Math 3B: Lecture 3

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Last time, we spoke about

• Graphing using calculus

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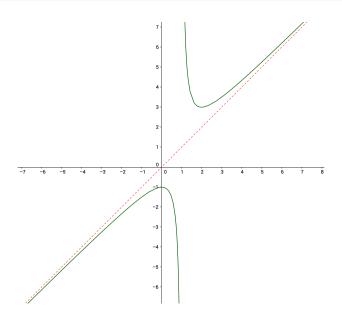
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- Graphing using calculus
- Horizontal asymptotes
- Verticle asymptotes
- Role of the first/second derivative

Note: The quiz will start at the beginning of the discussion section next time.

Example time

... On the board.



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- We then know the function has a slanted asymptote y = mx + b.
- To find *b*:

$$b = \lim_{x \to \pm \infty} (f(x) - mx)$$

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