if $\forall P \in \mathcal{S}$, $\exists m' \in M' \mid m'(P,P) < m'(L,U) \lor \forall m' \in M', m'(P,P) \le m'(L,U)$ then if L = U then $\mid \mathcal{S} \leftarrow \{P \in \mathcal{S} \mid L_M P\} \cup \{L\}$ else choose $e \in \bigcup_{i=1}^n U_i \setminus L_i$ /st Let k the index of the dimension e is chosen in $\min(L_1, ..., L_k \cup \{e\}, ..., L_n, U'_1, ..., U'_n)$ /* where $\forall i \in \{1,\ldots,n\}$, U_i' is defined as in tree $\min(L_1,\ldots,L_n,U_1,\ldots,U_k\setminus\{e\},\ldots,U_n)$ end end

/* global variables */

/* global variable */

Data: $T, \epsilon_1, \ldots, \epsilon_n, M'$

 $\mathtt{mine}(\emptyset,\ldots,\emptyset,D_1,\ldots,D_n)$

Function mine(L, U):

 $\mathcal{S} \leftarrow \emptyset$

return S

Result: the skypatterns in T