

noel welsh

u untyped

Thompson sampling for duelling bandits

Large-scale Online Learning and Decision Making
Wednesday 19th September 2012
Cumberland Lodge, Windsor, UK

Overview

- Motivation
- The Duelling Bandits Problem
- The Algorithm
- Progress and Future Work

Motivation

Touch Clarity

Years pass...

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Score Points
& LEVEL UP

PLAY RIGHT NOW!

WHY GAMES?

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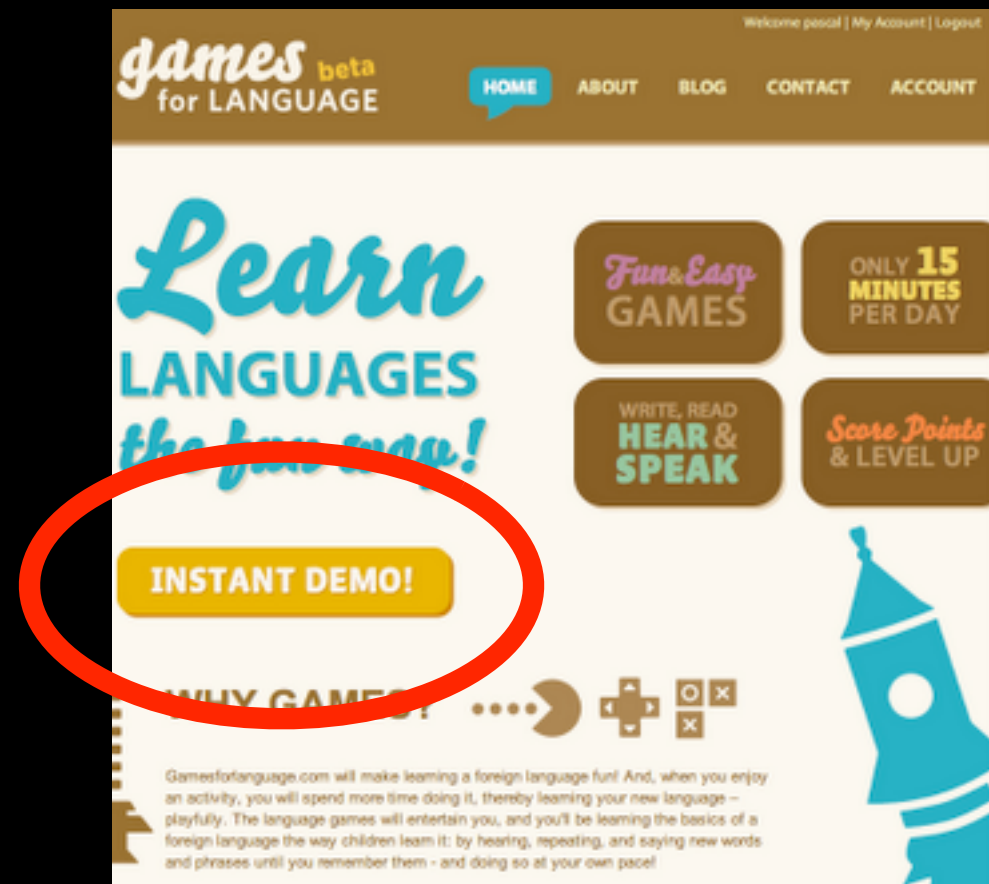
Score Points
& LEVEL UP

INSTANT DEMO!

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21.2% conversion



38.8% conversion

hypothesis testing?

~~hypothesis testing?~~

modern banditry!

problem: delayed
rewards

solution: thompson sampling

problem: non-stationary
rewards

stationary preferences
are a more reasonable
assumption

this is the duelling
bandits problem

we receive not absolute
rewards but partial
preferences between 2
or more arms

e.g. arms 2 and 4 are
preferred over 1, 3, and
5

solution: solve duelling
bandits + thompson
sampling

starting place: pairwise
preferences between
arms

$$Pr(arm_i > arm_j)$$

beta prior

$$Pr(\text{arm}_i > \text{arm}_j) \sim \text{Beta}(a_{ij}, b_{ij})$$

defines (probabilistic)
partial ordering over
arms

$$Pr(\text{arm}_1 > \text{arm}_2) = 0.7$$

$$Pr(\text{arm}_1 > \text{arm}_3) = 0.4$$

...

$$Pr(\text{arm}_2 > \text{arm}_1) = 0.3$$

...

note: transitivity not
enforced

we can sample a partial
ordering, but how do
we then sample an arm?

partial orderings define
a Markov chain

can sample from the
stationary distribution of
the chain!

Algorithm Sketch

- Sample transition matrix from Beta priors
- Calculate stationary distribution (e.g. power iterations)
- Sample from stationary distribution
- Update priors in the usual way

results?

Future Work

- We can sample multiple choices at once
- We can handle multiple arms being rewarded at once
- Therefore, extension to ranking problems seems straightforward

thanks!

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