

Cake

Sophie loves to bake cakes and share them with friends. For the wedding of her best friend Bea she made a very special cake using only the best ingredients she could get and added a picture of the engaged couple on top of the cake. To make it even more special she did not make it round or square, but made a custom convex shape for the cake. Sophie decided to send the cake by a specialized carrier to the party. Unfortunately, the cake is a little too heavy for their default cake package and the overweight fees are excessive. Therefore, Sophie decides to remove some parts of the cake to make it a little lighter.

Sophie wants to cut the cake the following way: First, she chooses a real number $s \geq 2$. For each vertex and each incident edge of the cake she marks where $1/s$ of the edge's length is. Afterwards, she makes a direct cut between the two markings for each vertex and removes the vertex that way.

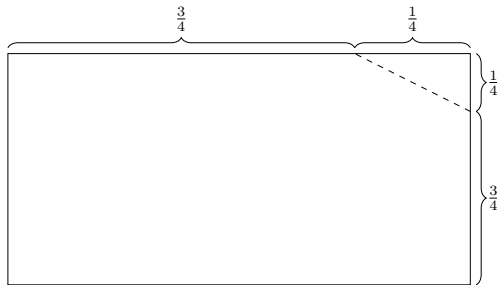


Figure 1: Cutting the upper-right corner of a rectangle with $s = 4$

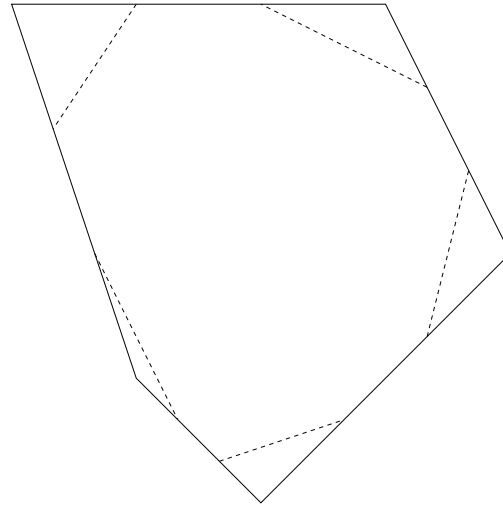


Figure 2: Cutting a cake with $s = 3$

Figure 3: Illustration of the first two Sample Inputs.

Sophie does not want to cut more from the cake than necessary for obvious reasons. Can you tell her how to choose s ?

Input

The first line of the input contains an integer t . t test cases follow, each of them separated by a blank line.

Each test case starts with a single line containing a floating point number a and an integer n . a is the ratio of the cake's weight allowed by the carrier and n is the number of vertices of the cake. a will be specified with at most 7 digits after the decimal point. The weight is uniformly distributed over the area of the cake. n lines follow describing the cake's vertices. The i -th line contains two space-separated integers x_i and y_i , the coordinates of vertex i . The vertices are given in order in which they form a strictly convex shape.

Output

For each test case, print a line containing "Case # i : s " where i is its number, starting at 1, and s is the biggest value as specified above such that the remaining cake weight is at most the proportion a of its original weight. Each line of the output should end with a line break. Your answer will be considered correct if the absolute error is at most 10^{-4} .

Constraints

- $1 \leq t \leq 20$

- $0.25 \leq a \leq 1$
- $3 \leq n \leq 100$
- $0 \leq x_i, y_i \leq 10^8$ for all $1 \leq i \leq n$
- The cake will always be convex.
- It will always be possible to cut the cake in the given way.

Sample Input 1

```
3
0.875 4
0 0
8 0
8 4
0 4

0.85 5
6 0
12 6
9 12
0 12
3 3

0.999998 4
20008 10000
15004 15005
10001 20009
15005 15004
```

Sample Output 1

```
Case #1: 4.0
Case #2: 3.0
Case #3: 999.9999999500001
```