

```
> restart;  
read("c:/appl/appl7.txt");
```

PROCEDURES:

*AllPermutations(n), AllCombinations(n, k), Benford(X), BootstrapRV(Data),
CDF:CHF:HF:IDF:PDF:SF(X, [x]), CoefOfVar(X), Convolution(X, Y),
ConvolutionIID(X, n), CriticalPoint(X, prob), Determinant(MATRIX), Difference(X, Y),
Display(X), ExpectedValue(X, [g]), KSTest(X, Data, Parameters), Kurtosis(X),
Maximum(X, Y), MaximumIID(X, n), Mean(X), MGF(X), Minimum(X, Y),
MinimumIID(X, n), Mixture(MixParameters, MixRVs),
MLE(X, Data, Parameters, [Rightcensor]), MLENHPP(X, Data, Parameters, obstime),
MLEWeibull(Data, [Rightcensor]), MOM(X, Data, Parameters),
NextCombination(Previous, size), NextPermutation(Previous), OrderStat(X, n, r, ["wo"]),
PlotDist(X, [low], [high]), PlotEmpCDF(Data, [low], [high]),
PlotEmpCIF(Data, [low], [high]), PlotEmpSF(Data, Censor),
PlotEmpVsFittedCDF(X, Data, Parameters, [low], [high]),
PlotEmpVsFittedCDF(X, Data, Parameters, [low], [high]),
PlotEmpVsFittedSF(X, Data, Parameters, Censor, low, high),
PPPlot(X, Data, Parameters), Product(X, Y), ProductIID(X, n),
QQPlot(X, Data, Parameters), RangeStat(X, n, ["wo"]), Skewness(X), Transform(X, g),
Truncate(X, low, high), Variance(X), VerifyPDF(X)*

Procedure Notation:

*X and Y are random variables
Greek letters are numeric or symbolic parameters
x is numeric or symbolic
n and r are positive integers, $n \geq r$
low and high are numeric
g is a function
Brackets [] denote optional parameters
"double quotes" denote character strings
MATRIX is a 2 x 2 array of random variables
A capitalized parameter indicates that it must be
entered as a list --> ex. Data := [1, 12.4, 34, 52.45, 63]*

Variate Generation:

*ArcTanVariate(alpha, phi), BinomialVariate(n, p, m), ExponentialVariate(lambda),
NormalVariate(mu, sigma), UniformVariate(), WeibullVariate(lambda, kappa, m)*

DATA SETS:

*BallBearing, HorseKickFatalities, Hurricane, MP6, RatControl, RatTreatment, USSHalfBeak
ArcSinRV(), ArcTanRV(alpha, phi), BetaRV(alpha, beta), CauchyRV(a, alpha), ChiRV(n),*

*ChiSquareRV(n), ErlangRV(lambda, n), ErrorRV(mu, alpha, d), ExponentialRV(lambda),
 ExponentialPowerRV(lambda, kappa), ExtremeValueRV(alpha, beta), FRV(n1, n2),
 GammaRV(lambda, kappa), GeneralizedParetoRV(gamma, delta, kappa),
 GompertzRV(delta, kappa), HyperbolicSecantRV(), HyperExponentialRV(p, l),
 HypoExponentialRV(l), IDBRV(gamma, delta, kappa), InverseGaussianRV(lambda, mu),
 InvertedGammaRV(alpha, beta), KSRV(n), LaPlaceRV(omega, theta),
 LogGammaRV(alpha, beta), LogisticRV(kappa, lambda), LogLogisticRV(lambda, kappa),
 LogNormalRV(mu, sigma), LomaxRV(kappa, lambda), MakehamRV(gamma, delta, kappa),
 MuthRV(kappa), NormalRV(mu, sigma), ParetoRV(lambda, kappa), RayleighRV(lambda),
 StandardCauchyRV(), StandardNormalRV(), StandardTriangularRV(m),
 StandardUniformRV(), TRV(n), TriangularRV(a, m, b), UniformRV(a, b),
 WeibullRV(lambda, kappa)*

Error, attempting to assign to `DataSets` which is protected.
 Try declaring `local DataSets`; see ?protect for details.

```

> bf := LogLogisticRV(a,b);
  bfname := "LogLogisticRV(a,b)";
Originally a, renamed a~:
  is assumed to be: RealRange(Open(0),infinity)

Originally b, renamed b~:
  is assumed to be: RealRange(Open(0),infinity)

```

$$bf := \left[\left[x \rightarrow \frac{a \sim b \sim (a \sim x)^{b \sim - 1}}{(1 + (a \sim x)^{b \sim})^2} \right], [0, \infty], ["Continuous", "PDF"] \right]$$

bfname := "LogLogisticRV(a,b)"

(1)

```

> #plot(1/csch(t)+1, t = 0..0.0010);
  #plot(diff(1/csch(t),t), t=0..0.0010);
  #limit(1/csch(t), t=0);
> solve(exp(-t) = y, t);

```

-ln(y)

(2)

```

> # discarded -ln(t + 1), t-> csch(t), t->arccsch(t), t -> tan(t),
> #name of the file for latex output
  filename := "C:/Latex_Output_2/LogLogistic_Gen.tex";

glist := [t -> t^2, t -> sqrt(t), t -> 1/t, t -> arctan(t), t
-> exp(t), t -> ln(t), t -> exp(-t), t -> -ln(t), t -> ln(t+1),
t -> 1/(ln(t+2)), t -> tanh(t), t -> sinh(t), t -> arcsinh(t),
t-> csch(t+1), t->arccsch(t+1), t-> 1/tanh(t+1), t-> 1/sinh(t+1),
t-> 1/arcsinh(t+1), t-> 1/csch(t)+1, t-> tanh(1/t), t->csch
(1/t), t-> arccsch(1/t), t-> arctanh(1/t) ]:

base := t -> PDF(bf, t):

print(base(x)):

```

```

#begin latex file formatting
appendto(filename);
printf("\\documentclass[12pt]{article} \n");
printf("\\usepackage{amsfonts} \n");
printf("\\begin{document} \n");
print(bfname);
printf("$\$");
latex(bf[1]);
printf("$\$");
writeto(terminal);

#begin loopint through transformations
for i from 1 to 22 do
#for i from 1 to 3 do
    print( "i is", i, " -----"
-----
-----");

    g := glist[i]:
    l := bf[2][1];
    u := bf[2][2];
    Temp := Transform(bf, [[unapply(g(x), x)], [l,u]]);

#terminal output
print( "l and u", l, u );
print("g(x)", g(x), "base", base(x),bfname);
print("f(x)", PDF(Temp, x));

#latex output
appendto(filename);
printf("----- \\\\" );
printf("$\$");
latex(glist[i]);
printf("$\$");
printf("Probability Distribution Function \n$$ f(x)=");
latex(PDF(Temp,x));
printf(" \\qquad");
latex(Temp[2][1]);
printf(" < x < ");
latex(Temp[2][2]);
printf("$\$");

writeto(terminal);

od;

#final latex output
appendto(filename);
printf("\\end{document}\n");
writeto(terminal);

```

filename := "C:/Latex_Output_2/LogLogistic_Gen.tex"

$$\frac{a \sim b \sim (a \sim x)^{b \sim - 1}}{(1 + (a \sim x)^{b \sim})^2}$$

"i is", 1,

"-----"

$$g := t \rightarrow t^2$$

$$l := 0$$

$$u := \infty$$

$$Temp := \left[\left[y \sim \rightarrow \frac{1}{2} \frac{a \sim^{b \sim} b \sim y \sim^{\frac{1}{2} b \sim - 1}}{\left(1 + a \sim^{b \sim} y \sim^{\frac{1}{2} b \sim} \right)^2}, [0, \infty], ["Continuous", "PDF"] \right]$$

"l and u", 0, ∞

$$\text{"g(x)", } x^2, \text{"base", } \frac{a \sim b \sim (a \sim x)^{b \sim - 1}}{(1 + (a \sim x)^{b \sim})^2}, \text{"LogLogisticRV(a,b)"}$$

$$\text{"f(x)", } \frac{1}{2} \frac{a \sim^{b \sim} b \sim x^{\frac{1}{2} b \sim - 1}}{\left(1 + a \sim^{b \sim} x^{\frac{1}{2} b \sim} \right)^2}$$

"i is", 2,

"-----"

$$g := t \rightarrow \sqrt{t}$$

$$l := 0$$

$$u := \infty$$

$$Temp := \left[\left[y \sim \rightarrow \frac{2 a \sim^{b \sim} b \sim (y \sim^2)^{b \sim}}{y \sim \left(1 + a \sim^{b \sim} (y \sim^2)^{b \sim} \right)^2}, [0, \infty], ["Continuous", "PDF"] \right]$$

"l and u", 0, ∞

$$\text{"g(x)", } \sqrt{x}, \text{"base", } \frac{a \sim b \sim (a \sim x)^{b \sim - 1}}{(1 + (a \sim x)^{b \sim})^2}, \text{"LogLogisticRV(a,b)"}$$

$$\text{"f(x)", } \frac{2 a \sim^{b \sim} b \sim (x^2)^{b \sim}}{x \left(1 + a \sim^{b \sim} (x^2)^{b \sim} \right)^2}$$

"i is", 3,

"-----"

$$g := t \rightarrow \frac{1}{t}$$

$$l := 0$$

$$Temp := \left[\left[y \rightarrow \frac{a^{\sim b} b^{\sim} \left(\frac{1}{y^{\sim}} \right)^{b^{\sim}}}{y^{\sim} \left(1 + a^{\sim b} \left(\frac{1}{y^{\sim}} \right)^{b^{\sim}} \right)^2} \right], [0, \infty], ["Continuous", "PDF"] \right]$$

$$\text{"l and u", } 0, \infty$$

$$\text{"g(x)", } \frac{1}{x}, \text{"base", } \frac{a^{\sim b} (a^{\sim} x)^{b^{\sim} - 1}}{(1 + (a^{\sim} x)^{b^{\sim}})^2}, \text{"LogLogisticRV(a,b)"}$$

$$\text{"f(x)", } \frac{a^{\sim b} b^{\sim} \left(\frac{1}{x} \right)^{b^{\sim}}}{x \left(1 + a^{\sim b} \left(\frac{1}{x} \right)^{b^{\sim}} \right)^2}$$

"i is", 4,

"-----"

$$g := t \rightarrow \arctan(t)$$

$$l := 0$$

$$u := \infty$$

$$Temp := \left[\left[y \rightarrow \frac{a^{\sim b} b^{\sim} \tan(y^{\sim})^{b^{\sim} - 1} (1 + \tan(y^{\sim})^2)}{(1 + a^{\sim b} \tan(y^{\sim})^{b^{\sim}})^2} \right], \left[0, \frac{1}{2} \pi \right], ["Continuous", "PDF"] \right]$$

$$\text{"l and u", } 0, \infty$$

$$\text{"g(x)", } \arctan(x), \text{"base", } \frac{a^{\sim b} (a^{\sim} x)^{b^{\sim} - 1}}{(1 + (a^{\sim} x)^{b^{\sim}})^2}, \text{"LogLogisticRV(a,b)"}$$

$$\text{"f(x)", } \frac{a^{\sim b} b^{\sim} \tan(x)^{b^{\sim} - 1} (1 + \tan(x)^2)}{(1 + a^{\sim b} \tan(x)^{b^{\sim}})^2}$$

"i is", 5,

"-----"

$$g := t \rightarrow e^t$$

$$l := 0$$

$$u := \infty$$

$$Temp := \left[\left[y \rightarrow \frac{a^{\sim b} b^{\sim} \ln(y^{\sim})^{b^{\sim} - 1}}{(1 + a^{\sim b} \ln(y^{\sim})^{b^{\sim}})^2 y^{\sim}} \right], [1, \infty], ["Continuous", "PDF"] \right]$$

$$\text{"l and u", } 0, \infty$$

$$\text{"g(x)", } e^x, \text{"base", } \frac{a^{\sim b} (a^{\sim} x)^{b^{\sim} - 1}}{(1 + (a^{\sim} x)^{b^{\sim}})^2}, \text{"LogLogisticRV(a,b)"}$$

$$\text{"f(x)", } \frac{a^{\sim b} b^{\sim} \ln(x)^{b^{\sim} - 1}}{(1 + a^{\sim b} \ln(x)^{b^{\sim}})^2 x}$$

"i is", 6,

"-----"
-----"

$$g := t \rightarrow \ln(t)$$

$$l := 0$$

$$u := \infty$$

$$Temp := \left[\left[y \rightarrow \frac{a^{\sim b} b^{\sim} e^{b^{\sim} y^{\sim}}}{(1 + a^{\sim b} e^{b^{\sim} y^{\sim}})^2} \right], [-\infty, \infty], ["Continuous", "PDF"] \right]$$

$$\text{"l and u", } 0, \infty$$

$$\text{"g(x)", } \ln(x), \text{"base", } \frac{a^{\sim b} b^{\sim} (a^{\sim} x)^{b^{\sim} - 1}}{(1 + (a^{\sim} x)^{b^{\sim}})^2}, \text{"LogLogisticRV(a,b)"}$$

$$\text{"f(x)", } \frac{a^{\sim b} b^{\sim} e^{b^{\sim} x}}{(1 + a^{\sim b} e^{b^{\sim} x})^2}$$

"i is", 7,

"-----"
-----"

$$g := t \rightarrow e^{-t}$$

$$l := 0$$

$$u := \infty$$

$$Temp := \left[\left[y \rightarrow \frac{a^{\sim b} b^{\sim} (-\ln(y^{\sim}))^{b^{\sim} - 1}}{(1 + a^{\sim b} (-\ln(y^{\sim}))^{b^{\sim}})^2 y^{\sim}} \right], [0, 1], ["Continuous", "PDF"] \right]$$

$$\text{"l and u", } 0, \infty$$

$$\text{"g(x)", } e^{-x}, \text{"base", } \frac{a^{\sim b} b^{\sim} (a^{\sim} x)^{b^{\sim} - 1}}{(1 + (a^{\sim} x)^{b^{\sim}})^2}, \text{"LogLogisticRV(a,b)"}$$

$$\text{"f(x)", } \frac{a^{\sim b} b^{\sim} (-\ln(x))^{b^{\sim} - 1}}{(1 + a^{\sim b} (-\ln(x))^{b^{\sim}})^2 x}$$

"i is", 8,

"-----"
-----"

$$g := t \rightarrow -\ln(t)$$

$$l := 0$$

$$u := \infty$$

$$Temp := \left[\left[y \rightarrow \frac{a^{\sim b} b^{\sim} e^{-b^{\sim} y^{\sim}}}{(1 + a^{\sim b} e^{-b^{\sim} y^{\sim}})^2} \right], [-\infty, \infty], ["Continuous", "PDF"] \right]$$

$$\text{"l and u", } 0, \infty$$

$$\text{"g(x)", } -\ln(x), \text{"base", } \frac{a^{\sim b} b^{\sim} (a^{\sim} x)^{b^{\sim} - 1}}{(1 + (a^{\sim} x)^{b^{\sim}})^2}, \text{"LogLogisticRV(a,b)"}$$

$$\text{"f(x)", } \frac{a^{\sim b} b^{\sim} e^{-b^{\sim} x}}{(1 + a^{\sim b} e^{-b^{\sim} x})^2}$$

"i is", 9,

"-----"
 -----"

$$g := t \rightarrow \ln(t + 1)$$

$$l := 0$$

$$u := \infty$$

$$Temp := \left[\left[y^{\sim} \rightarrow \frac{a^{\sim b} b^{\sim} (e^{y^{\sim}} - 1)^{b^{\sim} - 1} e^{y^{\sim}}}{(1 + a^{\sim b} (e^{y^{\sim}} - 1)^{b^{\sim}})^2} \right], [0, \infty], ["Continuous", "PDF"] \right]$$

$$\text{"l and u", } 0, \infty$$

$$\text{"g(x)", } \ln(x + 1), \text{"base", } \frac{a^{\sim b} b^{\sim} (a^{\sim} x)^{b^{\sim} - 1}}{(1 + (a^{\sim} x)^{b^{\sim}})^2}, \text{"LogLogisticRV(a,b)"}$$

$$\text{"f(x)", } \frac{a^{\sim b} b^{\sim} (e^x - 1)^{b^{\sim} - 1} e^x}{(1 + a^{\sim b} (e^x - 1)^{b^{\sim}})^2}$$

"i is", 10,

"-----"
 -----"

$$g := t \rightarrow \frac{1}{\ln(t + 2)}$$

$$l := 0$$

$$u := \infty$$

$$Temp := \left[\left[y^{\sim} \rightarrow \frac{a^{\sim b} b^{\sim} \left(e^{\frac{1}{y^{\sim}}} - 2 \right)^{b^{\sim} - 1} e^{\frac{1}{y^{\sim}}}}{\left(1 + a^{\sim b} \left(e^{\frac{1}{y^{\sim}}} - 2 \right)^{b^{\sim}} \right)^2 y^{\sim 2}} \right], \left[0, \frac{1}{\ln(2)} \right], ["Continuous", "PDF"] \right]$$

$$\text{"l and u", } 0, \infty$$

$$\text{"g(x)", } \frac{1}{\ln(x + 2)}, \text{"base", } \frac{a^{\sim b} b^{\sim} (a^{\sim} x)^{b^{\sim} - 1}}{(1 + (a^{\sim} x)^{b^{\sim}})^2}, \text{"LogLogisticRV(a,b)"}$$

$$\text{"f(x)", } \frac{a^{\sim b} b^{\sim} \left(e^{\frac{1}{x}} - 2 \right)^{b^{\sim} - 1} e^{\frac{1}{x}}}{\left(1 + a^{\sim b} \left(e^{\frac{1}{x}} - 2 \right)^{b^{\sim}} \right)^2 x^2}$$

"i is", 11,

"-----"
 -----"

$$g := t \rightarrow \tanh(t)$$

$$l := 0$$

$$u := \infty$$

$$Temp := \left[\left[y \rightarrow - \frac{a^{\tilde{b}} b^{\tilde{b}} \operatorname{arctanh}(y)^{\tilde{b}-1}}{(1 + a^{\tilde{b}} \operatorname{arctanh}(y)^{\tilde{b}})^2 (y^2 - 1)} \right], [0, 1], ["Continuous", "PDF"] \right]$$

"l and u", 0, ∞

$$\text{"g(x)", } \tanh(x), \text{"base", } \frac{a^{\tilde{b}} b^{\tilde{b}} (a^{\tilde{b}} x)^{\tilde{b}-1}}{(1 + (a^{\tilde{b}} x)^{\tilde{b}})^2}, \text{"LogLogisticRV(a,b)"}$$

$$\text{"f(x)", } - \frac{a^{\tilde{b}} b^{\tilde{b}} \operatorname{arctanh}(x)^{\tilde{b}-1}}{(1 + a^{\tilde{b}} \operatorname{arctanh}(x)^{\tilde{b}})^2 (x^2 - 1)}$$

"i is", 12,

"-----"

$$g := t \rightarrow \sinh(t)$$

$$l := 0$$

$$u := \infty$$

$$Temp := \left[\left[y \rightarrow \frac{a^{\tilde{b}} b^{\tilde{b}} \operatorname{arcsinh}(y)^{\tilde{b}-1}}{(1 + a^{\tilde{b}} \operatorname{arcsinh}(y)^{\tilde{b}})^2 \sqrt{y^2 + 1}} \right], [0, \infty], ["Continuous", "PDF"] \right]$$

"l and u", 0, ∞

$$\text{"g(x)", } \sinh(x), \text{"base", } \frac{a^{\tilde{b}} b^{\tilde{b}} (a^{\tilde{b}} x)^{\tilde{b}-1}}{(1 + (a^{\tilde{b}} x)^{\tilde{b}})^2}, \text{"LogLogisticRV(a,b)"}$$

$$\text{"f(x)", } \frac{a^{\tilde{b}} b^{\tilde{b}} \operatorname{arcsinh}(x)^{\tilde{b}-1}}{(1 + a^{\tilde{b}} \operatorname{arcsinh}(x)^{\tilde{b}})^2 \sqrt{x^2 + 1}}$$

"i is", 13,

"-----"

$$g := t \rightarrow \operatorname{arcsinh}(t)$$

$$l := 0$$

$$u := \infty$$

$$Temp := \left[\left[y \rightarrow \frac{a^{\tilde{b}} b^{\tilde{b}} \sinh(y)^{\tilde{b}-1} \cosh(y)}{(1 + a^{\tilde{b}} \sinh(y)^{\tilde{b}})^2} \right], [0, \infty], ["Continuous", "PDF"] \right]$$

"l and u", 0, ∞

$$\text{"g(x)", } \operatorname{arcsinh}(x), \text{"base", } \frac{a^{\tilde{b}} b^{\tilde{b}} (a^{\tilde{b}} x)^{\tilde{b}-1}}{(1 + (a^{\tilde{b}} x)^{\tilde{b}})^2}, \text{"LogLogisticRV(a,b)"}$$

$$\text{"f(x)", } \frac{a^{\tilde{b}} b^{\tilde{b}} \sinh(x)^{\tilde{b}-1} \cosh(x)}{(1 + a^{\tilde{b}} \sinh(x)^{\tilde{b}})^2}$$

"i is", 14,

"-----"

$$g := t \rightarrow \operatorname{csch}(t + 1)$$

$$l := 0$$

$$u := \infty$$

$$Temp := \left[\left[y \rightarrow \frac{a^{\tilde{b}} \tilde{b} (-1 + \operatorname{arccsch}(y))^{\tilde{b}-1}}{\sqrt{y^2 + 1} (1 + a^{\tilde{b}} (-1 + \operatorname{arccsch}(y))^{\tilde{b}})^2 |y|} \right], \left[0, \frac{2}{e - e^{-1}} \right], \right. \\ \left. ["Continuous", "PDF"] \right]$$

$$["l \text{ and } u", 0, \infty$$

$$"g(x)", \operatorname{csch}(x + 1), "base", \frac{a^{\tilde{b}} \tilde{b} (a^{\tilde{b}} x)^{\tilde{b}-1}}{(1 + (a^{\tilde{b}} x)^{\tilde{b}})^2}, "LogLogisticRV(a,b)"$$

$$"f(x)", \frac{a^{\tilde{b}} \tilde{b} (-1 + \operatorname{arccsch}(x))^{\tilde{b}-1}}{\sqrt{x^2 + 1} (1 + a^{\tilde{b}} (-1 + \operatorname{arccsch}(x))^{\tilde{b}})^2 |x|}$$

"i is", 15,

"-----"

-----"

$$g := t \rightarrow \operatorname{arccsch}(t + 1)$$

$$l := 0$$

$$u := \infty$$

$$Temp := \left[\left[y \rightarrow - \frac{a^{\tilde{b}} \tilde{b} \left(- \frac{\sinh(y) - 1}{\sinh(y)} \right)^{\tilde{b}} \cosh(y)}{(\sinh(y) - 1) \sinh(y) \left(1 + a^{\tilde{b}} \left(- \frac{\sinh(y) - 1}{\sinh(y)} \right)^{\tilde{b}} \right)^2}, \left[0, \ln(1 \right. \right. \\ \left. \left. + \sqrt{2} \right) \right], ["Continuous", "PDF"] \right]$$

$$["l \text{ and } u", 0, \infty$$

$$"g(x)", \operatorname{arccsch}(x + 1), "base", \frac{a^{\tilde{b}} \tilde{b} (a^{\tilde{b}} x)^{\tilde{b}-1}}{(1 + (a^{\tilde{b}} x)^{\tilde{b}})^2}, "LogLogisticRV(a,b)"$$

$$"f(x)", - \frac{a^{\tilde{b}} \tilde{b} \left(- \frac{\sinh(x) - 1}{\sinh(x)} \right)^{\tilde{b}} \cosh(x)}{(\sinh(x) - 1) \sinh(x) \left(1 + a^{\tilde{b}} \left(- \frac{\sinh(x) - 1}{\sinh(x)} \right)^{\tilde{b}} \right)^2}$$

"i is", 16,

"-----"

-----"

$$g := t \rightarrow \frac{1}{\tanh(t + 1)}$$

$$l := 0$$

$$u := \infty$$

$Temp := \left[\left[y \rightarrow \frac{a^{b-} b^{-} \left(-1 + \operatorname{arctanh} \left(\frac{1}{y} \right) \right)^{b- - 1}}{\left(1 + a^{b-} \left(-1 + \operatorname{arctanh} \left(\frac{1}{y} \right) \right)^{b-} \right)^2 (y^2 - 1)} \right], \left[1, \frac{e + e^{-1}}{e - e^{-1}} \right], \right. \\ \left. ["Continuous", "PDF"] \right]$	
<p>"l and u", 0, ∞</p> <p>"g(x)", $\frac{1}{\tanh(x + 1)}$, "base", $\frac{a^{b-} (a^{b-} x)^{b- - 1}}{(1 + (a^{b-} x)^{b-})^2}$, "LogLogisticRV(a,b)"</p> <p>"f(x)", $\frac{a^{b-} b^{-} \left(-1 + \operatorname{arctanh} \left(\frac{1}{x} \right) \right)^{b- - 1}}{\left(1 + a^{b-} \left(-1 + \operatorname{arctanh} \left(\frac{1}{x} \right) \right)^{b-} \right)^2 (x^2 - 1)}$</p>	
"i is", 17,	"-----"
$g := t \rightarrow \frac{1}{\sinh(t + 1)}$ $l := 0$ $u := \infty$	
$Temp := \left[\left[y \rightarrow \frac{a^{b-} b^{-} \left(-1 + \operatorname{arcsinh} \left(\frac{1}{y} \right) \right)^{b- - 1}}{\sqrt{y^2 + 1} \left(1 + a^{b-} \left(-1 + \operatorname{arcsinh} \left(\frac{1}{y} \right) \right)^{b-} \right)^2 y } \right], \left[0, \frac{2}{e - e^{-1}} \right], \right. \\ \left. ["Continuous", "PDF"] \right]$	
<p>"l and u", 0, ∞</p> <p>"g(x)", $\frac{1}{\sinh(x + 1)}$, "base", $\frac{a^{b-} (a^{b-} x)^{b- - 1}}{(1 + (a^{b-} x)^{b-})^2}$, "LogLogisticRV(a,b)"</p> <p>"f(x)", $\frac{a^{b-} b^{-} \left(-1 + \operatorname{arcsinh} \left(\frac{1}{x} \right) \right)^{b- - 1}}{\sqrt{x^2 + 1} \left(1 + a^{b-} \left(-1 + \operatorname{arcsinh} \left(\frac{1}{x} \right) \right)^{b-} \right)^2 x }$</p>	
"i is", 18,	"-----"

-----"

$$g := t \rightarrow \frac{1}{\operatorname{arcsinh}(t + 1)}$$

$$l := 0$$

$$u := \infty$$

$$Temp := \left[\left[y \rightarrow \frac{a^{b-1} b \left(-1 + \sinh\left(\frac{1}{y}\right) \right)^{b-1} \cosh\left(\frac{1}{y}\right)}{\left(1 + a^{b-1} \left(-1 + \sinh\left(\frac{1}{y}\right) \right) \right)^2 y^2} \right], \left[0, \frac{1}{\ln(1 + \sqrt{2})} \right], \right. \\ \left. ["Continuous", "PDF"] \right]$$

"l and u", 0, ∞

$$\text{"g(x)", } \frac{1}{\operatorname{arcsinh}(x + 1)}, \text{"base", } \frac{a^{b-1} b (a x)^{b-1}}{(1 + (a x)^b)^2}, \text{"LogLogisticRV(a,b)"}$$

$$\text{"f(x)", } \frac{a^{b-1} b \left(-1 + \sinh\left(\frac{1}{x}\right) \right)^{b-1} \cosh\left(\frac{1}{x}\right)}{\left(1 + a^{b-1} \left(-1 + \sinh\left(\frac{1}{x}\right) \right) \right)^2 x^2}$$

"i is", 19,

"

-----"

$$g := t \rightarrow \frac{1}{\operatorname{csch}(t)} + 1$$

$$l := 0$$

$$u := \infty$$

$$Temp := \left[\left[y \rightarrow \frac{a^{b-1} b \operatorname{arccsch}\left(\frac{1}{y-1}\right)^{b-1}}{\sqrt{y^2 - 2 y + 2} \left(1 + a^{b-1} \operatorname{arccsch}\left(\frac{1}{y-1}\right)^{b-1} \right)^2} \right], [1, \infty], \right. \\ \left. ["Continuous", "PDF"] \right]$$

"l and u", 0, ∞

$$\text{"g(x)", } \frac{1}{\operatorname{csch}(x)} + 1, \text{"base", } \frac{a^{b-1} b (a x)^{b-1}}{(1 + (a x)^b)^2}, \text{"LogLogisticRV(a,b)"}$$

$$\text{"f(x)", } \frac{a^{\sim b^{\sim}} b^{\sim} \operatorname{arccsch}\left(\frac{1}{x-1}\right)^{b^{\sim}-1}}{\sqrt{x^2-2 x+2} \left(1+a^{\sim b^{\sim}} \operatorname{arccsch}\left(\frac{1}{x-1}\right)^{b^{\sim}}\right)^2}$$

"i is", 20,

"-----"
 -----"

$$g:=t\rightarrow \tanh\left(\frac{1}{t}\right)$$

$$l:=0$$

$$u:=\infty$$

$$Temp:=\left[\left[y^{\sim}\rightarrow-\frac{a^{\sim b^{\sim}} b^{\sim} \left(\frac{1}{\operatorname{arctanh}(y^{\sim})}\right)^{b^{\sim}}}{\operatorname{arctanh}(y^{\sim}) \left(1+a^{\sim b^{\sim}} \left(\frac{1}{\operatorname{arctanh}(y^{\sim})}\right)^{b^{\sim}}\right)^2 (y^{\sim 2}-1)}\right], [0, 1],\right.\\ \left.["Continuous", "PDF"]\right]$$

"l and u", 0, ∞

$$\text{"g(x)", } \tanh\left(\frac{1}{x}\right), \text{"base", } \frac{a^{\sim} b^{\sim} (a^{\sim} x)^{b^{\sim}-1}}{(1+(a^{\sim} x)^{b^{\sim}})^2}, \text{"LogLogisticRV(a,b)"}$$

$$\text{"f(x)", } -\frac{a^{\sim b^{\sim}} b^{\sim} \left(\frac{1}{\operatorname{arctanh}(x)}\right)^{b^{\sim}}}{\operatorname{arctanh}(x) \left(1+a^{\sim b^{\sim}} \left(\frac{1}{\operatorname{arctanh}(x)}\right)^{b^{\sim}}\right)^2 (x^2-1)}$$

"i is", 21,

"-----"
 -----"

$$g:=t\rightarrow \operatorname{csch}\left(\frac{1}{t}\right)$$

$$l:=0$$

$$u:=\infty$$

$$Temp:=\left[\left[y^{\sim}\rightarrow\frac{a^{\sim b^{\sim}} b^{\sim} \operatorname{arccsch}(y^{\sim})^{-b^{\sim}-1}}{\sqrt{y^{\sim 2}+1} \left(1+a^{\sim b^{\sim}} \operatorname{arccsch}(y^{\sim})^{-b^{\sim}}\right)^2 |y^{\sim}|}\right], [0, \infty], ["Continuous",\\ "PDF"]\right]$$

"l and u", 0, ∞

$$\text{"g(x)", csch}\left(\frac{1}{x}\right), \text{"base", } \frac{a \sim b \sim (a \sim x)^{b \sim - 1}}{(1 + (a \sim x)^{b \sim})^2}, \text{"LogLogisticRV(a,b)"}$$

$$\text{"f(x)", } \frac{a \sim^{b \sim} b \sim \operatorname{arccsch}(x)^{-b \sim - 1}}{\sqrt{x^2 + 1} (1 + a \sim^{b \sim} \operatorname{arccsch}(x)^{-b \sim})^2 |x|}$$

"i is", 22,

"-----"
 -----"

$$g := t \rightarrow \operatorname{arccsch}\left(\frac{1}{t}\right)$$

$$l := 0$$

$$u := \infty$$

$$Temp := \left[\left[y \sim \rightarrow \frac{a \sim^{b \sim} b \sim \sinh(y \sim)^{b \sim - 1} \cosh(y \sim)}{(1 + a \sim^{b \sim} \sinh(y \sim)^{b \sim})^2} \right], [0, \infty], ["Continuous", "PDF"] \right]$$

"l and u", 0, ∞

$$\text{"g(x)", arccsch}\left(\frac{1}{x}\right), \text{"base", } \frac{a \sim b \sim (a \sim x)^{b \sim - 1}}{(1 + (a \sim x)^{b \sim})^2}, \text{"LogLogisticRV(a,b)"}$$

$$\text{"f(x)", } \frac{a \sim^{b \sim} b \sim \sinh(x)^{b \sim - 1} \cosh(x)}{(1 + a \sim^{b \sim} \sinh(x)^{b \sim})^2}$$

(3)