$$Temp := \left[y \rightarrow \frac{a^{-b^{-}} \left(\frac{1}{y^{-}}\right)^{b^{-}} e^{-\frac{a^{-b^{-}}}{y^{-}}}}{y^{-} \Gamma(b^{-})} \right] [0, \infty], ["Continuous", "PDF"] \right]$$

$$"I and u", 0, \infty$$

$$"g(x)", \frac{1}{x}, "base", \frac{a \cdot (a \cdot x)^{b^{-}-1} e^{-a \cdot x}}{\Gamma(b^{-})}, "GammaRV(a,b)"$$

$$"f(x)", \frac{a^{-b^{-}} \left(\frac{1}{x}\right)^{b^{-}} e^{-\frac{a^{-b^{-}}}{x}}}{x \Gamma(b^{-})}$$

$$"i is", 4, \dots$$

$$"g := t \rightarrow \arctan(t)$$

$$t := 0$$

$$u := \infty$$

$$Temp := \left[\left[y \rightarrow \frac{a^{-b^{-}} \tan(y^{-})^{b^{-}-1} e^{-a \cdot \tan(y^{-})} \left(1 + \tan(y^{-})^{2}\right)}{\Gamma(b^{-})} \right] \left[0, \frac{1}{2} \pi \right] ["Continuous", \prod_{i=0}^{p^{-}} \frac{a^{-b^{-}} \tan(x)^{b^{-}-1} e^{-a \cdot x}}{\Gamma(b^{-})}, "GammaRV(a,b)"$$

$$"f(x)", \frac{a^{-b^{-}} \tan(x)^{b^{-}-1} e^{-a \cdot \tan(x)} \left(1 + \tan(x)^{2}\right)}{\Gamma(b^{-})}$$

$$"i is", 5, \dots$$

$$"g(x)", a^{-b^{-}} \ln(y^{-})^{b^{-}-1} y^{-a^{-}-1} \right] [1, \infty], ["Continuous", "PDF"]$$

$$"i and u", 0, \infty$$

$$u := \infty$$

$$Temp := \left[\left[y \rightarrow \frac{a^{-b^{-}} \ln(y^{-})^{b^{-}-1} y^{-a^{-}-1}}{\Gamma(b^{-})} \right] [1, \infty], ["Continuous", "PDF"] \right]$$

$$"and u", 0, \infty$$

$$u := \infty$$

$$Temp := \left[\left[y \rightarrow \frac{a^{-b^{-}} \ln(y^{-})^{b^{-}-1} y^{-a^{-}-1}}{\Gamma(b^{-})} \right] [1, \infty], ["Continuous", "PDF"] \right]$$

$$"and u", 0, \infty$$

$$u := \infty$$

$$Temp := \left[\left[y \rightarrow \frac{a^{-b^{-}} \ln(y^{-})^{b^{-}-1} y^{-a^{-}-1}}}{\Gamma(b^{-})} \right] [1, \infty], ["Continuous", "PDF"] \right]$$

$$"and u", 0, \infty$$

$$u := \infty$$

$$Temp := \left[\left[y \rightarrow \frac{a^{-b^{-}} \ln(y^{-})^{b^{-}-1} y^{-a^{-}-1}}}{\Gamma(b^{-})} \right] [1, \infty], ["Continuous", "PDF"] \right]$$

$$"and u", 0, \infty$$

$$u := \infty$$

$$Temp := \left[\left[y \rightarrow \frac{a^{-b^{-}} \ln(y^{-})^{b^{-}-1} y^{-a^{-}-1}}}{\Gamma(b^{-})} \right] [1, \infty], ["Continuous", "PDF"] \right]$$

$$"and u", 0, \infty$$

$$u := \infty$$

$$Temp := \left[\left[y \rightarrow \frac{a^{-b^{-}} \ln(y^{-})^{b^{-}-1} y^{-a^{-}-1}}}{\Gamma(b^{-})} \right] [1, \infty], ["Continuous", "PDF"] \right]$$

$$"and u", 0, \infty$$

$$u := \infty$$

$$Temp := \left[\left[y \rightarrow \frac{a^{-b^{-}} \ln(y^{-})^{b^{-}-1} x^{-a^{-}-1}}}{\Gamma(b^{-})} \right] [1, \infty], ["Continuous", "PDF"]$$

$$"and u", 0, \infty$$

$$u := \infty$$

$$Temp := \left[\left[y \rightarrow \frac{a^{-b^{-}} \ln(y^{-})^{b^{-}-1} y^{-a^{-}-1}}}{\Gamma(b^{-})} \right] [1, \infty], ["Continuous", "PDF"]$$

$$"and u', 0, \infty$$

$$u := \infty$$

$$Temp := \left[\left[y \rightarrow \frac{a^{-b^{-}} \ln(y^{-})^{b^{-}-1} y^{-a^{-}-1}}}{\Gamma(b^{-})} \right] [1, \infty], ["Continuous", "PDF"]$$

$$"and u', 0, \infty$$

$$"and u', 0, \infty$$

$$"and u',$$

 $g := t \rightarrow \ln(t)$ $Temp := \left[\left[y \sim \to \frac{a^{-b^{-}} e^{-a \sim e^{y^{-}} + y \sim b^{-}}}{\Gamma(b^{-})} \right], [-\infty, \infty], ["Continuous", "PDF"] \right]$ "g(x)", ln(x), "base", $\frac{a \sim (a \sim x)^{b \sim -1} e^{-a \sim x}}{\Gamma(b \sim)}$, "GammaRV(a,b)" "f(x)", $\frac{a^{b^{-}} e^{-a^{-}} e^{x^{+} + xb^{-}}}{\Gamma(b^{-})}$ "i is", 7, $Temp := \left[\left[y \sim \rightarrow \frac{a^{\sim b^{\sim}} \left(-\ln(y \sim) \right)^{b \sim -1} y^{\sim a \sim -1}}{\Gamma(b \sim)} \right], [0, 1], ["Continuous", "PDF"] \right]$ "l and u", 0, ∞ "g(x)", e^{-x} , "base", $\frac{a \sim (a \sim x)^{b \sim -1} e^{-a \sim x}}{\Gamma(b \sim x)}$, "GammaRV(a,b)" "f(x)", $\frac{a^{-b^{-}}(-\ln(x))^{b^{-}-1}x^{a^{-}-1}}{\Gamma(b^{-})}$ "i is", 8, $Temp := \left[\left[y \sim \rightarrow \frac{a^{b^{-}} e^{-a^{-}} e^{-y^{-}} - y \sim b^{-}}{\Gamma(b^{-})} \right], [-\infty, \infty], ["Continuous", "PDF"] \right]$ "g(x)", $-\ln(x)$, "base", $\frac{a \sim (a \sim x)^{b \sim -1} e^{-a \sim x}}{\Gamma(b \sim)}$, "GammaRV(a,b)" "f(x)", $\frac{a^{-b^{-}} e^{-a^{-}e^{-x} - xb^{-}}}{\Gamma(b^{-})}$ "i is", 9,

$$g := t \rightarrow \ln(t+1)$$

$$I := 0$$

$$u := \infty$$

$$Temp := \left[\left[y \rightarrow \frac{a^{-b^{+}} \left(e^{y^{+}} - 1 \right)^{b^{+}-1} e^{-a^{+}} e^{y^{+}} + a^{+} + y^{+}} \right], [0, \infty], [\text{"Continuous"}, \text{"PDF"}] \right]$$

$$\text{"I and u", 0, } \infty$$

$$\text{"g(x)", } \ln(x+1), \text{"base", } \frac{a^{-} \left(e^{x} - 1 \right)^{b^{+}-1} e^{-a^{-}x}}{\Gamma(b^{-})}, \text{"GammaRV(a,b)"}$$

$$\text{"f(x)", } \frac{a^{-b^{+}} \left(e^{x} - 1 \right)^{b^{+}-1} e^{-a^{-}e^{x}} + a^{-} + x}}{\Gamma(b^{-})}$$

$$\text{"i is", 10,}$$

$$y := t \rightarrow \frac{1}{\ln(t+2)}$$

$$I := 0$$

$$u := \infty$$

$$I := 0$$

$$u := \infty$$

$$I := 0$$

 $u := \infty$

```
Temp := \left[ \left[ y \sim \rightarrow -\frac{a^{-b^{-}}\operatorname{arctanh}(y \sim)^{b \sim -1} e^{-a \sim \operatorname{arctanh}(y \sim)}}{\left( y \sim^{2} - 1 \right) \Gamma(b \sim)} \right], [0, 1], ["Continuous", "PDF"] \right]
                               "g(x)", tanh(x), "base", \frac{a \sim (a \sim x)^{b \sim -1} e^{-a \sim x}}{\Gamma(b \sim x)}, "GammaRV(a,b)"
                                                     "f(x)", -\frac{a^{b^{-}}\operatorname{arctanh}(x)^{b^{-}-1}e^{-a^{-}\operatorname{arctanh}(x)}}{(x^{2}-1)\Gamma(b^{-})}
"i is", 12,
                                                                                   g := t \rightarrow \sinh(t)
                                                                                             l := 0
      Temp := \left[ \left[ y \sim \rightarrow \frac{a^{-b^{-}} \operatorname{arcsinh}(y \sim)^{b^{-}-1} e^{-a^{-} \operatorname{arcsinh}(y \sim)}}{\Gamma(b \sim) \sqrt{y \sim^{2}+1}} \right], [0, \infty], ["Continuous", "PDF"] \right]
                               "g(x)", sinh(x), "base", \frac{a \sim (a \sim x)^{b \sim -1} e^{-a \sim x}}{\Gamma(b \sim)}, "GammaRV(a,b)"
                                                        "f(x)", \frac{a^{-b^{-}}\operatorname{arcsinh}(x)^{b^{-}-1}e^{-a^{-}\operatorname{arcsinh}(x)}}{\Gamma(b^{-})\sqrt{x^{2}+1}}
"i is", 13,
                                                                               g := t \rightarrow \operatorname{arcsinh}(t)
 Temp := \left[ \left[ y \sim \rightarrow \frac{a^{-b^{-}} \sinh(y^{-})^{b^{-}-1} e^{-a^{-} \sinh(y^{-})} \cosh(y^{-})}{\Gamma(b^{-})} \right], [0, \infty], ["Continuous", "PDF"] \right]
                                                                                     "l and u", 0, ∞
                            "g(x)", arcsinh(x), "base", \frac{a \sim (a \sim x)^{b \sim -1} e^{-a \sim x}}{\Gamma(b \sim)}, "GammaRV(a,b)"
                                                    "f(x)", \frac{a^{-b^{-}}\sinh(x)^{b^{-}-1}e^{-a^{-}\sinh(x)}\cosh(x)}{\Gamma(b^{-})}
                                                                              g := t \rightarrow \operatorname{csch}(t+1)
                                                                                             l := 0
                                                                                            u := \infty
```

$$Temp := \left[\left[y \sim -\frac{a^{-b^{-}} \left(-1 + \operatorname{arccsch}(y \sim) \right)^{b^{-}} - 1 e^{-a^{-} \left(-1 + \operatorname{arccsch}(y \sim) \right)}}{\sqrt{y \sim^{2} + 1}} \right] \cdot \left[0, \frac{2}{e - e^{-1}} \right].$$

$$\left[\text{"Continuous", "PDF"} \right]$$

$$\text{"I and u", 0, } \infty$$

$$\text{"g(x)", csch(x + 1), "base", } \frac{a^{-} \left(a^{-} x \right)^{b^{-}} - 1 e^{-a^{-} x}}{\Gamma(b^{-})} \right], \text{"GammaRV(a,b)"}$$

$$\text{"f(x)", } \frac{a^{-b^{-}} \left(-1 + \operatorname{arccsch}(x) \right)^{b^{-}} - 1 e^{-a^{-} \left(-1 + \operatorname{arccsch}(x) \right)}}{\sqrt{x^{2} + 1}} \cdot \Gamma(b^{-}) \left[x \right]$$

$$\text{"i is", 15, } \dots$$

$$g := t \rightarrow \operatorname{arccsch}(t + 1)$$

$$t := 0$$

$$u := \infty$$

$$u := \infty$$

$$Temp := \left[\left[y \sim -\frac{a^{-b^{-}} \left(-\frac{\sinh(y \sim) - 1}{\sinh(y \sim)} \right)^{b^{-}} e^{-\frac{a^{-} \left(\sinh(y \sim) - 1\right)}{\sinh(y \sim)}} \cosh(y \sim)}{\Gamma(b^{-}) \left(\sinh(y \sim) - 1\right) \sinh(y \sim)} \right], \left[0, \ln(1 + \sqrt{2}) \right],$$

$$\text{"I and u", 0, } \infty$$

$$\text{"g(x)", arccsch}(x + 1), \text{"base", } \frac{a^{-} \left(a - x \right)^{b^{-}} - 1 e^{-a - x}}{\Gamma(b^{-})} \right], \text{"GammaRV(a,b)"}$$

$$\text{"g(x)", arccsch}(x + 1), \text{"base", } \frac{a^{-} \left(a - x \right)^{b^{-}} - 1 e^{-a - x}}{\Gamma(b^{-})} \right], \text{"GammaRV(a,b)"}$$

$$\text{"i is", 16, } \dots$$

$$\text{"i is", 16, } \dots$$

$$g := t \rightarrow \frac{1}{\tanh(t + 1)}$$

$$t := 0$$

$$u := \infty$$

$$Temp := \left[\left[y \sim -\frac{a^{-b^{-}} \left(-1 + \operatorname{arctanh} \left(\frac{1}{y \sim} \right) \right)^{b^{-}} - 1 e^{-a^{-}} \left(-1 + \operatorname{arctanh} \left(\frac{1}{y \sim} \right) \right)}}{\Gamma(b^{-}) \left(y \sim^{2} - 1 \right)} \right], \left[1, \frac{e + e^{-1}}{e^{-a^{-1}}} \right].$$

$$Temp := \left[\left| p \rightarrow \frac{a^{-b^{-}} \left(-1 + \sinh \left(\frac{1}{y^{-}} \right) \right)^{b^{-}-1} e^{-a^{-} \left(-1 + \sinh \left(\frac{1}{y^{-}} \right) \right)} \cosh \left(\frac{1}{y^{-}} \right)}{\Gamma(b^{-}) y^{-2}} \right], \left[0, \frac{1}{\ln \left(1 + \sqrt{2} \right)} \right] \left[\text{"Continuous", "PDF"} \right] \right]$$

$$= \frac{1}{\ln \left(1 + \sqrt{2} \right)} \left[\text{"Continuous", "PDF"} \right]$$

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$$= \frac{1}{\ln \left(1 + \sqrt{2} \right)} \left[\text{"India u", 0, } \infty \right]$$

$$= \frac{a^{-b^{-}} \left(-1 + \sinh \left(\frac{1}{x} \right) \right)^{b^{-}-1} e^{-a^{-}x}}{\Gamma(b^{-})} \left[\text{"Continuous", } \right]$$

$$= \frac{a^{-b^{-}} \operatorname{arcesch} \left(\frac{1}{y^{-}-1} \right)^{b^{-}-1} e^{-a^{-}x} \operatorname{cesch} \left(\frac{1}{y^{-}-1} \right)}}{\sqrt{y^{-2}-2 \ y^{-}+2} \ \Gamma(b^{-})} \right] \left[1, \infty \right], \left[\text{"Continuous", } \right]$$

$$= \frac{a^{-b^{-}} \operatorname{arcesch} \left(\frac{1}{y^{-}-1} \right)^{b^{-}-1} e^{-a^{-}x}}{\Gamma(b^{-})} \left[1, \infty \right], \left[\text{"Continuous", } \right]$$

$$= \frac{a^{-b^{-}} \operatorname{arcesch} \left(\frac{1}{x-1} \right)^{b^{-}-1} e^{-a^{-}x}} \left[e^{-a^{-}x} \right] \left[1, \infty \right], \left[\text{"Continuous", } \right]$$

$$= \frac{a^{-b^{-}} \operatorname{arcesch} \left(\frac{1}{x-1} \right)^{b^{-}-1} e^{-a^{-}x} \operatorname{arcesch} \left(\frac{1}{x-1} \right)}{\sqrt{x^{2}-2 \ x+2} \ \Gamma(b^{-})}$$

$$= \frac{a^{-b^{-}} \operatorname{arcesch} \left(\frac{1}{x-1} \right)^{b^{-}-1} e^{-a^{-}x} \operatorname{arcesch} \left(\frac{1}{x-1} \right)}{\sqrt{x^{2}-2 \ x+2} \ \Gamma(b^{-})}$$

$$= \frac{a^{-b^{-}} \operatorname{arcesch} \left(\frac{1}{x-1} \right)^{b^{-}-1} e^{-a^{-}x} \operatorname{arcesch} \left(\frac{1}{x-1} \right)}{\sqrt{x^{2}-2 \ x+2} \ \Gamma(b^{-})}$$

$$= \frac{a^{-b^{-}} \operatorname{arcesch} \left(\frac{1}{x-1} \right)^{b^{-}-1} e^{-a^{-}x} \operatorname{arcesch} \left(\frac{1}{x-1} \right)}{\sqrt{x^{2}-2 \ x+2} \ \Gamma(b^{-})}$$

$$= \frac{a^{-b^{-}} \operatorname{arcesch} \left(\frac{1}{x-1} \right)^{b^{-}-1} e^{-a^{-}x} \operatorname{arcesch} \left(\frac{1}{x-1} \right)^{b^{-}-1} e^{-a^{-}x} \operatorname{arcesch} \left(\frac{1}{x-1} \right)}{\sqrt{x^{2}-2 \ x+2} \ \Gamma(b^{-})}$$

$$\begin{aligned} u &\coloneqq \infty \\ Temp &\coloneqq \left[\left[y \sim \rightarrow -\frac{a \sim^{b^+} \left(\frac{1}{\operatorname{arctanh}(y \sim)} \right)^{b^+} e^{-\frac{a \sim}{\operatorname{arctanh}(y \sim)}} \right], [0, 1], [\text{"Continuous", "PDF"}] \right] \\ &= \operatorname{arctanh}(y \sim) \left(y \sim^2 - 1 \right) \Gamma(b \sim) \\ &= \operatorname{"India u", 0, \infty} \\ &= \operatorname{"g(x)", tanh} \left(\frac{1}{x} \right), \text{"base", } \frac{a \sim (a \sim x)^{b^+ - 1} e^{-a \sim x}}{\Gamma(b \sim)}, \text{"GammaRV(a,b)"} \right] \\ &= \frac{a \sim^{b^+} \left(\frac{1}{\operatorname{arctanh}(x)} \right)^{b^+} e^{-\frac{a \sim}{\operatorname{arctanh}(x)}}}{\operatorname{arctanh}(x) \left(x^2 - 1 \right) \Gamma(b \sim)} \\ &= \frac{a \sim}{\operatorname{arctanh}(x) \left(x^2 - 1 \right) \Gamma(b \sim)} \\ &= \frac{a \sim}{\operatorname{arctanh}(x) \left(x^2 - 1 \right) \Gamma(b \sim)} \\ &= \frac{a \sim}{\operatorname{arctanh}(x) \left(x^2 - 1 \right) \Gamma(b \sim)} \\ &= \frac{a \sim}{\operatorname{arctanh}(x) \left(x^2 - 1 \right) \Gamma(b \sim)} \\ &= \frac{a \sim}{\operatorname{arctanh}(x) \left(x^2 - 1 \right) \Gamma(b \sim)} \\ &= \frac{a \sim}{\operatorname{arctanh}(x) \left(x^2 - 1 \right) \Gamma(b \sim)} \\ &= \frac{a \sim}{\operatorname{arctanh}(x) \left(x^2 - 1 \right) \Gamma(b \sim)} \\ &= \frac{a \sim}{\operatorname{arctanh}(x) \left(x^2 - 1 \right) \Gamma(b \sim)} \\ &= \frac{a \sim}{\operatorname{arctanh}(x) \left(x^2 - 1 \right) \Gamma(b \sim)} \\ &= \frac{a \sim}{\operatorname{arctanh}(x) \left(x^2 - 1 \right) \Gamma(b \sim)} \\ &= \frac{a \sim}{\operatorname{arctanh}(x) \left(x^2 - 1 \right) \Gamma(b \sim)} \\ &= \frac{a \sim}{\operatorname{arctanh}(x) \left(x^2 - 1 \right) \Gamma(b \sim)} \\ &= \frac{a \sim}{\operatorname{arctanh}(x) \left(x^2 - 1 \right) \Gamma(b \sim)} \\ &= \frac{a \sim}{\operatorname{arctanh}(x) \left(x^2 - 1 \right) \Gamma(b \sim)} \\ &= \frac{a \sim}{\operatorname{arctanh}(x) \left(x^2 - 1 \right) \Gamma(b \sim)} \\ &= \frac{a \sim}{\operatorname{arctanh}(x) \left(x^2 - 1 \right) \Gamma(b \sim)} \\ &= \frac{a \sim}{\operatorname{arctanh}(x) \left(x^2 - 1 \right) \Gamma(b \sim)} \\ &= \frac{a \sim}{\operatorname{arctanh}(x) \left(x^2 - 1 \right) \Gamma(b \sim)} \\ &= \frac{a \sim}{\operatorname{arctanh}(x) \left(x^2 - 1 \right) \Gamma(b \sim)} \\ &= \frac{a \sim}{\operatorname{arctanh}(x) \left(x^2 - 1 \right) \Gamma(b \sim)} \\ &= \frac{a \sim}{\operatorname{arctanh}(x) \left(x^2 - 1 \right) \Gamma(b \sim)} \\ &= \frac{a \sim}{\operatorname{arctanh}(x) \left(x^2 - 1 \right) \Gamma(b \sim)} \\ &= \frac{a \sim}{\operatorname{arctanh}(x) \left(x^2 - 1 \right) \Gamma(b \sim)} \\ &= \frac{a \sim}{\operatorname{arctanh}(x) \left(x^2 - 1 \right) \Gamma(b \sim)} \\ &= \frac{a \sim}{\operatorname{arctanh}(x) \left(x^2 - 1 \right) \Gamma(b \sim)} \\ &= \frac{a \sim}{\operatorname{arctanh}(x) \left(x^2 - 1 \right) \Gamma(b \sim)} \\ &= \frac{a \sim}{\operatorname{arctanh}(x) \left(x^2 - 1 \right) \Gamma(b \sim)} \\ &= \frac{a \sim}{\operatorname{arctanh}(x) \left(x^2 - 1 \right) \Gamma(b \sim)} \\ &= \frac{a \sim}{\operatorname{arctanh}(x) \left(x^2 - 1 \right) \Gamma(b \sim)} \\ &= \frac{a \sim}{\operatorname{arctanh}(x) \left(x^2 - 1 \right) \Gamma(b \sim)} \\ &= \frac{a \sim}{\operatorname{arctanh}(x) \left(x^2 - 1 \right) \Gamma(b \sim)} \\ &= \frac{a \sim}{\operatorname{arctanh}(x) \left(x^2 - 1 \right) \Gamma(b \sim)} \\ &= \frac{a \sim}{\operatorname{arctanh}(x) \left(x^2 - 1 \right) \Gamma(b \sim)} \\ &= \frac{a \sim}{\operatorname{arc$$

$$g \coloneqq t \to \operatorname{arccsch}\left(\frac{1}{t}\right)$$

$$l \coloneqq 0$$

$$u \coloneqq \infty$$

$$Temp \coloneqq \left[\left[y \sim \to \frac{a^{-b^{-}} \sinh(y \sim)^{b^{-}-1} \operatorname{e}^{-a \sim \sinh(y \sim)} \cosh(y \sim)}{\Gamma(b \sim)} \right], [0, \infty], ["Continuous", "PDF"] \right]$$

$$"1 \text{ and } u", 0, \infty$$

$$"g(x)", \operatorname{arccsch}\left(\frac{1}{x}\right), "base", \frac{a \sim (a \sim x)^{b^{-}-1} \operatorname{e}^{-a \sim x}}{\Gamma(b \sim)}, "GammaRV(a,b)"$$

"f(x)",
$$\frac{a^{-b^{-}}\sinh(x)^{b^{-}-1}e^{-a-\sinh(x)}\cosh(x)}{\Gamma(b^{-})}$$
 (1)