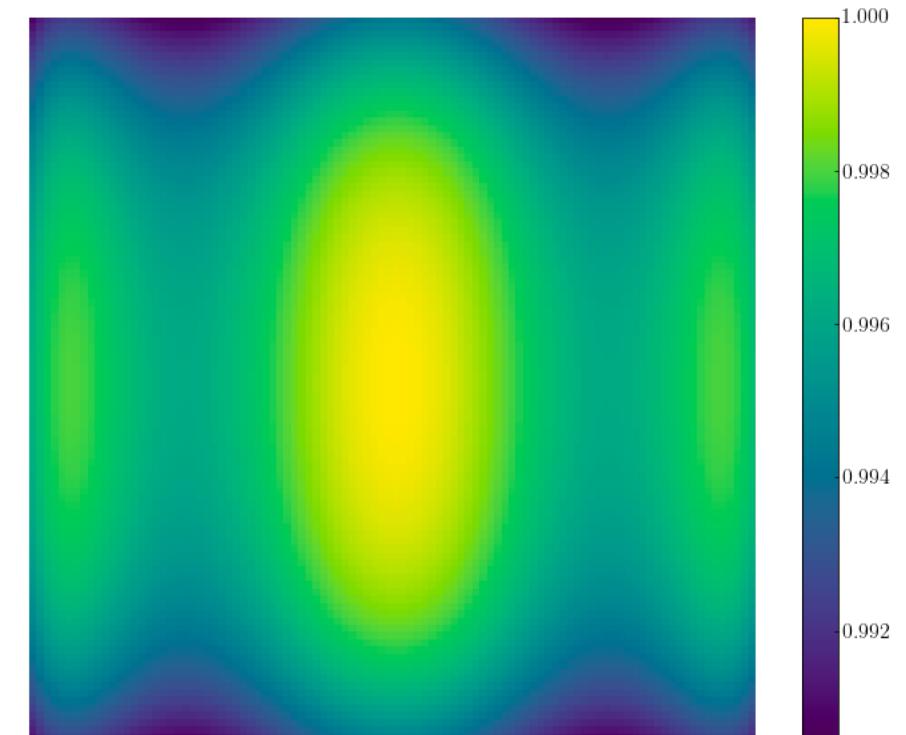
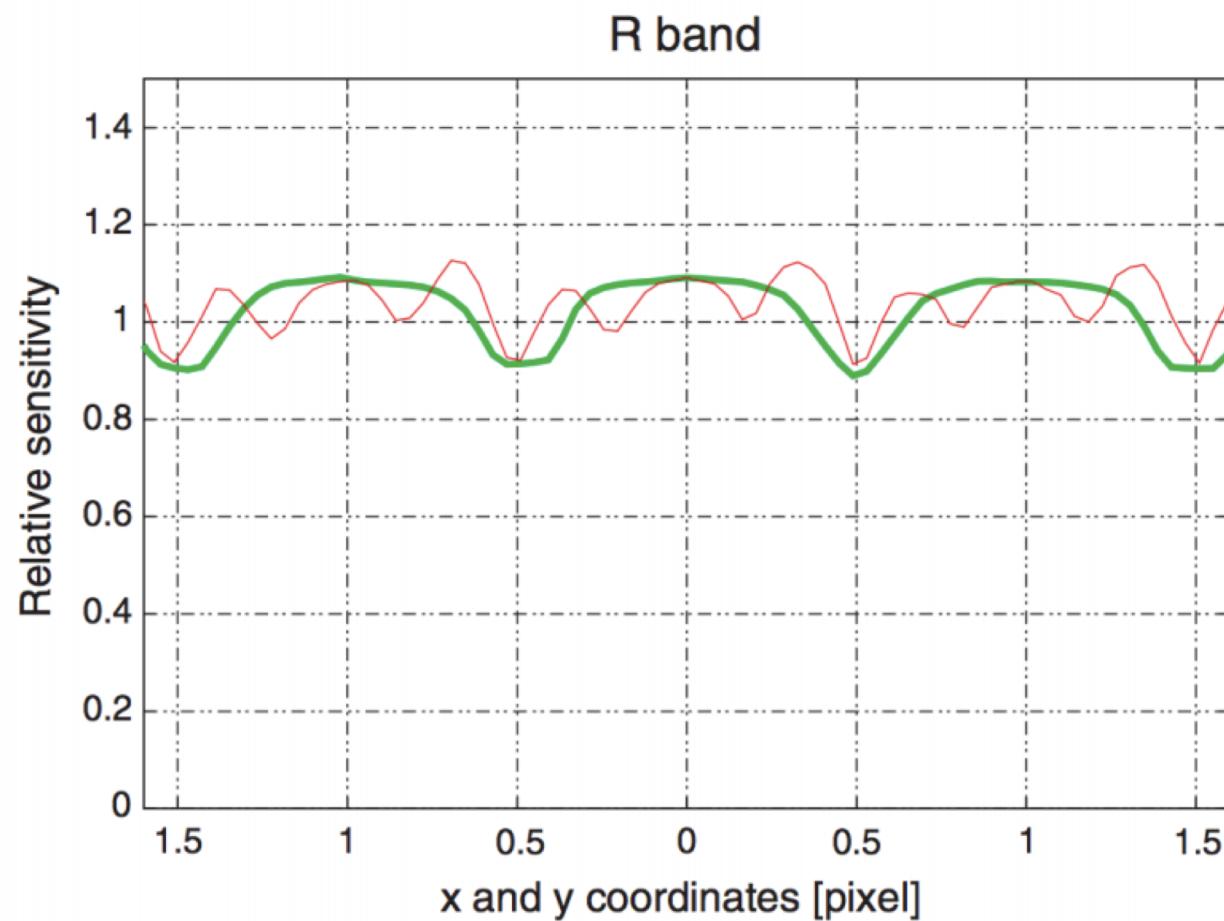




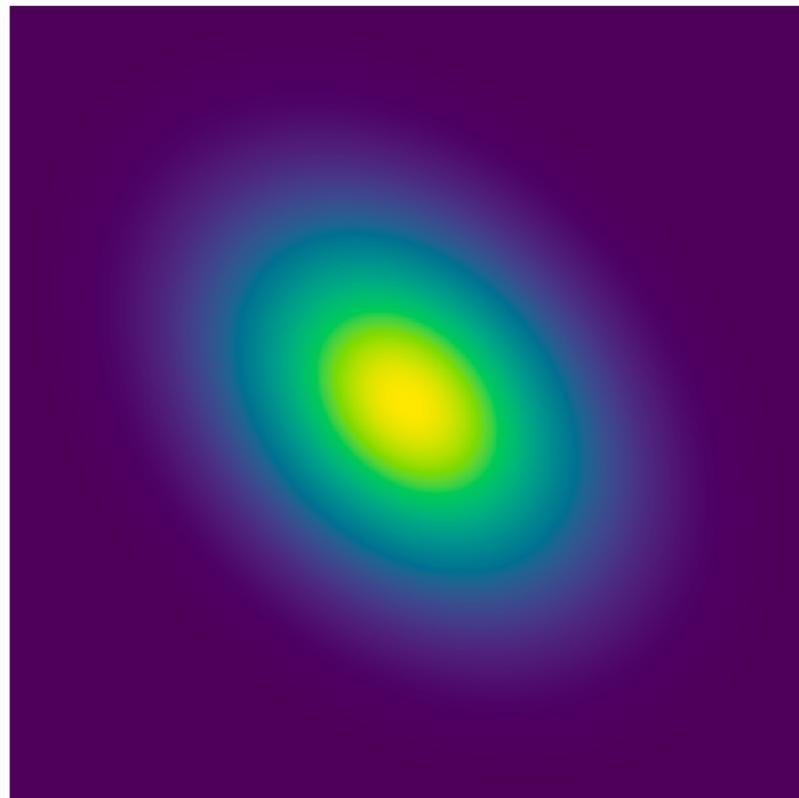
$$s(x, y) = \sum_{n,m} a_n x^n * b_m y^m$$



$$s(x, y) = \sum_{n,m} a_n x^n * b_m y^m$$

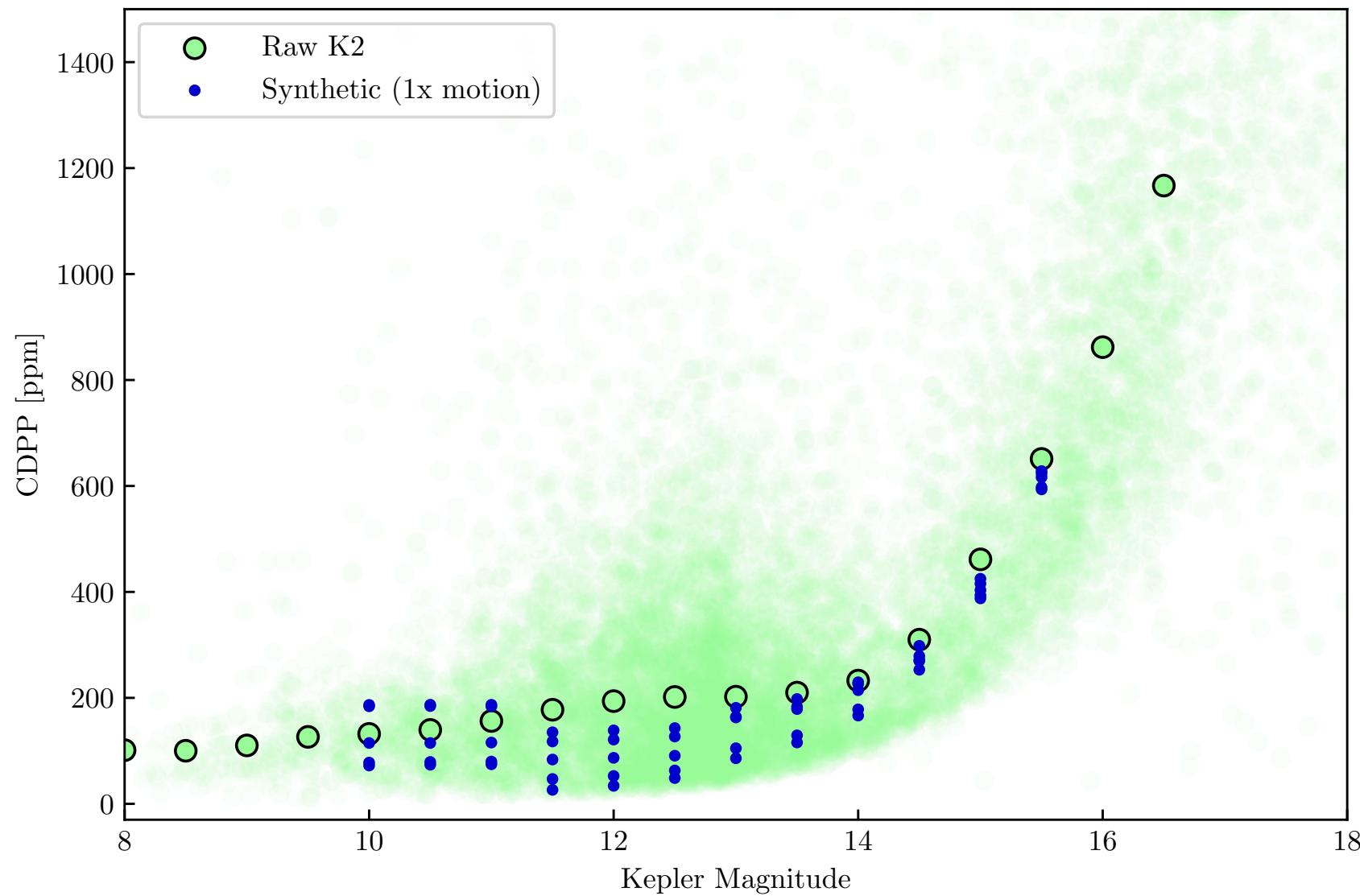


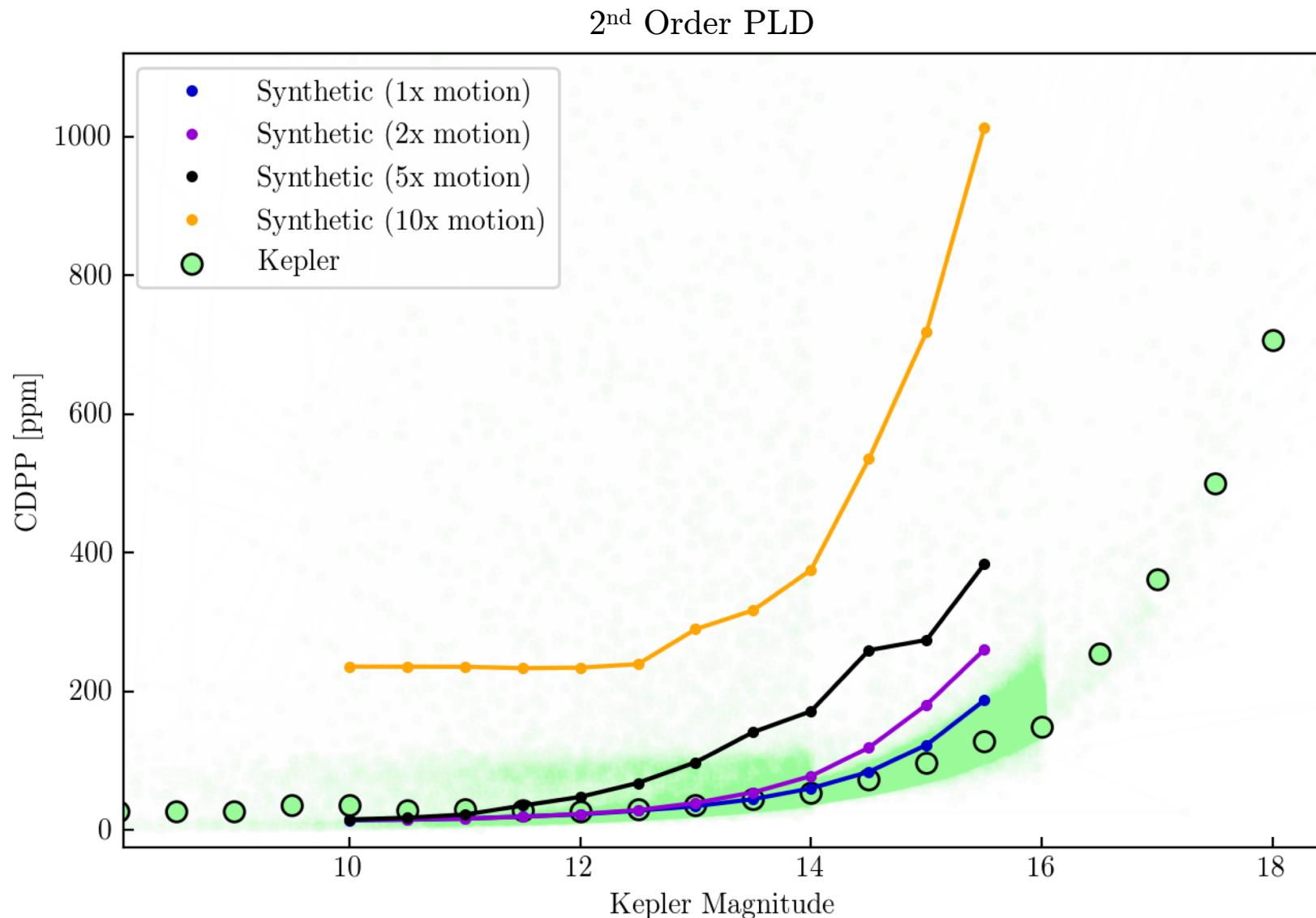
Toyozumi (2005)



Parameter	Description
A	PSF amplitude
σ_x	Standard deviation in x
σ_y	Standard deviation in y
$\rho_{x,y}$	Covariance term
(x_0, y_0)	Centroid position

Simulated Raw Flux



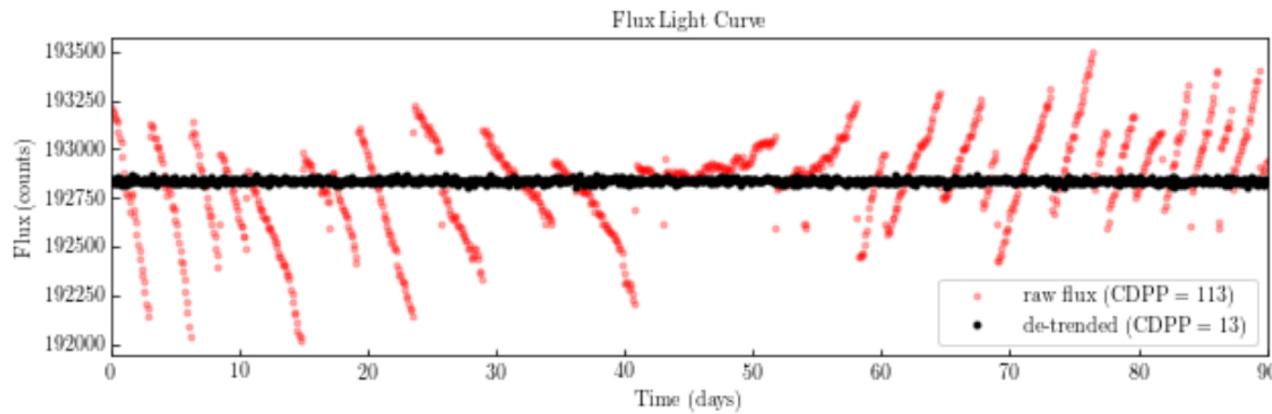
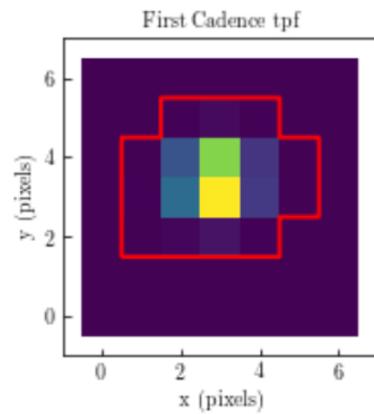


scope: Simulated CCD Observations for Photometric Experimentation

```
In [1]: import scope  
  
star = scope.Target()  
tpf, flux, err = star.GenerateLightCurve()
```

100% |██████████| 1000/1000 [01:56<00:00, 8.61it/s]

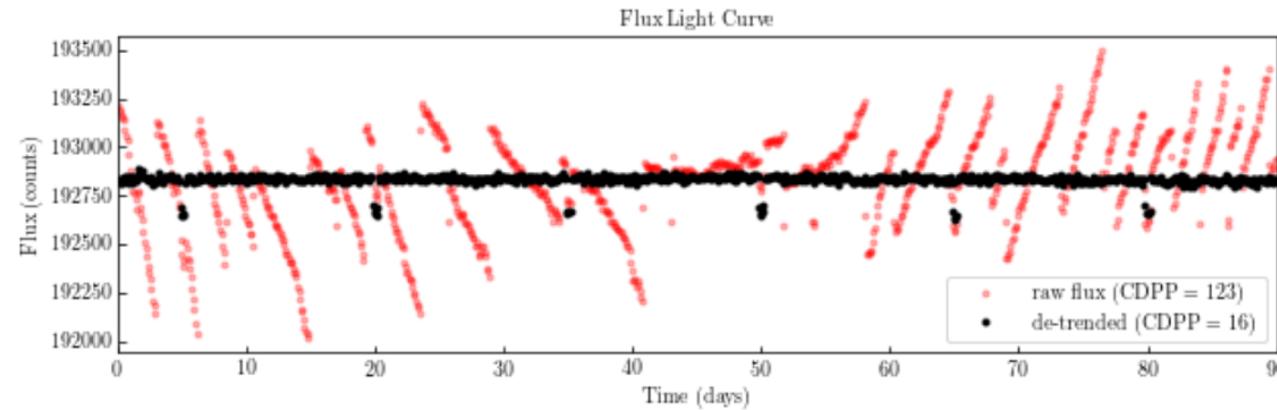
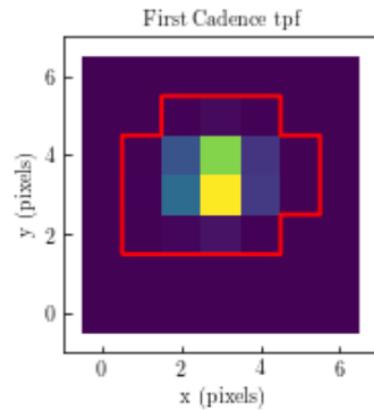
```
In [2]: star.Plot()
```



scope: Simulated CCD Observations for Photometric Experimentation

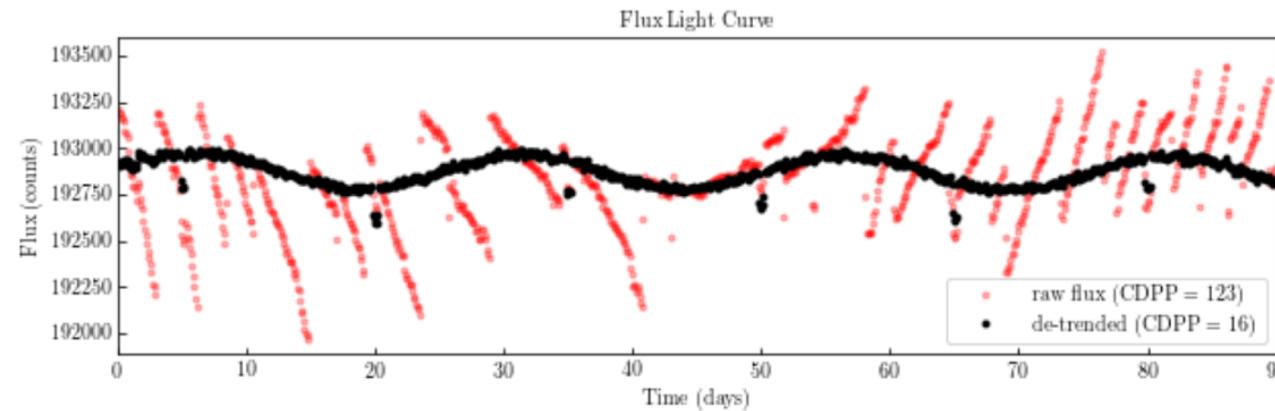
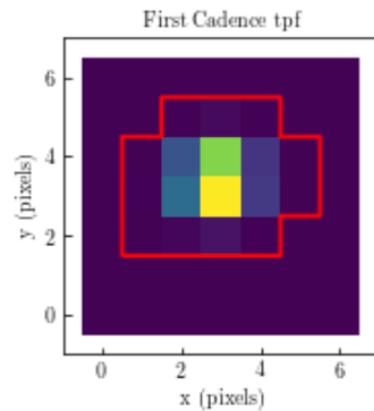
In [3]:

```
star.AddTransit()  
star.Plot()
```



scope: Simulated CCD Observations for Photometric Experimentation

```
In [4]: star.AddVariability()  
star.Plot()
```

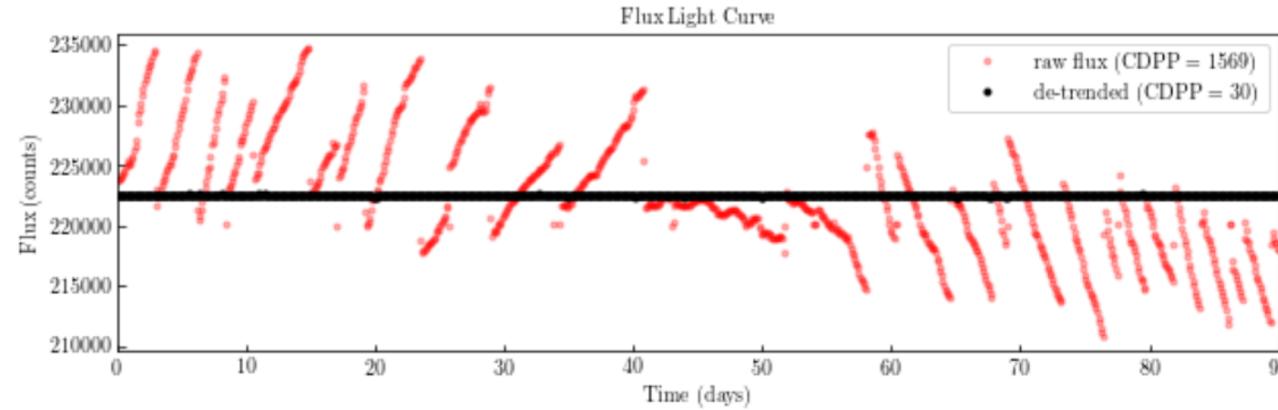
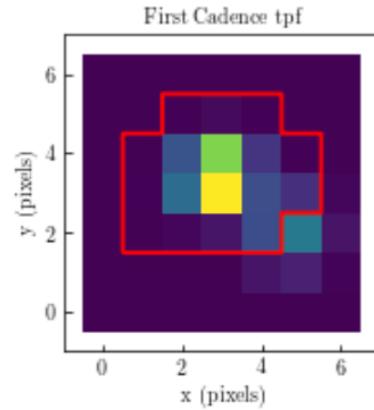


scope: Simulated CCD Observations for Photometric Experimentation

In [5]:

```
star.AddNeighbor()  
star.Plot()
```

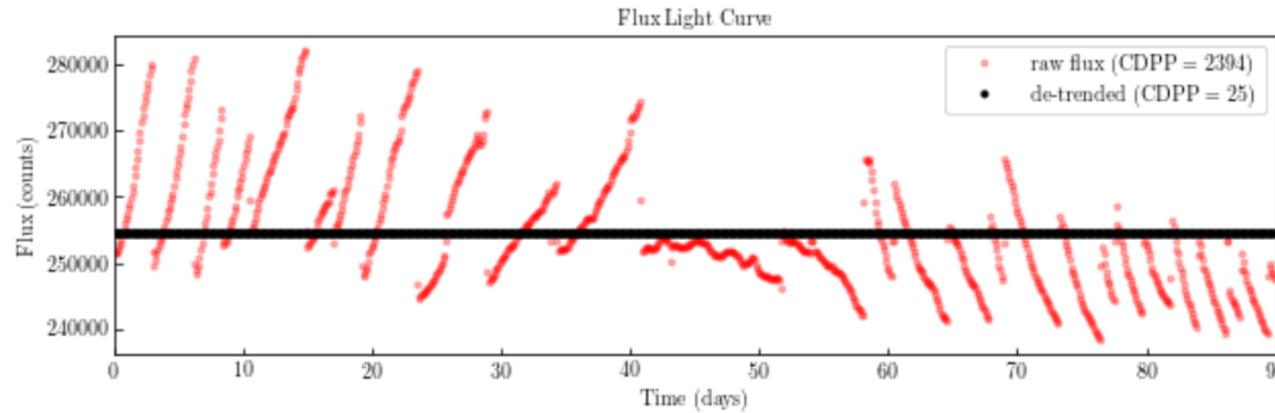
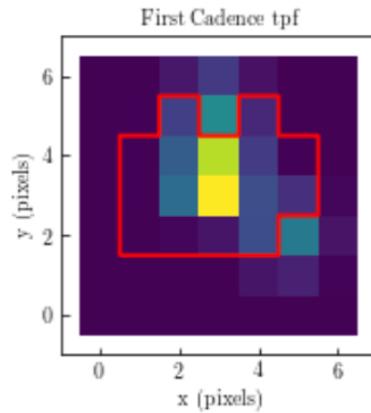
100% |██████████| 1000/1000 [02:00<00:00, 8.27it/s]



scope: Simulated CCD Observations for Photometric Experimentation

```
In [6]:  
star.AddNeighbor()  
star.Plot()
```

100% |████████| 1000/1000 [02:04<00:00, 8.06it/s]



Current method:

PSF model (2D Gaussian) ——

$$\psi(x, y) = \sum_m b_m e^{\left[-\frac{1}{2(1-\rho_m^2)} \left(\frac{(x-x_{0,m})^2}{2\sigma_{x,m}^2} + \frac{(y-y_{0,m})^2}{2\sigma_{y,m}^2} - \frac{2\rho_m(x-x_{0,m})(y-y_{0,m})}{\sigma_{x,m}\sigma_{y,m}} \right) \right]}$$
$$b_m = \left(2\pi\sigma_{x,m}\sigma_{x,n} \sqrt{1 - \rho_m^2} \right)^{-1}$$

Pixel sensitivity model ——

$$P(x, y) = \sum_{i,j} c_{ij} x^i y^j$$

Flux in kth pixel ——

$$f_k(t) = s(t) \iint_{pixel} \psi(x, y) P(x, y) dx dy$$

integral of Gaussian is an error function → non-analytic → slow to solve

Polynomial basis:

PSF model ———

$$\psi(x, y) = \sum_{i,j} b_{ij}(x - x_0)^i(y - y_0)^j$$

Pixel sensitivity model ———

$$P(x, y) = \sum_{i,j} c_{ij}x^i y^j$$

Flux in k^{th} pixel ———

$$f_k(t) = s(t) \iint_{\text{pixel}} \psi(x, y) P(x, y) dx dy$$

analytic! → only need to solve once → much faster

$$f_k(t) = s(t) \sum_{i,j} d_{ij}^k x_0^i(t) y_0^j(t)$$

$$d_{ij}^k(b, c)$$

But wait, there's more...

$$f_k(t) = s(t) \sum_{i,j} d_{ij}^k x_0^i(t) y_0^j(t)$$

Faster — Skip numerical integration

More accurate — Not limited to Gaussian PSF fits

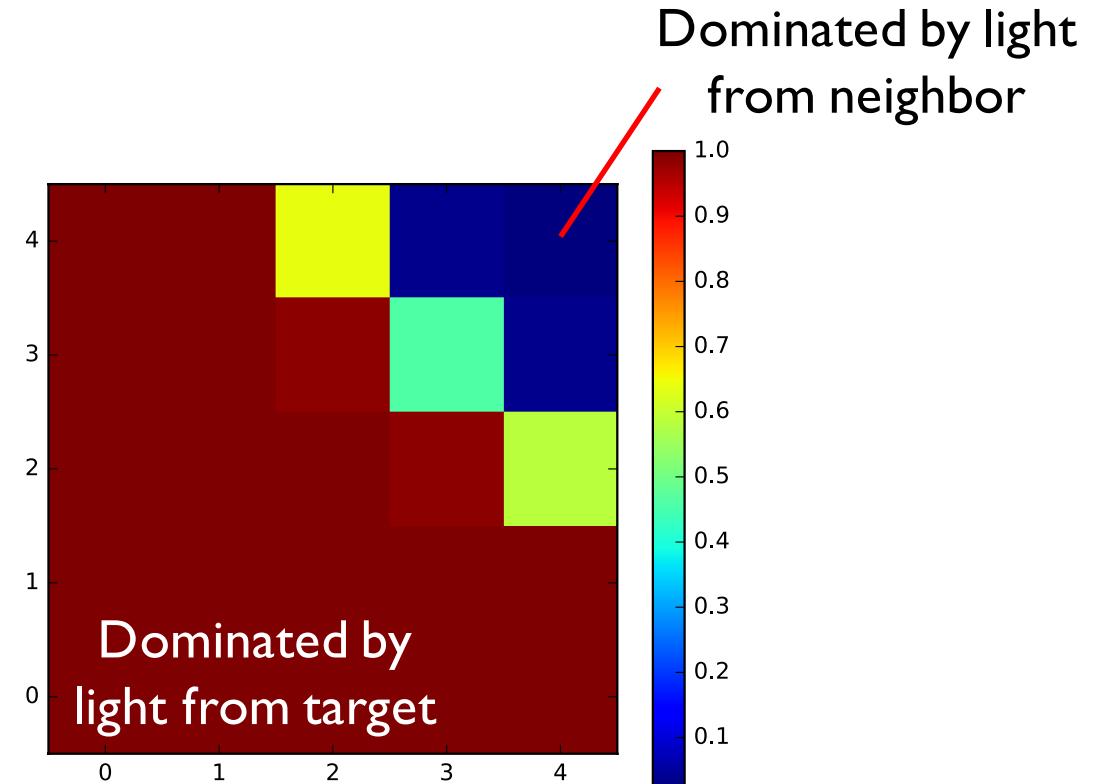
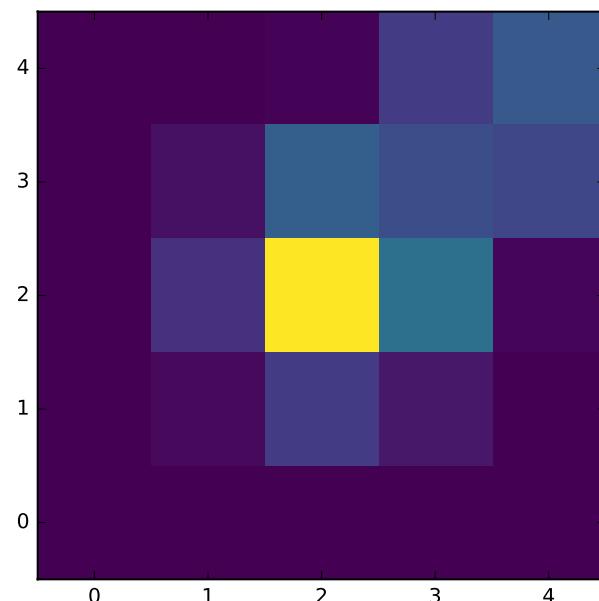
Improves PLD — Polynomial framework acts as prior on structure of the design matrix

→ simpler de-trending process, only depends on motion of (x_0, y_0)

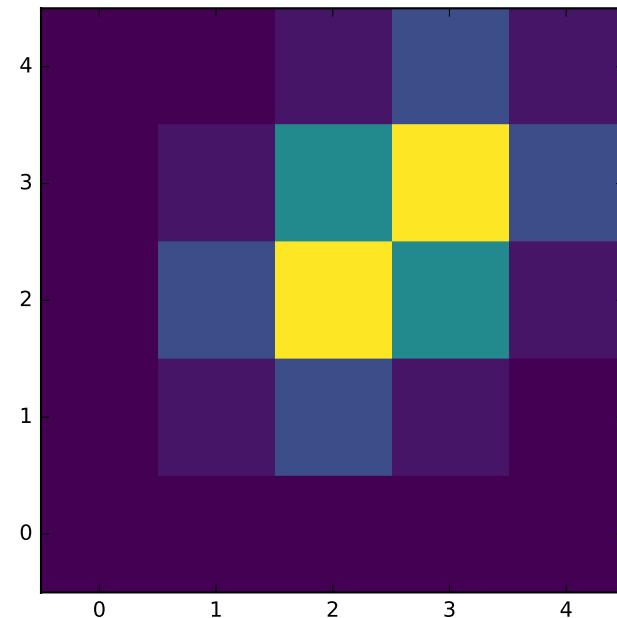
Bayesian PLD?

* Work in progress *

Crowded Fields



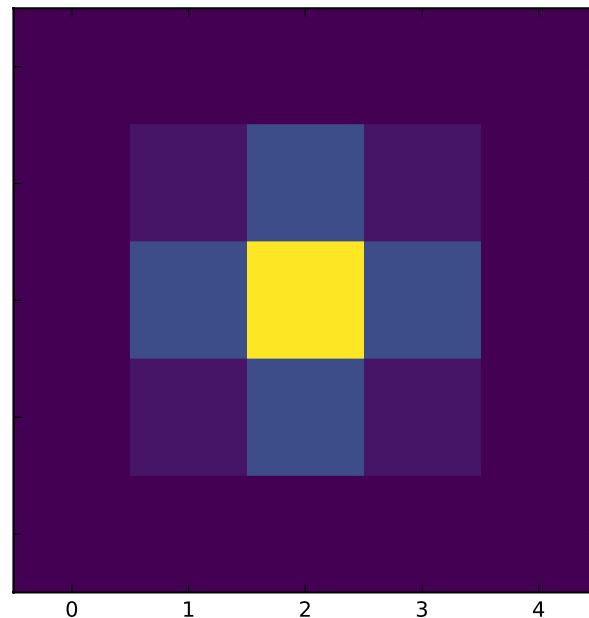
PSF Fitting



Fit PSF model to all stars in aperture

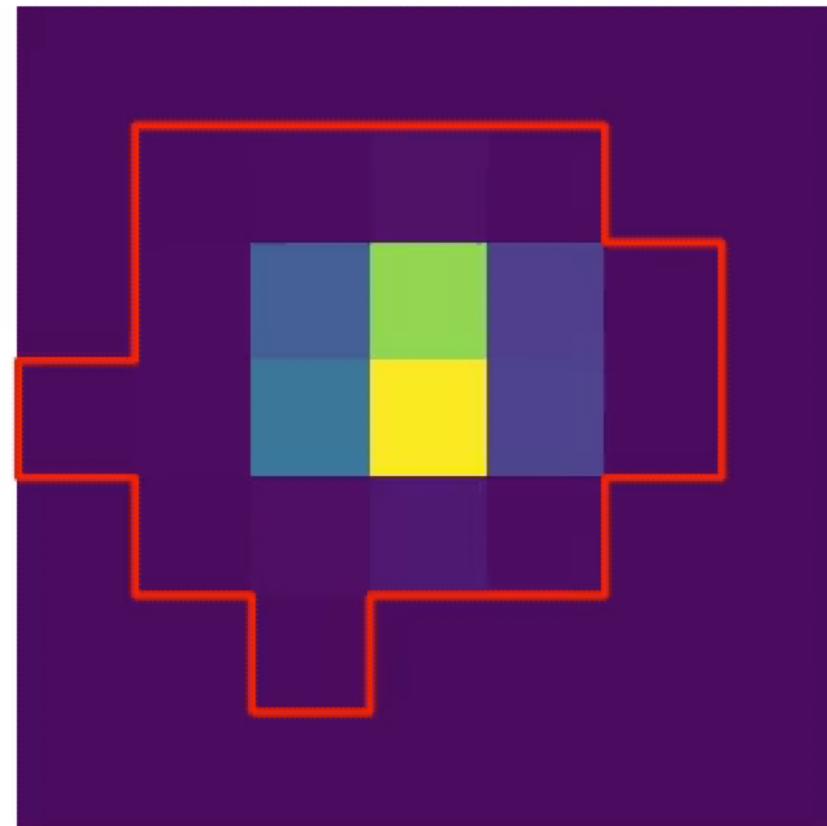


Isolate flux contribution from neighbors

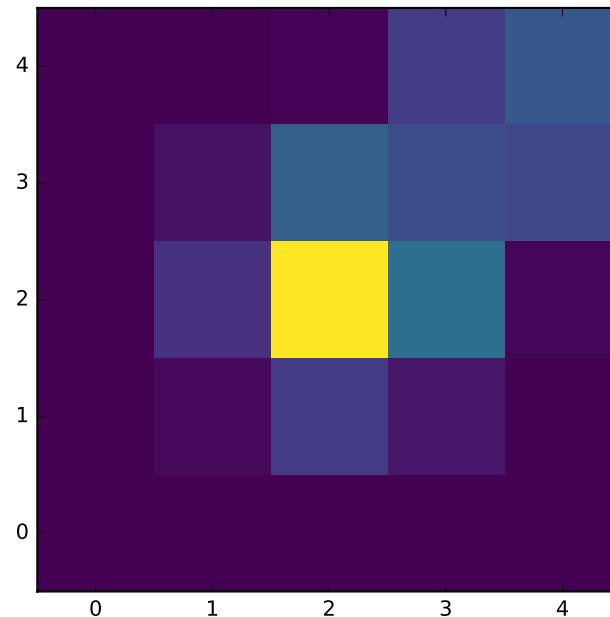


Subtract neighbor flux

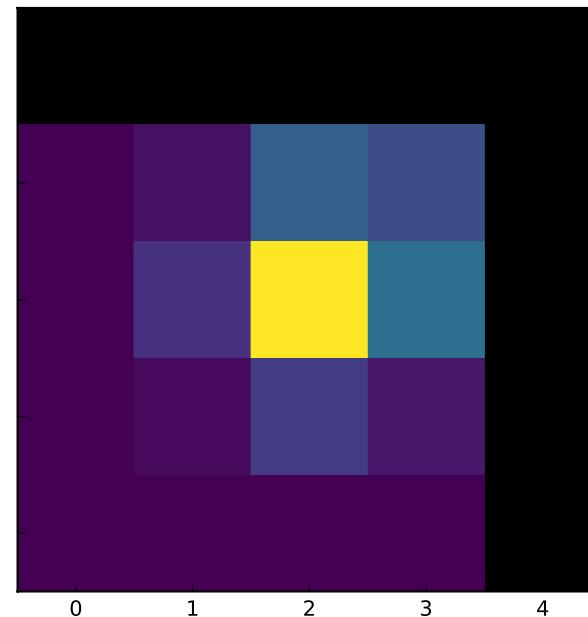
Aperture Fitting



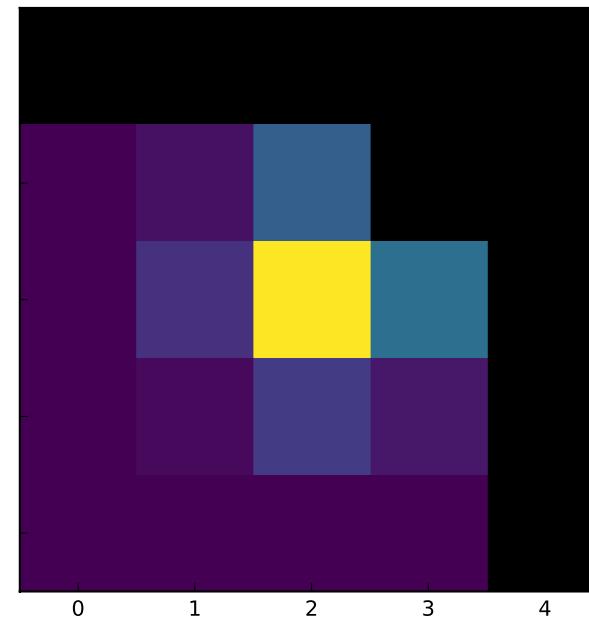
Aperture Fitting



Recovered Transit:
(% of true depth)
67%



88%



98%



“Breathing” PSFs



Or when TESS’s reaction wheels break

Thank you!



Dr. Rodrigo Luger & Dr. Rory Barnes
University of Washington Virtual Planetary Laboratory
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