Independent Study: Tool-Assisted Verification of C Code using Floyd-Hoare Logic

Nikolas Mählmann

April 9, 2020

1 Introduction

This document explains the usage and inner workings of verify-c. verify-c is a command line tool which verifies programs written in a subset of C. The tool is based on Floyd-Hoare logic, which was intensivley discussed in the course Korrekte Software: Grundlagen und Methoden at the University of Bremen held by Serge Autexier and Christoph Lüth in the summer semester 2019. verify-c is an educational implementation of the discussed techinques aimed to deepen their understanding and explore which challenges arise when formally verifying software. verify-c is written in Haskell and the source code is available online at https://github.com/nmaehlmann/verify-c.

2 Installation

verify-c can be built using the Haskell build tool stack by calling:
stack install

in the root directory. Additionally verify-c relies on the Z3 theorem prover which has to be installed and added to the PATH variable. It can be downloaded at https://github.com/Z3Prover/z3.

3 Usage

verify-c parses program code written in a subset of C. Each function is annotated with logical pre- and postconditions, which specify the contract of

the function. Based on the parsed program it generates a set of verification conditions. The verification conditions are exported to a theorem prover, which checks whether or not they are satisfied. If all verification conditions are proven successfully, the implemented functions satisfy their contract. Lets start with a simple example. Listing 1 shows a verified implementation of the faculty function.

Listing 1: faculty.c0

```
1
   int faculty(int n){
2
       precondition("n >= 0");
       postcondition("\result == fac(n)");
3
4
5
       p = 1;
6
       c = 1;
7
       while(c \le n){
8
           invariant("p == fac(c - 1) && c <= n + 1 && c > 0");
9
           p = p * c;
           c = c + 1;
10
       }
11
12
       return p;
13
   }
```

It is written regular C code but additional function calls have been added to specify the contract of the function in order to verify it. The precondition in l.2 states that the function argument n has to be positive. The postcondition in l.3 that after calling the function will return fac of n. When verified successfully these conditions have the following semantic: If the function faculty is called with a positive argument n and it terminates, then the return value of this function will equal fac of n. Furthermore the while loop is annotated with an invariant (l.8). The invariant has to be satisfied before the while loop is entered as well as after each loop is completed. The specification of preconditions, postconditions and invariants is mandatory and missing specifications will result in a parser error.

Additionally to the C source code verify-c requires an environment file if custom functions or predicates are used in specifications. The function fac used in the precondition and in the invariant is such a custom function. It is specified in Listing 2.

Listing 2: faculty.env

The specification of the environment is written in the SMT-LIB format and verbatim fed into the Z3 prover. More information regarding the SMT-LIB language can be found online at http://smtlib.cs.uiowa.edu/language.shtml. In order to be found by verify-c the environment has to have the same name as the source file but with an .env extension. With the environment in place the source code of the faculty function can now be verified by calling:

```
verify-c faculty.c0
```

which produces the following output:

```
Generated 3 verification condition(s). Starting proof:
[1/3]: Precondition faculty: OK
[2/3]: While Case True (1:8): OK
[3/3]: While Case False (1:8): OK
Summary: VERIFICATION OK
```

Hooray! Three verification conditions were generated by **verify-c** and successfully proven by **Z3**. One originates from the precondition of the faculty function, two from the invariant of the while loop.

In this case every verification condition could be proven, which is indicated by the status code OK. Other status codes are:

- SIMPLIFY FAILED: The verification conditions could not be simplified enough to be proven. This is most likely caused by ambiguous dereferencing.
- SMT EXPORT FAILED: The verification condition could not be translated into SMT-LIB code. This is most likely caused by ambiguous referencing.
- VIOLATED: The verification condition was disproven. The specification and program do not match.

- TIMEOUT: Z3 timed out while trying to prove the verification condition. It could neither disprove nor prove it.
- SMT ERROR: Z3 produced an unknown error.
- SKIPPED: The verification condition was skipped because of a previous error.

The generated verification conditions and SMT-LIB code as well as logfiles are stored in the .\target folder created by verify-c. This is the place to look at in case verification fails.

verify-c can be further configured by using command line options. A list of all available can be displayed by calling:

```
verify-c -h
```

```
which outputs:
    Help Options:
    -h, --help
     Show option summary.
    --help-all
     Show all help options.
  Application Options:
    --color :: bool
     Whether or not to use ANSI colors.
      default: false
    --timeout :: int
     SMT solver timeout in seconds.
     default: 5
    --no-skip :: bool
     Whether or not to continue verification after a condition
         \hookrightarrow could not be
      verified.
      default: false
```

4 Implementation

verify-c is written in Haskell and the source code is available online at https://github.com/nmaehlmann/verify-c.

4.1 Parsing

Parsing of the source code is done using the parser combinators library parsec. This is a standard procedure so I will not go into further details about parsing. The result of the parsing process is an Abstract Syntax Tree (AST) which is annotated with first order logic formulas.

4.2 Logical Formulas

Logical formulas are the core data structure on which most of the verification logic operates. They are implemented by the GADT BExp shown in Listing 3.

Listing 3: BExp

```
1
  data BExp 1 m where
2
      BTrue :: BExp 1 m
3
      BFalse :: BExp 1 m
4
      BNeg :: BExp 1 m -> BExp 1 m
5
      BBinExp :: BBinOp -> BExp 1 m -> BExp 1 m -> BExp 1 m
6
      BComp :: CompOp -> AExp 1 m -> AExp 1 m -> BExp 1 m
7
      BForall :: Idt -> BExp FO m -> BExp FO m
8
      BExists :: Idt -> BExp FO m -> BExp FO m
      BPredicate :: Idt -> [AExp FO m] -> BExp FO m
```

The BExp type is parameterized by two arguments 1 and m.

The first argument 1 characterizes the type of logic that is used. It can take two values:

- 1. C0: The logical operations that can be used as a part of the C programming language for example to formulate the condition of a while loop.
- 2. F0: First order logic which is used to specify preconditions, postconditions and invariants.

While the true and false constants, negations, boolean operators, and comparisons are available in every logic, quantifiers and predicates are only available in first order logic. This is guaranteed by the type system through the usage of GADTs. Since BExp CO m is a subset of BExp FO m, the first is converted to the latter during the actual generation of verification conditions.

The second argument of BExp is m which characterizes the memory model that is used. It can also take two values:

- 1. Plain: A user facing symbolic memory model that is used during the development of the program and the specification.
- 2. Refs: An axiomatic memory model which is used internally during verification condition generation in order to support references.

4.3 Arithmetic Expressions

Arithmetic expressions are expressions which evaluate to an integer. They are used on the right hand side of assignments, as array indices or as a part of a comparison operation in a logical formula. Arithmetic expressions are modelled by the AExp GADT which is shown in Listing 4.

Listing 4: AExp

```
data AExp 1 m where
ALit :: Integer -> AExp 1 m
AIdt :: LExp 1 m -> AExp 1 m
ABinExp :: ABinOp -> AExp 1 m -> AExp 1 m
AFunCall :: Idt -> [AExp FO m] -> AExp FO m
ALogVar :: Idt -> AExp FO m
AAddress :: LExp 1 Plain -> AExp 1 Plain
```

As parts of BExps they are also parameterized with the type of logic and memory model. Integer literals, variable names and binary calculations are supported for every combination of parameters. Lovgical variables and function calls as parts of an AExp require first order expressions, so they can only be used in for specification purposes. As part of the C program code function calls do not form an AExp but are treated as a separate statement. This limitation is further explained in section ??. The address operator (&) is transformed into an LExpression in the Refs memory model so it is only available in the Plain memory model.

4.4 LExpressions

LExpressions are expressions which can be used on the left hand side of assignments or as variable identifiers as parts of arithmetic expressions. LExpressions are modelled by the LExp GADT which is shown in Listing 5.

Listing 5: LExp

```
data LExp 1 m where
LIdt :: Idt -> LExp 1 m
LArray :: LExp 1 m -> AExp 1 m -> LExp 1 m
LStructurePart :: LExp 1 m -> Idt -> LExp 1 m
LRead :: State -> LExp 1 Refs -> LExp 1 Refs
LDeref :: LExp 1 Plain -> LExp 1 Plain
```

As parts of AExps they are also parameterized with the type of logic and memory model. Identifiers and array and struct accessors are available for every combination of parameters. Similar to the address operator, the dereferencing operator (*) is only available in the Plain memory model. The LRead LExp is the core of the Refs memory model on which will be explained in more detail in the next section.

4.5 Memory Models

In the symbolic memory model CO each LExpression is assigned a value. To verify a program using references however, it is necessary to transform the symbolic model into an axiomatic one. In the axiomatic model, each LExpression (except LRead) is assigned a memory address. The actual value is obtained by looking up the memory address in a program state:

$$read(\sigma, l)$$

Reads are modelled by the LRead LExpression. Assigning a value to an address is creates an updated state:

$$\sigma_2 = update(\sigma_1, l, v)$$

This is modelled by the State type shown in Listing 6.

Listing 6: State

```
1 data State
2 = Atomic String
3 | Update State (LExp FO Refs) (AExp FO Refs)
```

Using this axiomatic model, LExpressions, Referencing and Dereferncing can be treated uniformly:

$$\begin{aligned} \mathbf{a} & \mathrel{\hat{=}} read(\sigma, a) \\ & \& \mathbf{a} & \mathrel{\hat{=}} a \end{aligned} \\ *\mathbf{a} & \mathrel{\hat{=}} read(\sigma, read(\sigma, a)) \end{aligned}$$

Often programs contain multiple assignments which leads to deeply nested states, for example:

$$update(update(update(\sigma, l_1, v_1), l_2, v_2), l_3, v_3)$$

The situation gets worse, when references are involved because dereferencing an LExpression doubles the amount of states. To keep the states small the following simplification rules are introduced:

$$l_1 = l_2 \Rightarrow update(update(\sigma, l_2, v_2), l_1, v_1) = update(\sigma, l_1, v_1)$$
$$l_1 = l_2 \Rightarrow read(update(\sigma, l_2, v), l_1) = v$$
$$l_1 \neq l_2 \Rightarrow read(update(\sigma, l_2, v), l_1) = read(\sigma, l_1, v)$$

To apply these simplifications it is crucial to decide whether or not two LExpressions are equal. This however is not always possible. Two references might point to the same address, or two array indices might have the same value:

$$*a \stackrel{?}{=} *b$$
 $a[i] \stackrel{?}{=} a[j]$

The following heurisite comparison algorithm was implemented in the module ${\tt Memory.Eq:}$

```
cmp(a, a) = Eq
                  cmp(a,b) = NotEq
                                            if a \neq b is predefined
                  cmp(a,b) = NotEq
                                            if a was just initialized
                  cmp(a,b) = NotEq
                                            if b was just initialized
cmp(read(\sigma, a), read(\sigma, a)) = cmp(a, b)
         cmp(read(\sigma, a), b) = Undecidable
         cmp(a, read(\sigma, b)) = Undecidable
               cmp(a.i, b.j) = cmp(a, b)
                                            if i = j
                                            if i \neq j
               cmp(a.i, b.j) = NotEq
                                            if cmp(a,b) = Eq \wedge cmpA(i,j) = Eq
             cmp(a[i], b[j]) = Eq
             cmp(a[i], b[j]) = NotEq
                                            if cmp(a,b) = NotEq \lor cmpA(i,j) = NotEq
             cmp(a[i], b[j]) = Undecidable otherwise
                  cmp(a,b) = NotEq
                                             otherwise
                cmpA(a,a) = Eq
                cmpA(a,b) = NotEq
                                            if a, b are both literals
                cmpA(a,b) = Eq
                                            if a, b are both identifiers \land cmp(a,b) = Eq
                cmpA(a,b) = Undecidable otherwise
```

cmp compares two LExpressions and should return Eq if two LExpression evaluate to the same memory address. cmpA is used to compare array indices and should return Eq if two arithmetic expressions evaluate to the same integer. $a \neq b$ is a predefined inequality in the right hand side of an implicitation if $a \neq b$ is true in the left hand side of that implication. a was just initialized if the previous statement is the declaration of a. In this case it is assumed, that the operating system assigned a fresh memory address to a. Both, the predefined inequalities and the set of just initialized identifiers have to be passed to the functions as a context.

4.6 Simplification

With the simplification rules and comparison function in place the simplification algorithm can be implemented. Applying one simplification rule to

a logical formula can lead to the opportunity to apply another one, leading to an expression collapsing step by step. Therefore the simplification algorithm has to run repeatedly until no further simplifications are possible. To conveniently keep track whether a simplification has happend, or the result remained unchanged a custom Updated monad shown in 7 is introduced:

Listing 7: the Updated monad

```
1
  data Updated a = Updated a | Unchanged a
2
3
  instance Monad Updated where
4
      return a = Unchanged a
5
      (Updated a) >>= f = Updated $ unwrap $ f a
6
      (Unchanged a) >= f = f a
7
8
  unwrap :: Updated a -> a
9
  unwrap (Updated a) = a
  unwrap (Unchanged a) = a
```

If an Updated value is composed, the result is also Updated. As previously presented, the comparison algorithm for LExpressions requires a context in which predefined inequalities and local variables can be looked up. This context is made accessible by wrapping the Updated monad into a Reader monad, which carries the required information. The obtained nested monad is aliased as Simplified and presented in Listing 8.

Listing 8: the Simplified monad

```
1
   type Simplified = ReaderT SimplificationCtx Updated
2
3
   data SimplificationCtx = SimplificationCtx
4
       { inequalities :: Set Inequality
5
        localVars :: Set (LExp FO Refs)
6
       }
7
8
   type Inequality = Set (LExp FO Refs)
9
10
   update :: a -> Simplified a
   update a = lift $ Updated a
```

The simplification algorithm can now be implemented as a set of func-

tions which recursively traverse and simplify a BExp. It is located in the Logic.Simplification module. The implementation of each of the three simplification rules is shown in Listing 9

Listing 9: implementation of the simplification rules

```
1
   simplifyState :: State -> Simplified State
   simplifyState original@(Update (Update s 11 _) 12 w) = do
 3
       memComparison <- compareLExp 11 12
       case memComparison of
 4
 5
           MemEq -> update $ Update s 12 w
6
           _ -> simplifyState' original
7
   simplifyState s = simplifyState' s
8
   simplifyAExp :: AExpFO -> Simplified AExpFO
10
   simplifyAExp original@(AIdt (LRead (Update state toUpdate aExp)
       \hookrightarrow toRead)) = do
       memComparison <- compareLExp toRead toUpdate</pre>
11
       case memComparison of
12
13
           MemEq -> update aExp
14
           _ -> simplifyAExp' original
   simplifyAExp a = simplifyAExp' a
15
16
17
   simplifyLExp :: LExpFO -> Simplified LExpFO
   simplifyLExp original@(LRead (Update state toUpdate _) toRead)
18
19
       memComparison <- compareLExp toRead toUpdate</pre>
20
       case memComparison of
21
           MemNotEq -> update $ LRead state toRead
22
           _ -> simplifyLExp' original
   simplifyLExp 1 = simplifyLExp' 1
```

simplifyState', simplifyAExp', and simplifyLExp' are not shown in the listing, as they just recursively descend the expression. The corresponding function to simplifyBExp, which starts simplification on the formula level has a special handling for implication. Inequalities specified on the left hand side of an implication can be used to simplify the right hand side of the same implication as described in section 4.5. For this purpose the context used to simplify the right hand side is enriched with the inequalities that were found

in the left hand side, which is depicted in Listing 10.

Listing 10: searching for predefined inequalities

```
simplifyBExp :: BExpFO -> Simplified BExpFO
2
   simplifyBExp (BBinExp op 1 r) = do
3
       updatedL <- simplifyBExp 1</pre>
       let lhsInequalities = if op == Implies
4
5
               then findInequalities updatedL
6
               else Set.empty
7
       updatedR <- local (addInequalities lhsInequalities) $</pre>
           \hookrightarrow simplifyBExp r
8
       return $ BBinExp op updatedL updatedR
   ... other cases of simplifyBExp: recursively simplify BExp ...
9
10
11
   findInequalities :: BExpFO -> Set Inequality
   findInequalities (BComp NotEqual (AIdt 11) (AIdt 12)) =
12
       Set.singleton $ notEqual 11 12
13
14 | findInequalities (BBinExp And fo1 fo2) = Set.union (
       \hookrightarrow findInequalities fo1) (findInequalities fo2)
15 | findInequalities _ = Set.empty
```

The search for inequalities is again implemented as a simple heurisite only. Inequalities are found if they are either specified on the top level of the formula, or are part of a (possibly nested) conjunction.

4.7 Statements

The program that should be verified into a sequence of statements. The type Stmt which models a statment in verify-c is depicted in Listing 11.

Listing 11: Stmt

```
type BExp' 1 = BExp 1 Plain
1
   type AExp' l = AExp l Plain
3
   type LExp' l = LExp l Plain
4
5
   data Stmt
6
       = Empty
7
       | Declaration Idt
8
       | Assignment (LExp' CO) (AExp' CO)
9
       | While (BExp' CO) (BExp' FO) Stmt LineNo
10
       | ITE (BExp' CO) Stmt Stmt
       | FunCall (Maybe (LExp' CO)) Idt [AExp' CO] LineNo
11
12
       | Assertion (BExp' FO) LineNo
13
       | Return (Maybe (AExp' CO))
14
       | Seq Stmt Stmt
```

Since the statements are obtained directly from the parser, all statement use the Plain memory model. verify-c supports the following statements:

Empty

Empty statements have no effect.

Declarations

Declarations declare the memory address of an identifiers as fresh.

Assignments

Assignments which also act as declarations like int i = 0; are split into a declaration and an assignment by the parser.

While Loops

While loops consist of a CO logic condition, an FO logic invariant and a body. The current line number is included for logging purposes.

If-Then-Else Branches

If-Then-Else branches consist of a CO logic condition, a true branch, and a false branch. If conditions without an else branch are parsed as If-Then-Else branches with an empty false branch.

Function Calls

Function Calls consisting of the variable the result of the function is assigned to, the function name, and a list of function arguments. The current line number is included for logging purposes. Since some functions do not return a result, the assigned variable is optional. Function calls are modelled as separate statements instead of an arithmetic expressions in order to avoid dealing with ambiguous orders of side effects in expressions like n = inc(&n) + inc(&n);. Function calls which also act as declarations are split into a declaration and a function call by the parser.

Assertions

Assertions modify the current precondition.

Return Statements

Return statements which may or may not return a value.

Sequences

Statments can be combined into sequences.

4.8 Applying the Floyd-Hoare Logic

The Floyd-Hoare logic was intensively discussed in the Korrekte Software: Grundlagen und Methoden course. Given a postcondition, for every statement an approximate weakest precondition (awp) is calculated. Traversing the statements in reverse order starting with the programs last statement, the precondition of a statement is the postcondition of the next statement. Some statements like the while loop have a predetermined postcondition. In this case a verification condition is generated which states that the predetermined postcondition implies the precondition of the following statement. To

prove the correctness of a program every generated verification condition has to be proven. The following functions are used to calculate the verification conditions of statements:

```
awp(\texttt{Empty}, Q, Q_R) = Q
          awp(Assertion a, Q, Q_R) = a
            awp(\text{ITE c t f}, Q, Q_R) = (awp(t, Q, Q_R) \land c) \lor (awp(f, Q, Q_R) \land \neg c)
          awp(While c i b, Q, Q_R) = i
             awp(\text{Seq s1 s2}, Q, Q_R) = awp(\text{s1}, awp(\text{s2}, Q, Q_R), Q_R)
     awp(Assignment 1 e, Q, Q_R) = Q[update(\sigma, l, e)/\sigma]
       awp(\texttt{Declaration i}, Q, Q_R) = \text{simplify } Q \text{ with } \mathbf{i} \neq \text{any other memory address}
awp(FunCall r fun args, Q, Q_R) = pre(fun)[args/params(fun)]
              wvc(\texttt{Empty}, Q, Q_R) = \emptyset
          wvc(Assertion a, Q, Q_R) = \{a \Rightarrow Q\}
             wvc(\text{ITE c t f}, Q, Q_R) = wvc(t, Q, Q_R) \cup wvc(f, Q, Q_R)
          wvc(While c i b, Q, Q_R) = \{i \land b \Rightarrow awp(b, i, Q_R), i \land \neg b \Rightarrow Q\} \cup wvc(b, i, Q_R)
             wvc(Seq s1 s2, Q, Q_R) = wvc(s1, awp(s2, Q, Q_R), Q_R) \cup wvc(s2, Q, Q_R)
      wvc(Assignment 1 e, Q, Q_R) = \emptyset
       wvc(Declaration i, Q,Q_R)=\emptyset
wvc(\texttt{FunCall r fun args}, Q, Q_R) = post(\texttt{fun})[\texttt{args}/params(\texttt{fun})][\texttt{r}/\texttt{result}] \Rightarrow Q
              wvc(Return r, Q, Q_R) = \emptyset
```

Q[a/b] is the formula Q in which every occurrence of b has been replaced by a. If a and b are lists, a replacement is made for each element. pre(f), post(f), and params(f) are the precondition, postcondition, and parameter list of the function f. The implementation of awp and wvc can be found in the module VC with some additions.

- The generated result of each awp call is simplified.
- Every time a formula, arithemtic expression, or LExpression is used to calculate the awp or wvc of a statement, its logic type is converted to

FO and its memory model is converted to Refs. The GADTs that are used to model the different types of expressions ensure at compile time that the correct format is used.

• The generated verification are enriched with debug informations like line numbers.

These details are omitted in the definitions above to keep them small, as well as the line number which are part of some statements.

Based on the wvc and awp functions, verification conditions can be calculated separatly for each function of the program as follows:

$$wvcF(f) = \{pre(f) \Rightarrow awp(body(f), false, post(f))\}\$$

 $\cup wvc(body(f), false, post(f))$

The Floyd-Hoare logic rules implemented in **verify-c** follow the rules presented in the *Korrekte Software: Grundlagen und Methoden* course closely but the following changes were made:

- Declarations were added as separate statements to enable better simplification.
- Function calls produce a verification condition.
- The \old(x) syntax was dropped. Users are expected to bind values to logical variables in the precondition instead.

4.9 SMT Export

The generated verification conditions have to be proven in order to show the correctness of a program. This task is tedious. While the satisfiability of first order logic is not decideable in general, often formulas can be proven by a theorem prover. The verify-c exports the generated verification conditions into the SMT-LIB standard and runs the Z3 solver in order to automate the profs. While this feature is only rudimentarily implemented it already usable. In order to show how the export works Listing 12 shows one of the verification condition of the faculty program which was shown in section 3 in Listing 1. Exports of all verification conditions are located in the .\target folder created by verify-c.

Listing 12: an exported verification condition

```
1
   (declare-fun read_array (Int Int) Int)
2
  (declare-fun deref (Int) Int)
3
  (declare-fun c () Int)
  (declare-fun n () Int)
4
  (declare-fun p () Int)
  (declare-fun fac (Int) Int)
  (assert (= (fac 0) 1))
  (assert (forall ((nn Int)) (implies (< 0 nn) (= (fac nn) (* nn
      \hookrightarrow (fac (- nn 1)))))))
  (assert (not (implies (and (and (= p (fac (- c 1))) (<= c
      \hookrightarrow (+ n 1))) (> c 0)) (<= c n)) (and (and (= (* p c) (fac
      \hookrightarrow (- (+ c 1) 1))) (<= (+ c 1) (+ n 1))) (> (+ c 1) 0)))))
  (check-sat)
```

1.1 and 1.2 of listing 12 are predefined functions which are contained in every export. read_array is a function which simulates array access. It takes two integer arguments. The first is interpreted as the memory address of an array, the second is an index. The return value is interpreted of the value of specified array at the specified index. deref is a function which simulates dereferencing. It takes one integer argument, which is interpreted as a memory address. The return value is interpreted as the value which is obtained by reading the memory at that address.

- 1.3 1.5 are the unbound local variables which appear in the verification condition that should be exported. They are modelled as constant functions which do not take any input and return the value of that variable.
- 1.7 1.8 contains the environment which is read from the optional .env accompanying the program which should be proven. The environment should contain custom functions and predicates as well as structure accessors.
- 1.9 contains the negated exported verification condition. In order to export the verification condition its memory model is converted back to Plain. For every boolean function which is supported by verify-c an equivalent SMT-LIB function exists, so they can be translated directly. The same goes for arithmetic functions except for the address operator. Verification conditions containing the address operator cannot be exported. The most difficult part is exporting the LExpressions. Identifiers are exported to variable names. Array access and dereferencing is modelled by the predefined functions men-

tioned above. Structure parts accessors are expected to be modelled by the user as part of the environment, where the name of the accessor should match the name of an unary function.

1.10 tells the smt solver to start the prof. If the solver can prove that there is no model for the negated verification condition (unsat), then the verification condition is valid and proven.

5 Limitations

verify-c is an educational project and should not be used to verify any critical software. It is only tested on small example programs. No guarantees are made by the author. This section should list known limitations without being exhaustive.

5.1 Correctness

While the purpose of the Floyd-Hoare logic is to prove correctness of programs, there are some classes errors which cannot be found by this implementation, including:

- nonterminating loops
- array index out of bounds errors
- overflows

5.2 Scalability

One important feature which is not implemented is the ability to specify which parts of the memory are changed by a function call. To remain sound without this specification only the postcondition of the called function can be assumed. This makes it hard (maybe even impossible) to prove programs like then recursive fibonacci program shown in listing 13.

Listing 13: a recursive fibonacci program

```
int fib(int n) {
1
2
       precondition("n >= 0");
       postcondition("\result == fibonacci(n)");
3
 4
5
       if(n == 0 || n == 1){
6
           return 1;
7
       } else {
8
           int prev = fib(n - 1);
9
           int prev2 = fib(n - 2);
10
           return prev + prev2;
       }
11
12
```

This severely limits the scale in which verify-c can be applied.

5.3 Compatibility with C

verify-c only supports a subset of the C programming language. Missing features include:

- primitive types other than integers
- includes
- union types
- syntactic sugar like for loops or increment operators (i++;)