bfname

$$bf_1$$

$$t \mapsto t^2$$

Probability Distribution Function

$$f(x) = PDF\left(Transform\left(bf, [[x \mapsto x^2], [bf_{2;1}, bf_{2;2}]]\right), x\right) \qquad Transform\left(bf, [[x \mapsto x^2], [bf_{2;1}, bf\right.$$

$$t \mapsto \sqrt{t}$$

Probability Distribution Function

$$f(x) = PDF\left(Transform\left(bf, [[x \mapsto \sqrt{x}], [bf_{2;1}, bf_{2;2}]]\right), x\right) \qquad Transform\left(bf, [[x \mapsto \sqrt{x}], [bf_{2;1},\right.$$

$$t \mapsto t^{-1}$$

Probability Distribution Function

$$f(x) = PDF\left(Transform\left(bf, [[x \mapsto x^{-1}], [bf_{2;1}, bf_{2;2}]]\right), x\right) \qquad Transform\left(bf, [[x \mapsto x^{-1}], [bf_{2;1},\right.$$

$$t \mapsto \arctan(t)$$

Probability Distribution Function

$$f(x) = PDF\left(Transform\left(bf, [[x \mapsto \arctan(x)], [bf_{2;1}, bf_{2;2}]]\right), x\right) \qquad Transform\left(bf, [[x \mapsto arcta\right.$$

$$t \mapsto \mathrm{e}^t$$

Probability Distribution Function

$$f(x) = PDF\left(Transform\left(bf, [[x \mapsto \mathrm{e}^x], [bf_{2;1}, bf_{2;2}]]\right), x\right) \qquad Transform\left(bf, [[x \mapsto \mathrm{e}^x], [bf_{2;1}, bf\right.$$

$$t \mapsto \ln(t)$$

Probability Distribution Function

$$f(x) = PDF\left(Transform\left(bf, [[x \mapsto \ln(x)], [bf_{2;1}, bf_{2;2}]]\right), x\right) \qquad Transform\left(bf, [[x \mapsto \ln(x)], [b$$

$$t \mapsto \mathrm{e}^{-t}$$

Probability Distribution Function

$$f(x) = PDF\left(Transform\left(bf, [[x \mapsto \mathrm{e}^{-x}], [bf_{2;1}, bf_{2;2}]]\right), x\right) \qquad Transform\left(bf, [[x \mapsto \mathrm{e}^{-x}], [bf_{2;1},$$

$$t \mapsto -\ln(t)$$

Probability Distribution Function

$$f(x) = PDF\left(Transform\left(bf, [[x \mapsto -\ln(x)], [bf_{2;1}, bf_{2;2}]]\right), x\right) \qquad Transform\left(bf, [[x \mapsto -\ln(x$$

$$t \mapsto \ln(t+1)$$

Probability Distribution Function

$$f(x) = PDF\left(Transform\left(bf, [[x \mapsto \ln(x+1)], [bf_{2;1}, bf_{2;2}]]\right), x\right) \qquad Transform\left(bf, [[x \mapsto \ln(x$$

$$t \mapsto (\ln(t+2))^{-1}$$

Probability Distribution Function

$$f(x) = PDF\left(Transform\left(bf, [[x \mapsto (\ln(x+2))^{-1}], [bf_{2;1}, bf_{2;2}]]\right), x\right) \qquad Transform\left(bf, [[x \mapsto ($$

$$t \mapsto \tanh(t)$$

Probability Distribution Function

$$f(x) = PDF\left(Transform\left(bf, [[x \mapsto \tanh(x)], [bf_{2;1}, bf_{2;2}]]\right), x\right) \qquad Transform\left(bf, [[x \mapsto \tanh($$

$$t \mapsto \sinh(t)$$

Probability Distribution Function

$$f(x) = PDF\left(Transform\left(bf, [[x \mapsto \sinh(x)], [bf_{2;1}, bf_{2;2}]]\right), x\right) \qquad Transform\left(bf, [[x \mapsto \sinh(x$$

$$t \mapsto \operatorname{arcsinh}(t)$$

Probability Distribution Function

$$f(x) = PDF\left(Transform\left(bf, [[x \mapsto \operatorname{arcsinh}(x)], [bf_{2;1}, bf_{2;2}]]\right), x\right) \qquad Transform\left(bf, [[x \mapsto \operatorname{arcs}$$

$$t \mapsto \operatorname{csch}(t+1)$$

Probability Distribution Function

$$f(x) = PDF\left(Transform\left(bf, [[x \mapsto \operatorname{csch}(x+1)], [bf_{2;1}, bf_{2;2}]]\right), x\right) \qquad Transform\left(bf, [[x \mapsto \operatorname{csc}$$

$$t \mapsto \operatorname{arccsch}(t+1)$$

Probability Distribution Function

$$f(x) = PDF\left(Transform\left(bf, [[x \mapsto \operatorname{arccsch}(x+1)], [bf_{2;1}, bf_{2;2}]]\right), x\right) \qquad Transform\left(bf, [[x \mapsto$$

$$t \mapsto (\tanh(t+1))^{-1}$$

Probability Distribution Function

$$f(x) = PDF\left(Transform\left(bf, [[x \mapsto (\tanh(x+1))^{-1}], [bf_{2;1}, bf_{2;2}]]\right), x\right) \qquad Transform\left(bf, [[x \mapsto$$

$$t \mapsto \left(\sinh\left(t+1\right)\right)^{-1}$$

Probability Distribution Function

$$f(x) = PDF\left(Transform\left(bf, [[x \mapsto \left(\sinh\left(x+1\right)\right)^{-1}], [bf_{2;1}, bf_{2;2}]]\right), x\right) \qquad Transform\left(bf, [[x \mapsto$$

$$t \mapsto \left(\operatorname{arcsinh}\left(t+1\right)\right)^{-1}$$

Probability Distribution Function

$$f(x) = PDF\left(Transform\left(bf, [[x \mapsto \left(\operatorname{arcsinh}\left(x+1\right)\right)^{-1}], [bf_{2;1}, bf_{2;2}]]\right), x\right) \qquad Transform\left(bf, [[x\right.$$

$$t \mapsto \left(\operatorname{csch}\left(t\right)\right)^{-1} + 1$$

Probability Distribution Function

$$f(x) = PDF\left(Transform\left(bf, [[x \mapsto \left(\operatorname{csch}\left(x\right)\right)^{-1} + 1], [bf_{2;1}, bf_{2;2}]]\right), x\right) \qquad Transform\left(bf, [[x \mapsto$$

$$t \mapsto \tanh\left(t^{-1}\right)$$

Probability Distribution Function

$$f(x) = PDF\left(Transform\left(bf, [[x \mapsto \tanh\left(x^{-1}\right)], [bf_{2;1}, bf_{2;2}]]\right), x\right) \qquad Transform\left(bf, [[x \mapsto \tanh\right.$$

$$t \mapsto \operatorname{csch}\left(t^{-1}\right)$$

Probability Distribution Function

$$f(x) = PDF\left(Transform\left(bf, [[x \mapsto \operatorname{csch}\left(x^{-1}\right)], [bf_{2;1}, bf_{2;2}]]\right), x\right) \qquad Transform\left(bf, [[x \mapsto \operatorname{csch}\right.$$

$$t \mapsto \operatorname{arccsch}\left(t^{-1}\right)$$

Probability Distribution Function

$$f(x) = PDF\left(Transform\left(bf, [[x \mapsto \operatorname{arccsch}\left(x^{-1}\right)], [bf_{2;1}, bf_{2;2}]]\right), x\right) \qquad Transform\left(bf, [[x \mapsto a\right.$$