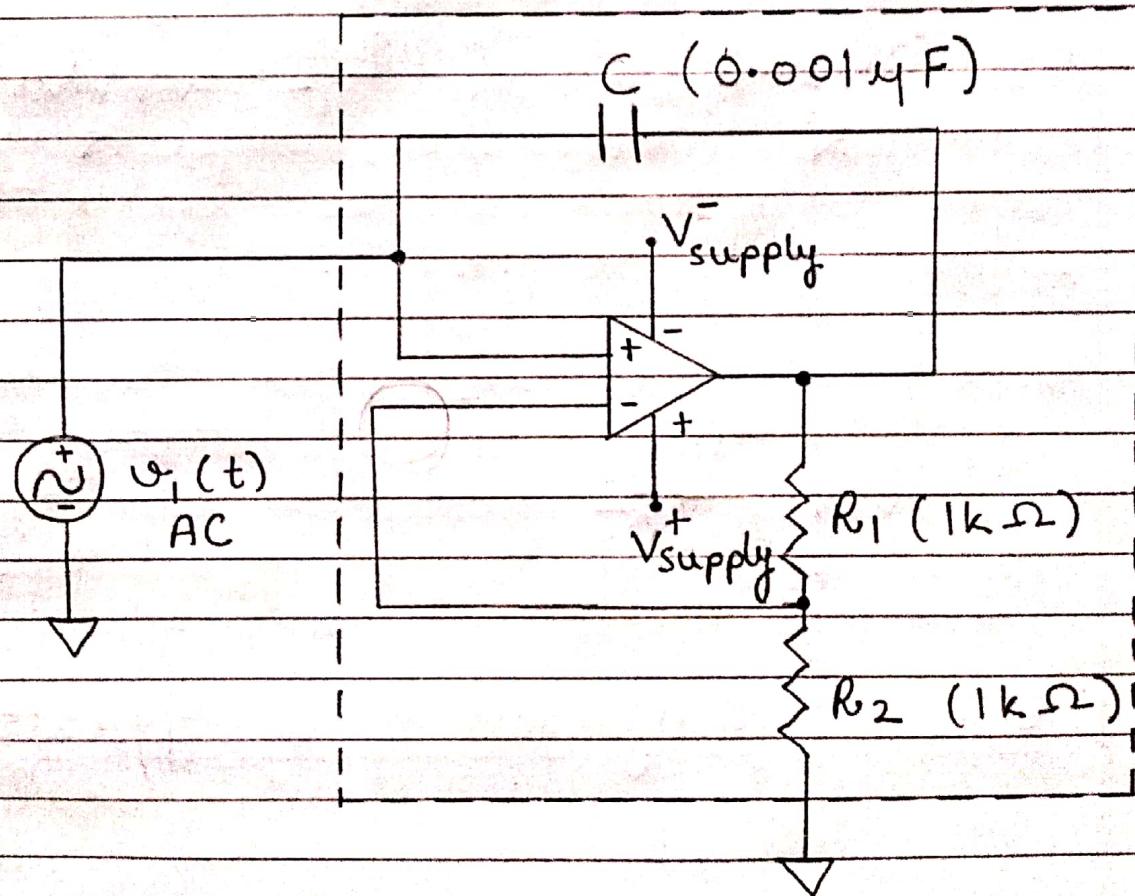


Negative Impedance
Converter

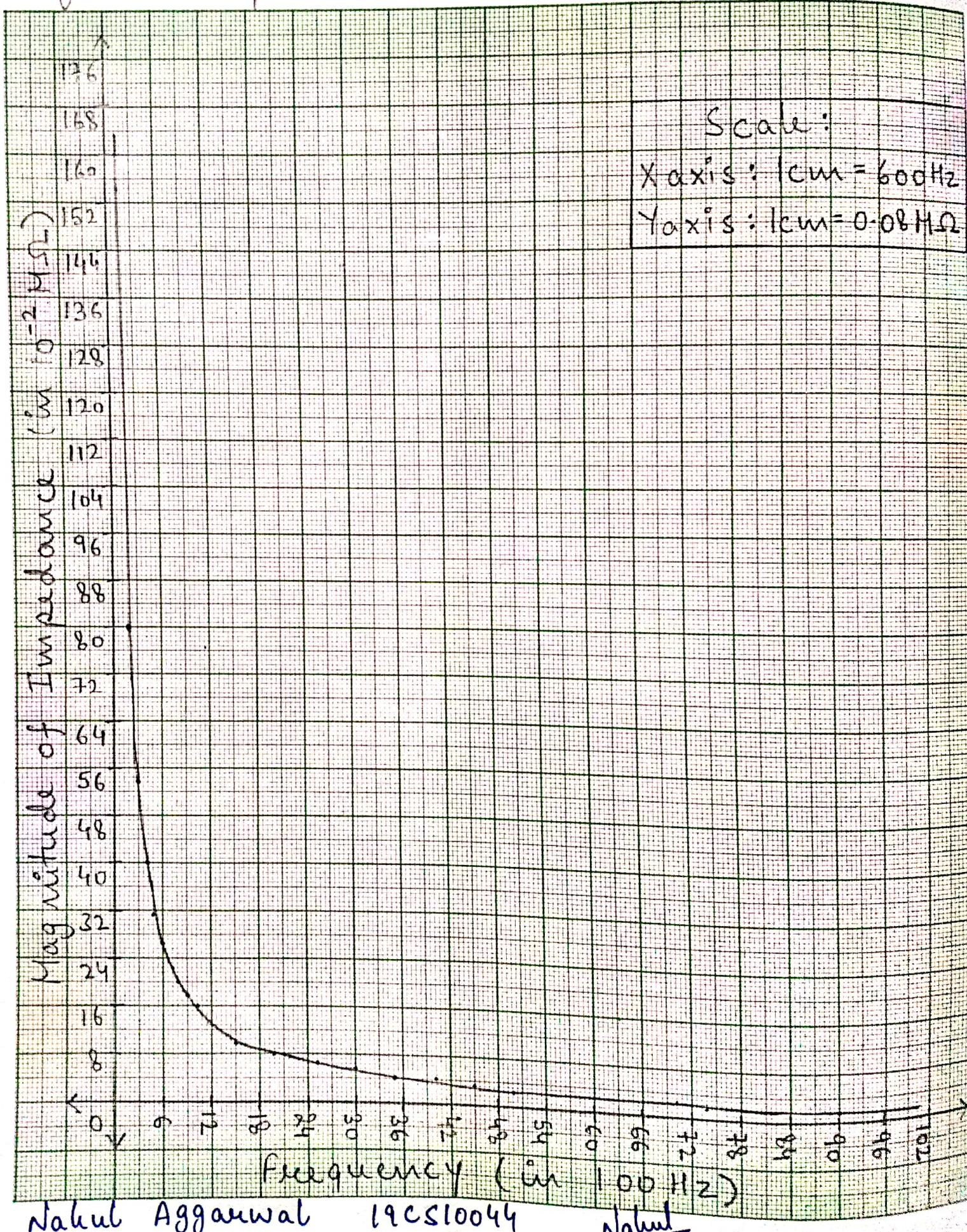
Circuit Diagram:

Negative Impedance Converter

Observation Table:

Frequency (Hz)	Voltage Magnitude (Volts)	Current Amplitude (A)	Phase of I W.r.t V	Complex Impedance (Mohm)
100	1	0.6259	-90°	1.5977j
200	1	1.2531	-90°	0.7980j
300	1	1.8703	-90°	0.5347j
400	1	2.5131	-90°	0.3979j
500	1	3.1418	-90°	0.3183j
600	1	3.7650	-90°	0.2656j
700	1	4.3969	-90°	0.2274j
800	1	5.0239	-90°	0.1990j
900	1	5.6521	-90°	0.1769j
1k	1	6.2784	-90°	0.1593j
1.5k	1	9.4108	-90°	0.1063j
2k	1	12.5345	-90°	0.0798j
2.5k	1	15.6443	-90°	0.0639j
3k	1	18.7050	-90°	0.0535j
3.5k	1	21.9835	-90°	0.0455j
4k	1	25.1310	-90°	0.0398j
4.5k	1	28.2678	-90°	0.0354j
5k	1	31.4120	-90°	0.0318j
5.5k	1	34.5313	-90°	0.0289j
6k	1	37.6744	-90°	0.0265j
6.5k	1	40.8310	-90°	0.0245j
7k	1	43.9673	-90°	0.0227j
7.5k	1	47.0913	-90°	0.0212j
8k	1	50.2340	-90°	0.0199j
8.5k	1	53.3234	-90°	0.0188j
9k	1	56.4630	-90°	0.0177j
9.5k	1	59.6085	-90°	0.0168j
10k	1	62.7810	-90°	0.0159j

Negative Impedance Converter - Plot A.

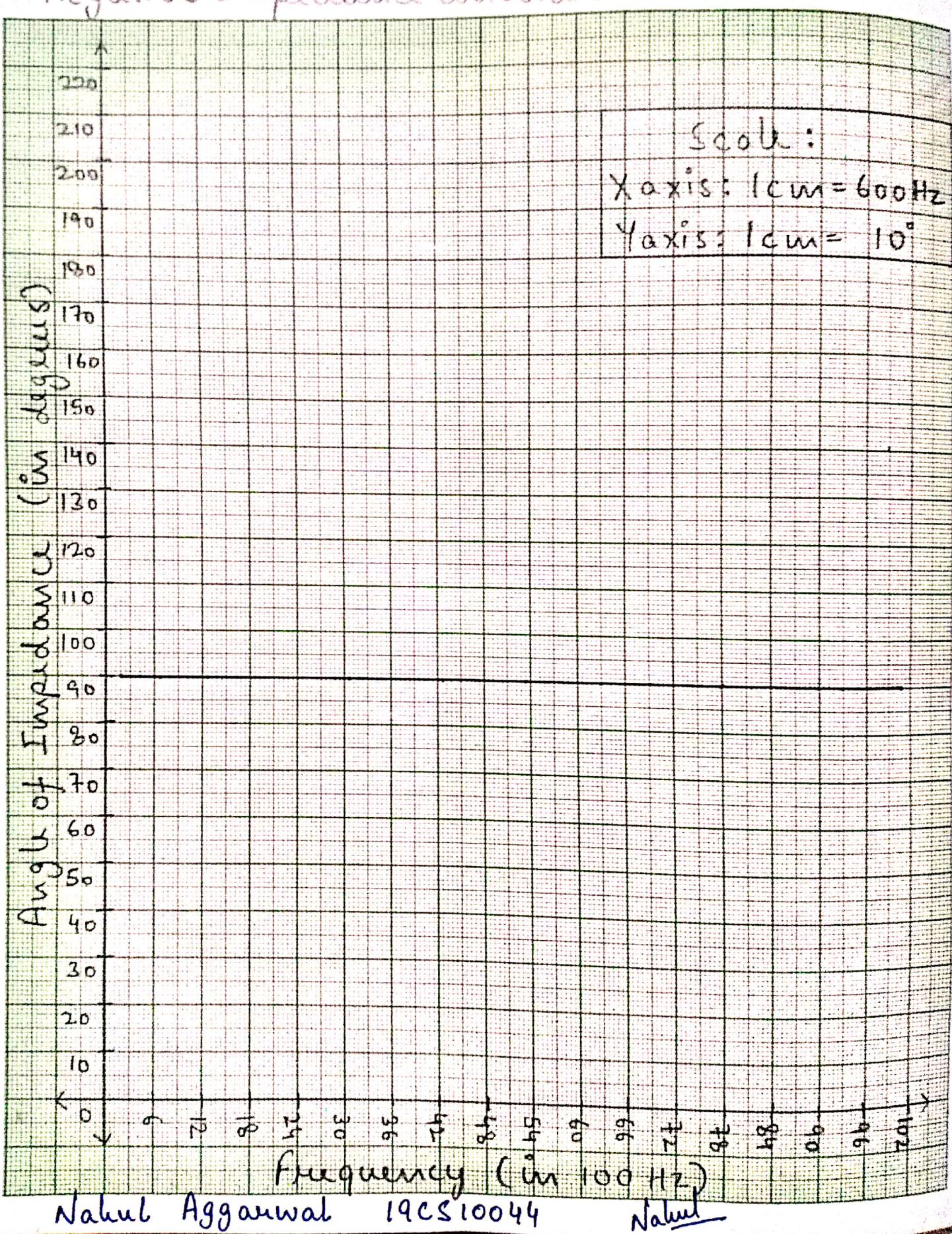


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Negative Impedance Converter - Plot B



Discussion Question:

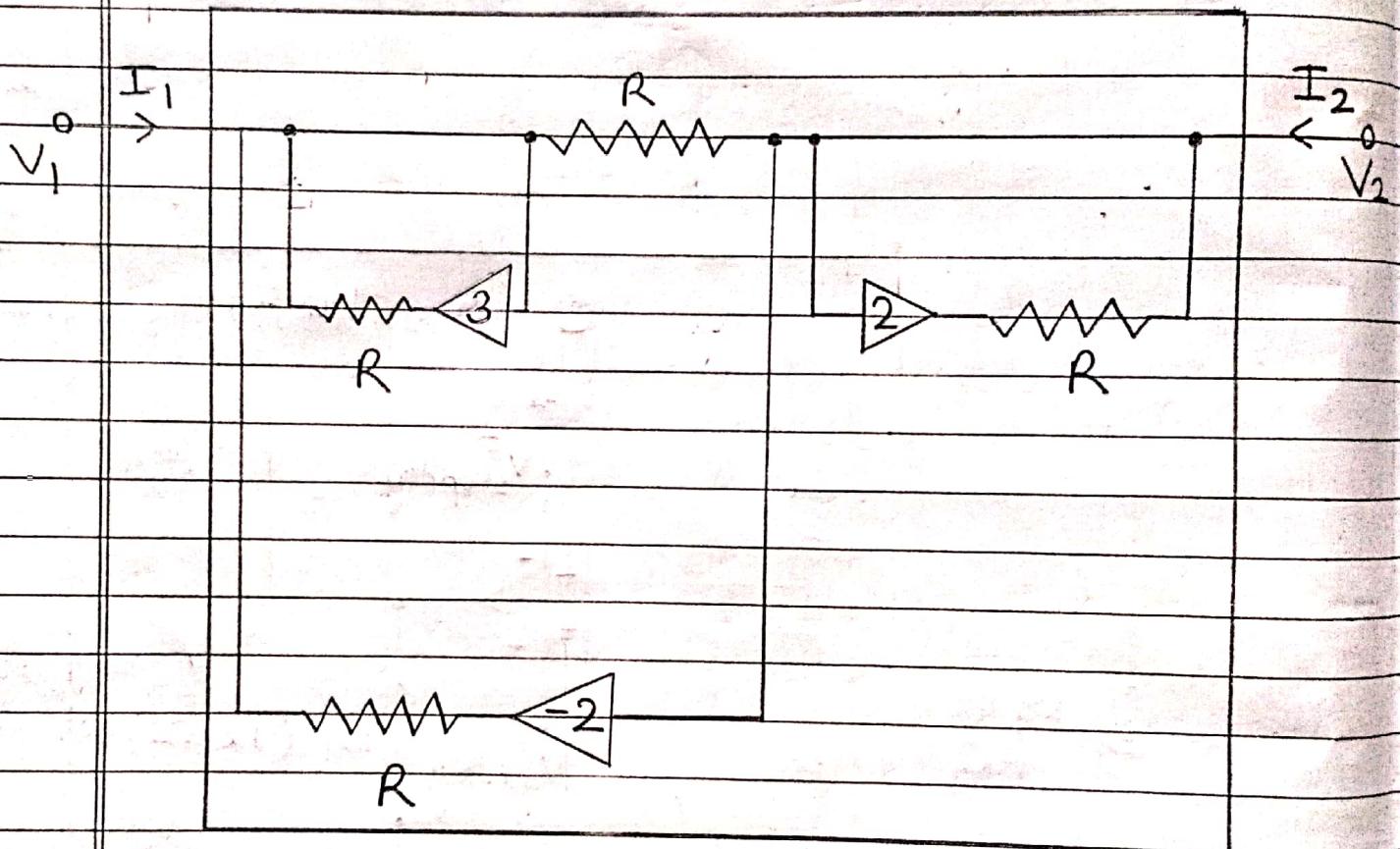
Q Comment whether you can create an inductor using a capacitor (or vice-versa) using this negative impedance converter.

Ans. A negative impedance converter only produces the "negative" of an impedance. Like, for a capacitor the complex impedance is negative ($-1/X_C j$) and for an inductor it is positive ($+1/X_L j$). Another characteristic of a capacitor is that its reactance is inversely proportional to the frequency; whereas for an inductor the reactance is directly proportional to frequency. Therefore, despite of being able to make the angle of capacitive impedance same as that of an inductor's impedance by using a negative impedance converter, its response to the change in frequency will remain intact, i.e., its magnitude will still decrease with increase in frequency which is opposite to the case for inductors. Hence, an inductor cannot be created by using a capacitor (by vice-versa) in a negative impedance converter.

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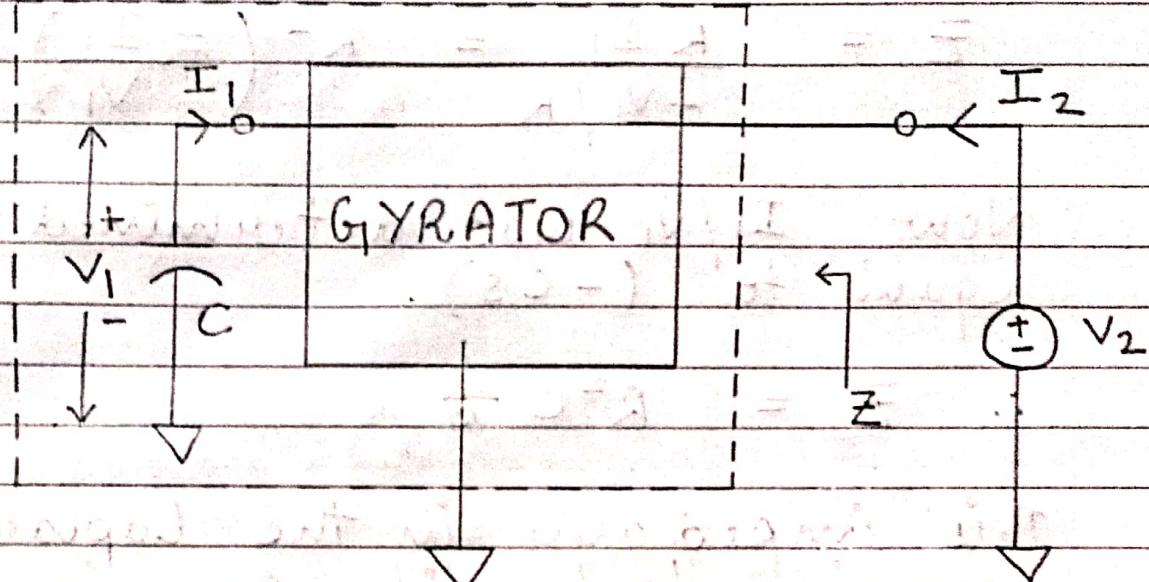
Gyrmator

Circuit Diagram:



Circuit Diagram of a Gyrmator

Derivation:



A gyrator is a linear two port device which couples the current on one port to the voltage on the other and vice versa. The currents and voltages are hence related by

$$V_2 = R I_1, \quad V_1 = -R I_2$$

(where R is the gyration resistance of the gyrator).

In Laplace domain, I_1 and V_1 in the above network can be related as

$$V_1 = -I_1 (1/C_s)$$

Now the impedance Z as seen from the output side will be :-

$$Z = \frac{V_2}{I_2}$$

Put $V_2 = R I_1$ and $I_2 = -V_1/R$

$$Z = \frac{R I_1}{-V_1/R} = R^2 \left(-\frac{I_1}{V_1} \right)$$

Now I_1/V_1 was determined to be equal to $(-Cs)$.

$$\therefore Z = R^2 C s$$

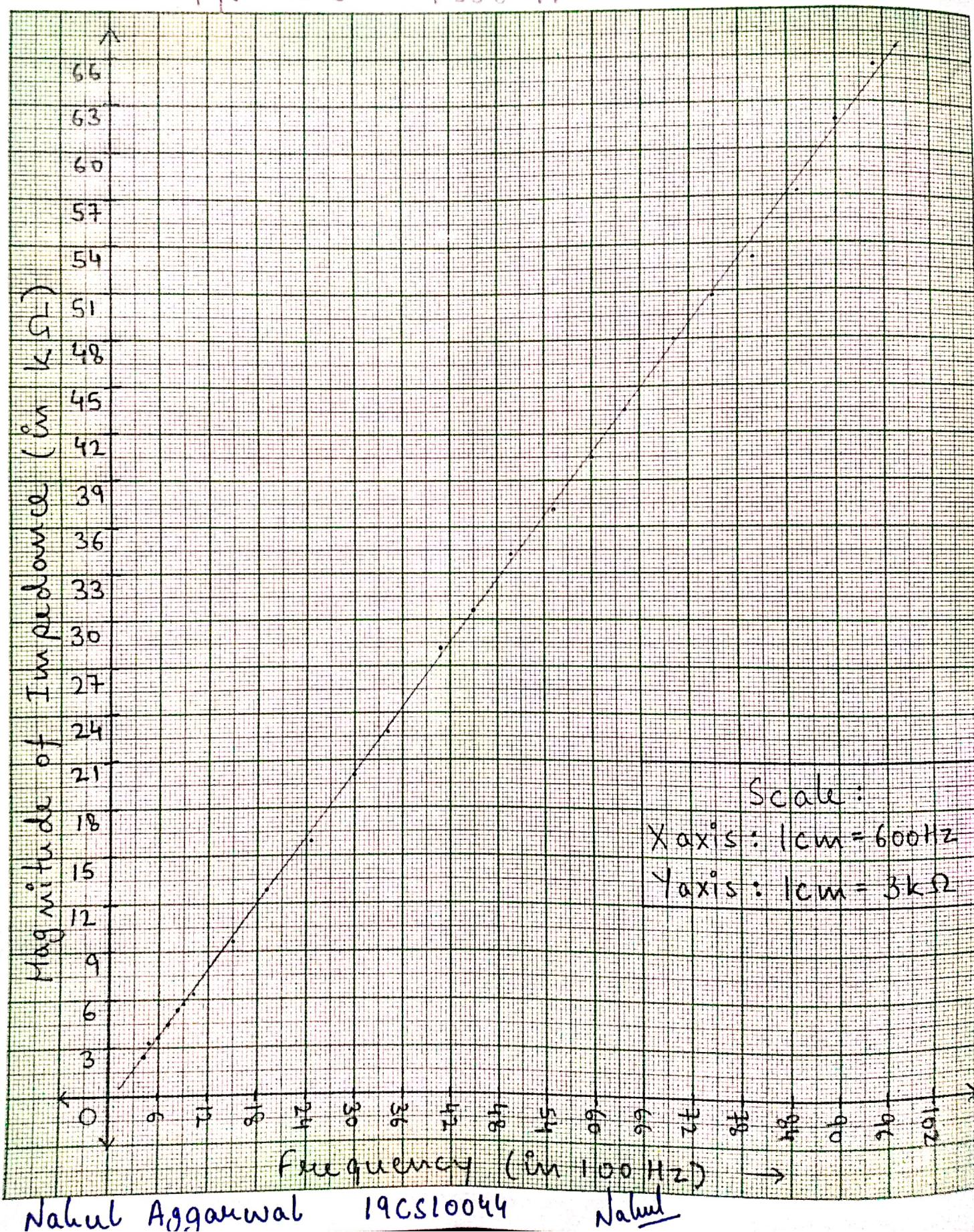
This impedance in the Laplace domain looks like impedance of an inductor whose inductance L is equal to $R^2 C$.

Therefore, like this using the two port network representation of a gyrator, an inductor can be simulated using a capacitor.

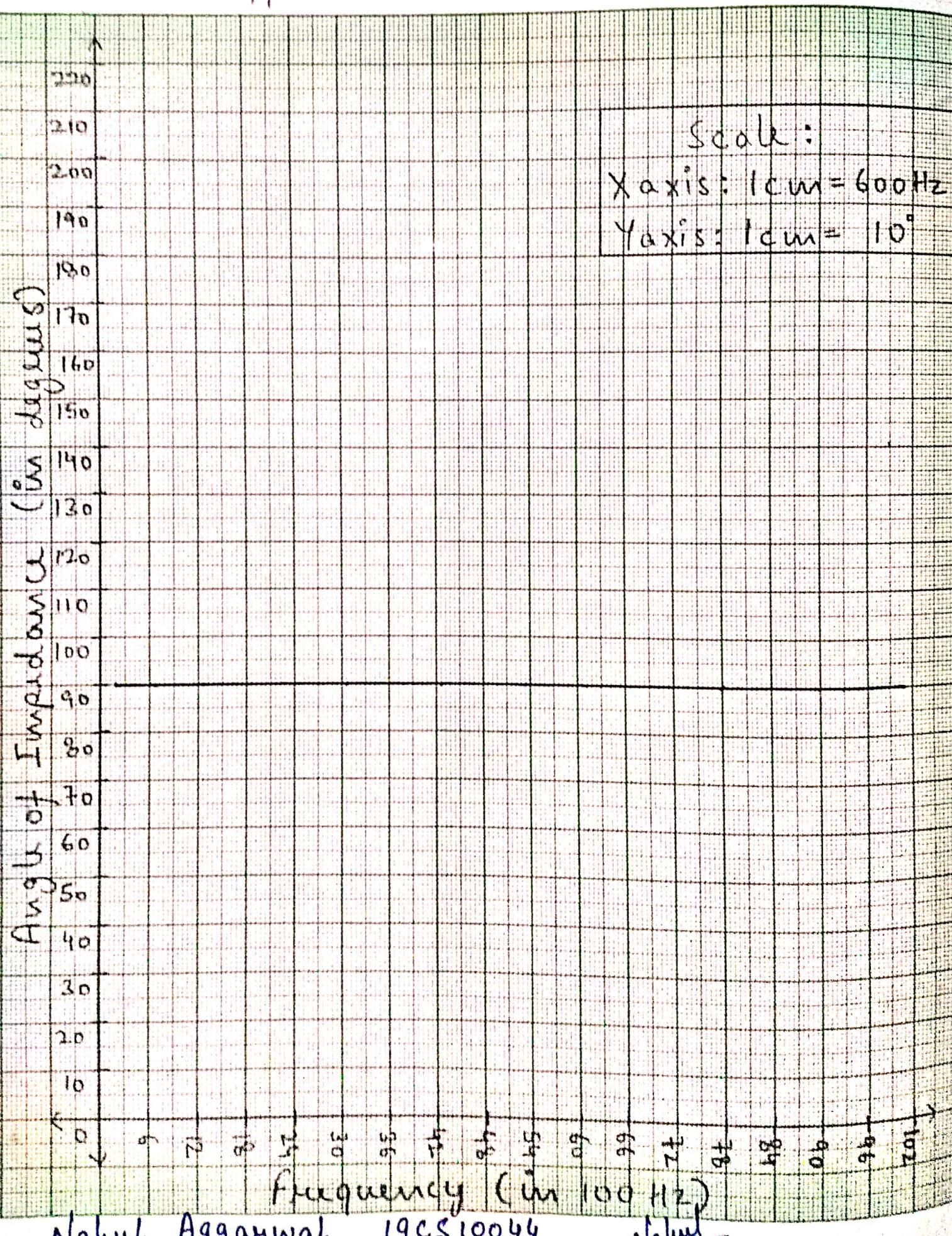
Observation Table:

Frequency (Hz)	Voltage Magnitude (Volts)	Current Amplitude of I (mA)	Phase wrt V	Complex Impedance (k-ohm)
400	1	396.361	-90°	2.523j
500	1	317.755	-90°	3.147j
600	1	264.620	-90°	3.779j
700	1	226.912	-90°	4.407j
800	1	198.463	-90°	5.039j
900	1	176.538	-90°	5.664j
1k	1	158.850	-90°	6.295j
1.5k	1	105.770	-90°	9.454j
2k	1	79.158	-90°	12.633j
2.5k	1	63.194	-90°	15.824j
3k	1	52.875	-90°	18.912j
3.5k	1	45.279	-90°	22.085j
4k	1	39.576	-90°	25.268j
4.5k	1	35.139	-90°	28.458j
5k	1	31.576	-90°	31.670j
5.5k	1	28.649	-90°	34.905j
6k	1	25.939	-90°	38.552j
6.5k	1	23.869	-90°	41.895j
7k	1	22.381	-90°	44.681j
7.5k	1	20.679	-90°	48.359j
8k	1	19.217	-90°	52.038j
8.5k	1	17.948	-90°	55.716j
9k	1	16.837	-90°	59.394j
9.5k	1	15.855	-90°	63.073j
10k	1	14.981	-90°	66.751j

Gyrometer - Plot A



Gyrometer - Plot B



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