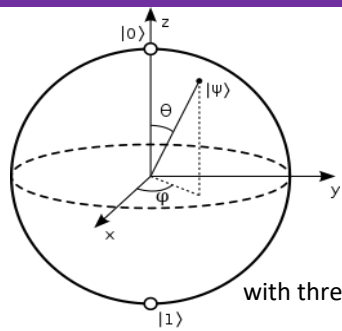


## qubits



$$|\psi\rangle = \alpha|0\rangle + \beta|1\rangle, |\alpha|^2 + |\beta|^2 = 1$$

- For any possible state: the measurement can only result in  $|0\rangle$  or  $|1\rangle$
- Probability of measuring  $|0\rangle$  is  $|\alpha|^2$ , probability of measuring  $|1\rangle$  is  $|\beta|^2$
- When the measurement is done, superposition is lost and the qubit is set in the state just measured.

$$\text{with two qubits: } |\phi\rangle = a|00\rangle + b|01\rangle + c|10\rangle + d|11\rangle$$

$$\text{with three qubits: } |\phi\rangle = a|000\rangle + b|001\rangle + c|010\rangle + d|011\rangle + e|100\rangle + f|101\rangle + g|110\rangle + h|111\rangle \text{ and so on...}$$

## operators (gates)

## « PAULI » Operators

rotation around the x axis **X**  $\begin{pmatrix} 0 & 1 \\ 1 & 0 \end{pmatrix}$  qc.x(qr[n])

$$R_x \begin{pmatrix} \cos \frac{\theta}{2} & -i \sin \frac{\theta}{2} \\ -i \sin \frac{\theta}{2} & \cos \frac{\theta}{2} \end{pmatrix}$$

rotation around the y axis **Y**  $\begin{pmatrix} 0 & -i \\ i & 0 \end{pmatrix}$  qc.y(qr[n])

$$R_y \begin{pmatrix} \cos \frac{\theta}{2} & -\sin \frac{\theta}{2} \\ \sin \frac{\theta}{2} & \cos \frac{\theta}{2} \end{pmatrix}$$

rotation around the z axis **Z**  $\begin{pmatrix} 1 & 0 \\ 0 & -1 \end{pmatrix}$  qc.z(qr[n])

$$R_z \begin{pmatrix} e^{-i\frac{\theta}{2}} & 0 \\ 0 & e^{i\frac{\theta}{2}} \end{pmatrix}$$

Identity (do nothing) **Id**  $\begin{pmatrix} 1 & 0 \\ 0 & 1 \end{pmatrix}$  qc.id(qr[n])

$$X^2 = Y^2 = Z^2 = I$$

$$XY = iZ; ZX = iY; YZ = iX$$

$$XY = -YX; YZ = -ZY; XZ = -ZX$$

more operators are available from qiskit (swap, cswap, ccnot, cz, ...)

superposition (X+Z) Hadamard gate **H**  $\begin{pmatrix} 1 & 1 \\ 1 & -1 \end{pmatrix}$  qc.h(qr[n])

measurement



from quantum state in quantum register to 0 or 1 in classical register

**U<sub>1</sub>**  $\begin{pmatrix} 1 & 0 \\ 0 & e^{i\theta} \end{pmatrix}$  U1 gate is known as the phase gate and is essentially the same as Rz(θ).

**U<sub>2</sub>**  $\begin{pmatrix} 1 & -e^{i\lambda} \\ e^{i\phi} & e^{i\lambda+i\phi} \end{pmatrix}$  From this gate, the Hadamard is done by H=U2(0,π)

**U<sub>3</sub>**  $\begin{pmatrix} \cos \frac{\theta}{2} & -e^{i\lambda} \sin \frac{\theta}{2} \\ e^{i\phi} \sin \frac{\theta}{2} & e^{i\lambda+i\phi} \cos \frac{\theta}{2} \end{pmatrix}$  U3 has the effect of rotating a qubit to a state with an arbitrary superposition and relative phase

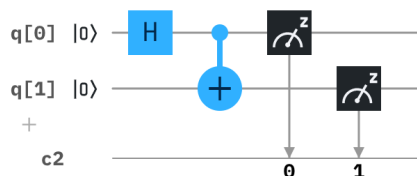
**S**  $\sqrt{Z}$  phase gate X → Y **S†** phase gate X → -Y

**T**  $\sqrt{S}$  phase gate



CNOT : flips target qubit depending on control qubit state.

## circuits



**Circuits are using quantum bits** (starting in state  $|0\rangle$  grouped in quantum registers), **classical register** for measurement reading, **and gates applied to qubits from left to right in time sequence.**

IBM Q Experience : <https://www.ibm.com/quantum-computing/>

IBM portal contains documentation, examples, workbooks. Build quantum circuits using a graphical composer and execute on real quantum device or online simulator for free. Also provides API key for accessing available IBM Q Systems.



Circuit Composer

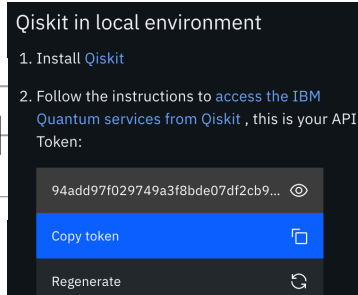
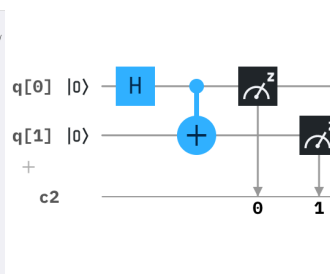
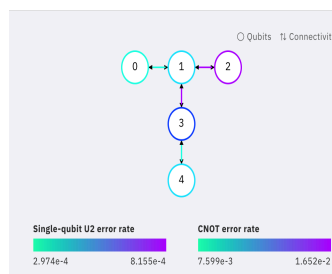
Explore the graphical interface for creating and testing circuits

Create a circuit →

Qiskit Notebooks

Create your first notebook and start using Qiskit

Create a notebook →



## conda (for working with Jupyter Notebooks)

Download and install anaconda (@ anaconda.org)

Open a terminal (or conda terminal in Windows®).

Some usefull conda commands :

(qc, qc2 being example for « environment » names)

- **conda create -n qc python=3.X**
- **conda create --clone qc -n qc2**
- **conda activate qc2**

- **conda-env remove -n qc**
  - **conda-env list** (envs) **conda list** (packages)
  - **conda-env update**
  - **pip install qiskit**
  - **pip install qiskit --upgrade**
- Activate and launch: (from terminal) :
- **conda activate qc**
  - **jupyter notebook**

## qiskit (Python 3)

```
import qiskit
qiskit.__qiskit_version__ # (qiskit.__version__ returns terra's version)

{'qiskit-terra': '0.11.1', # building, compiling and executing circuits
 'qiskit-aer': '0.3.4',    # working with simulators
 'qiskit-ignis': '0.2.0',  # understanding and mitigating noise
 'qiskit-ibmq-provider': '0.4.5', # accessing IBM backends
 'qiskit-aqua': '0.6.2',    # library of quantum computing applications
 'qiskit': '0.14.1'}       # main module
```

## anatomy of « Hello World! » quantum program

```
import qiskit # import qiskit module
q = QuantumRegister(2) # define a quantum register for 2 qubits
c = ClassicalRegister(2) # define a classical register for 2 bits
qc = QuantumCircuit(q,c) # define a quantum circuit using q and c
qc.h(0) # apply Hadamard gate on qubit 0
qc.cx(0,1) # apply CNOT from qubit 0 to qubit 1 as target.
qc.measure(q,c) # measure states of qubits in q into register c
qc.draw(output='mpl') # visualize circuit with matplotlib rendering
backend = qiskit.Aer.get_backend('qasm_simulator') #select backend (local simulator)
job = qiskit.execute(qc,backend,shots=1000) # execute circuit qc on selected backend, 1000 times
result = job.result() # fetch job results.
print(result.get_counts(qc)) # gets result count on basis states into a python dict
{'00': 504, '11': 496}. # maybe
```

## qiskit IBM Q Provider

```
IBMQ.save_account('**my token**',overwrite=True) # one time setup (saving token locally)
IBMQ.stored_account() # retrieve account from you environment
IBMQ.load_account() # enable account
sel_prov = IBMQ.get_provider(hub='ibm-q') # select provider (you may have many, see IBMQ.providers)
print(sel_prov.backends()) # list available backends
backend = sel_prov.get_backend('ibmqx2') # select one of the available backends
backend.configuration() # backend details: qubits count, coupling map, gate config...
backend.status() # current status and pending jobs count
job.job_id # fetch id to enable results retrieval in case of long wait
tools.monitor.job_monitor(job) # monitoring my job status in queue
```

## qiskit terra

```
circ.to_instruction() # transform a circuit into a single instruction
qc.append(circ, <input qubits>) # add circ as a single gate to quantum circuit qc
transpilation and optimization (with: from qiskit.compiler import transpile :
circ= transpile(qc,backend=backend,optimization_level=N) #N=0 : mapping only, N=1 gates cancellation,
# N=2 noise adaptive layout + gate cancell based on
# commutation relationship, N=3 resynthesis of 2-qubits blocks
```

## qiskit aer

provides state vector simulator (on top of qasm\_simulator which simulates a physical device) :

```
backend = Aer.get_backend('statevector_simulator')
input_state = [1/sqrt(2), 1j/sqrt(2)] # arbitrary initial state can be loaded
execute(circ, backend, backend_options={'initial_statevector': input_state})
result().get_statevector(qc) # provides the quantum state of the system (ie: state
# vector coordinates)
```

can also be used to simulate with noise (using self defined or provided noise models).

## qiskit ignis

This workbook can be run from the IBM site and provides examples for how to use the `ignis.mitigation.measurement` module:  
[https://quantum-computing.ibm.com/jupyter/tutorial/advanced/ignis/4\\_measurement\\_error\\_mitigation.ipynb](https://quantum-computing.ibm.com/jupyter/tutorial/advanced/ignis/4_measurement_error_mitigation.ipynb)

## qiskit aqua

```
dir(aqua.algorithms) # (from qiskit import *) lists available AQUA algorithms
specify algorithm, parameters, and backend in a JSON formatted variable (named params in this case) then:
result = run_algorithm(params, backend=backend) # qiskit builds and run the circuit as defined in params
```

## open pulse

```
dir(qiskit.pulse) # provides the list of available functions
```