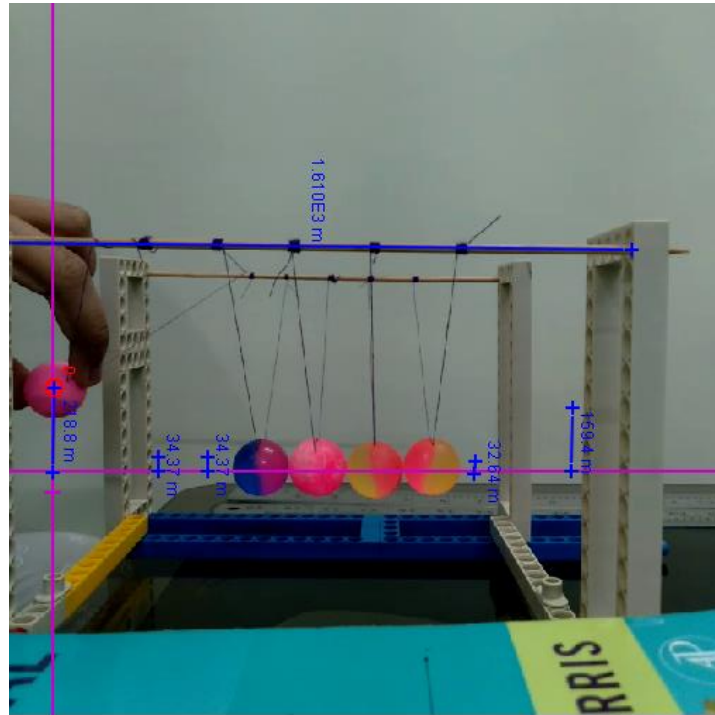


Newton's Cradle

Aim: To conserve total energy of Newton's Cradle at 4 different positions.

Apparatus:



According to Law of Conservation of Energy,

$$(Kinetic\ Energy)_A + (Kinetic\ Energy)_B + (Potential\ Energy)_A + (Potential\ Energy)_B = Total\ Energy$$

$$\frac{mv_A^2}{2} + \frac{mv_B^2}{2} + mgh_A + mgh_B = Total\ Energy$$

(As the mass of both the balls is same, mass of ball A = mass of ball B = m)

$$v_A^2 + v_B^2 + 2gh_A + 2gh_B = \frac{2(Total\ Energy)}{m} = E_T \dots 1$$

As the velocities and height was measured from a software,

Calibrating factor = 1.27×10^{-4}

(This is to be multiplied to all velocity and height measurements)

a) Conditions at Initial position:

$$Velocity\ of\ ball\ A = 0 \frac{m}{s}$$

$$Velocity\ of\ ball\ B = 0 \frac{m}{s}$$

$$Height\ of\ ball\ A\ from\ reference\ line = (218.8 \times 1.27 \times 10^{-4})m$$

$$Height\ of\ ball\ B\ from\ reference\ line = 0m$$

\therefore from equation 1,

$$E_T = 2 \times 9.81 \times (218.8 \times 1.27 \times 10^{-4})$$

$$E_T = 0.55\ Joules$$

b) Conditions just before collision:

$$\text{Velocity of ball A} = (3.56 \times 10^3 \times 1.27 \times 10^{-4}) \frac{m}{s}$$

$$\text{Velocity of ball B} = 0 \frac{m}{s}$$

$$\text{Height of ball A from reference line} = (34.37 \times 1.27 \times 10^{-4})m$$

$$\text{Height of ball B from reference line} = 0m$$

\therefore from equation 1,

$$E_T = (2 \times 9.81 \times 34.37 \times 1.27 \times 10^{-4}) + (3.56 \times 10^3 \times 1.27 \times 10^{-4})^2$$

$$E_T = 0.29 \text{ Joules}$$

c) Conditions just after collision:

$$\text{Velocity of ball A} = 253 \times 1.27 \times 10^{-4} \frac{m}{s}$$

$$\text{Velocity of ball B} = 35 \times 10^3 \times 1.27 \times 10^{-4} \frac{m}{s}$$

$$\text{Height of ball A from reference line} = 34.37 \times 1.27 \times 10^{-4}m$$

$$\text{Height of ball B from reference line} = 32.64 \times 1.27 \times 10^{-4}m$$

\therefore from equation 1,

$$E_T = (2 \times 9.81 \times ((34.37 \times 1.27 \times 10^{-4}) + (32.64 \times 1.27 \times 10^{-4})))$$

$$+ (253 \times 1.27 \times 10^{-4})^2 + (3.5 \times 10^3 \times 1.27 \times 10^{-4})^2$$

$$E_T = 0.36 \text{ Joules}$$

d) Conditions when ball B achieves it highest amplitude:

$$\text{Velocity of ball A} = 425.5 \times 1.27 \times 10^{-4} \frac{m}{s}$$

$$\text{Velocity of ball B} = 197.4 \times 1.27 \times 10^{-4} \frac{m}{s}$$

$$\text{Height of ball A from reference line} = 34.37 \times 1.27 \times 10^{-4}m$$

$$\text{Height of ball B from reference line} = 159.4 \times 1.27 \times 10^{-4}m$$

\therefore from equation 1,

$$E_T = (2 \times 9.81 \times ((34.37 \times 1.27 \times 10^{-4}) + (159.4 \times 1.27 \times 10^{-4})))$$

$$+ (425.5 \times 1.27 \times 10^{-4})^2 + (197.4 \times 1.27 \times 10^{-4})^2$$

$$E_T = 0.48 \text{ Joules}$$

To summarize:

Conditions	At initial position	Just before collision	Just after collision	When ball B achieves it highest amplitude
Energy (in Joules)	0.55	0.29	0.36	0.48