

Compiler Design.
NotesCode Generation:

- generate code for a single basic block
- Basic Block, a block of code in which all statements are executed ~~during~~ in every run of the program.
- Registers - used to store values, addresses, and intermediate expression values.
- No. of registers in every architecture is limited
- thus allocation of registers is ~~an~~ important one of the most important part of code generation.

Register Descriptor & Address descriptor

register descriptor - a datastructure used to keep track of current value in the registers.

address - descriptor - a data structure which keeps track of the locations of the current value of a particular variable.

Consider 3-address operations,

Example: $a = b + c$.

- i) first load the values to of b and c ~~value~~ to appropriate registers say R_b and R_c using
- ii) decide the register to store the value of a , say R_a .
- iii) addu R_a, R_b, R_c .
store value of
- iv) ~~load~~ R_a into appropriate address.

~~Managing~~ updation of Register Descriptor and address descriptor

1. for the instruction $\text{load } R_a, \bar{a}$.
 - i) change register descriptor for register R_a to ' a '
 - ii) update address descriptor for ' a ' by adding register R as an additional location.
2. for instruction $\text{- store } R_a, \bar{a}$
change address descriptor for a to include its memory location.
3. Suppose instruction $\text{- add } R_a, R_b, R_c$
 - i) Change register descriptors for a so that it only holds ' a '. Change address ~~descrip~~ descriptor of ' a ' so that its only location is R_x

ii) remove \$ for all other variables, remove 'R'a from its address-descriptor, if it has.

Similar is the case for other instructions, like sub, mul, etc.

Live Variable Analysis

A variable is said to be live at a particular point if its current value is used in a future point.

This is a method used for register allocation.

We use CFG (Control Flow Graph) of the intermediate code.

Use: an occurrence of the variable to the right of an assignment statement, or occurrence of variable in any other expression which denotes the use of that variable.

Def: An assignment to a variable.

Live on edge: A variable is live on edge if there is a directed path from edge to a node that has a use of that variable with 'no def' of that variable ~~along the~~ in the path.

Live-in: \rightarrow if variable is live on any ~~in edges~~
Live-out \rightarrow if variable is live on any ~~in edges~~
out edges.

Computing Live-in & Live-out for basic blocks

Backward Analysis

$$in[n] = use[n] \cup (out[n] - def[n])$$

$$out[n] = \bigcup_{s \in succ[n]} in[s]$$

\downarrow
successors of 'n'

Algorithm for Live Variable Analysis

```
for each 'n' {  
    in[n]  $\leftarrow \{\}$   
    out[n]  $\leftarrow \{\}$ 
```

}

repeat {

```
    for each n {  
        in'[n]  $\leftarrow in[n]$ ; out'[n]  $\leftarrow out[n]$   
        in[n]  $\leftarrow use[n] \cup (out[n] - def[n])$   
        out[n]  $\leftarrow \bigcup_{s \in succ[n]} in[s]$ 
```

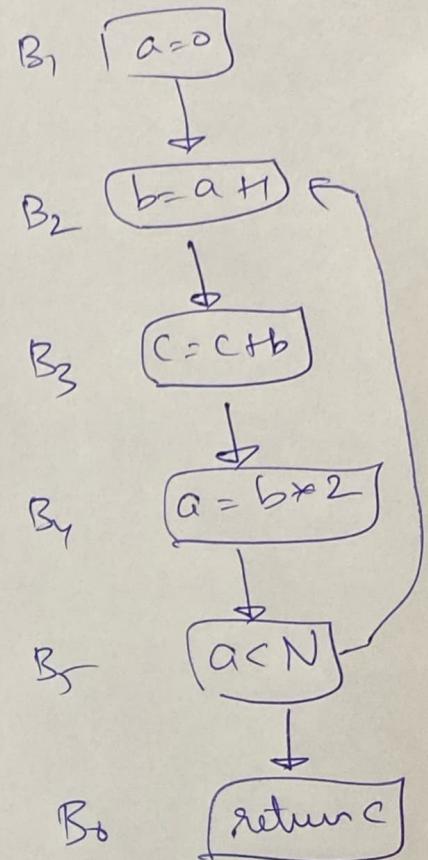
} until ($in'[n] = in[n]$ and $out'[n] = out[n]$ for all n)

example

$a = 0$
 $b = a + 1$
 $c = c + b$
 $a = b * 2$

CFG

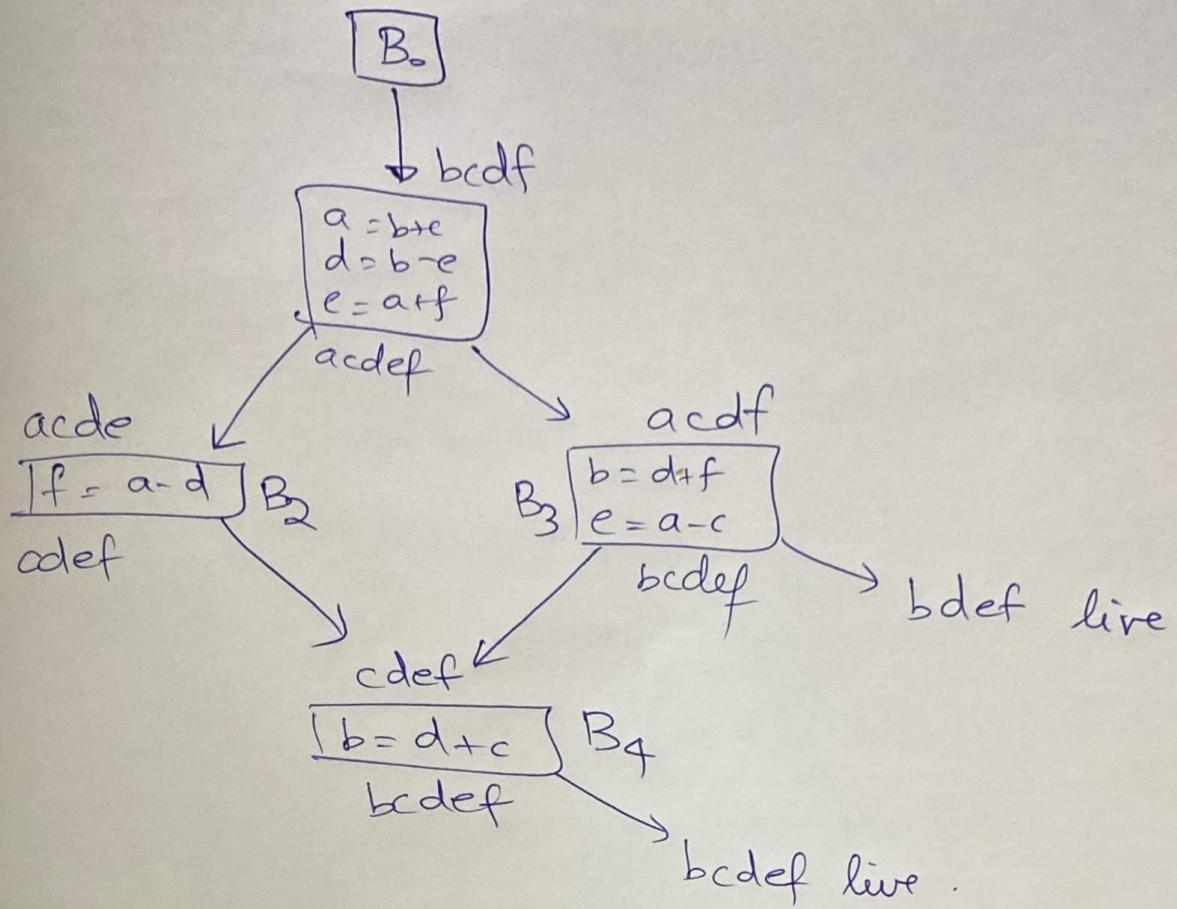
$\text{if } (a < N) \text{ goto } L_1$
 return c



	Use	Def	Iteration ①		Iteration ②		
			in	out	in	out	
B ₆	c		c		c		
B ₅	a		ac	c	ac	ca	B ₄
B ₄	b	a	bc	ac	bc	ac	B ₅
B ₃	(c, b)	c	bc	bc	bc	bc	
B ₂	a	b	ac	bc	ac	bc	
B ₁	a		c	ac	c	ac	

Iteration ③

	in	out
B ₆	c	
B ₅	ac	ac
B ₄	bc	ac
B ₃	bc	bc
B ₂	ac	bc
B ₁	c	ac



	a	b	c	d	e	f
B1 use	0	2	1	1	0	1
B1 live	1	0	1	1	1	1

	a	b	c	d	e	f
B2 use	1	0	0	1	0	0
B2 live	0	0	1	1	1	1

	a	b	c	d	e	f
B3 use	1	0	1	1	0	1
B3 live	0	0	1	1	1	1

	a	b	c	d	e	f
B4 use	0	0	1	1	0	0
B4 live	0	0	1	1	1	0
$\sum B$	4	6	11	12	8	10

$$\sum B = 2 \times \sum B$$

The above algorithm is basically a fixpoint kind of algorithm.

Data Flow Analysis (DFA)

- used in compiler optimization.
- low level intermediate code is modified to new optimized code in one or more stages.
- semantics of program must not change
~~the process~~
- Examples of
 - Machine independent Optimization -
 - Global Common Subexpression Elimination
 - Constant Folding, Dead code elimination
 - Code Motion, Induction Variable Elimination.
 - Machine dependent Optimization
 - Register Allocation, Instruction Scheduling.
- Refers to techniques that derive information about the flow of data along the execution paths of the program.

- Ex: common subexpression
 - find if 2 identical expression evaluate to same value along all possible execution paths.
- ⊕ Dead Code Elimination
 - Checking if a definition of variable is not used later.
- Important things to consider.
 - should consider all possible execution sequences.
 - Some places → interprocedural paths will be required

- Local Analysis
 - Intraprocedural Analysis
 - Interprocedural Analysis.

Forward DFA

$$\text{out}[B] = F_B(\text{in}[B])$$

intersection

$$\text{in}[B] = \bigcap \text{out}[P] \quad \forall P \in \text{predecessors}(B)$$

Backward DFA

$$\text{out}[B] = F_B(\text{out}[B])$$

$$\text{in}[B] = \bigcap \text{in}[S] \quad \forall S \in \text{successors}(B)$$

Available Expression

Computation:

$$\text{OUT}[\text{Entry}] = \emptyset$$

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For each (Basic block B other than Entry) $\text{OUT}[B] = U$

universal set

↑

while (changes to any OUT occur) {

for each (basic block B other than Entry) {

$$\text{IN}[B] = \bigcap (\text{OUT}[P]) \quad \forall P \in \text{pred}[B]$$

$$\text{OUT}[B] = \text{Gen}[B] \cup (\text{IN}[B] - \text{Kill}(B))$$

}

}

Other Examples of DFA:

Reaching Definition

Set of all definitions

Forward Analysis

Domain

Direction

~~Transit~~

Trans function

Boundary

Meet

Equation

Initialization

$$\text{OUT}[\text{Entry}] = \emptyset$$

union

$$\text{OUT}[B] = F_B(\text{IN}[B])$$
$$\text{IN}[B] = \bigwedge_{P \in \text{Pred}[B]} \text{OUT}[P]$$

$$\text{OUT}[B] = \emptyset$$

Live Variable.

Set of variables.

Backward Analysis.

$$\text{use}_B \cup (x - \text{def}_B)$$

$$\text{IN}[\text{EXIT}] = \emptyset$$

union.

$$\text{IN}[B] = F_B(\text{OUT}[B])$$

$$\text{OUT}[B] = \bigwedge_{S \in \text{succ}(B)} \text{IN}(S)$$

$$\text{IN}[B] = \emptyset$$