Shou-Hang Bo (薄首行) Assistant Professor UM- SJTU Joint Institute shouhang.bo@sjtu.edu.cn

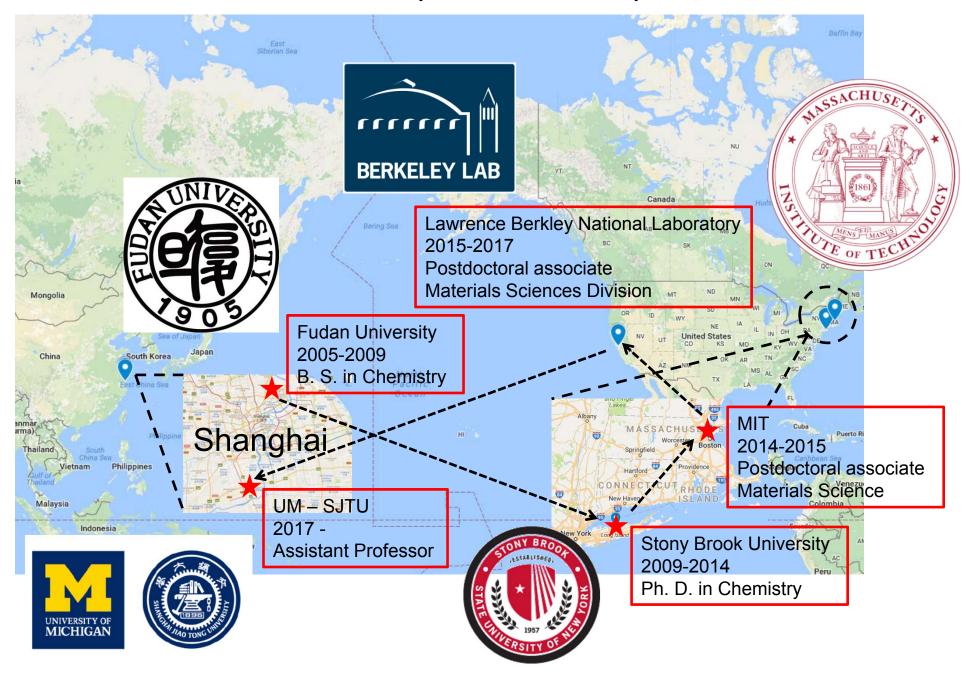
Born in Xingtai, Hebei

B. S. in Chemistry, Fudan University, 2009 Ph. D. in Chemistry, Stony Brook University, 2014

Postdoctaral Fellow, Department of Materials Science & Engineering, MIT, 2014 – 2015

Materials Sciences Division, Lawrence Berkeley National Laboratory, 2015 - 2017

#### Education and professional experiences



#### Research Interests

#### Fundamental:

Chemistry – Structure – Property Correlations in Inorganic Materials

#### Applied:

- ☐ High energy density, fast charging rechargeable batteries
- ☐ Theories of inorganic materials synthesis with predictive power

#### Office hour

Wednesdays, 3 – 5 PM, Rm 534, Longbin Building

#### Quiz 2

Nov. 14<sup>th</sup>, Wednesday, 8:55 AM to 9:40 AM

States of Matter (gas, liquid and solid); Thermodynamics; Physical and Chemical Equilibria

#### Grading

Homework Assignments	20%
Quizzes Final Exam	30% 50%

Written note of one A4 paper is allowed in the tests

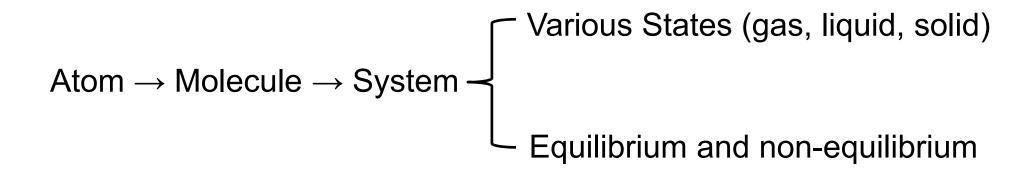
$$< 60\% \rightarrow F$$

I reserve the right to curve the grade and I want everybody to succeed

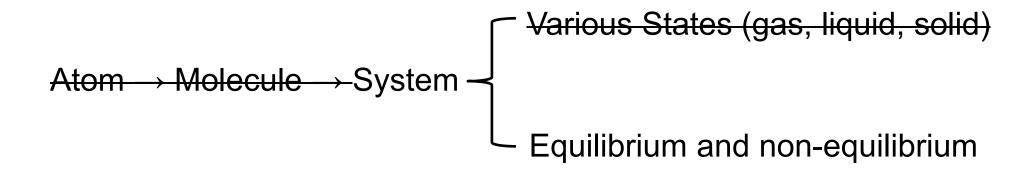
#### **KEY QUESTIONS TO BE ADDRESSED:**

- 1. What determine the properties of matters?
- 2. How to manipulate chemical reactions?
- 3. How science (technology) evolves?

#### Bottom-up Approach of Understanding Chemical Principles



#### Bottom-up Approach of Understanding Chemical Principles



#### Path to succeed

BO Lecture

TAs Recitation

YOU Reading

YOU Homework

YOU Quizzes

YOU Final

Transitioning from high school to college, you are now responsible for your own education

Some math...

Tuition 50,000 RMB

~35 weeks

1,500 RMB/ week

~300 RMB/day

Every second you live is *irreversible* 

#### Classroom behavior

Once you are in the classroom, you must follow the rules. Let's be professional.

- □ No talking
- ☐ No food
- No disruptive behavior
- ☐ No cell phone
- **⊔** .....

# Honesty

# You cannot cheat

# Focus 5 Equilibrium Physical Equilibria + Chemical Equilibria

#### Here

- We explore further the nature of three states of matter: solids, liquids, and gases.
- We identify how matter transforms between each of these states.
- We gain a deeper understanding of solutions, their composition, and physical properties.
- What we learn here helps us understand how to separate chemicals from each other.

# One-component system

#### Phases and Phase Transitions

Matter exists in a single phase such as a solid, liquid, or gas. A phase change occurs when converting one phase into another.

**Carbon** has three distinct *solid phases*: diamond, graphite, and Bucky balls. **Helium** is only known to exist as a gas and liquid.

Remember (Focus 4) phase changes, <u>at constant</u> temperature, are an equilibrium process,  $\Delta G = 0$ .

# What Is Vapor Pressure?

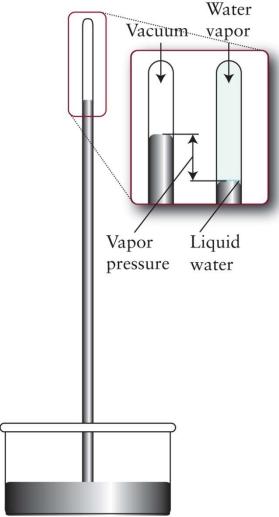


Figure 5A.1
Atkins, Chemical Principles: The Quest for Insight, 7e
W. H. Freeman & Company, © 2016 by P. W. Atkins, L. L. Jones, and L. E. Laverman

All of the air is evacuated from the tube.

First a tiny drop of water is added at the top:

- All of the water vaporizes.
- The water vapor exerts a force against the mercury, pushing it down.

Second, more water is added:

 However all added water continues to go into the vapor phase.

Third, still more water is added:

- This time the water added pools up on top of the mercury.
- Once water pools up, we have reached the water vapor pressure.
- The difference in height of mercury levels is
   the pressure of water vapor.

#### Vapor Pressure: Volatile

A volatile substance has a vapor pressure at *ordinary temperatures*.

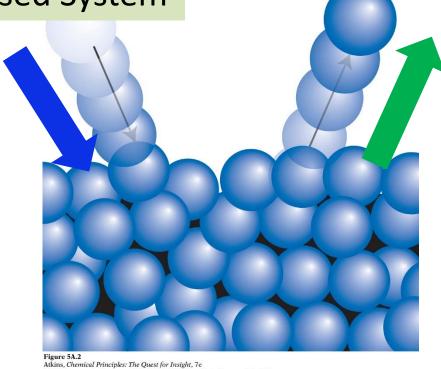
Methanol (vapor pressure 98 Torr at 20°C) is highly volatile; mercury (1.4 mTorr) is not.

Solids also exert vapor pressures, but their vapor pressures are low because their molecules are gripped more tightly together.

When a solid vaporizes the process is called "sublimation," so a solid has vapor pressure too, although usually negligibly low

Vapor Pressure: Model In a Closed System

Evaporation takes place at the surface because molecules are bound to fewer neighbors.



A dynamic equilibrium is when the *rate* of escaping <u>matches</u> the *rate* of returning. For liquid water and its vapor this is denoted:

$$H_2O(I)$$
  $H_2O(g)$ 

#### Volatility and Intermolecular Forces

The strength of the intermolecular forces determines its vapor pressure.

Solids and gases aside, <u>liquids</u> with weak intermolecular forces have the highest vapor pressure.

Butane 220 kPa 
$$H_3C$$
— $CH_2$ — $CH_2$ — $CH_2$ 

<u>Liquids</u> with **strong intermolecular forces**, ones capable of **forming hydrogen bonds**, have the **lowest vapor pressure**.

$$H_3C$$
— $CH_2$ —OH

# The Variation of Vapor Pressure with Temperature

See note

At equilibrium the molar Gibbs free energies of the liquid and vapor are the same:

$$G_{\text{vap}} = G_{\text{m}}(g) - G_{\text{m}}(I) = 0$$

Because the liquid Gibbs free energy is almost independent of pressure, we replace  $G_{\rm m}(I)$  with its standard value (at 1 bar),

$$G_{\mathrm{m}}^{\circ}(I)$$
:  $G_{\mathrm{m}}(g, P) = G_{\mathrm{m}}^{\circ}(g) + RT \ln P$ 

to produce:  $G_{\text{vap}} = \{G_{\text{m}}^{\circ}(g) + RT \ln P\} - G_{\text{m}}^{\circ}(l)$ Next combine the  $G_{\text{m}}$  terms:

#### The Variation of Vapor Pressure with Temperature

$$\{G_m^{\circ}(g) - G_m^{\circ}(I)\} + RT \ln P$$

Noting that  $G_m^{\circ}(g) - G_m^{\circ}(I) = \Delta G_{vap}^{\circ}$  for a vapor and liquid:  $\Delta G_{vap}^{\circ} + RT \ln P$ 

Solving for just 
$$\ln P = -\frac{\Delta G^{\circ}_{vap}}{RT}$$

(Focus 4)  $\Delta G^{\circ}_{vap} = \Delta H^{\circ}_{vap} - T\Delta S^{\circ}_{vap}$  (substitute into above)

 $\ln P = -\frac{\Delta H^{\circ}_{vap}}{RT} + \frac{\Delta S^{\circ}_{vap}}{R}$  (*P* and *T* change little, and these are state functions, so final – initial).

#### The Variation of Vapor Pressure with Temperature

$$\ln P_2 - \ln P_1 = \left(-\frac{\Delta H^{\circ}_{vap}}{RT_2} + \frac{\Delta S^{\circ}_{vap}}{R}\right) - \left(-\frac{\Delta H^{\circ}_{vap}}{RT_1} + \frac{\Delta S^{\circ}_{vap}}{R}\right)$$

and since entropy doesn't change much, we deduced the Clausius-Clapeyron equation.

$$\ln \frac{P_2}{P_1} = \frac{\Delta H^{\circ}_{vap}}{R} \left( \frac{1}{T_1} - \frac{1}{T_2} \right) \text{ or noting the sign and } T \text{ changes}$$

$$\ln \frac{P_2}{P_1} = -\frac{\Delta H^{\circ}_{vap}}{R} \left( \frac{1}{T_2} - \frac{1}{T_1} \right)$$

#### Clausius - Clapeyron equation

$$\ln \frac{P_2}{P_1} = \frac{\Delta H^{\circ}_{vap}}{R} \left( \frac{1}{T_1} - \frac{1}{T_2} \right)$$

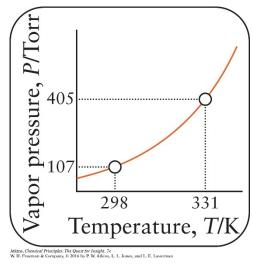
Vapor pressure increases with increasing temperature because:

- $T_2 > T_1$  is positive,
- In  $(P_2/P_1)$  is positive too because enthalpy of vaporization is positive.

 $\Delta H_{vap}^{\circ}$  is a measure of the intermolecular interaction strength (ion–dipole, dipole–dipole, hydrogen bonding, London forces).

Example 5A.1 Tetrachloromethane,  $CCI_4$ , which is now known to be carcinogenic, was once used as a dry-cleaning solvent. The enthalpy of vaporization of  $CCI_4$  is 33.05 kJ·mol<sup>-1</sup> and its vapor pressure at 57.8°C is 405 Torr. What is the vapor pressure of tetrachloromethane at 25.0°C?

$$\ln \frac{P_2}{P_1} = \frac{\Delta H^{\circ}_{vap}}{R} \left( \frac{1}{T_1} - \frac{1}{T_2} \right)$$



Dry cleaning is NOT a dry process!

$$\ln \frac{P_2}{P_1} = \frac{\Delta H^{\circ}_{vap}}{R} \left( \frac{1}{T_1} - \frac{1}{T_2} \right)$$

33.05 kJ·mol<sup>-1</sup> corresponds to 3.305 × 10<sup>4</sup> J·mol<sup>-1</sup>  $T_2 = 25.0 + 273.15 \text{ K} = 298.2 \text{ K}$   $T_1 = 57.8 + 273.15 \text{ K} = 331.0 \text{ K}$   $R = 8.3145 \text{ J·K}^{-1} \cdot \text{mol}^{-1}$ 

$$\ln \frac{P_2}{P_1} = \frac{3.305 \times 10^4 \,\text{J} \cdot \text{mol}^{-1}}{8.3145 \,\text{J} \cdot \text{K}^{-1} \cdot \text{mol}^{-1}} \left( \frac{1}{331.0 \,\text{K}} - \frac{1}{298.2 \,\text{K}} \right)$$

$$\ln \frac{P_2}{P_1} = -1.33, \qquad P_1 = 405 \text{ Torr}$$

$$P_2 = 405 \text{ Torr} \times e^{-1.33} = 107 \text{ Torr}$$

Boiling

Water at 100°C

Gold at 2807°C

The *normal boiling point*,  $T_b$ , is the temperature it boils at when the atmospheric pressure is 1 atm.

At lower pressures, for instance at the summit of Mt. Everest, the pressure is about 240 Torr and water boils at only 70°C.

Example 5A.2 The vapor pressure of ethanol at 34.9°C is 13.3 kPa. Use the data in Table 4C.1 to estimate the normal boiling point of ethanol.

$$\ln \frac{P_2}{P_1} = \frac{\Delta H^{\circ}_{vap}}{R} \left( \frac{1}{T_1} - \frac{1}{T_2} \right)$$

 $\Delta H^{\circ}_{vap} = 43.5 \text{ kJ} \cdot \text{mol}^{-1} \text{ or } 4.35 \times 10^4 \text{ J} \cdot \text{mol}^{-1}$ 

$$T_2 = 34.9 + 273.15 \text{ K} = 308.0 \text{ K}$$

$$P_2 = 13.3 \text{ kPa}$$

 $P_1 = 101.325$  kPa (this corresponds to 1 atm or  $T_b$ )

$$R = 8.3145 \text{ J} \cdot \text{K}^{-1} \cdot \text{mol}^{-1}$$

$$\ln \frac{13.3 \text{ kPa}}{101.325 \text{ kPa}} = \frac{4.35 \times 10^4 \text{ J} \cdot \text{mol}^{-1}}{8.3145 \text{ J} \cdot \text{K}^{-1} \cdot \text{mol}^{-1}} \left( \frac{1}{T_1} - \frac{1}{308.0 \text{ K}} \right)$$

$$\frac{1}{T_1} = \ln \frac{13.3 \text{ kPa}}{101.325 \text{ kPa}} \times \frac{8.3145 \text{ J} \cdot \text{K}^{-1} \cdot \text{mol}^{-1}}{4.35 \times 10^4 \text{ J} \cdot \text{mol}^{-1}} + \frac{1}{308.0 \text{ K}}$$

= 350. K or 77°C (Vapor is not a prefect ideal gas.)

#### Freezing and Melting

Water at 0.0°C

Gold at 1064°C

Liquids solidify (freeze) when molecules do not have enough energy to wriggle past their neighbors.

The normal freezing point,  $T_f$ , is the temperature a liquid freezes at 1 atm.

The *melting temperature* is the same as the *freezing temperature*.

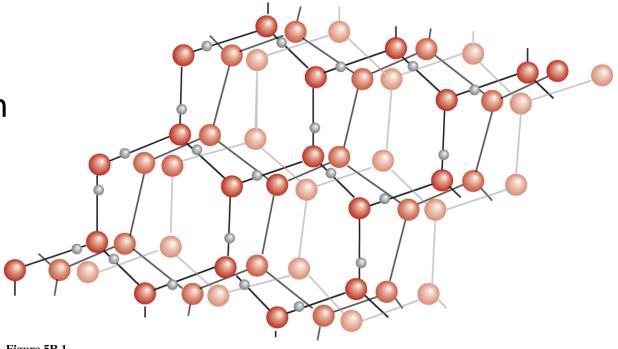
#### Freezing and Melting: Water Is Unusual

Most substances are more dense in the solid phase than liquid, water being an exception.

Water is highly unusual, at 0.0°C, density<sub>liquid</sub> > density<sub>solid</sub>

Ice floats on water.

Solid water hydrogen bonds hold the molecules apart at low temperatures.



32

Figure 5B.1
Atkins, *Chemical Principles: The Quest for Insight*, 7e
W. H. Freeman & Company, © 2016 by P. W. Atkins, L. L. Jones, and L. E. Laverman

#### Freezing and Melting: Water is Unusual

As ice melts, the hydrogen bonds collapse, allowing water molecules to pack more closely.

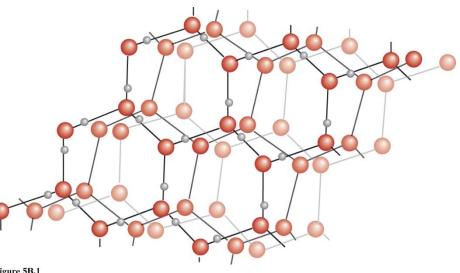


Figure 5B.1

Atkins, Chemical Principles: The Quest for Insight, 7e

W. H. Freeman & Company, © 2016 by P. W. Atkins, L. L. Jones, and L. E. Laverman

Why is ice slippery???

1 atm  $\rightarrow$  0 °C melting point

400 atm  $\rightarrow$  -3 °C melting point

However, best skating temperature -5 °C, and -40 °C (north or south poles) staking is still possible

doi:10.1038/nature24279

# Role of stacking disorder in ice nucleation

Laura Lupi<sup>1</sup>, Arpa Hudait<sup>1</sup>, Baron Peters<sup>2</sup>, Michael Grünwald<sup>1</sup>, Ryan Gotchy Mullen<sup>2</sup>, Andrew H. Nguyen<sup>1</sup> & Valeria Molinero<sup>1</sup>

The freezing of water affects the processes that determine Earth's climate. Therefore, accurate weather and climate forecasts hinge on good predictions of ice nucleation rates<sup>1</sup>. Such rate predictions are based on extrapolations using classical nucleation theory<sup>1,2</sup>, which assumes that the structure of nanometre-sized ice crystallites corresponds to that of hexagonal ice, the thermodynamically stable form of bulk ice. However, simulations with various water models find that ice nucleated and grown under atmospheric temperatures is at all sizes stacking-disordered, consisting of random sequences of cubic and hexagonal ice layers<sup>3–8</sup>. This implies that stacking-disordered ice crystallites either are more stable than hexagonal ice

nucleation at 230 K to evaluate and rank 26 variables (Extended Data Table 2) as candidate coordinates for describing the transformation from liquid to ice, and find that measures of size and energy of the ice nucleus rank consistently better than crystallite shape and cubicity. Histograms of committor probability (the fraction of trajectories that commit to the crystalline state)<sup>21</sup> are used to evaluate the quality of reaction coordinates and reveal that—as assumed by CNT—the size of the ice nucleus, which is measured with neighbour-correlated bond-order parameters<sup>22</sup> that identify cubic and hexagonal ice<sup>3,23</sup>, is an effectively perfect ice nucleation coordinate (Fig. 1a). The overlap between the exact and computed committor distributions indicates that varia-

# Phase diagram

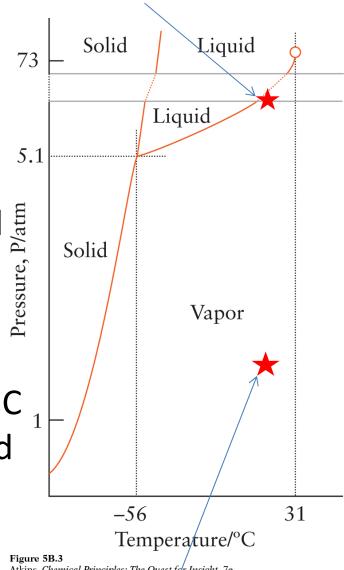
## Phase Diagrams: CO<sub>2</sub>

A phase diagram is a map showing phases at different pressures and temperatures.

The region marked "solid" is the solid phase of ice. Other regions are marked "liquid" and "vapor."

This shows that carbon dioxide at 10°C and 2 atm will be a gas. At 10 atm and 10°C, CO<sub>2</sub> will condense to a liquid.

(10°C, 10 atm)



Atkins, Chemical Principles: The Quest for Insight, 7e W. H. Freeman & Company, © 2016 by P. W. Atkins, L. L. Jones, and L. E. Laverman

.0°C, 2 atm)