Why

[1]

Definition

An *entire function* is a complex function $f : \mathbf{C} \to \mathbf{C}$ which is analytic for all $z \in \mathbf{C}$.

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[1]Future editions will include.

Entire Functions

Complex Analytic Functions

Complex Functions — Analytic Functions

Real Functions — Complex Numbers

Absolute Value

Real Arithmetic

Interval Length

Real Multiplicative Inverses

Intervals

Real Products

Real Line

Real Additive Inverses

Rational Arithmetic — Real Sums — Real Order — Rational Multiplicative Inverse

Rational Sums — Real Numbers — Rational Products — Rational Order

Integral Line

Rational Numbers

Integer Arithmetic

Natural Additive Identity — Natural Multiplicative Identity — Integer Products

Identity Elements — Arithmetic

Natural Powers — Inverse Elements — Function Inverses

Element Functions — Integer Sums — Natural Products — Integer Order — Comparisons — Function Images — Function Composites

Operations — Integer Numbers — Natural Sums — Orders — Functions

Equivalence Relations — Recursion Theorem — Natural Order — Converse Relations

Peano Axioms — Relations

Natural Induction — Set Products

Natural Numbers — Set Powers — Ordered Pairs

Partitions — Intersection of Empty Set — Successor Sets — Unordered Triples

Set Intersections — Set Symmetric Differences — Pair Unions

Pair Intersections — Set Complements — Set Unions

Empty Set — Set Differences — Unordered Pairs

Geometry

Set Specification

Set Inclusion

Standardized Accounts

Accounts

Deductions

Quantified Statements

Logical Statements

Statements

Sets — Identities

Names

Letters — Objects