Programming Ex.2

r MATLAB users: if you are using MATLAB version R2015a or later, the fininunci) function has been changed in this ver now the better, but does not give the expected result for Figure 5 in ex2.pdf, and it throws some warning messages (ab im) when you run ex2.reg.m. This is normal, and you should still be able to submit your work to the grader.

Typos in the lectures (updated):

There are typos in the week 3 lectures, specifically for regula last part of exercise 2. The equations in ex2.pdf are correct.

Gradient and theta values for ex2.m h cost J and t





mapFeature() discussion:

For two features x1 and x2, mapFunction calculates following terms.
1, x₁, x₂, x₁², x₁x₂, x₂², x₁², x₁², x₂, x₁², x₁², x₁², x₂, x₂, x₁², x₂, x₂, x₁², x₂, x₁², x₂, x₁², x₂, x₂, x₁², x₂, x₂, x₁², x₂, x₂, x₂, x₁², x₂, x₂, x₂, x₂, x₁², x₂, x₂, x₁², x₂, x₂, x₂, x₂, x₂, x₃, x₃

Not 100% sure about this, so please take this with a gra

appears to me that the "mapFeature" vector displayed on page 9 of the ex2.pdf is the trans ear if each of the variables carried the (i) superscript denoting the trial



Of course this assumes exactly two features in the original dataset. I think of this more as "mapTrial" than as "m we're really doing is mapping the original trials with two features onto a new set of trials with 28 features.

not have thought twice about this, had I not gulped hard at the imprecise use of the word "dime ional vector" in the text which follows the expression.

This is how I interpreted it for the homework, and the results were accepted. But if I'm way off base, please delete this wiki entri

I found this Octave expression quite useful for the regularization programming exercise:

1 ones(size(theta)) - eye(size(theta))



plotData.m - color attributes

The plot() attribute "MarkerFaceColor" may not be supported on your version of Octave or MATLAB. You may need to modify it. Use the command "plot help" to see what attributes are supported. (You might just try to replace "MarkerFaceColor" with "MarkerFace", then the p should work, although you get a warning.)

Logistic Regression Gradient

[w.r.t.=with respect to]

UPDATE (the above was really helpful, thank you for putting it here) As an additional hint: the instructions say; "[...] the gradient of the cost with respect to the parameters" - you're only asked for a gradient, don't overdo it [see above]. The fact that you're not given alpha should be a hint in itself. You don't need it. You won't be iterating neither.

Sigmoid function

The implementation of the sigmoid function si division (the './' operator), and the exp() function.

Decision Boundary

sughts regarding why the equation, $theta_1 + theta_2x_2 + theta_3x_3$, is set eq

- The hypothesis equation is h_a(x) = a(z), where a is the sigmoid func. on $\frac{1}{1 + e^{-z}}$, and $z = \theta^T x$
- For classification, we usually interpret a hypothesis value h_a(x) ≥ 0.5 as pre • Remember, $h_{\theta}(x) = g(x) = g(\theta^T x)$ for logistic regress
- This means that $g(\theta^T x) \ge 0.5$ predicts class "1"
- The sigmoid function g(z) o
 Remember, $z = \theta^T x$
- So A^T v > 0 predicts class *
- or $\theta^T x = \theta_1 + \theta_2 x_2 + \theta_3 x_3$ in this e
- So, $\theta_1 + \theta_2 x_2 + \theta_3 x_3 \ge 0$ predicts class "1" dary lets us see the line that has been learned in order to se
- This boundary is at $h_{\theta}(x) = 0.5$ (remember, this is the lowest poss So, $\theta_1 + \theta_2 x_2 + \theta_3 x_3 = 0$ is the boundary

- In order to plot the line along the specific data we have, we arbitrarily decide to use values of x , from our data, by choosing the max and min, and then addisubteral a little bit noted to make the line fit noisy. Think about it, you could continue down the line in the above equation an infinite amount in either direction, and at will all bit he line dividing the beat classes. Heavever, we only have data that lies around a certain area of this line, so we make sure to only plot the line and data in that region (otherwise it would just be a line and some blank space around it). Solve for x_3 since we're using x_2 values (the max & min values +/- 2 in order to make a nice line). -> $x_3 = \frac{-1}{theta_2} * (theta_2x_2 + theta_1)$, $theta_2x_2 + theta_3x_3 + theta_3x_4 + theta_3x_3 + theta_3x_3 + theta_3x_4 + theta_3x_3 + t$
- Pligin the two X₂ values (stored in plot_x) into the above equation to
 Plot a line using these values > this will be the decision boundary.
 Plot the rest of our data on the graph as well, and notice that the line
- nial features, with the note that instead of a decision boundary "line", it will be a
- The above still applies even if you're using higher-order poly decision boundary "polynomial".

Lambda effect over Decision Bou

