

$$\frac{1}{\pi \sqrt{x \left(1-x\right)}}$$

"i is", 16,

"-----"
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$$g:=t\rightarrow \frac{1}{\tanh(t+1)}$$

$$l:=0$$

$$u:=\infty$$

$$Temp:=\left[\left[y\rightsquigarrow\frac{1}{\sqrt{-\left(-1+\operatorname{arctanh}\left(\frac{1}{y\sim}\right)\right)\left(-2+\operatorname{arctanh}\left(\frac{1}{y\sim}\right)\right)}\pi\left(y\sim^2-1\right)}\right],\right.\\ \left.\left[\frac{-\mathrm{e}^{-2}-\mathrm{e}^2}{\mathrm{e}^{-2}-\mathrm{e}^2},\frac{\mathrm{e}+\mathrm{e}^{-1}}{\mathrm{e}-\mathrm{e}^{-1}}\right],\left["\text{Continuous}","\text{PDF}"]\right]$$

"l and u", 0, \infty

$$\text{"g(x)",}\frac{1}{\tanh(x+1)},\text{"base",}\frac{1}{\pi \sqrt{x \left(1-x\right)}},\text{"ArcSinRV()}"$$

$$\text{"f(x)",}\frac{1}{\sqrt{-\left(-1+\operatorname{arctanh}\left(\frac{1}{x}\right)\right)\left(-2+\operatorname{arctanh}\left(\frac{1}{x}\right)\right)}\pi\left(x^2-1\right)}$$

$$\text{"S(x)",}\frac{\pi-\arcsin\left(-3+2\operatorname{arctanh}\left(\frac{\mathrm{e}^4-1}{\mathrm{e}^4+1}\right)\right)+\arcsin\left(-3+2\operatorname{arctanh}\left(\frac{1}{x}\right)\right)}{\pi}$$

$$\text{"h(x)",}\frac{-1}{\left(\sqrt{-\left(-1+\operatorname{arctanh}\left(\frac{1}{x}\right)\right)\left(-2+\operatorname{arctanh}\left(\frac{1}{x}\right)\right)}\left(x^2-1\right)\left(-\pi+\arcsin\left(-3\right.\right.\right.\\ \left.\left.+2\operatorname{arctanh}\left(\frac{\mathrm{e}^4-1}{\mathrm{e}^4+1}\right)\right)-\arcsin\left(-3+2\operatorname{arctanh}\left(\frac{1}{x}\right)\right)\right)\right)}$$

"mean and variance",

$$\frac{\frac{\mathrm{e}^2+1}{\mathrm{e}^2-1}}{\int\limits_{\frac{\mathrm{e}^4+1}{\mathrm{e}^4-1}}^{\frac{\mathrm{e}^2+1}{\mathrm{e}^2-1}}\frac{x}{\sqrt{-\left(-1+\operatorname{arctanh}\left(\frac{1}{x}\right)\right)\left(-2+\operatorname{arctanh}\left(\frac{1}{x}\right)\right)}\left(x^2-1\right)}\mathrm{d}x},\frac{1}{\pi^2}\left(\left(\right.\right.$$

$$\left[\int_{\frac{e^4+1}{e^4-1}}^{\frac{e^2+1}{e^2-1}} \frac{x^2}{\sqrt{-\left(-1 + \operatorname{arctanh}\left(\frac{1}{x}\right)\right)\left(-2 + \operatorname{arctanh}\left(\frac{1}{x}\right)\right)(x^2-1)}} dx \pi - \left[\int_{\frac{e^4+1}{e^4-1}}^{\frac{e^2+1}{e^2-1}} \frac{x}{\sqrt{-\left(-1 + \operatorname{arctanh}\left(\frac{1}{x}\right)\right)\left(-2 + \operatorname{arctanh}\left(\frac{1}{x}\right)\right)(x^2-1)}} dx \right]^2 \right)$$

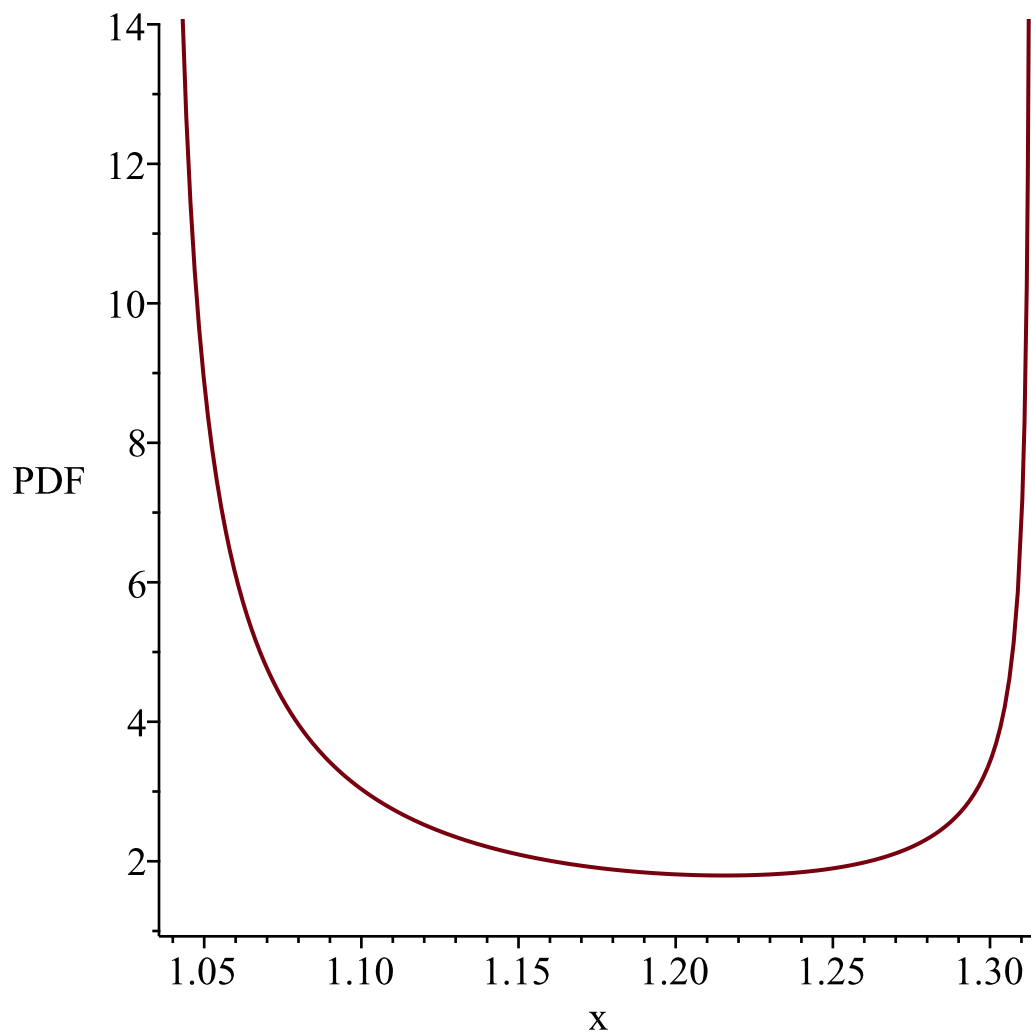
*WARNING(PlotDist): Low value provided by user, 0
is less than minimum support value of random variable*

$$\frac{-e^{-2} - e^2}{e^{-2} - e^2}$$

*Resetting low to RV's minimum support value
WARNING(PlotDist): High value provided by user, 40
is greater than maximum support value of the random*

$$\text{variable, } \frac{e + e^{-1}}{e - e^{-1}}$$

Resetting high to RV's maximum support value



*WARNING(PlotDist): Low value provided by user, 0
is less than minimum support value of random variable*

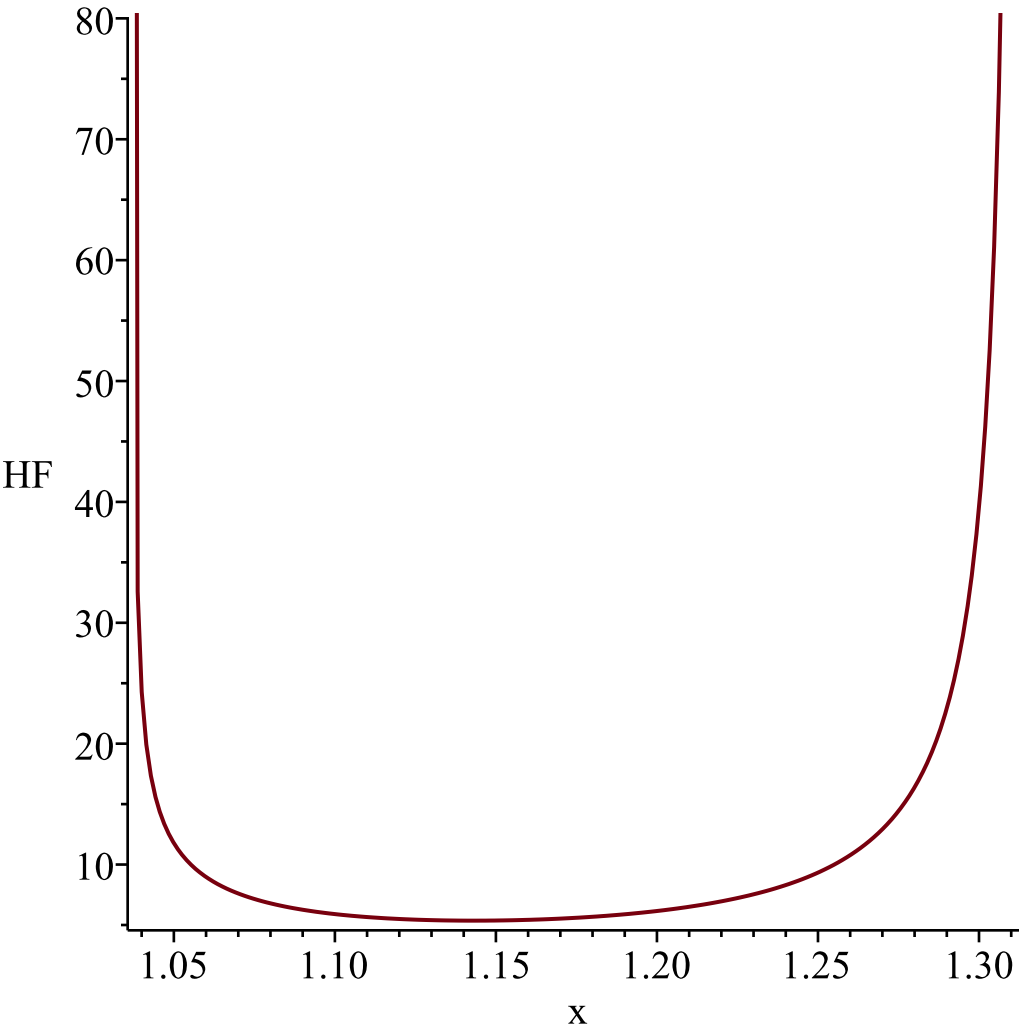
$$\frac{-e^{-2} - e^2}{e^{-2} - e^2}$$

Resetting low to RV's minimum support value

*WARNING(PlotDist): High value provided by user, 40
is greater than maximum support value of the random*

$$\text{variable, } \frac{e + e^{-1}}{e - e^{-1}}$$

Resetting high to RV's maximum support value



```
{\frac {1}{\sqrt {- \left( -1+{\rm arctanh} \left({x}^{-1}\right)\right)} \left( -2+{\rm arctanh} \left({x}^{-1}\right)\right) \right)}\pi\,\left( {x}^{2}-1 \right) }}
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"i is",17,
" -----
-----"

$$g:=t\rightarrow \frac{1}{\sinh(t+1)}$$
$$l:=0$$
$$u:=\infty$$

$$Temp:=\left[\left[y\leadsto \frac{1}{\sqrt{-\left(-1+\operatorname{arcsinh}\left(\frac{1}{y\leadsto}\right)\right)\left(-2+\operatorname{arcsinh}\left(\frac{1}{y\leadsto}\right)\right)}\sqrt{y\leadsto^2+1}}\pi\left|y\leadsto\right|\right],\left[-\frac{2}{e^{-2}-e^2},\frac{2}{e-e^{-1}}\right],\left["Continuous","PDF"\right]$$

"l and u", 0, ∞

$$\begin{aligned}
& \text{"g(x)", } \frac{1}{\sinh(x+1)}, \text{"base", } \frac{1}{\pi \sqrt{x(1-x)}}, \text{"ArcSinRV()"} \\
& \text{"f(x)", } \frac{1}{\sqrt{-\left(-1 + \operatorname{arcsinh}\left(\frac{1}{x}\right)\right)\left(-2 + \operatorname{arcsinh}\left(\frac{1}{x}\right)\right)} \sqrt{x^2+1} \pi |x|} \\
& -\pi + \int_{\frac{2e^2}{e^4-1}}^x \frac{1}{\sqrt{-\left(-1 + \operatorname{arcsinh}\left(\frac{1}{t}\right)\right)\left(-2 + \operatorname{arcsinh}\left(\frac{1}{t}\right)\right)} \sqrt{t^2+1} |t|} dt \\
& \text{"S(x)", } -\frac{\pi}{\pi} \\
& \text{"h(x)", } 1 \left/ \left(\sqrt{-\left(-1 + \operatorname{arcsinh}\left(\frac{1}{x}\right)\right)\left(-2 + \operatorname{arcsinh}\left(\frac{1}{x}\right)\right)} \sqrt{x^2+1} |x| \left(\pi - \left(\int_{\frac{2e^2}{e^4-1}}^x \frac{1}{\sqrt{-\left(-1 + \operatorname{arcsinh}\left(\frac{1}{t}\right)\right)\left(-2 + \operatorname{arcsinh}\left(\frac{1}{t}\right)\right)} \sqrt{t^2+1} |t|} dt \right) \right) \right) \right) \\
& \int_{\frac{2e^2}{e^4-1}}^{\frac{2e}{e^2-1}} \frac{1}{\sqrt{-1 + \operatorname{arcsinh}\left(\frac{1}{x}\right)} \sqrt{2 - \operatorname{arcsinh}\left(\frac{1}{x}\right)} \sqrt{x^2+1}} dx \\
& \text{"mean and variance", } \frac{\pi}{\pi}, \\
& \frac{1}{\pi^2} \left(\left(\int_{\frac{2e^2}{e^4-1}}^{\frac{2e}{e^2-1}} \frac{x}{\sqrt{-1 + \operatorname{arcsinh}\left(\frac{1}{x}\right)} \sqrt{2 - \operatorname{arcsinh}\left(\frac{1}{x}\right)} \sqrt{x^2+1}} dx \right) \pi \right. \\
& \left. - \left(\int_{\frac{2e^2}{e^4-1}}^{\frac{2e}{e^2-1}} \frac{1}{\sqrt{-1 + \operatorname{arcsinh}\left(\frac{1}{x}\right)} \sqrt{2 - \operatorname{arcsinh}\left(\frac{1}{x}\right)} \sqrt{x^2+1}} dx \right)^2 \right)
\end{aligned}$$

WARNING(PlotDist): Low value provided by user, 0

is less than minimum support value of random variable

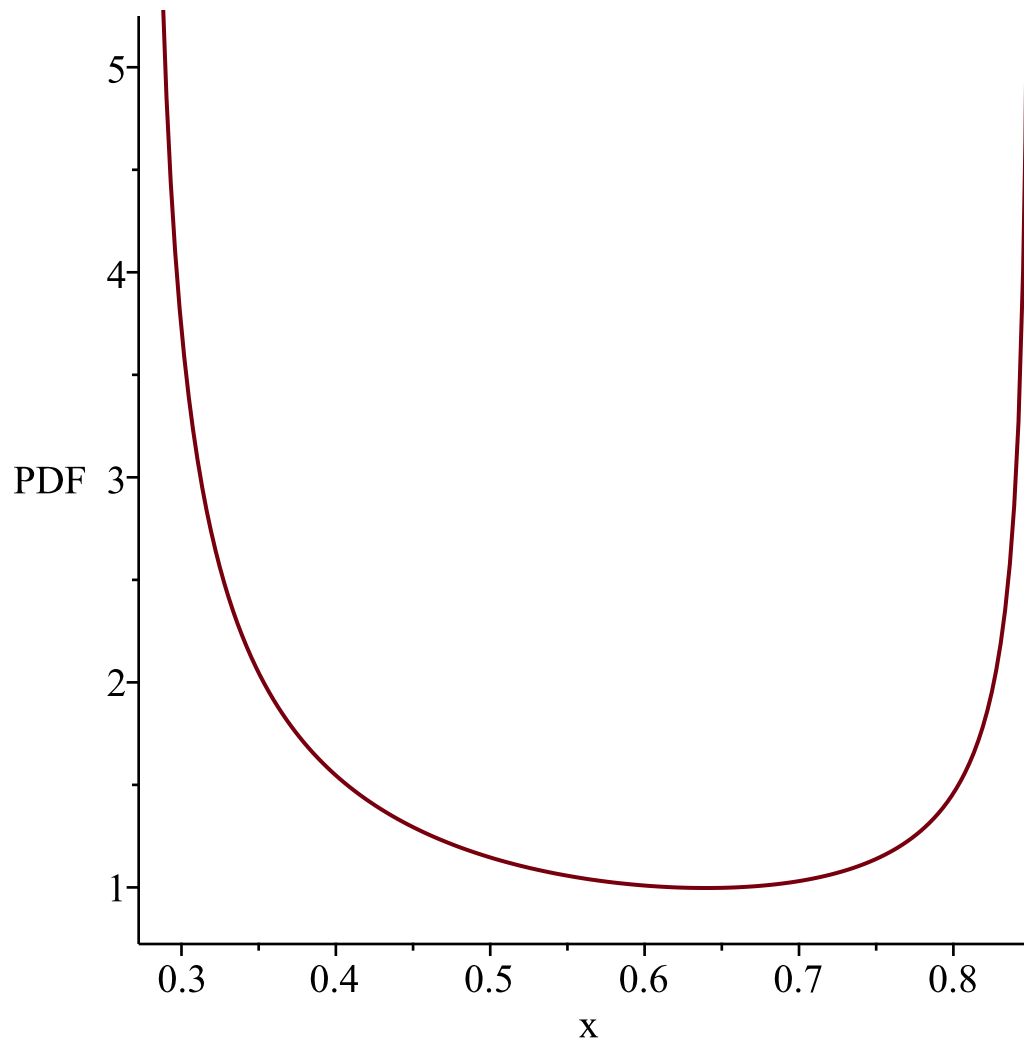
$$-\frac{2}{e^{-2}-e^2}$$

Resetting low to RV's minimum support value

*WARNING(PlotDist): High value provided by user, 40
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variable, $\frac{2}{e-e^{-1}}$

Resetting high to RV's maximum support value



*WARNING(PlotDist): Low value provided by user, 0
is less than minimum support value of random variable*

$$-\frac{2}{e^{-2}-e^2}$$

Resetting low to RV's minimum support value

*WARNING(PlotDist): High value provided by user, 40
is greater than maximum support value of the random*

variable, $\frac{2}{e - e^{-1}}$

Resetting high to RV's maximum support value

Warning, computation interrupted

[>